

# Moriond 2009: QCD and High-Energy Interactions Theory Summary

Gavin P. Salam

LPTHE, UPMC Paris 6 & CNRS

44th Rencontres de Moriond,  
La Thuile, Italy, 21 March 2009

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## Statistics:

- ▶ 102 talks planned
- ▶ 32 theory talks planned (10 in morning, 22 in afternoon)
- ▶ 30 theory talks given

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From schedule: **at 95% confidence level we can rule out** the hypothesis that theorists were equally likely to be assigned morning or afternoon slots.

Because organisers believe theorists sleep later?

## **The topics were varied**

Non-Perturbative QCD & Lattice

Perturbative Methods in QCD

Data – Theory Interface

Beyond the Standard Model

Heavy-Ion Physics

To help put together this talk I've taken a few liberties:

I've chopped, merged, or even recoloured some slides

If your plot/slide looks a little bizarre. . .

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If your plot/slide looks a little bizarre. . .

[And if I've completely misunderstood your talk,  
let me know before I do the proceedings!]

# Non (or barely) perturbative QCD

Because it's what we're made of

Because it's relevant to extracting CKM & new-physics constraints from weak hadronic decays.

Because it's far from fully explored.

Most powerful tool is **lattice QCD**

2× mass spectrum (BMW, PACS-CS)

2× decays (MILC, RBC/UKQCD)

1× heavy-ions (HotQCD)

1× BSM (Brower)

+ present in many exptl. talks

Major issues:

- ▶ **control of all systematics**
- ▶ **handling of light quarks (u,d)**

# Systematics in lattice calculations

Van de Water

- ◆ Lattice calculations typically quote the following sources of error:

(1) Monte carlo statistics & fitting

(2) Tuning lattice spacing,  $a$ , and quark masses

(3) Matching lattice gauge theory to continuum QCD

- ❖ (Sometimes split up into relativistic errors, discretization errors, perturbation theory, ...)

(4) Chiral extrapolation to physical up, down quark masses

(5) Extrapolation to continuum

- ❖ (Often combined with chiral extrapolation)

- ◆ In order to verify understanding and control of systematic uncertainties in lattice calculations, **COMPARE RESULTS FOR KNOWN QUANTITIES WITH EXPERIMENT**

- ◆ Two such examples are the pion decay constant and the  $D \rightarrow K \ell \bar{\nu}$  form factor . . .

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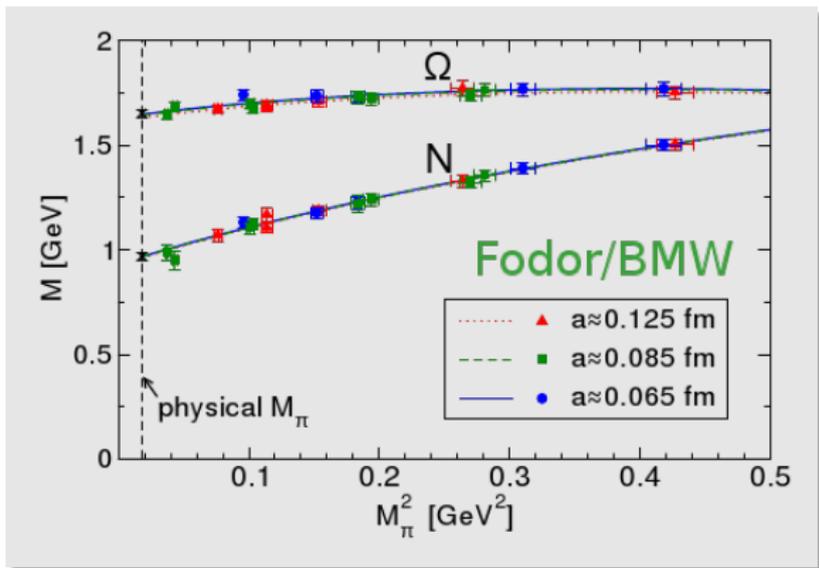
Van de Water

## Also, issue of different kinds of light-quarks:

- ▶ Staggered                      theoretically questioned (but works where testable)
- ▶ Wilson                              theoretically OK, harder computationally
- ▶ Domain-wall                      cleanest chiral limit, hardest computationally

[NB: need light quarks to get sensible  $m_\pi$ ]

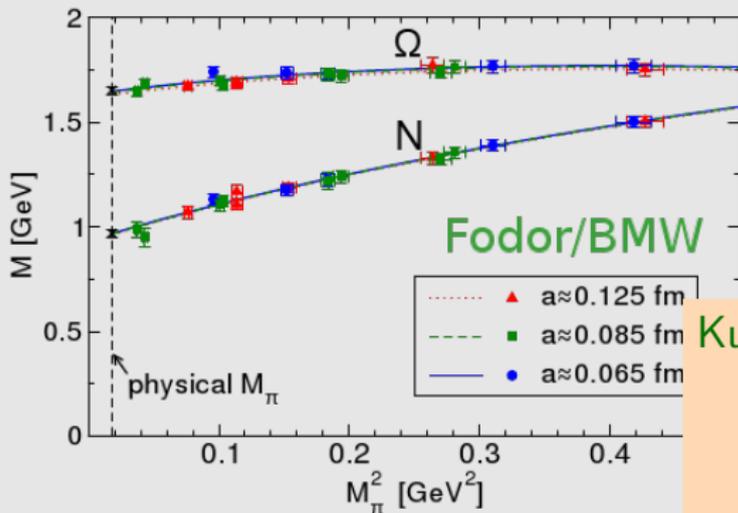
## Issue of systematics



Need to control

- ▶  $M_\pi \rightarrow$  true value
- ▶ lattice spacing  $a \rightarrow 0$

## Issue of systematics



Need to control

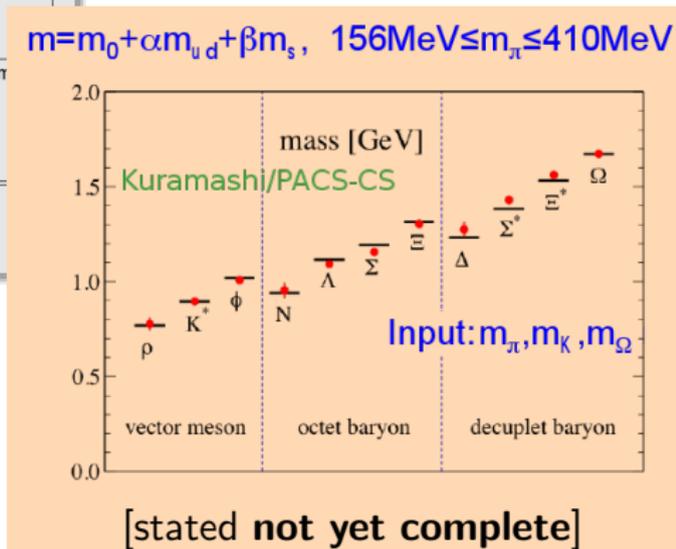
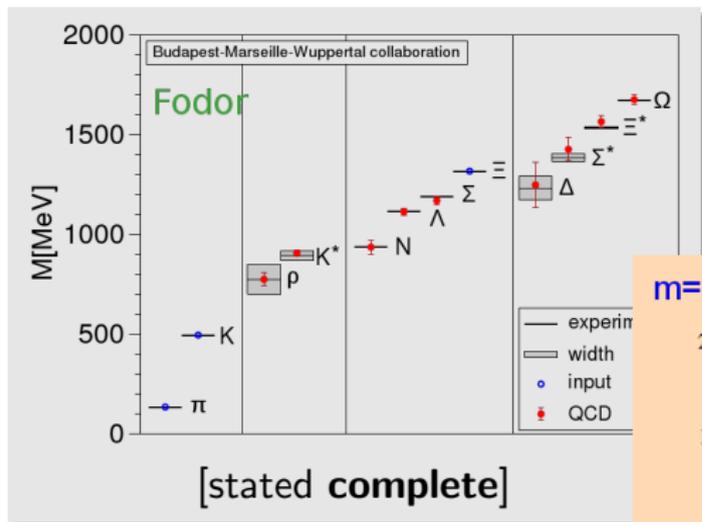
- ▶  $M_\pi \rightarrow$  true value
- ▶ lattice spacing  $a \rightarrow 0$

Kuramashi/PACS-CS:

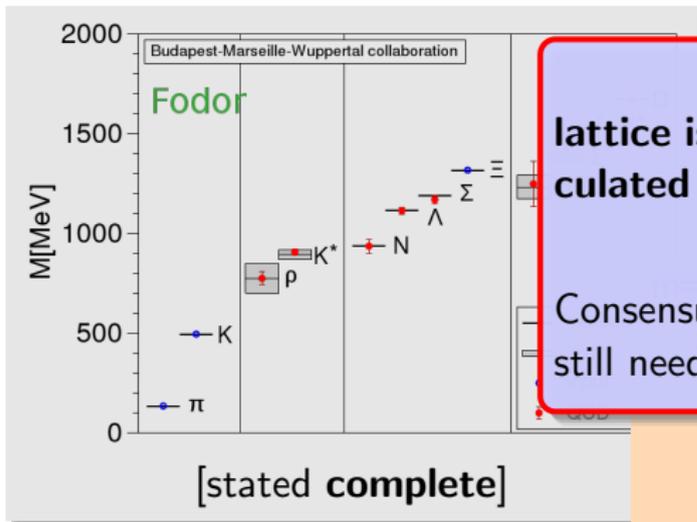
“ $m_{ud} = 0$  is a singular point;  
Convergence radius is  $m_{ud}$   
( $m_\pi^2 < 0.036 \text{ GeV}^2$ )”

Believe results once you have  
multiple lattice spacings below  
this. → **need more CPU time**

## Results



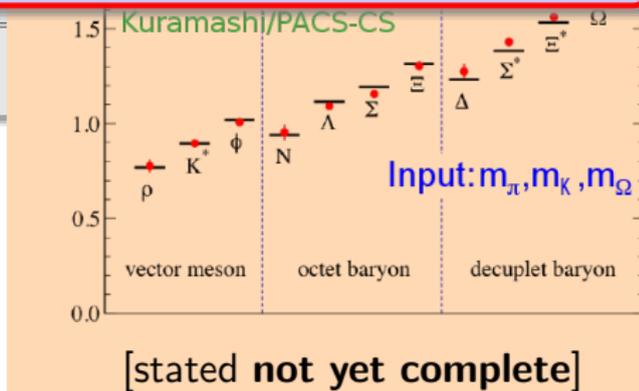
## Results



After 35 years' work,  
**lattice is clearly close to having calculated proton mass!**

~ 95% of our mass!

Consensus on control of all systematics  
 still needs a few months more?



## Calculating things we don't know

### $N_F = 2$ EM Spectrum

- QED+QCD calculation is carried out for  $N_F = 2$  DWF.
- Using  $m_{\pi^\pm}^2, m_{K^\pm}^2, m_{K^0}^2$  value from experiment, **quark masses** are estimated.
- Nonperturbatively determined  $Z$  factor  $1/Z_m = Z_S = 0.62(4)$

Izubuchi /  
RBC-UKQCD

$$m_u^{\overline{MS}}(2 GeV) = 3.02(27)(19) \text{ MeV},$$

$$m_d^{\overline{MS}}(2 GeV) = 5.49(20)(34) \text{ MeV},$$

$$m_{ud}^{\overline{MS}}(2 GeV) = 4.25(23)(26) \text{ MeV},$$

$$m_s^{\overline{MS}}(2 GeV) = 119.5(56)(74) \text{ MeV},$$

$$m_u/m_d = 0.550(31),$$

$$m_s/m_{ud} = 28.10(38).$$

Uses domain-wall fermions (more “expensive”):

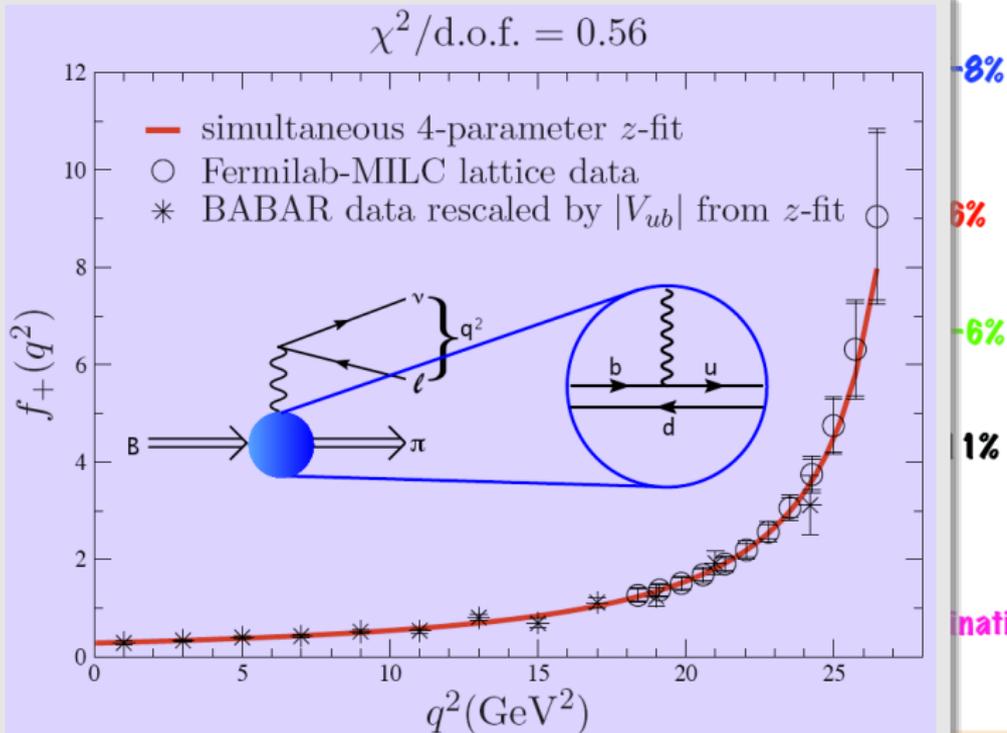
$n_f = 2 + 1$  results in progress.

# $V_{ub}$ from $B \rightarrow \pi \ell \nu$ & lattice [staggered]

## Comparison with other determinations

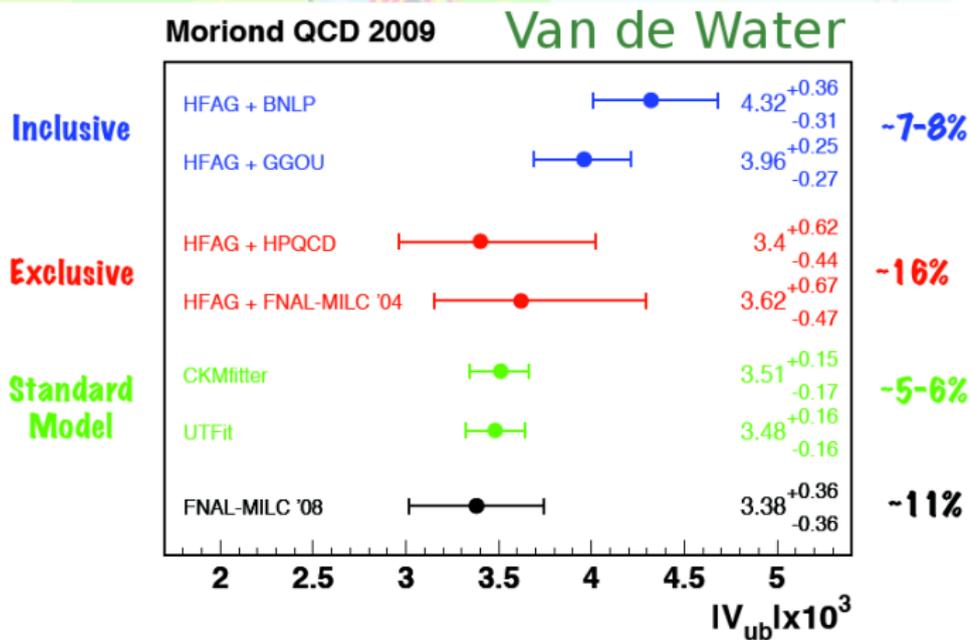
Moriond QCD 2009

Van de Water



# $V_{ub}$ from $B \rightarrow \pi \ell \nu$ & lattice [staggered]

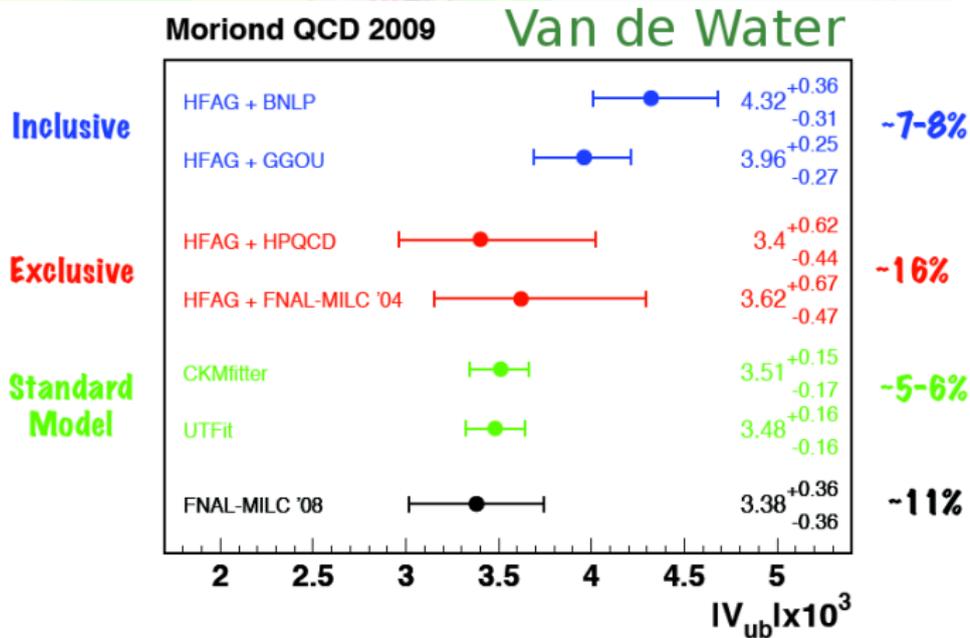
## Comparison with other determinations



- ◆ New exclusive  $|V_{ub}|$  approximately **1-2 -  $\sigma$  lower than inclusive determinations**
- ◆ Consistent with preferred values from unitarity triangle analyses

# $V_{ub}$ from $B \rightarrow \pi \ell \nu$ & lattice [staggered]

## Comparison with other determinations



- ◆ New ex  $\rightarrow$  Lattice agrees better with SM than inclusive methods
- ◆ Consist  $\rightarrow$  And good description of  $q^2$  shape is powerful cross-check  
counters “questionnability” of staggered fermions

- QCD NLL approximation: **Penin**

$$E_{\text{hfs}}^{\text{th}} = 39 \pm 11 \text{ (th)} \stackrel{+9}{-8} (\delta\alpha_s) \text{ MeV}$$

- HPQCD and UKQCD collaborations (NRQCD)

Phys.Rev. D72, 094507 (2005)

$$E_{\text{hfs}}^{\text{lat}} = 61 \pm 14 \text{ MeV} - \frac{21}{4} \frac{\alpha_s}{\pi} \ln(am_b) E_{\text{hfs}} \approx -20 \text{ MeV}$$

- TWQCD collaboration (QCD)

Phys.Lett. B651, 171 (2007)

$$E_{\text{hfs}}^{\text{lat}} = 70 \pm 10 \text{ MeV}$$

$m_b = 4.65(5) \text{ GeV}$   
is suspicious,

- Experiment:

$$E_{\text{hfs}}^{\text{exp}} = 71.4 \pm 2.7 \text{ (syst)} \stackrel{+2.3}{-3.1} \text{ (stat)} \text{ MeV}$$

- QCD NLL approximation: **Penin**

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## Challenging mix of large and small scales

- ▶ “Obvious” conclusion: NLL wrong?
- ▶ But not so obviously the case
- ▶  $\eta_c$  works fine. Luck or physics?

## Exotics: much left to understand

	expt	ref	params	modes	signal	comments
interest	Y(4350) ?	Z <sub>1</sub> (4051) tetraquark hadrocharmonium artefact	Z(4430) tetraquark D <sup>*</sup> D <sub>1</sub> molecule threshold effect artefact	X(3872) DD <sup>*</sup> molecule threshold effect tetraquark	Swanson	
	X(4160) ?	Y(4260) hybrid (ccg) threshold effect	Y(4660) radial hybrid (ccg) 5S vector f <sub>0</sub> ψ' molecule			
	Y(4140) tetraquark artefact	Y(3940) χ'_{cJ}	X(3940) χ'_{cJ}			
	Y(4008) ?	Z(3940) χ'_{c2} sets scale for 2P states (inverted?)	h <sub>c</sub> tests long range spin dynamics	η'_c tests O(1/m <sup>2</sup> ) dynamics		
	★	★★	★★★	★★★★	★★★★★	

robustness

# Perturbative QCD predictions

Because pQCD happens at HERA, Tevatron & LHC

Because backgrounds and signals for new physics often  
involve pQCD component

And because field theory has yet to yield all its secrets

## NLO calculations

### **Traditional methods:**

Vector-Boson Fusion

$t\bar{t} + \text{jet}$

### **New Methods:**

$W + 3 \text{ jets}$

$W + 3 \text{ jets}$

## Missing many needed NLO computations

Campbell

### *An experimenter's wishlist*

- Hadron collider cross-sections one would like to know at NLO

Run II Monte Carlo Workshop, April 2001

Single boson	Diboson	Triboson	Heavy flavour
$W + \leq 5j$	$WW + \leq 5j$	$WWW + \leq 3j$	$t\bar{t} + \leq 3j$
$W + b\bar{b} + \leq 3j$	$WW + b\bar{b} + \leq 3j$	$WWW + b\bar{b} + \leq 3j$	$t\bar{t} + \gamma + \leq 2j$
$W + c\bar{c} + \leq 3j$	$WW + c\bar{c} + \leq 3j$	$WWW + \gamma\gamma + \leq 3j$	$t\bar{t} + W + \leq 2j$
$Z + \leq 5j$	$ZZ + \leq 5j$	$Z\gamma\gamma + \leq 3j$	$t\bar{t} + Z + \leq 2j$
$Z + b\bar{b} + \leq 3j$	$ZZ + b\bar{b} + \leq 3j$	$WZZ + \leq 3j$	$t\bar{t} + H + \leq 2j$
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$\gamma + \leq 5j$	$\gamma\gamma + \leq 5j$		$b\bar{b} + \leq 3j$
$\gamma + b\bar{b} + \leq 3j$	$\gamma\gamma + b\bar{b} + \leq 3j$		
$\gamma + c\bar{c} + \leq 3j$	$\gamma\gamma + c\bar{c} + \leq 3j$		
	$WZ + \leq 5j$		
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	$WZ + c\bar{c} + \leq 3j$		
	$W\gamma + \leq 3j$		
	$Z\gamma + \leq 3j$		

## Missing many needed NLO computations

Campbell

An

■ H

Single b

$W + \leq 5j$

$W + b\bar{b} +$

$W + c\bar{c} +$

$Z + \leq 5j$

$Z + b\bar{b} +$

$Z + c\bar{c} +$

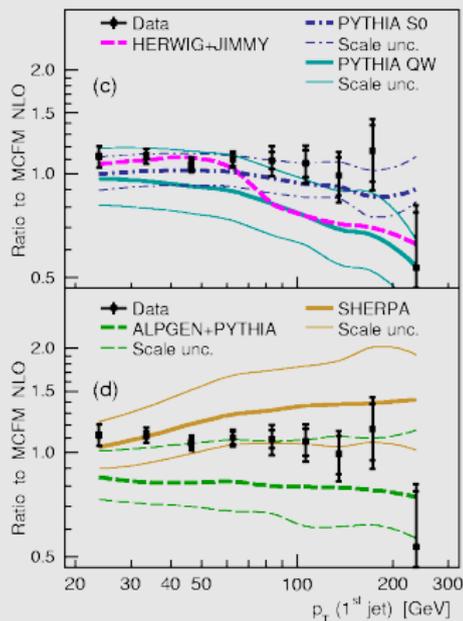
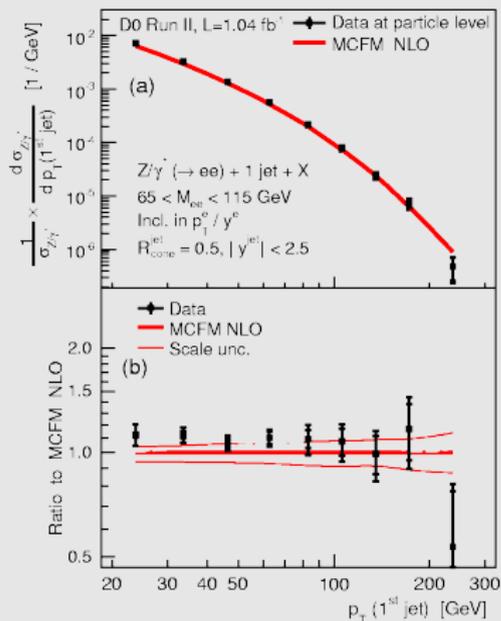
$\gamma + \leq 5j$

$\gamma + b\bar{b} +$

$\gamma + c\bar{c} +$

### Z + jet ( $p_t$ of jet)

Nilsen



Only NLO gets normalisation & shape reliably correct

## Missing many needed NLO computations

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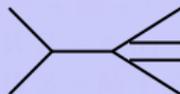
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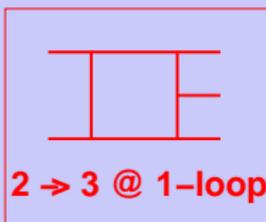
$2 \rightarrow 3$  @ NLO

$\sim$



$2 \rightarrow 4$  @ Tree

+



$2 \rightarrow 3$  @ 1-loop

+

Tricks to cancel divergences

(dipole subtraction)

**Bottleneck**

## Missing many needed NLO computations

Campbell

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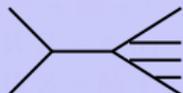
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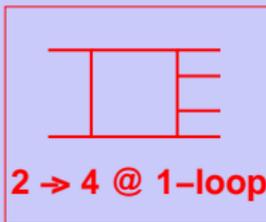
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$\sim$



$2 \rightarrow 5$  @ Tree

+



$2 \rightarrow 4$  @ 1-loop

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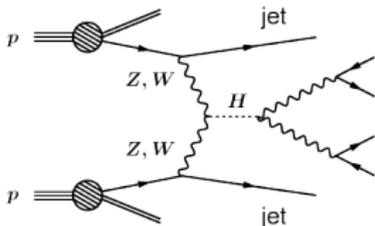
Tricks to cancel divergences

(dipole subtraction)

*Impossible so far!*

## summary

Jaeger



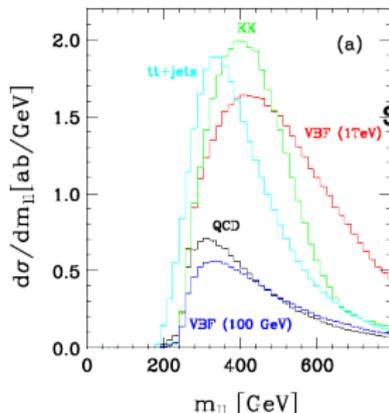
◆ explicit calculations revealed that VBF reactions are **perturbatively well-behaved** (moderate NLO QCD and EW corrections, negligible higher order and interference effects)

◆ **backgrounds** are well under control

signatures of new physics in the gauge boson sector should be observable at the LHC



**VBF crucial for understanding mechanism of electroweak symmetry breaking**



One of the last 2 → 3 “Les Houches” processes

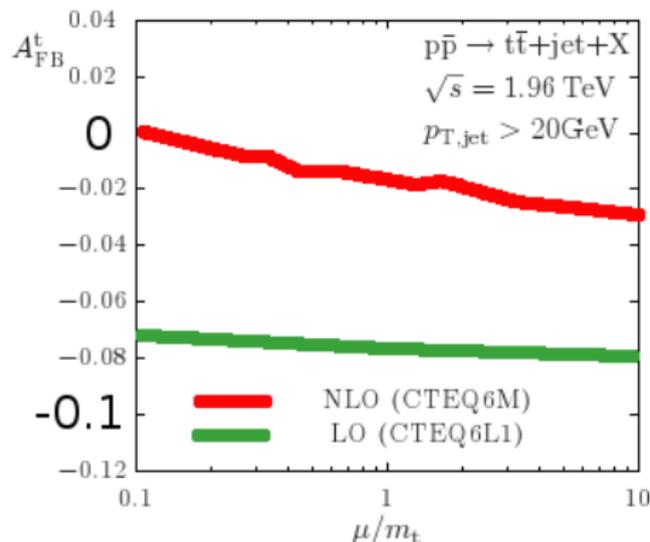
Weinzierl

**Significant complexity:**

- ▶ 450 loop diagrams
- ▶ Mass scale  $m_t$

One of the last 2  $\rightarrow$  3 “Les Houches” processes

Weinzierl

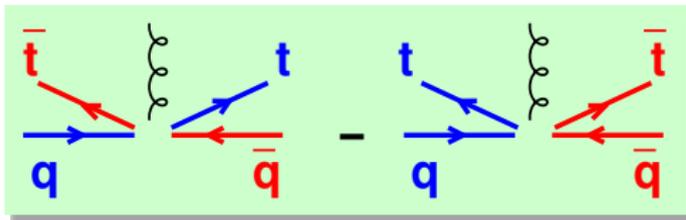


**Significant complexity:**

- ▶ 450 loop diagrams
- ▶ Mass scale  $m_t$

**Forwards-backwards asymmetry**  
 (non-zero only with jets)

- ▶ Strongly diluted by NLO
- ▶ Calls for *physical explanation*



Traditional methods grow **factorially** in complexity with increasing number of legs.

(e.g.  $2 \rightarrow 3 \equiv 5$ -legs had 450 loop diags).

**New methods** do away with Feynman diagrams.  
Instead use hidden secrets of field theory for **loops**  
(initiated by Bern, Dixon & Kosower, over 15 years ago)

**BlackHat**  $\leftrightarrow$  **Maitre**

**Rocket**  $\leftrightarrow$  **Melnikov**

- Important steps include Melnikov
  - The idea introduced by Bern, Dixon, Kosower
  - Cuts w.r.t. loop momentum give (box) coefficients directly (Cachazo, Britto, Feng)
  - Ossola-Pittau-Papadopoulos (OPP) tensor integral reduction technique
  - The OPP procedure meshes well with unitarity (Ellis, Kunszt, Giele)
  - D-dimensional unitarity (Giele, Kunszt, K.M.)

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**Basic idea:** instead of doing loop integrals,  
Sew together tree-amplitudes at (specially-chosen) fixed  
internal momenta

## Blackhat/Maitre

- Uses new progress in the use of unitarity techniques, spinor formalism, complex momenta  
[Ossola, Papadopoulos, Pittau; Forde; Badger]
  - Cut containing part: 4 Dim, using Forde's method
  - Rational part: 1- loop recursion ( reuse of lower point results )  
[Berger, Bern, Dixon, Forde, Kosower]
- Advantages of unitarity vs Feynman diagrams
  - Work with simpler on-shell objects → numerically more stable
  - Unitarity method scales better with increasing number external legs

- Currently, Rocket can compute the following one-loop amplitudes **Melnikov**
  - N-gluon scattering amplitudes
  - two quark (massless and massive)+ N-gluon scattering amplitudes
  - W boson + two quarks + N-gluons
  - W boson + four quarks + 1 gluon
  - tt+Ngluons, ttqq+N gluons (Schulze)

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Note appearance of “ **$N$  gluons**”

**This changes the nature of the (1-loop) game**

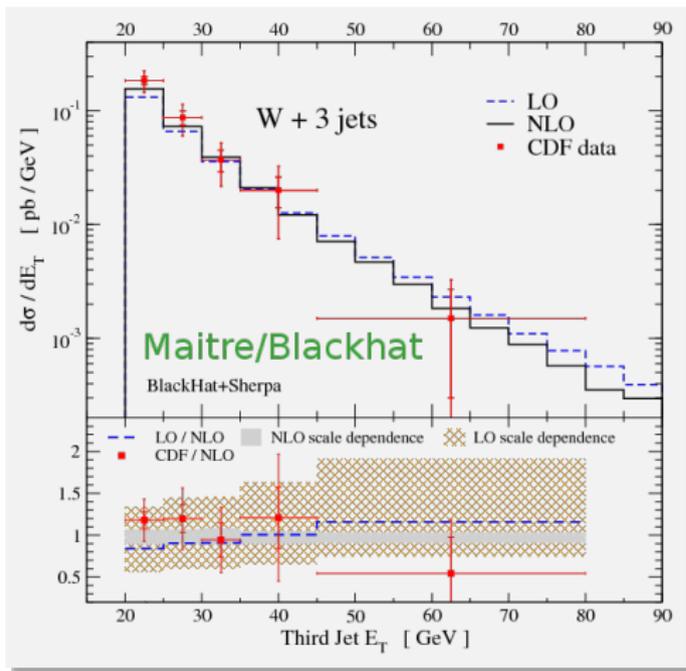
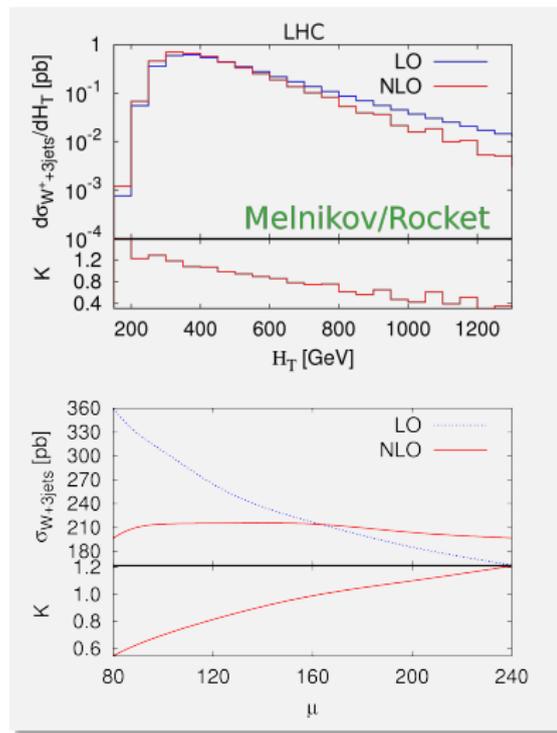
Note also: extra quarks are harder...

## What seems realistic with these methods?

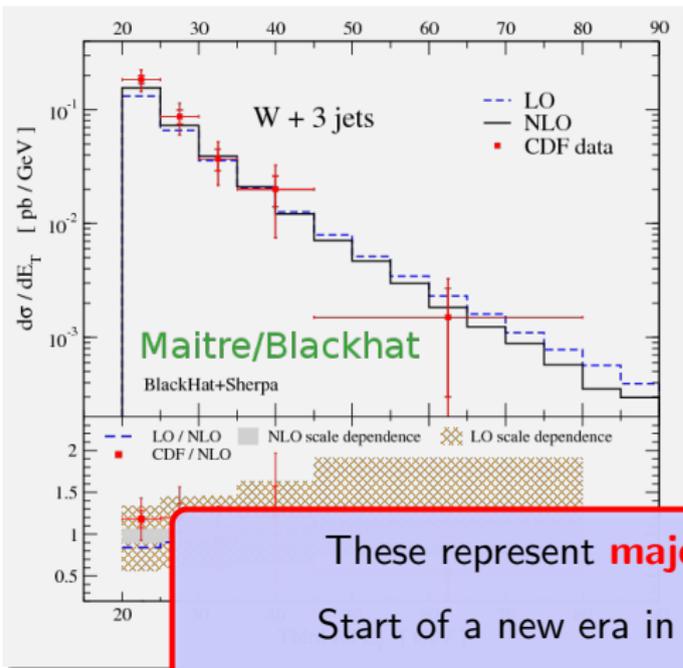
- ▶  $2 \rightarrow 4$  and  $2 \rightarrow 5$  processes      Any more seems too slow?
- ▶ In large- $N_c$  limit for now
- ▶ One bottleneck is combination with real radiation  
Blackhat  $\leftrightarrow$  Sherpa, Rocket  $\leftrightarrow$  MCFM

## What have they achieved so far?

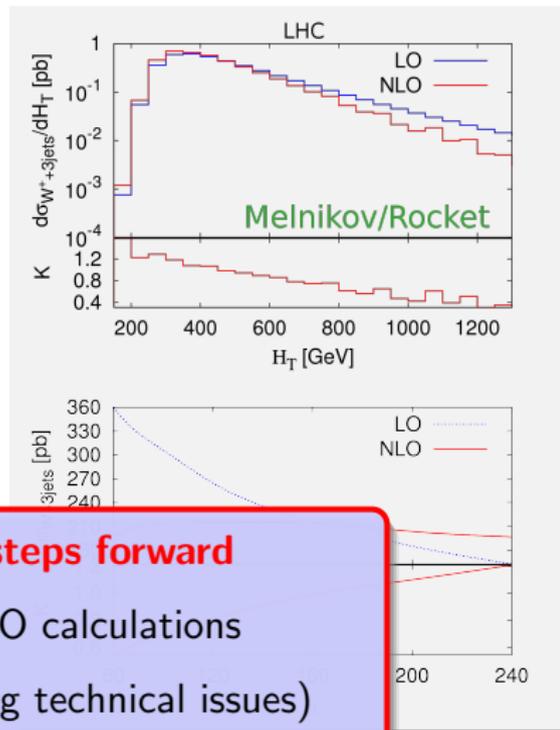
- ▶ **Blackhat**:  $pp \rightarrow W + 3\text{-jets}$ , at large  $N_c$ , all subprocesses except fermion loops      good to a few %
- ▶ **Rocket**:  $pp \rightarrow W + 3\text{-jets}$ , at large  $N_c$ , just  $Wqqggg$  subprocess, w/o fermion loop      good to 20–30%

All channels, leading  $N_C$  $Wq\bar{q}g$  channels, leading  $N_C$ 

## All channels, leading $N_c$



## Wqqgg channels, leading $N_c$



These represent **major steps forward**  
 Start of a new era in NLO calculations  
 (expect progress on remaining technical issues)

## NLO is not our only way of predicting

- ▶ NLO + parton shower White, MC@NLO
- ▶  $p_T$  resummation of logarithmic enhancements Ferrera
- ▶ Tree-level, & large-multiplicity approximations Andersen  
Unintegrated parton distributions / forward jets Hautmann
- ▶ NNLO Ferrera: exclusive  $p\bar{p} \rightarrow Z$  @ NNLO  
Heslop: N=4 SUSY multi-leg two-loop
- ▶ Barely perturbative physics of  $pp$  and  $pA$  collisions Pierog

## NLO is not our only way of predicting

### ► NLO + parton shower

White, MC@NLO

#### **Wt production**

Issue is that NLO to  $pp \rightarrow Wt$  includes  $pp \rightarrow Wt\bar{b}$

This interferes with non-resonant  $t\bar{t}$ .

Non-trivial problem, and important addition to MC@NLO

### ► $p_T$ resummation of logarithmic enhancements

Ferrera

### ► Tree-level, & large-multiplicity approximations Unintegrated parton distributions / forward jets

Andersen  
Hautmann

### ► NNLO

Ferrera: exclusive  $p\bar{p} \rightarrow Z$  @ NNLO  
Heslop: N=4 SUSY multi-leg two-loop

### ► Barely perturbative physics of $pp$ and $pA$ collisions

Pierog

## NLO is not our only way of predicting

- ▶ NLO + parton shower

White, MC@NLO

- ▶  $p_T$  resummation of logarithmic enhancements

Ferrera

### $Z/\gamma^*$ $p_t$ distribution

$p_t$  resummation is important ingredient for Higgs @ LHC ( $H \rightarrow \gamma\gamma$ )

Validation with  $Z$  is key for validation. Intermediate results (NLL+LO) shown as step to accurate NNLL+NLO prediction.

- ▶ Tree-level, & large-multiplicity approximations  
Unintegrated parton distributions / forward jets

Andersen  
Hautmann

- ▶ NNLO

Ferrera: exclusive  $p\bar{p} \rightarrow Z$  @ NNLO  
Heslop: N=4 SUSY multi-leg two-loop

- ▶ Barely perturbative physics of  $pp$  and  $pA$  collisions

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- ▶ **Tree-level, & large-multiplicity approximations** **Andersen**  
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### **EPOS Monte Carlo for min-bias physics**

Multiple binary parton-parton interactions, with energy-sharing, remnants, screening & shadowing.

For particle physics & cosmic-ray air showers

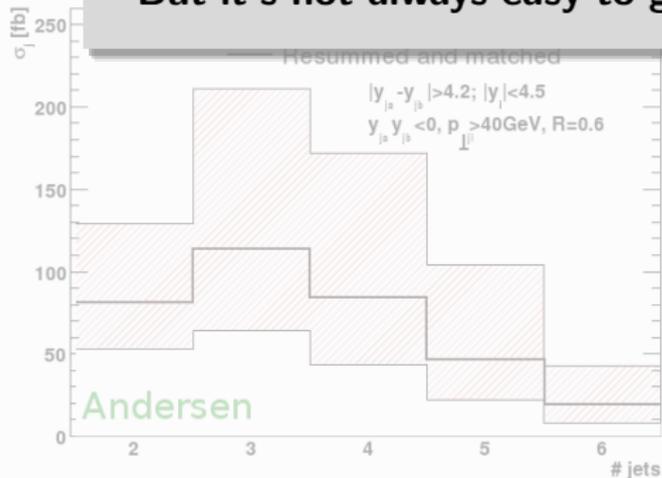
# Multi-jet predictions (H + jets)

Andersen: Alternative to

Madgraph — Alpgen —  
 Sherpa — HELAC-Helas

**Premise:**

**Tools for predicting multi-jet final states exist.  
 But it's not always easy to get the answer you need.**



Uses Fadin-Kuraev-Lipatov approx. (large rapidities)

Compares well to exact tree-level

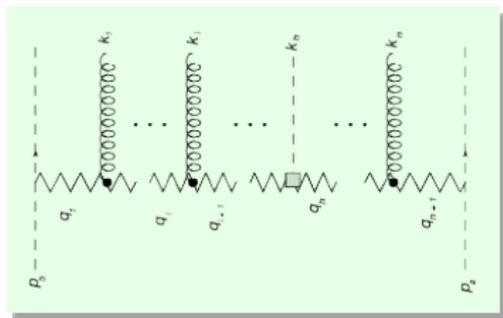
Applied to Hjj (admixed with  $WW \rightarrow H$ ).

# Multi-jet predictions (H + jets)

**Andersen:** Alternative to

Madgraph — Alpgen —  
 Sherpa — HELAC-HELAS

multi-jet predictions.



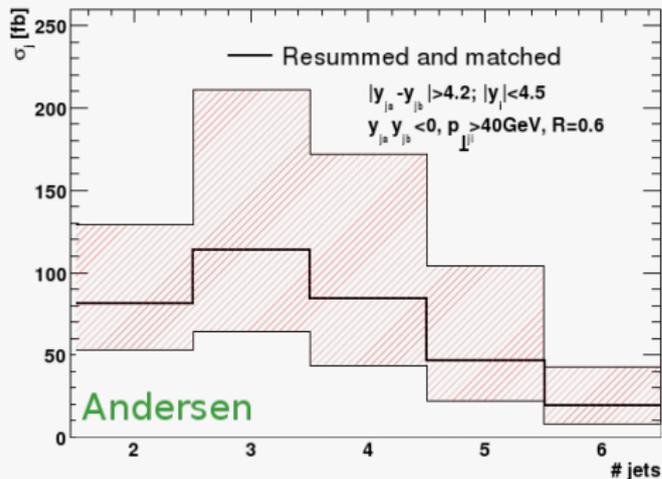
On grounds that they can't easily reach very high jet-multiplicities (with H).

Uses Fadin-Kuraev-Lipatov approx. (large rapidities)

Compares well to exact tree-level

Applied to Hjj (admixed with  $WW \rightarrow H$ ).

# jets in Hjj @ LHC

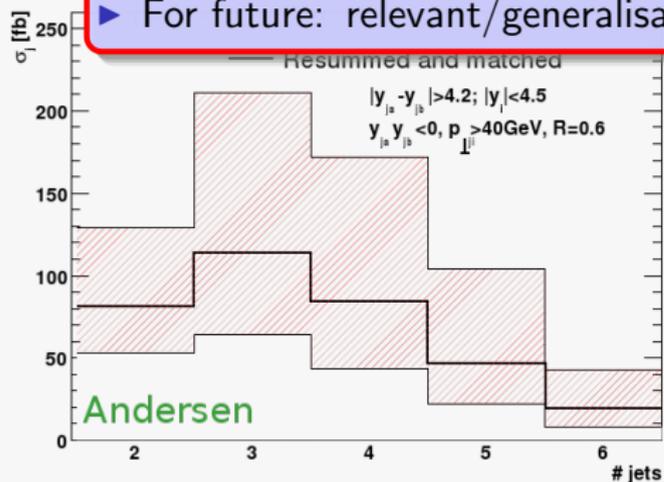


# Multi-jet predictions (H + jets)

**Andersen:** Alternative to

## Comments:

- ▶ Are approximation uncertainties smaller than intrinsic LO tree?
- ▶ Here they seem to be.  
 → interesting complement to “fixed-order” methods.
- ▶ And better treatment of virtual corrections?
- ▶ For future: relevant/generalisable to other processes?



Uses Fadin-Kuraev-Lipatov approx. (large rapidities)

Compares well to exact tree-level

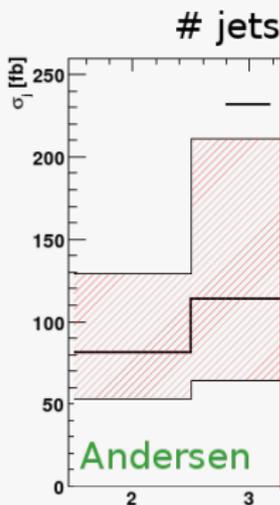
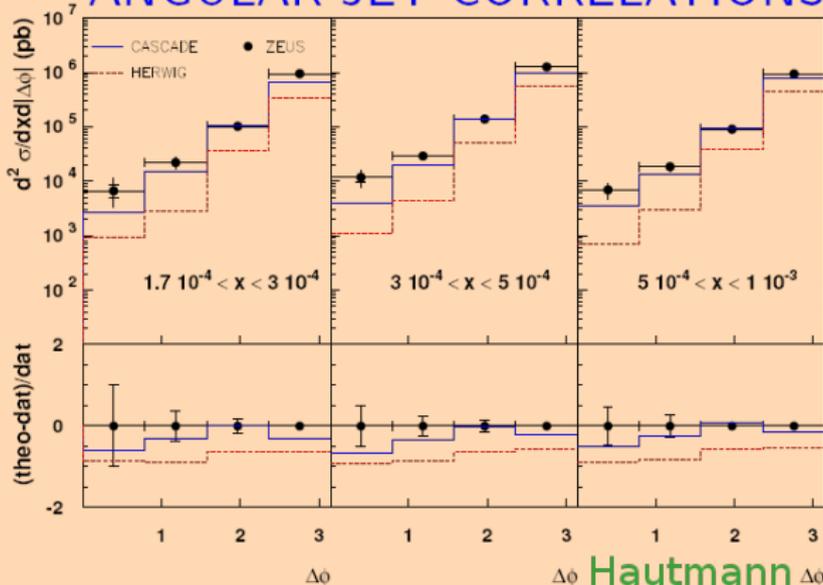
Applied to Hjj (admixed with  $WW \rightarrow H$ ).

# Multi-jet predictions (H + jets)

**Andersen:** Alternative to

Need for special care / BFKL-type effects also emphasized by **Hautmann:**

## ANGULAR JET CORRELATIONS



**Andersen**

**Hautmann**

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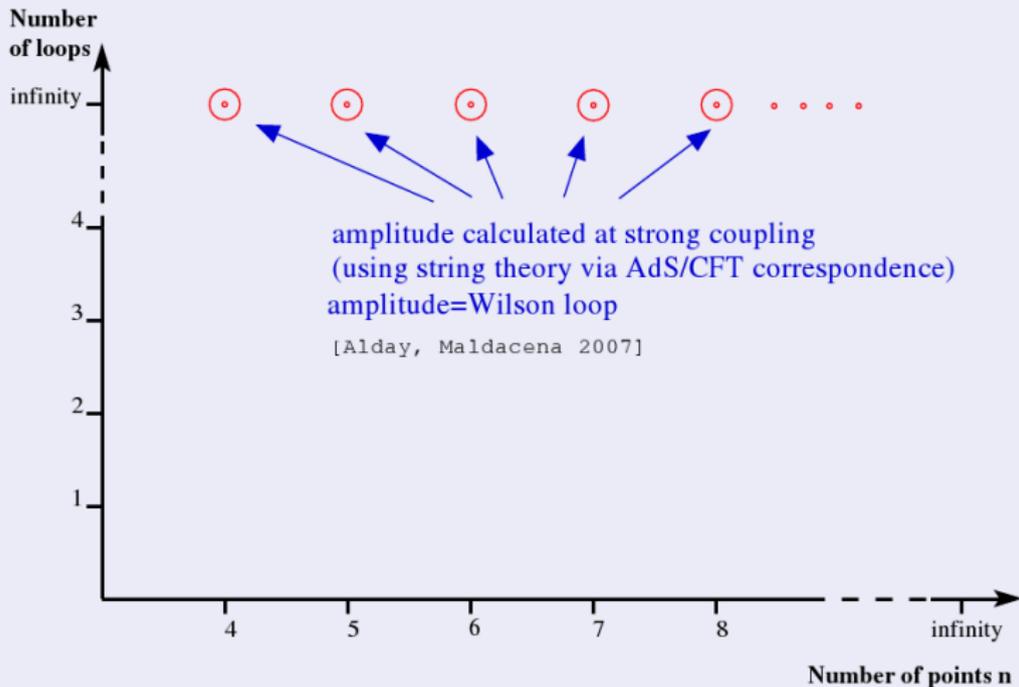
**Heslop**  
(N=4 SUSY,  
MHV)

**Can 2-loop (NNLO ingredient) diagrams be calculated easily?  
And multiloop?**

**Heslop** discussed remarkable patterns found in supersymmetric “Maximal-Helicity-Violating” (MHV) amplitudes: relation to simpler “Wilson Loops”

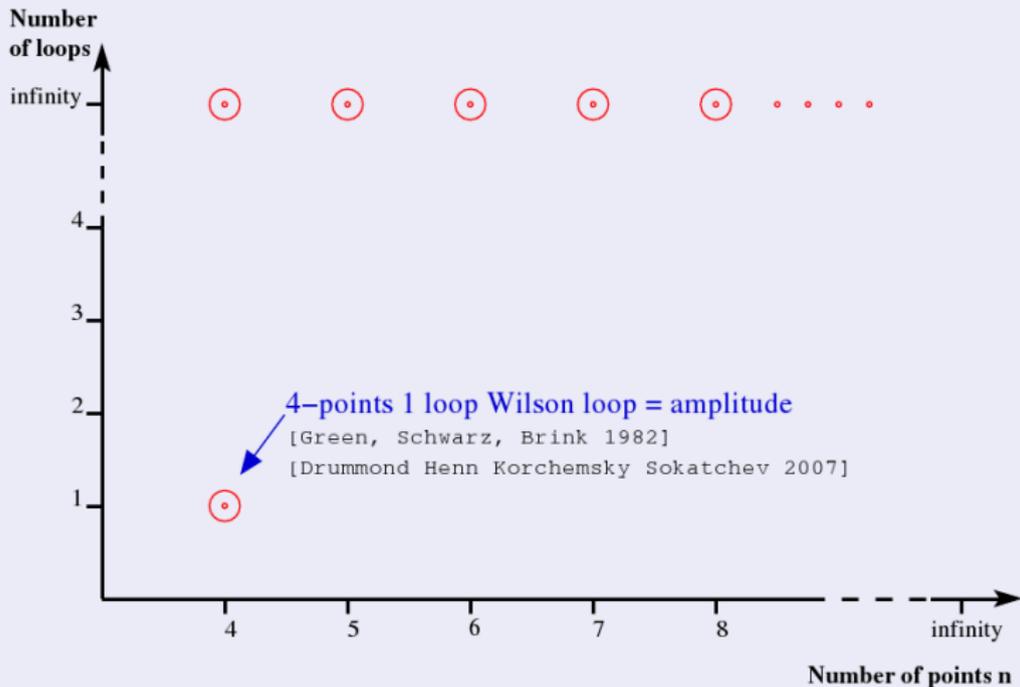
## Evidence so far...

Heslop  
(N=4 SUSY,  
MHV)



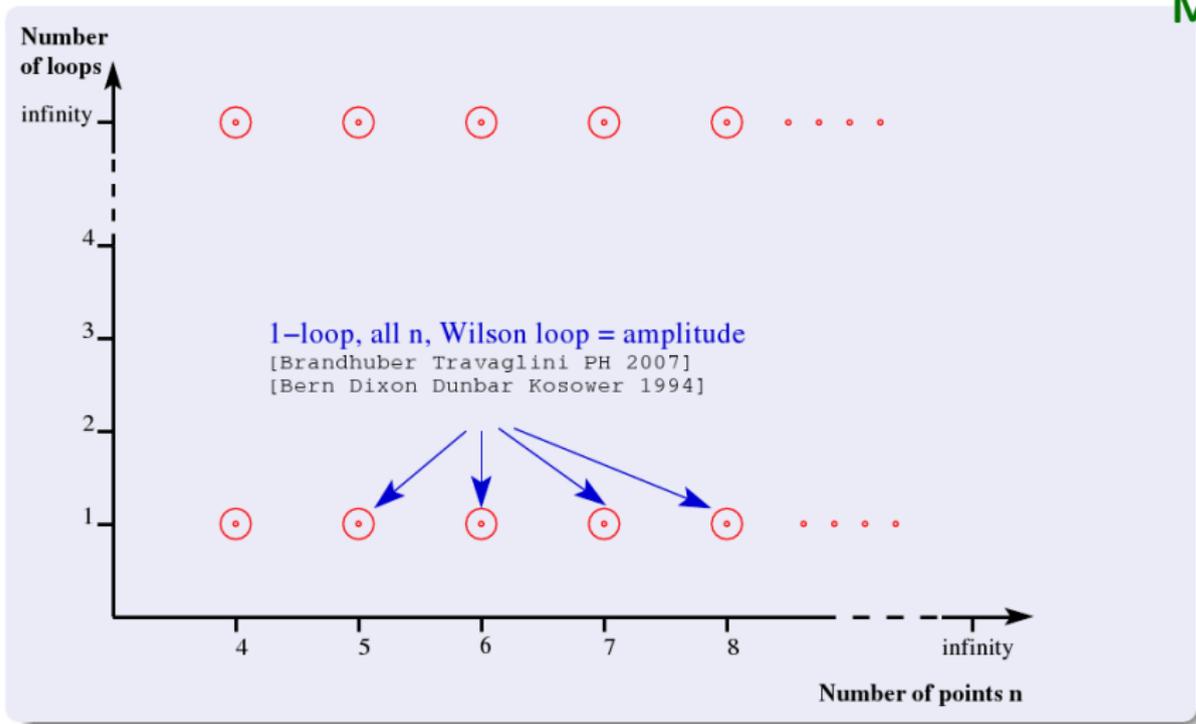
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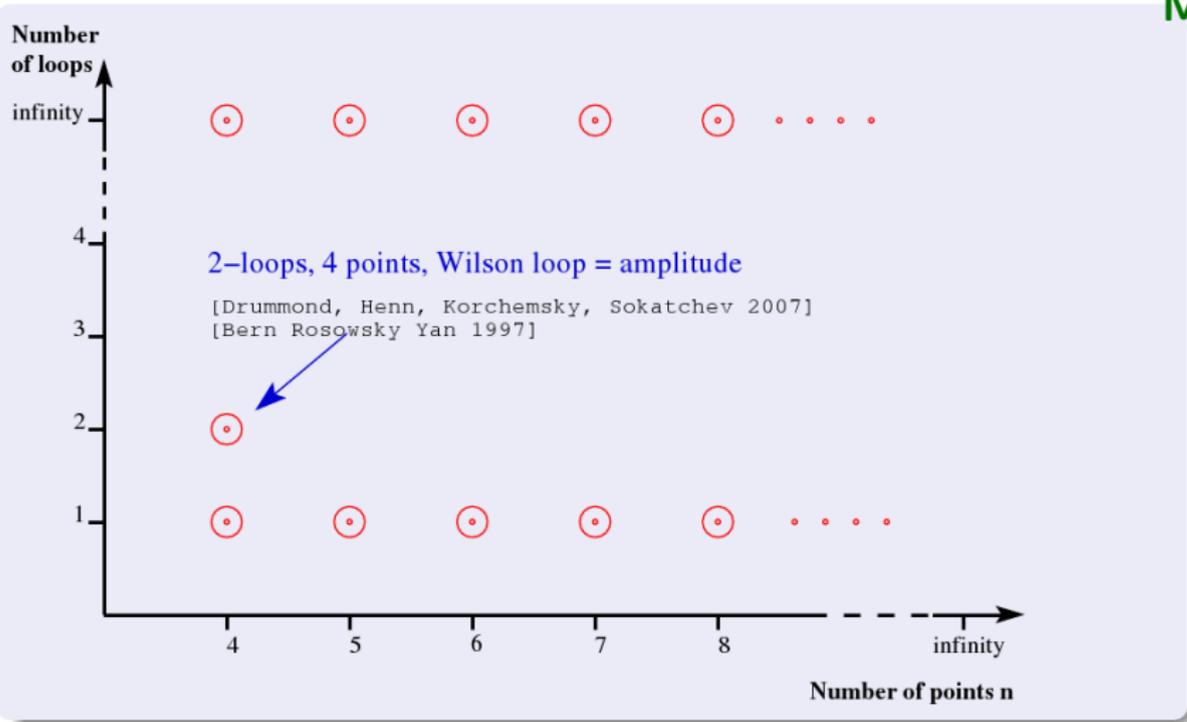
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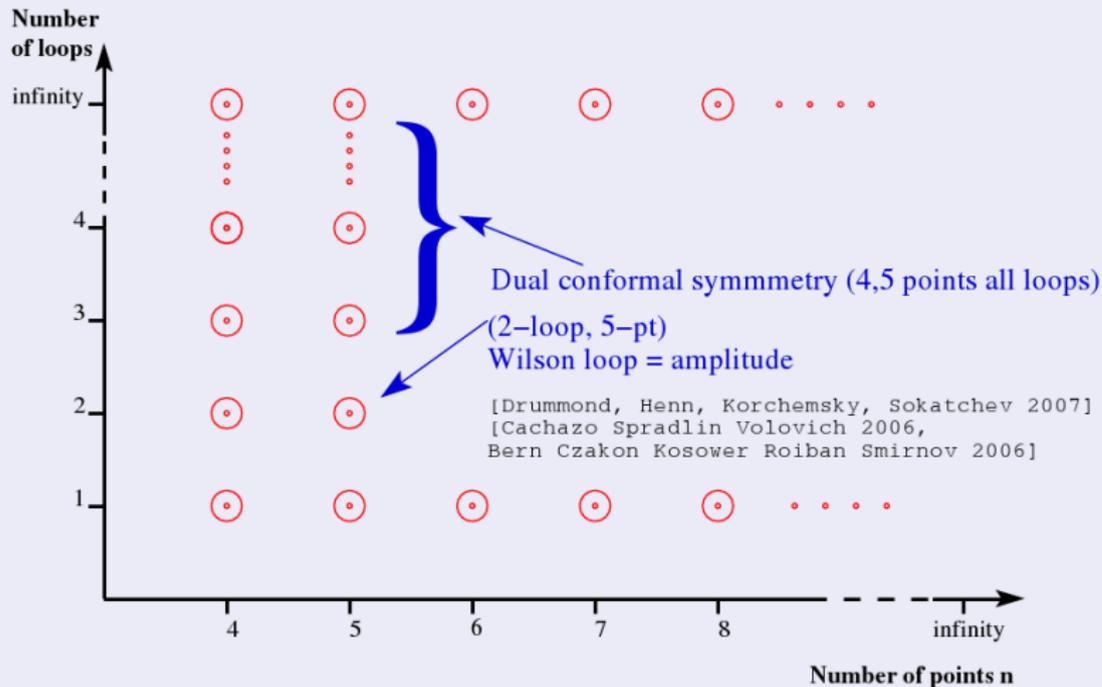
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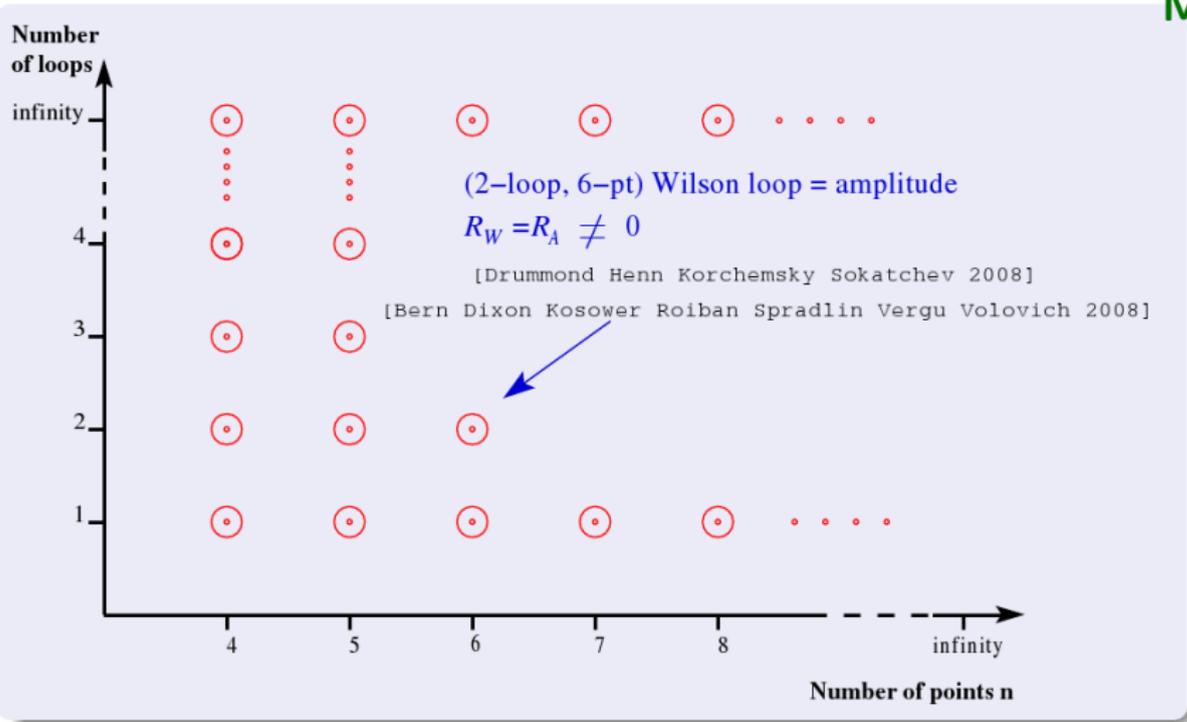
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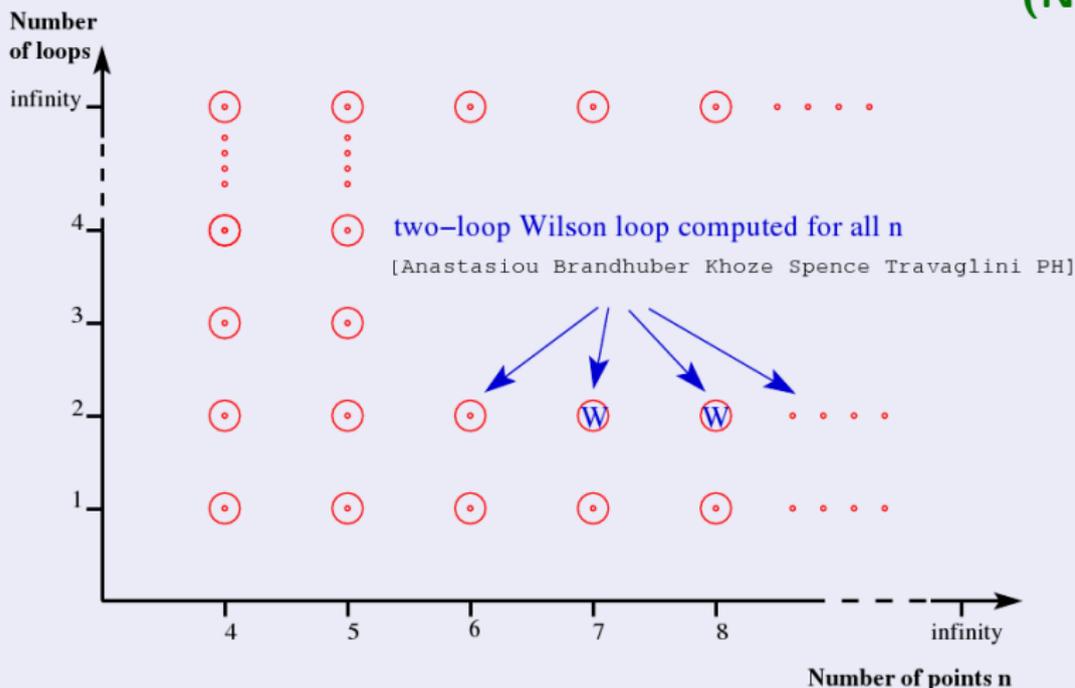


## Evidence so far...

Heslop  
(N=4 SUSY,  
MHV)



Heslop  
(N=4 SUSY,  
MHV)





# (Collider) Data ↔ Theory

Because interface is crucial to getting best out of both

**Topics were quite varied:**

EW fits

Higgs Bounds

PDF fits

Improved LHC  $VH, H \rightarrow b\bar{b}$  search

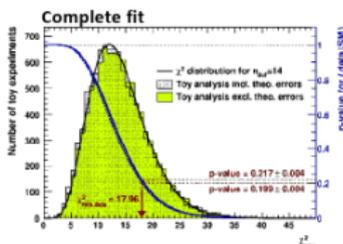
# Gfitter: a new program as alternative to Zfitter

## Validated against Zfitter

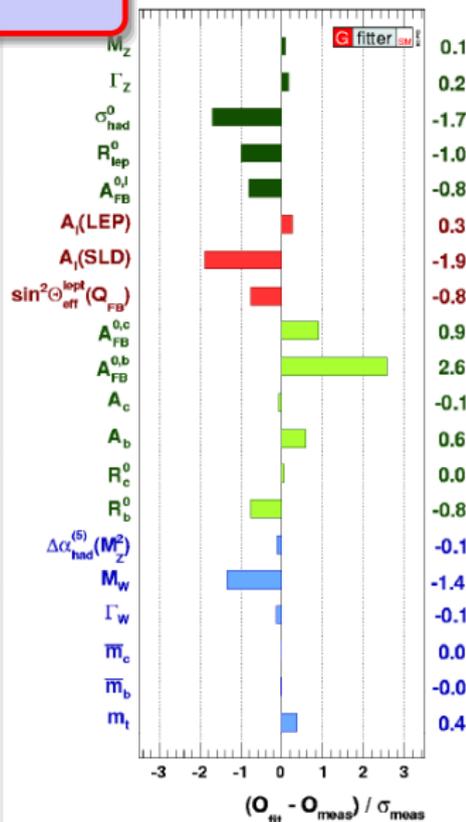


- standard fit:  $\chi^2_{\min}/n_{\text{dof}} = 16.4/13$
- complete fit:  $\chi^2_{\min}/n_{\text{dof}} = 18.0/14$

### p-value evaluated using toy-MC



- Probability for wrongly rejecting SM:  $(21.7 \pm 0.4)\%$ 
  - No indication of new physics
- Pull values of complete fit:
  - largest  $\chi^2_{\min}$  contribution from  $A_{FB}$  of b-quark  $2.6\sigma$
  - Small contributions from  $M_Z$ ,  $\Delta\alpha^{\text{had}}(M_Z)$ ,  $m_c$ ,  $m_b$  indicate that their input accuracies exceed fit requirements
- Complete fit results in backup slides

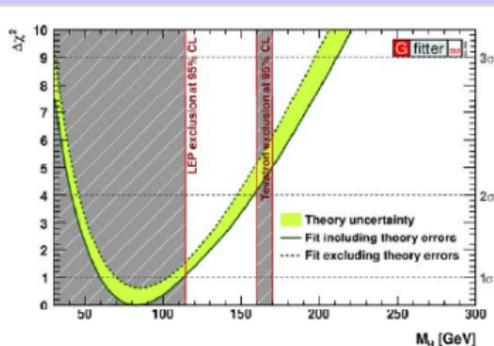


## Gfitter: a new program as alternative to Zfitter

- ▶ Validated against Zfitter

### Higgs mass result:

- ▶  $M_H$  from standard fit:
  - Fit input for  $M_W$  is our preliminary average!
  - Central value  $\pm 1\sigma$ :  $M_H = 82.8^{+30}_{-23}$  GeV
  - $2\sigma$  and  $3\sigma$  interval: [41, 158] and [28, 211] GeV
  - (Previously:  $M_H = 80^{+30}_{-23}$  GeV )
- ▶ Shift of mean and intervals up by about 3 GeV

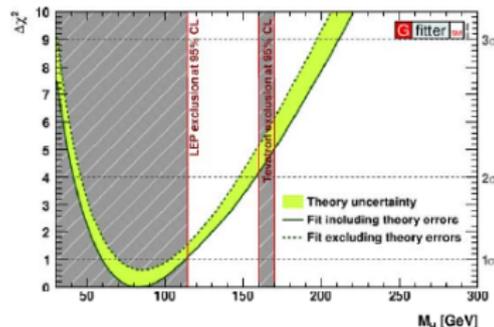


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### Tevatron's fit:

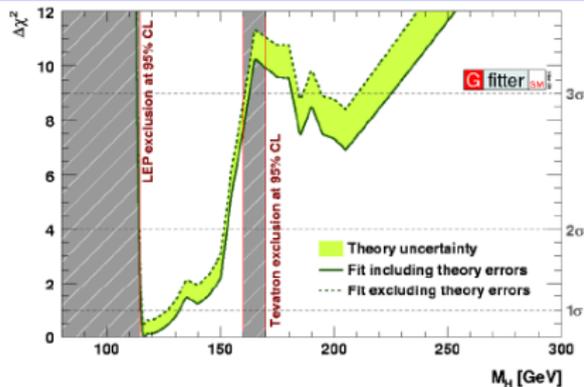
Kehoe:

$$m_H = 90^{+36}_{-27} \text{ GeV}$$

**Gfitter:** a new program as alternative to Zfitter

▶ Validated against Zfitter

Higgs mass result with LEP and Tevatron exclusions:



$\Delta\chi^2$  as a function of  $M_H$  for the *complete fit* (including the latest results from the direct Higgs searches).

$$M_H = 116^{+15.6}_{-1.3} \text{ GeV}$$

Tevatron's fit:

**Kehoe:**

$$m_H = 90^{+36}_{-27} \text{ GeV}$$

## HiggsBounds:

Incorporate results of all experimental searches into single package, for testing new models, new SM X-sections.

- $e^+ e^- \rightarrow (h_k)Z \rightarrow (b\bar{b})Z$
- $e^+ e^- \rightarrow (h_k)Z \rightarrow (\tau^+ \tau^-)Z$
- $e^+ e^- \rightarrow (h_k \rightarrow h_i h_i)Z \rightarrow (b\bar{b}b\bar{b})Z$
- $e^+ e^- \rightarrow (h_k \rightarrow h_i h_i)Z \rightarrow (\tau^+ \tau^- \tau^+ \tau^-)Z$
- $e^+ e^- \rightarrow (h_k \rightarrow h_i h_i)Z \rightarrow (b\bar{b})(\tau^+ \tau^-)Z$

and **Higgs pair production**

- $e^+ e^- \rightarrow (h_k h_i) \rightarrow (b\bar{b}b\bar{b})$
- $e^+ e^- \rightarrow (h_k h_i) \rightarrow (\tau^+ \tau^- \tau^+ \tau^-)$
- $e^+ e^- \rightarrow (h_k \rightarrow h_i h_i)h_i \rightarrow (b\bar{b}b\bar{b})b\bar{b}$
- $e^+ e^- \rightarrow (h_k \rightarrow h_i h_i)h_i \rightarrow (\tau^+ \tau^- \tau^+ \tau^-)\tau^+ \tau^-$
- $e^+ e^- \rightarrow (h_k \rightarrow b\bar{b})(h_i \rightarrow \tau^+ \tau^-)$
- $e^+ e^- \rightarrow (h_k \rightarrow \tau^+ \tau^-)(h_i \rightarrow b\bar{b})$

led in *HiggsBounds*  
K. Williams

## Tevatron search topologies

- $p\bar{p} \rightarrow WH \rightarrow l\nu b\bar{b}$
- $p\bar{p} \rightarrow WH \rightarrow W^+ W^- W^\pm$
- $p\bar{p} \rightarrow ZH \rightarrow l^+ l^- b\bar{b}$
- $p\bar{p} \rightarrow ZH \rightarrow \nu\bar{\nu} b\bar{b}$
- $p\bar{p} \rightarrow WH/ZH \rightarrow b\bar{b} + E_T^{\text{miss.}} \text{ (SM)}$
- $p\bar{p} \rightarrow H \rightarrow W^+ W^- \rightarrow l^+ l'^- \nu\nu$
- $p\bar{p} \rightarrow bH, H \rightarrow b\bar{b}$
- $p\bar{p} \rightarrow H \rightarrow \tau^+ \tau^-$
- $p\bar{p} \rightarrow H/HW/HZ/H \text{ via VBF, } H \rightarrow \tau^+ \tau^- \text{ (SM)}$
- $p\bar{p} \rightarrow H/HW/HZ/H \text{ via VBF, } H \rightarrow \gamma\gamma$
- combined Higgs production and decay (SM)  
(+ hadronic remainders)

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Incorporate results of all experimental searches into single package, for testing new models, new SM X-sections.

- $e^+e^- \rightarrow (h_k)Z \rightarrow (b\bar{b})Z$
- $e^+e^- \rightarrow (h_k)Z \rightarrow (\tau^+\tau^-)Z$
- $e^+e^- \rightarrow (h_k \rightarrow h_i h_i)Z \rightarrow (b\bar{b}b\bar{b})Z$
- $e^+e^- \rightarrow (h_k \rightarrow h_i h_i)Z \rightarrow (\tau^+\tau^-\tau^+\tau^-)Z$
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and Higgs pair production

- $e^+e^- \rightarrow (h_k h_i) \rightarrow (b\bar{b}b\bar{b})$
- $e^+e^- \rightarrow (h_k h_i) \rightarrow (\tau^+\tau^-\tau^+\tau^-)$
- $e^+e^- \rightarrow (h_k \rightarrow h_i h_i) h_j \rightarrow (b\bar{b}b\bar{b})b\bar{b}$
- $e^+e^- \rightarrow (h_k \rightarrow h_i h_i) h_j \rightarrow (\tau^+\tau^-\tau^+\tau^-)h_j$
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- $e^+e^- \rightarrow (h_k \rightarrow h_i h_i) h_j \rightarrow (b\bar{b})(\tau^+\tau^-)h_j$

**An impressive and valuable collation of information!**

Greatly facilitates task of exploring new models.

And allows easy inclusion of latest theory developments.

## Tevatron search topologies

- $p\bar{p} \rightarrow WH \rightarrow l\nu b\bar{b}$
- $p\bar{p} \rightarrow WH \rightarrow W^+W^-W^\pm$
- $p\bar{p} \rightarrow ZH \rightarrow l^+l^-b\bar{b}$
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- $p\bar{p} \rightarrow WH/ZH \rightarrow b\bar{b} + E_T^{\text{miss.}} \text{ (SM)}$
- $p\bar{p} \rightarrow H \rightarrow W^+W^- \rightarrow l^+l'^-\nu\nu$
- $p\bar{p} \rightarrow bH, H \rightarrow b\bar{b}$
- $p\bar{p} \rightarrow H \rightarrow \tau^+\tau^-$

(+ hadronic remainders)

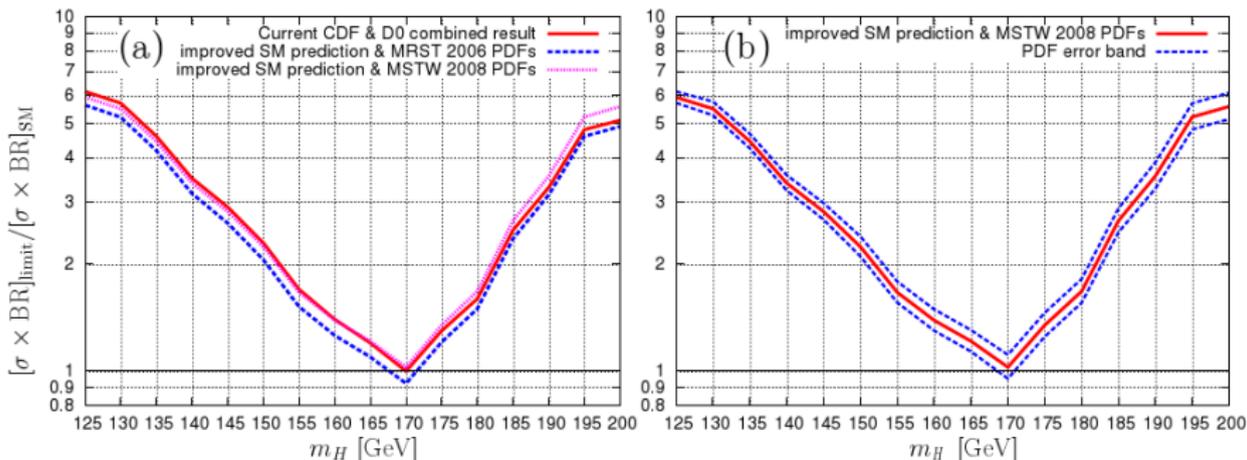
# Example 1: Effect of new SM gluon fusion cross sections

New results for  $p\bar{p} \rightarrow gg \rightarrow H$ , which include

- mixed QCD-electroweak corrections.
- more recent PDFs and K-factors

(see C.Anastasiou, R.Boughezal, R.Petriello 2009 and refs. therein)

Using *HiggsBounds* to see the effect on the Tevatron exclusions:



In the legend, 'current' means before Thursday!

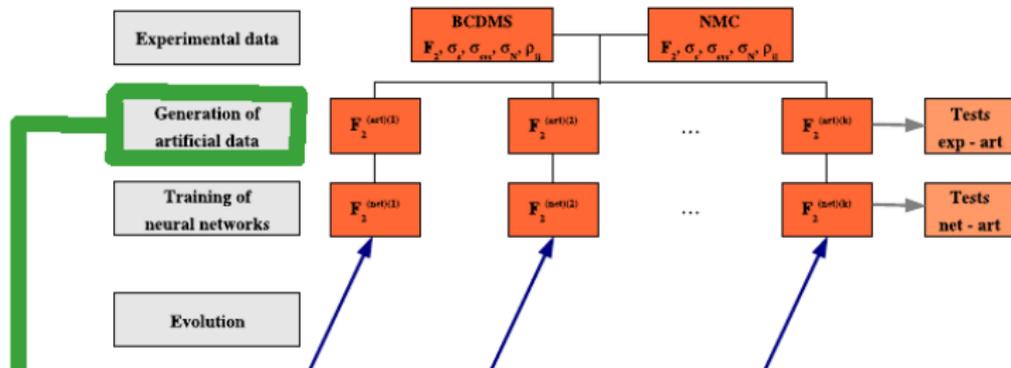
PDFs (and their uncertainties) are crucial input  
to nearly all Tevatron & LHC studies

Issues in traditional PDF fits (CTEQ/MSTW):

- ▶ Estimation of uncertainties, done by (arbitrary?)  $\delta\chi^2 \sim 50$
- ▶ Parametrisation bias

## The Neural Monte Carlo

## NNPDF: Del Debbio

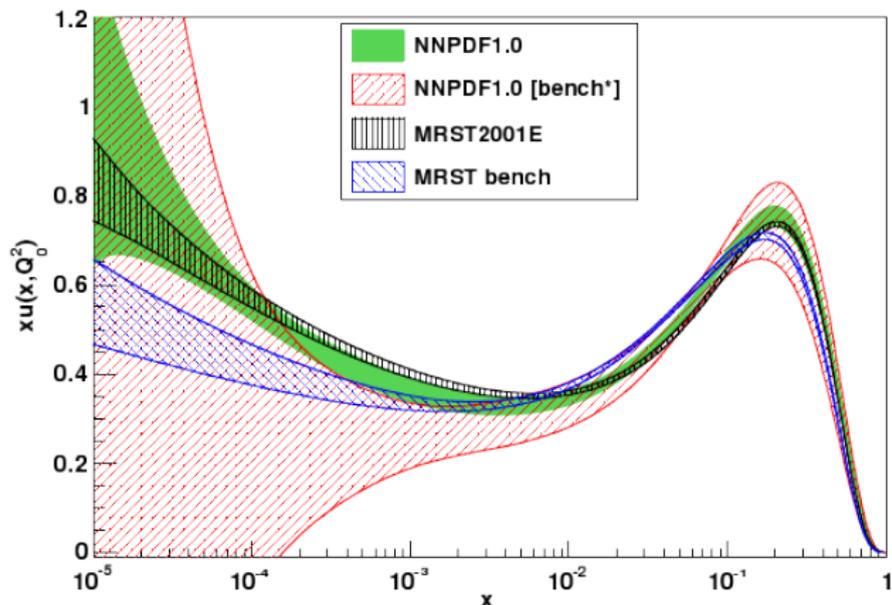


## NNPDF:

- ▶ Individual fits to many Monte Carlo **replica experiments** to get ensemble of PDFs (i.e. direct measure of uncertainties)
- ▶ Use neural-network as a way of providing bias-free parametrisations of PDFs

Determination of  
the probability density

$q_{\text{NS}}^{(\text{art})}, \sigma_{\text{NS}}^{(\text{art})}, \rho_{\text{NS}}^{(\text{art})}$



up quark PDF

in normal fits &  
“benchmark” com-  
parison fits (reduced  
data-set)

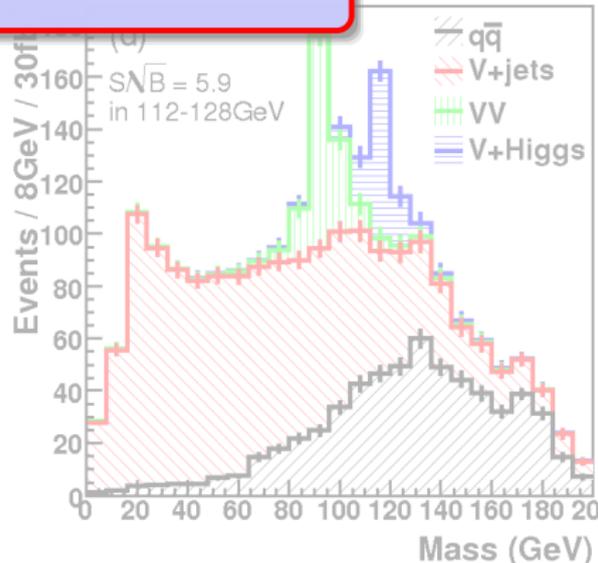
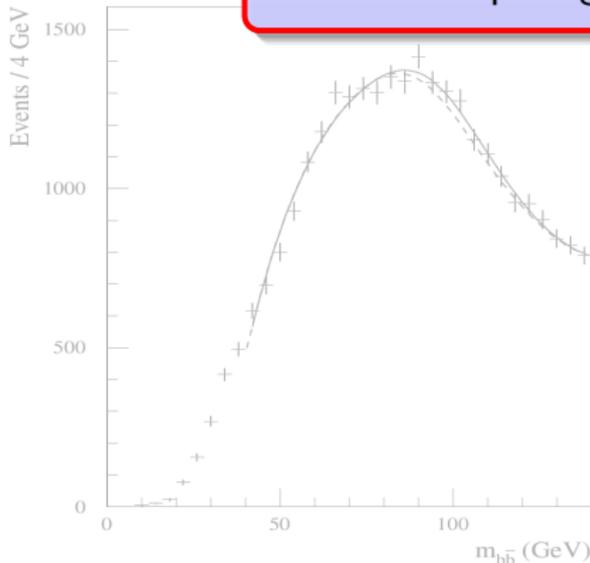
(NNPDF, unlike MRST  
bench: errors in-  
crease with reduced  
data)

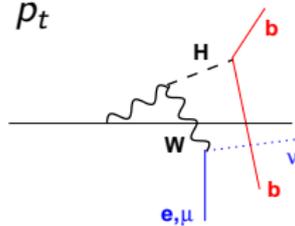
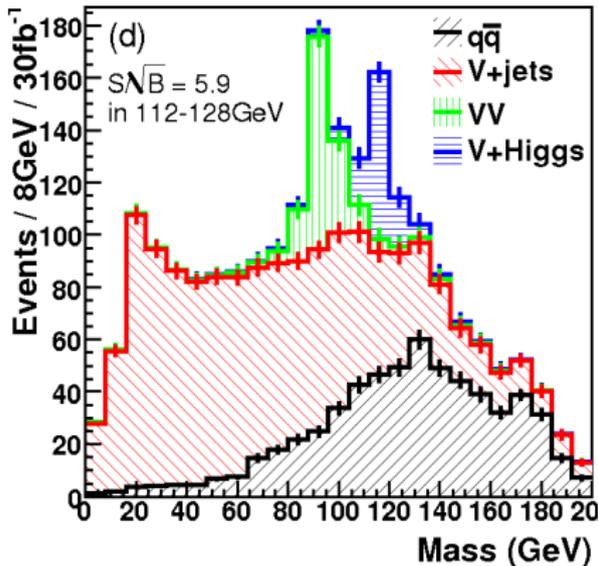
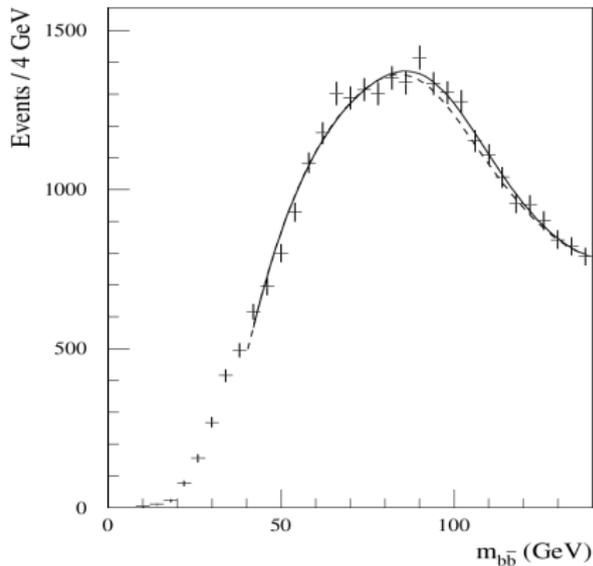
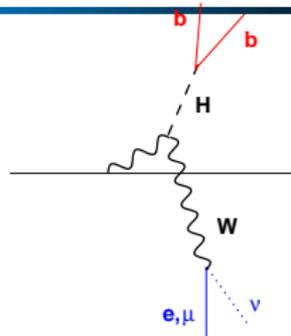
### NNPDF status:

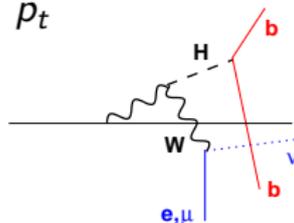
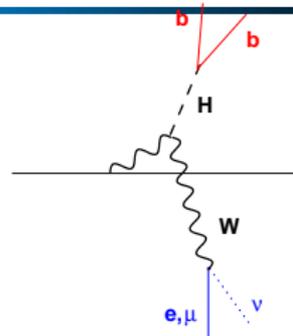
- ▶ Still needs inclusion of heavy-quark effects &  $p\bar{p}$  data
- ▶ Once this is done, it will be a serious (superior?) competitor to CTEQ & MSTW.

ATLAS TDR: all  $p_t$ Rubin: high- $p_t$ 

As well as using data to get theory information, can we try to use theory to help us get better data?



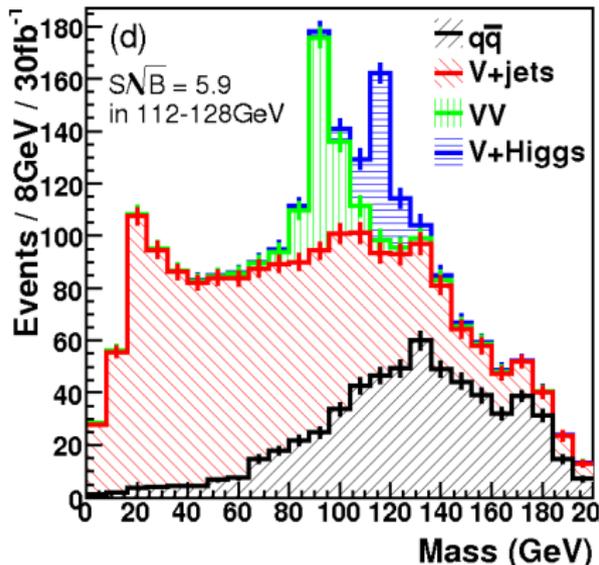
ATLAS TDR: all  $p_t$ Rubin: high- $p_t$ 

ATLAS TDR: all  $p_t$ Rubin: high- $p_t$ 

- ▶ Selection of high- $p_t$  subset of Higgs bosons
- ▶ Theory-inspired jet substructure techniques

Make it possible to recover clearer & more Higgs significant signal?

**These ideas may well be useful elsewhere too...**



LHC  $WH, H \rightarrow b\bar{b}$  example looks a lot like many currently searches.

**huge backgrounds**  
**similar signal and background distribution**

Currently: near-universal reliance on **neural networks** to improve S/B

**NNs are very non-transparent**

LHC  $WH, H \rightarrow b\bar{b}$  example looks a lot like many currently searches.

**huge backgrounds**  
**similar signal and background distribution**

Currently: near-universal reliance on **neural networks** to improve S/B

**NNs are very non-transparent**

**A suggestion for a rule of thumb:**

If NN improves signal by (say) 20%: then also show cut-based analysis — it'll be a lot more convincing.

If NN improves signal by (say)  $\times 2$ : then figure out a “plain” analysis that takes advantage of the corresponding physics.

## **New Phenomena:**

Theories we don't yet know: Beyond Standard Model  
(BSM)

A theory we do know (QCD), with yet-to-be  
discovered exotic behaviour? In Heavy-Ion Collisions.

# BSM

## Issues

- ▶ SUSY: how do we break it? Lalak
- ▶ Strongly-interacting models: how do we say anything about them? Brower
- ▶ Other simple models? Kanemura

## Issues

- ▶ SUSY: how do we break it? Lalak
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✿ Transmission of supersymmetry breakdown may easily be a mixture of many schemes - the gauge-gravity system a good example

Lalak

## Issues

- ▶ SUSY: how do we break it? Lalak
- ▶ Strongly-interacting models: how do we say anything about them? Brower
- ▶ Other simple models? Kanemura

## One of the most economical ideas for explaining electroweak scale:

The Higgs is composite (a bit like a pion).

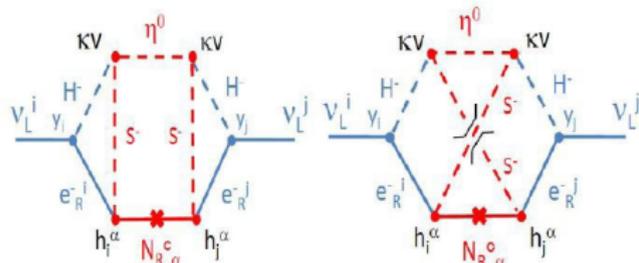
Its mass is generated by non-perturbative dynamics of a new QCD-like theory “technicolour”.

Technicolour is generally considered to be excluded (calculations assume it behaves similarly to QCD).

But suppose technicolour is only marginally similar to QCD? Will it still be excluded? Only way to tell is by lattice calculations.

[it's not irrelevant that we start, finally, to have full control of systematics in QCD lattice calculations]

# TeV origin for $\nu$ -mass, DM, baryon asym



Neutrino mass from loop effects

$$m_{ij}^\nu \sim C_{ij} \left( \frac{1}{16\pi^2} \right)^3 \frac{(\text{vev})^2}{1 \text{ TeV}}$$

$C_{ij} \sim y_i y_j$  (SM Yukawa couplings)

## Predictions in Higgs physics and DM physics

Invisible decay of SM-like  $h$

Direct search of DM

Light  $H^+$  scenario

Type-X Yukawa coupling (Leptonic Higgs)

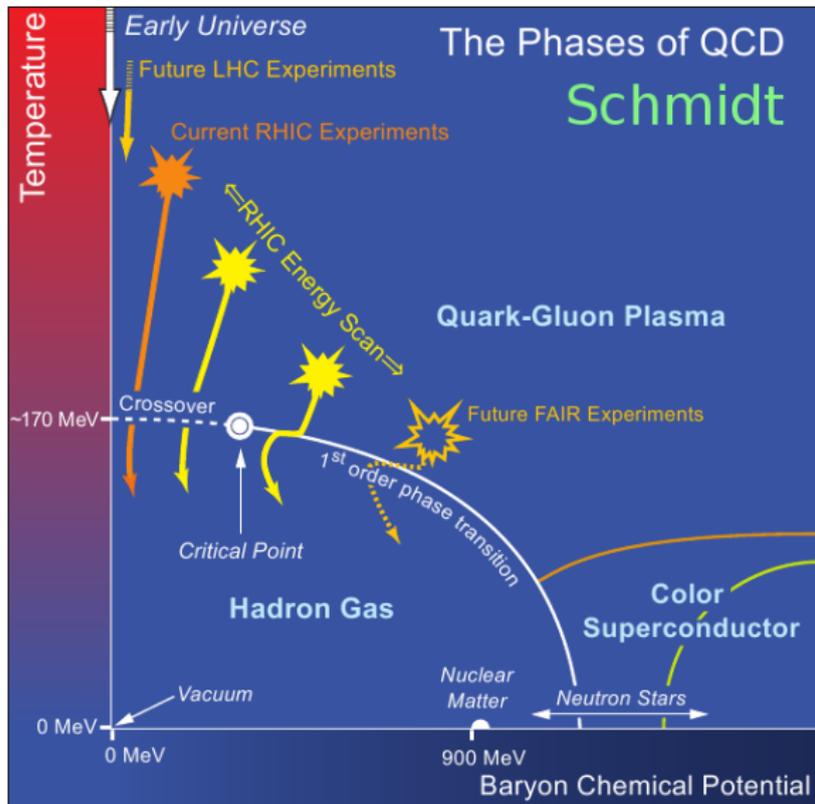
Non-decoupling property of  $S^+$

### Testable at experiments

Distinguishable from SM, MSSM, Type-II 2HDM, etc  
 by the experiment at LHC, ILC etc

## Heavy-Ion Collisions

they produce a hot dense “medium” (quark-gluon plasma)



## HIC Questions

Can we understand the “medium”?

Can we model/calculate the medium in detail?

Greiner, Schmidt [Kerbikov]

Can we learn something about it with probes that traverse it?

Ferreiro, Salgado, Zakharov

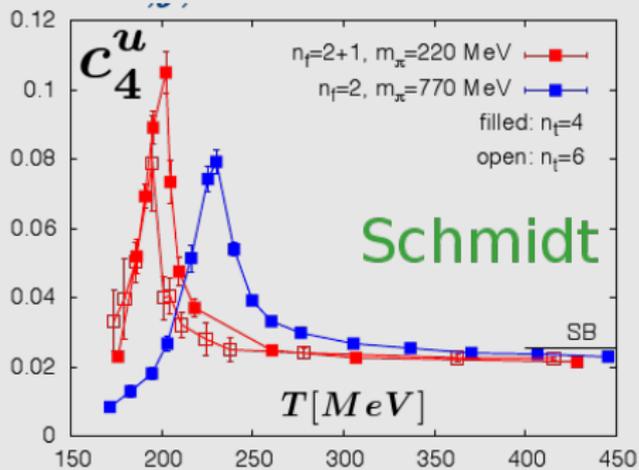
Might the medium surprise us?

Warringa

- start from Taylor expansion of the pressure,

$$\frac{p}{T^4} = \frac{1}{VT^3} \ln Z(V, T, \mu_u, \mu_d, \mu_s) = \sum_{i,j,k} c_{i,j,k}^{u,d,s} \left(\frac{\mu_u}{T}\right)^i \left(\frac{\mu_d}{T}\right)^j \left(\frac{\mu_s}{T}\right)^k$$

- calculate expansion coefficients for fixed temperature



This (with other plots), provides a “lattice” hint for the existence of a critical point.

## **BAMPS**: Boltzmann Approach of MultiParton Scatterings

Z. Xu and C. Greiner, PRC 71, 064901 (2005); 76, 024911 (2007)

A transport algorithm solving the Boltzmann-Equations for on-shell partons with pQCD interactions

$$p^\mu \partial_\mu f(x, p) = C_{gg \rightarrow gg}(x, p) + C_{gg \leftrightarrow ggg}(x, p)$$

Greiner

(Z)MPC, VNI/BMS, AMPT

new development  $ggg \rightarrow gg$ ,  
radiative „corrections“

Elastic scatterings are ineffective in thermalization !

Inelastic interactions are needed !

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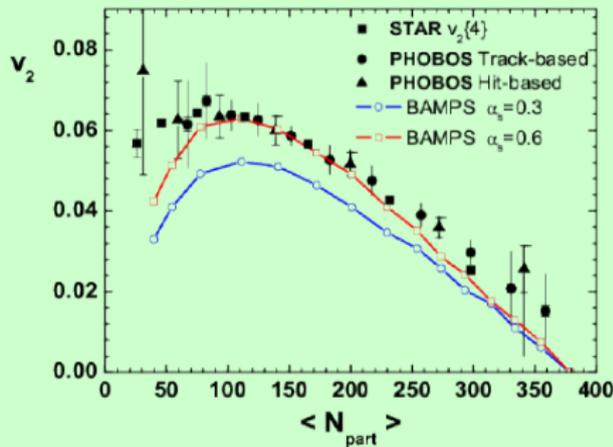
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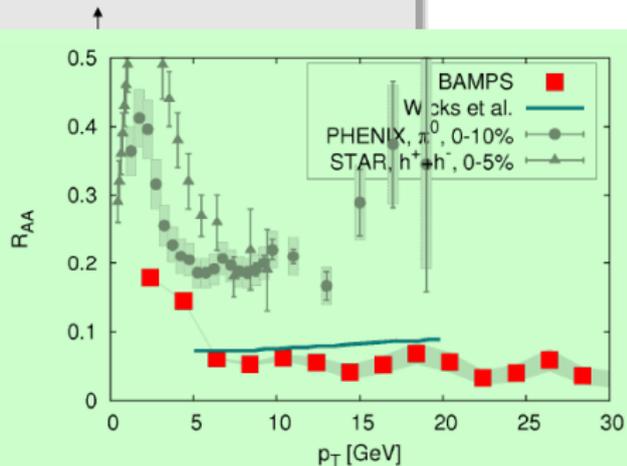
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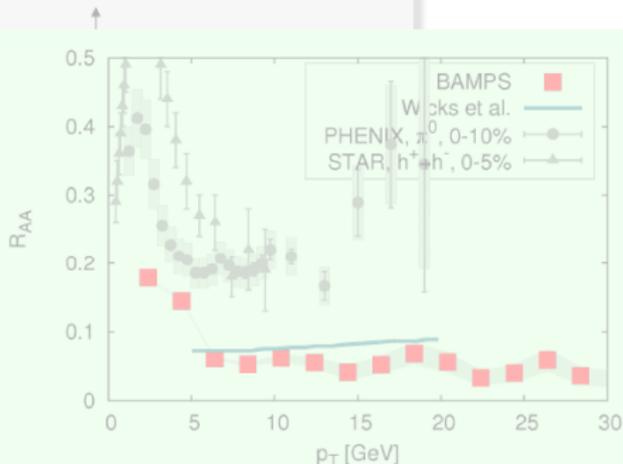
Greiner

A microscopic description can provide much insight.

Getting everything to work is non-trivial?

Is it question of “details” or something more fundamental?

Active  
ded



## Probes of the medium

Longstanding probe is  $J/\psi$  (which “melts” in hot medium)

Recent years, much work on **hard partons traversing medium**.  
Their **energy loss** gives handle on medium properties.

## Probes of the medium

Longstanding probe is  $J/\psi$  (which “melts” in hot medium)

$J/\psi$  is tricky: first understand it in cold nuclear matter

- We have studied the influence of  $J/\psi$  kinematics on shadowing effect:  
within **2 schemes**: intrinsic ( $2 \rightarrow 1$ ) and extrinsic ( $2 \rightarrow 2$ )  $p_T$   
for **different shadowings**: EKS98, EPS08, nDGg  
using **s-channel cut model** as the production model for p+p in  $2 \rightarrow 2$   
in the framework of a **Glauber MC code** **Ferreiro**

Recent years, much work on **hard partons traversing medium**.  
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## Probes of the medium

Longstanding probe is  $J/\psi$  (which “melts” in hot medium)

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### Paradigm: radiative and collisional energy loss

- ▶ What about synchrotron loss? Zakharov
- ▶ Detailed Monte Carlo for radiation energy loss Salgado

# Energy loss due to synchrotron radiation Zakharov

Without magnetic field jet quenching is dominated by the induced gluon emission due to multiple scattering on thermal partons. The collisional energy loss gives small effect

$\Delta E_{col}/\Delta E_{rad} \sim 0.2 - 0.3$ , and  $\Delta E_{col}/E \sim 0.03 - 0.05$  at  $E \lesssim 40$  GeV

Can the synchrotron radiation modify strongly the jet quenching?

$$\frac{\epsilon_{mag}}{\epsilon_{thermal}} \sim \alpha_s \left( \frac{gH}{m_D^2} \right)^2$$

This ratio is  $\sim 0.3$  if  $gH \sim m_D^2$ . Such a value of magnetic field is required by the scenario with turbulent viscosity [Asakawa, Bass, Müller (2007)] for explaining small  $\eta/s$ .

$gH \sim m_D^2$  gives  $\Delta E/E \sim 0.1 - 0.2$  at  $E \sim 10 - 20$  GeV for  $L \sim 2 - 4$  fm.

The finite-size effects become important if  $L_c \sim L$ . We have  $L_c \sim 1 - 2$  fm. The finite-size effects may suppress the energy loss by a factor  $\sim 0.5$ .

The finite coherence length of the turbulent magnetic field,  $L_m$ , suppresses the radiation as well. For the unstable magnetic field modes the wave vector  $k^2 \lesssim \xi m_D^2$  [Asakawa, Bass, Müller (2007)], we have  $L_m/L_c \gtrsim 1$ . The turbulent suppression should not be strong, and as a plausible estimate one can take the turbulent suppression factor  $\sim 0.5$ . With these suppression factors we have

$$\Delta E_{synch} \sim \Delta E_{coll}$$

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Can the synchrotron radiation modify strongly the jet quenching?

## Bottom line:

Reasonable assumptions about chromomagnetic field  $\rightarrow$

$$\Delta E_{\text{synchrotron}} \sim \Delta E_{\text{collisional}} \sim \frac{1}{4} \Delta E_{\text{radiative}}$$

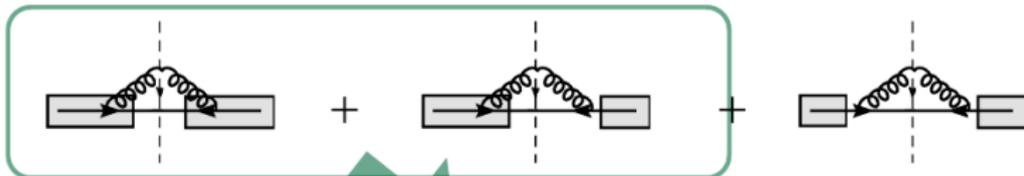
Bass, Müller (2007)], we have  $L_m/L_c \gtrsim 1$ . The turbulent suppression should not be strong, and as a plausible estimate one can take the turbulent suppression factor  $\sim 0.5$ . With these suppression factors we have

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## Medium-modified splittings

Salgado

⇒ Remember that the total gluon radiation has vacuum+medium



$$\frac{dI}{dzdk_{\perp}^2} = \frac{dI^{\text{med}}}{dzdk_{\perp}^2} + \frac{\alpha_s}{2\pi} \frac{1}{k_{\perp}^2} P(z)$$

# Radiative (medium-modified) energy loss

## Medium-modified splittings

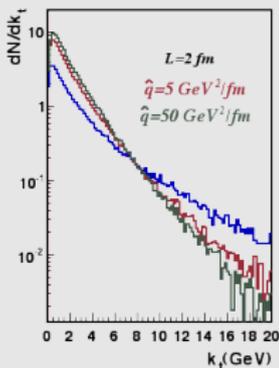
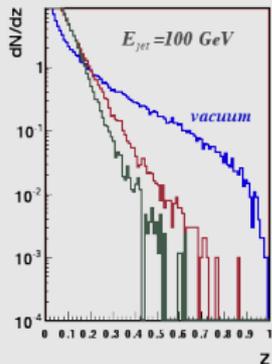
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## Results from Q-PYTHIA

### Fragmentation function



$$= \frac{\alpha_s}{2\pi} \frac{1}{k_{\perp}^2} P(z)$$

# Radiative (medium-modified) energy loss

## Medium-modified splittings

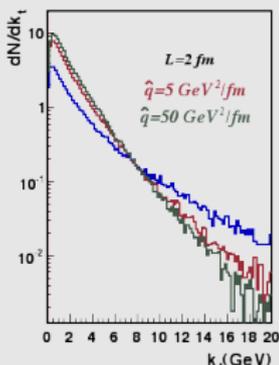
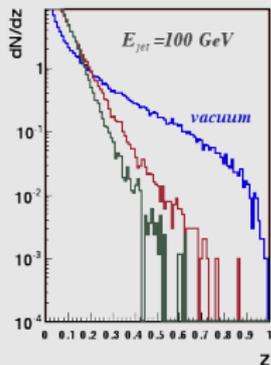
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## Results from Q-PYTHIA

### Fragmentation function



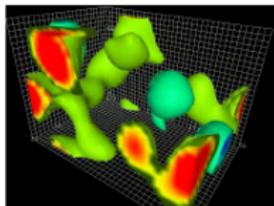
One of a handful of  
“medium-modified” Monte Carlo  
codes

**Essential** in testing ideas for  
exclusive studies in HI collisions,  
e.g. jet studies.

And for relating results to  
medium properties.

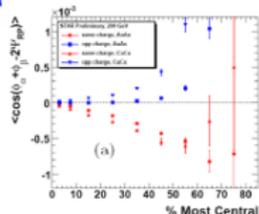
# Warringa

Or from



$$\langle Q^2 \rangle \neq 0$$

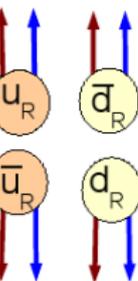
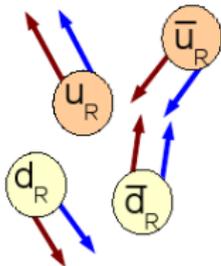
STAR



$$\langle \cos(\phi_i^\pm + \phi_j^\pm - 2\Psi_{RP}) \rangle \neq 0$$

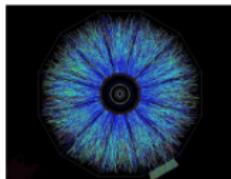
# The Chiral Magnetic Effect

If QGP  $\langle N_5^2 \rangle \neq 0$

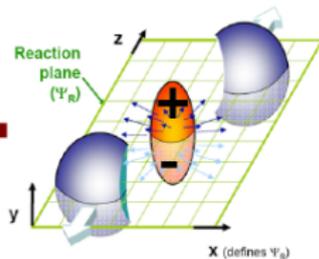


B

$$\langle J_\pm^2 \rangle \neq 0$$



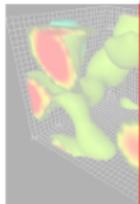
And back!



$$\langle \Delta_\pm^2 \rangle > 0, \quad \langle \Delta_+ \Delta_- \rangle < 0$$

# Warringa The Chiral Magnetic Effect

Or from

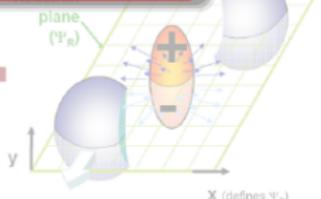
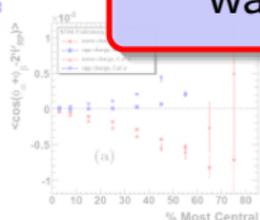


People have been discussing topological effects in SU(N) theories for a **long** time.

Assuming this stands up to scrutiny, it's a major achievement to have finally found a way of seeing them experimentally!



$\langle Q^2 \rangle$



$\langle \cos(\phi_i^\pm + \phi_j^{\pm, \mp} - 2\Psi_{RP}) \rangle \neq 0$

And back!

$\langle \Delta_\pm^2 \rangle > 0, \quad \langle \Delta_+ \Delta_- \rangle < 0$

**And as the closing talk of the workshop,  
a final thank you to the organisers!**

