

# Jets in Higgs Analysis

Conveners:

Daniele del Re (CMS), Bruce Mellado (ATLAS),  
Gavin Salam (theory) & Frank Tackmann (theory)

CERN, LPTHE/CNRS (Paris) & Princeton University

7th meeting of the LHC Higgs Cross Section WG  
CERN, 5–6 December 2012

Jets play many roles in Higgs searches:

They may come from Higgs decay ( $H \rightarrow b\bar{b}$ )

They may help distinguish different Higgs-production mechanisms  
(VBF v. gluon-fusion)

They may help distinguish signal from background,  
e.g. jet bins in  $H \rightarrow WW$  v.  $t\bar{t} \rightarrow WWb\bar{b}$

This working group's aims:

Identify where further theory progress needed on jet-related topics.  
Provide advice and/or prescriptions for uncertainties and central  
predictions, where possible

## 12 October:

<https://indico.cern.ch/conferenceDisplay.py?confId=211870>

- ▶ Presentation of experimental needs
- ▶ Analytical theory predictions for  $gg \rightarrow H$  in 0-jet, 1-jet & VBF bins

## 29 November:

<https://indico.cern.ch/conferenceDisplay.py?confId=218887>

- ▶ Predictions from latest MC tools for  $gg \rightarrow H$  with VBF-type selection

# Jet issues in Higgs physics

chaired by Daniele Del Re (Universita e INFN, Roma I (IT)), Gavin Phillip Salam (CERN), Frank Tackmann (DESY), Bruce Mellado Garcia (University of Wisconsin (US))

Friday, October 12, 2012 from 15:00 to 18:00 (Europe/Zurich)

at CERN ( 4-3-006 - TH Conference Room )

**Video Services** EVO Meeting Fri 12/10 from 14:30 to 19:00 ; Phone Bridge ID:5934100, [More Info](#)

Friday, October 12, 2012

- 15:00 - 15:15 CMS Report 15'  
Speaker: Pasquale Musella (CERN)  
Material: [Slides](#) 
- 15:25 - 15:40 ATLAS Report 15'  
Speaker: Elisabetta Pianori (University of Warwick (UK))  
Material: [Slides](#) 
- 15:50 - 16:05 Theory uncertainties in Higgs+2 jets 15'  
Speaker: Shireen Gangal  
Material: [Slides](#) 
- 16:15 - 16:35 Discussion on key questions/needs re Higgs+2jets to the MC subgroup 20'
- 16:35 - 16:50 Resummation for jet-veto in Higgs + 0 jets 15'  
Speaker: Pier Francesco Monni (ITP, UZH Zuerich)  
Material: [Slides](#) 
- 17:00 - 17:15 Resummation for jet-veto in Higgs + 0 jets 15'  
Speaker: Thomas Becher (University of Bern)  
Material: [Slides](#) 
- 17:25 - 17:40 Resummation for jet-veto in Higgs + 1 jet 15'  
Speaker: Liu Xiaohui  
Material: [Slides](#) 

# Jet issues in Higgs physics

chaired by Daniele Del Re (Universita e INFN, Roma I (IT)), Gavin Phillip Salam (CERN), Frank Tackmann (DESY), Bruce Mellado Garcia (University of Wisconsin (US))





Thursday, 29 November 2012 from 09:00 to 13:00 (Europe/Zurich)

at CERN ( 40-R-D10 )

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Thursday, 29 November 2012

- |               |   |   |
|---------------|---|---|
| 09:00 - 09:30 | H+njets with HEJ 30'<br>Speaker: Jeppe Rosenkrantz Andersen (IPPP, University of Durham (UK))<br>Material: <a href="#">Slides</a>  | ▾ |
| 09:30 - 10:00 | H+njets with MINLO 30'<br>Speaker: Paolo Nason<br>Material: <a href="#">Slides</a>   | ▾ |
| 10:00 - 10:30 | H+njets with aMC@NLO 30'<br>Speaker: Stefano Frixione (CERN)<br>Material: <a href="#">Slides</a>                                   | ▾ |
| 10:30 - 11:00 | H+njets with Sherpa 30'<br>Speaker: Marek Schoenherr (University of Durham)<br>Material: <a href="#">Slides</a>                    | ▾ |

# Experimental cuts

$H \rightarrow WW$	ATLAS	CMS
2 jets	none	two jets $p_T > 30$ GeV and $ \eta  < 4.7$ $\Delta\eta_{jj} > 3.5$ , $m_{jj} > 500$ GeV, central-jet veto (CJV) of 30 GeV anti b tagging
1 jet	1 jet with $p_T > 25(30)$ GeV for $ \eta  < 2.5$ ( $2.5 <  \eta  < 4.5$ ) anti b tagging	one jet with $p_T > 30$ GeV and $ \eta  < 4.7$ anti b tagging
0 jet	no jet with $p_T > 25(30)$ GeV for $ \eta  < 2.5$ ( $2.5 <  \eta  < 4.5$ )	no jet with $p_T > 30$ GeV and $ \eta  < 4.7$ anti b tagging

$H \rightarrow \tau\tau$	ATLAS		CMS	
2 jet	one jet with $p_T > 40$ GeV	<b>VBF:</b> $p_{Tjet2} > 25$ GeV, $\Delta\eta_{jj} > 3$ , $m_{jj} > 400$ GeV, anti-b tag	2 jets $p_T > 30$ GeV and $ \eta  < 4.7$	<b>leptonic:</b> $\Delta\eta_{jj} > 3.5$ , $m_{jj} > 500$ GeV, CJV (30 GeV)
		<b>VH:</b> $30\text{GeV} < m_{jj} < 160\text{GeV}$ , $p_{Tjet2} > 25\text{GeV}$ , $\Delta\eta_{jj} < 2$ , anti-btag (+ boosted sel veto)		<b>hadronic:</b> $\Delta\eta_{jj} > 2.5$ , $m_{jj} > 250$ GeV, $p_{TH} > 110$ GeV
1 jets	one jet with $p_T > 40$ GeV	<b>boosted:</b> $p_{T\tau\tau} > 100$ GeV (+ VBF sel veto)		<b>leptonic:</b> one jet with $p_T > 30\text{GeV}$ , $ \eta  < 4.7$ and anti-b tag
		<b>1-jet:</b> veto of the other three, $m_{\tau\tau j} > 225$ GeV		<b>hadronic:</b> one jet with $p_T > 30\text{GeV}$ , $ \eta  < 4.7$ and anti-b tag + $p_{TH} > 140$ GeV
0 jet	none			no jet with $p_T > 30\text{GeV}$ , $ \eta  < 4.7$ used only for normalization purposes



$H \rightarrow \gamma\gamma$	ATLAS	CMS	
2 jets	two jets, $p_{Tjet} > 25$ GeV, $\Delta\eta > 2.8$ , $m_{jj} > 400$ GeV, $\Delta\phi_{2j,2\gamma} > 2.6$	$\Delta\eta > 3$ , $\Delta\phi_{2j,2\gamma} > 2.6$ , $Z < 2.5$ (*)	<b>tight:</b> $pt_{jet1,2} > 30$ GeV, $m_{jj} > 500$ GeV <b>loose:</b> not tight + $pt_{jet1} > 30$ GeV, $pt_{jet2} > 20$ GeV, $m_{jj} > 250$ GeV
everything else	veto on 2jets + categories based on photon kinematics and properties		

(\*)  $Z$  = the difference between the average pseudorapidity of the two jets and the pseudorapidity of the diphoton system is required to be less than 2.5

NB:  $\Delta\phi_{2j,2\gamma}$  cut acts a bit like a jet veto

# Theory for 0-jet bin

important for  $gg \rightarrow H \rightarrow WW$

- ▶ 0-jet requirement suppresses  $t\bar{t} \rightarrow WWb\bar{b}$  bkgd by  $\sim$  factor 100
- ▶ To extract couplings, must know fraction of  $gg \rightarrow H$  that survives veto  
i.e. has no significant ISR radiation
- ▶ But jet veto scale  $\sim 25 - 30 \text{ GeV} \ll m_H \rightarrow$  large logarithms

$$1 - 6 \frac{\alpha_s}{\pi} \ln^2 M_H / p_{t,\text{veto}} + \dots$$

cause problems for fixed-order perturbation theory

# What are genuine uncertainties in fixed-order calculations?

Total cross section series:  $\sigma_{\text{tot}} \simeq \sigma_{\text{LO}}(1 + 10\alpha_s + 36\alpha_s^2 + \dots)$

Vetoed cross section series:  $\sigma_{\text{veto}} \simeq \sigma_{\text{LO}}(1 + 4\alpha_s + 8\alpha_s^2 + \dots)$

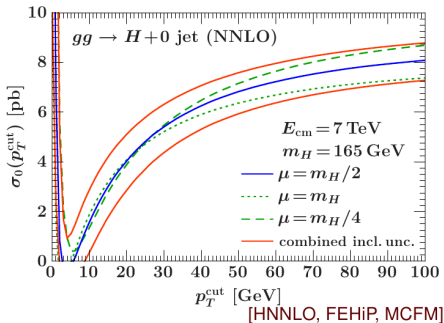
Better-looking perturbative series gives spuriously low scale uncertainties

Stewart–Tackmann '11: write  $\sigma_{\text{veto@NNLO}} = \sigma_{\text{tot@NNLO}} - \sigma_{1\text{-jet@NLO}}$

Treat uncertainties in total and 1-jet as uncorrelated.

New procedure. Worthwhile cross-checking with other procedures.

## Higgs + 0 Jets



Stewart & Tackmann '11

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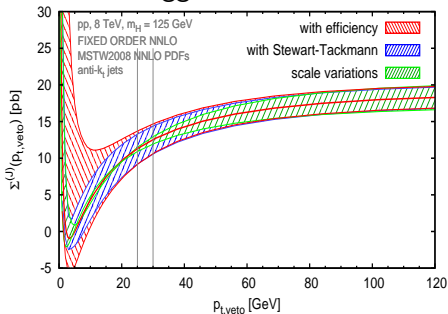
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## Higgs + 0 Jets



Alternative view: two physical effects

- ▶ large  $K$ -factor in  $\sigma_{\text{tot}}$
- ▶ Sudakov suppression (veto efficiency =  $\epsilon = \sigma_{\text{veto}}/\sigma_{\text{tot}}$ )

Treat veto efficiency and total cross-section uncertainties as uncorrelated.

YR2 Stewart & Tackmann

Banfi et al '12

Part of issue with jet veto is large logarithms at all orders:

$$\alpha_s^n \ln^{2n} \frac{m_H}{p_{t,\text{veto}}}$$

NLL resummation is remarkably simple: pure Sudakov form factor (no jets = no radiation)

$$\text{veto efficiency } \epsilon(p_t) = \exp \left[ \underbrace{L g_1(\alpha_s L)}_{\text{LL}} + \underbrace{g_2(\alpha_s L)}_{\text{NLL}} + \dots \right] \quad L \equiv \ln \frac{m_H}{p_t}$$

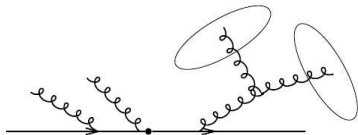
resummation functions  $g_1$  and  $g_2 \equiv$   
those inside Fourier Transform of Higgs  $p_t$  resum<sup>n</sup>  
Banfi, GPS & Zanderighi '12

Essentially known since "CAESAR" automated resummation work '03

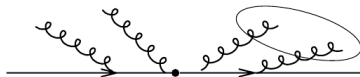
# Resumming jet veto at NNLL

Story is almost the same at NNLL, i.e. pure Sudakov, plus quasi fixed-order correction

any number of emissions plus  
**1 gluon splits into two jets**



any number of emissions plus  
**2 gluons clustered into one jet**



$$\left( 1 + \underbrace{f(R)\alpha_s^2(p_{t,\text{veto}})L}_{\text{NNLL}} \right) e^{\left[ \underbrace{Lg_1(\alpha_s L)}_{\text{LL}} + \underbrace{g_2(\alpha_s L)}_{\text{NLL}} + \underbrace{g_3(\alpha_s L)}_{\text{NNLL}} + \dots \right]}$$

4 articles on the subject:

Banfi, GPS & Zanderighi, arXiv:1203.5773; + Monni, arXiv:1206.4998

Becher & Neubert, arXiv:1205.3806

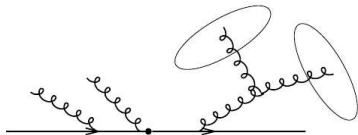
Tackmann, Walsh & Zuberi, arXiv:1206.4312

[Results build on Higgs  $p_t$  resum<sup>n</sup> of Bozzi et al '03-, Becher & Neubert '10]

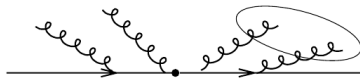
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$$\left(\frac{M_H}{p_t}\right)^{f(R)\alpha_s^2(p_{t,\text{veto}})} e^{\left[ \underbrace{Lg_1(\alpha_s L)}_{\text{LL}} + \underbrace{g_2(\alpha_s L)}_{\text{NLL}} + \underbrace{g_3(\alpha_s L)}_{\text{NNLL}} + \dots \right]}$$

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[Results build on Higgs  $p_t$  resum<sup>n</sup> of Bozzi et al '03-, Becher & Neubert '10]

### Current situation:

The 3 groups agree on the NNLL result

BN argue for an all-orders factorization formula ( $\simeq$  recipe beyond NNLL)

TWZ argue there are still issues there

One group (BMSZ) has published full NNLL+NNLO numerical predictions.

Two groups (BN+Rothen, TWZ+Stewart) have prelim. numerics

[BN numerics shown at last meeting differ from NNLL by constant]

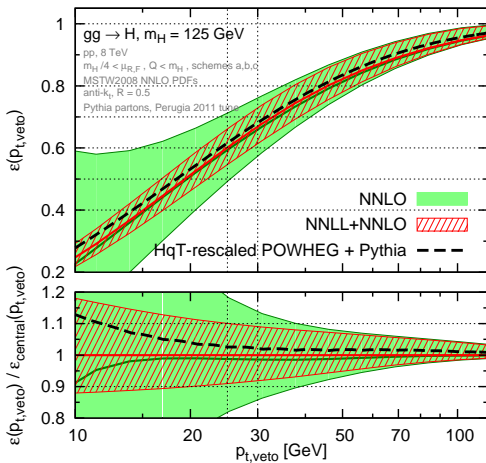
### Plan for YR3:

Document the degree of agreement between the groups

Maybe compare final numerical results



# Jet veto efficiency NNLL+NNLO results (BMSZ)



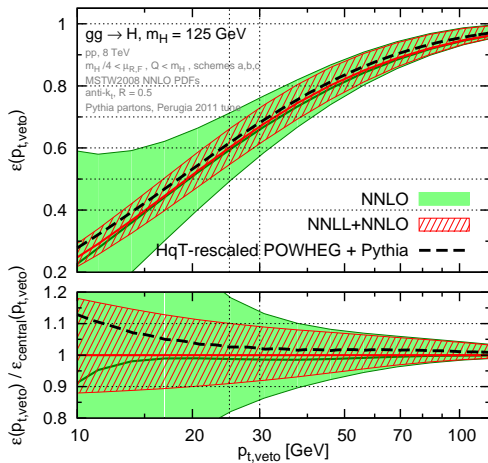
NNLL+NNLO compared to  
 NNLO and POWHEG+Pythia  
 (latter tuned/reweighted to HqT)  
 good agreement!

NNLL reduces uncertainties from  
 $\sim 15\% \rightarrow \sim 9\%$

[0-jet /  $\geq 1$ -jet correlations  
 available too]

public code at  
<http://jetvheto.hepforge.org>

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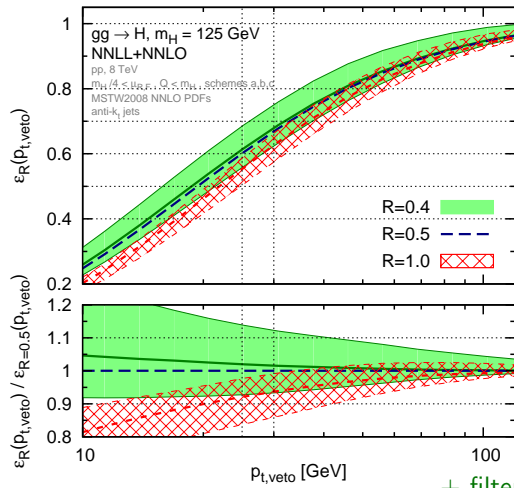
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## Interim prescription:

- ▶ Use these NNLL+NNLO uncertainties in WW 0-jet
- ▶ Check central values  $\simeq$  your MC

# Open question: is jet radius $R \sim 0.4$ too small?



There are all-order terms like  $\alpha_s^{n+1} L \ln^n \frac{1}{R}$ .

If  $R$  is too small these become large.

In practice, choosing  $R \sim 1$  reduces uncertainties

Should we resum  $\ln R$  terms?  
 Tackmann, Walsh & Zuberi '12

Should experiments switch to larger  $R$  for utmost accuracy?

+ filtering to control UE/pileup dependence

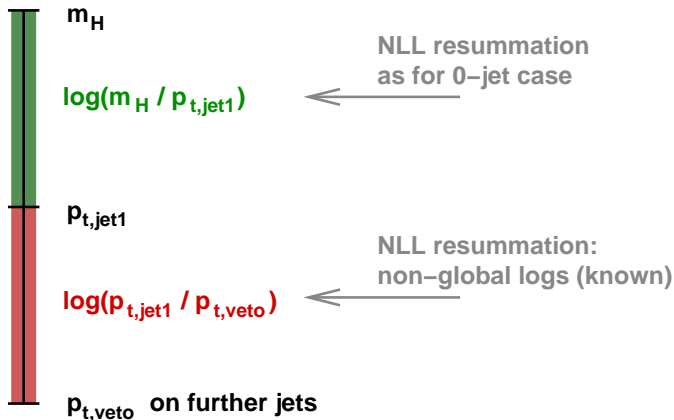
# Theory of (exactly) 1-jet bin

[for WW channel;  $\tau\tau$  more complex?]

# NLL is within straightforward reach for (exclusive) 1-jet bin

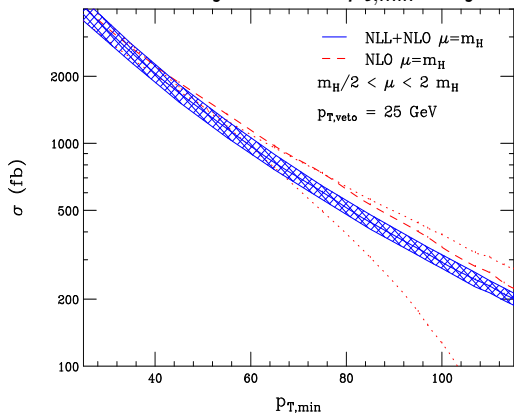
“straightforward” means no conceptual issues or new ingredients;  
assembling known ingredients correctly still involves hard work  
Is  $m_H/p_{t,\text{veto}}$  large enough to warrant resumming two sets of logs?

scales for  
1-jet bin



Liu & Petriello '12

exclusive 1-jet rate v.  $p_{t,min}$  for jet 1



- ▶ “Resum logarithms  
 $\ln Q/p_{t,veto} [\dots]$  where  
 $Q \sim m_H \sim p_{t,jet}$ ”

- ▶ minimal “NLL $_{\Sigma}$ ” rather full NLL

$$\alpha_s^n L^{2n} + \alpha_s^n L^{2n-1} \text{ instead of } \exp(\alpha_s^n L^{n+1} + \alpha_s^n L^n)$$

no non-global logs

e.g. full NNLL+NNLO  
 $\sim N^4 \text{LL}_{\Sigma}$

- ▶ A step towards full understanding of 1-jet bin

gluon fusion (ggF) as  
“background” to  
VBF 2-jet selection

# The Contamination of ggF in VBF (ATLAS)

- **Current event selection applies moderate cuts on topological variables. Unlikely that cuts will become much tighter because of loss of signal rate**
- **Typical contamination from ggF+2j is ~30%**
  - **Contamination gets reduced to about 25% with CJV**
- **Theory error/systematics on ggF+2j large now:**

Source	Error (%)
QCD scale uncertainty	25 (30 with cjv)
Underlying event	30
JES	19

**Leading total systematic of ~45% on ggF+2j → 13% on the extraction of VBF signal (leading systematic)**



# Many recent new MC tools to address this

described by Stefano Frixione in his review

The jets group very recently “commissioned” a comparison of them → understanding the ggF contamination to VBF.

- ▶ **aMC@NLO** with Frederix-Frixione (“**FxFx**”) merging of H+0/1/2-jet NLO+shower samples. Interfaced with Herwig 6.5
- ▶ **Sherpa** with their merging of H+0/1-jet NLO+shower samples plus H+(2/3)-jet LO+shower samples Interfaced with Sherpa shower
- ▶ **MINLO/POWHEG**: either H+0, H+1 or H+2-jet NLO+shower samples. Interfaced with Pythia 6.4 ( $p_t$ -ordered), Perugia 0 tune
- ▶ **HEJ**: high-energy (large-rapidity) approximation for multiple gluon emissions and virtual corrections + exact H+2/3 ME

Most of these tools are fresh off the press

Comparison studies done in a short amount of time

Take following slides as indicative of work in progress rather than final word

## Simulation & cuts:

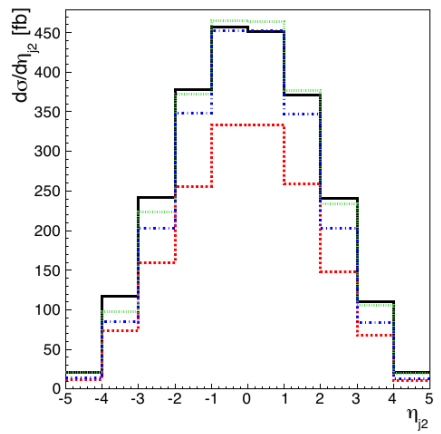
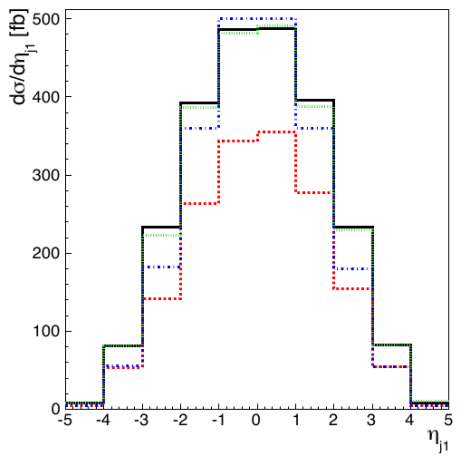
- ▶ 8 TeV pp collisions, Higgs production by gluon fusion
- ▶ Jet-finding with anti- $k_t$ ,  $R = 0.4$
- ▶ At least two jets with  $|\eta_j| < 5$ ,  $p_{tj} > 25$  GeV
- ▶ VBF cuts:  $\Delta y_{jj} > 2.8$ ,  $m_{jj} > 400$  GeV, tagging jets defined as two highest  $p_t$  jets; 3rd jet considered if  $p_{tj} > 20$  GeV.

## Histograms:

1.  $p_{tj1}$ : 25 ... 200 GeV, 25 GeV steps
2.  $p_{tj2}$ : 25 ... 150 GeV 25 GeV steps
3.  $y_{j1}$ : -5 ... 5 in steps of 1
4.  $y_{j2}$ : -5 ... 5 in steps of 1
5.  $|\Delta y_{jj}|$ : 0 ... 8, in steps of 1
6.  $m_{jj}$ : 0 ... 800 GeV, 40 GeV steps
7.  $\Delta\phi_{jj}$ : 0 ...  $\pi$ , 10 bins
8.  $p_{tj3}$ : 20 ... 100, 10 GeV steps
9.  $y_{j3}$ : -5 ... 5, steps of 1
- [ 10.  $\Delta\phi_{jj,\gamma\gamma}$  ]

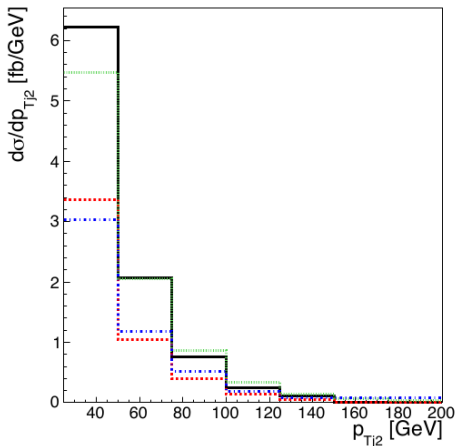
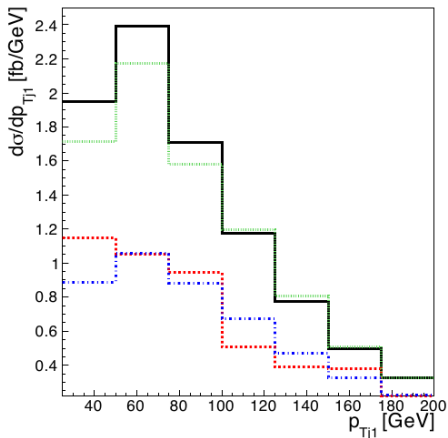
Comparison plots: Sherpa (20 GeV matching); MC@NLO (30 GeV matching); MINLO: Hjj sample; all at parton level, without MPI (UE)

Distributions of ggF+2j **BEFORE**  
VBF topological cuts



**MINLO, Sherpa & HEJ all agree at central jet rapidities;  
aMC@NLO 25-30% lower**

Distributions of ggF+2j **AFTER** VBF  
topological cuts

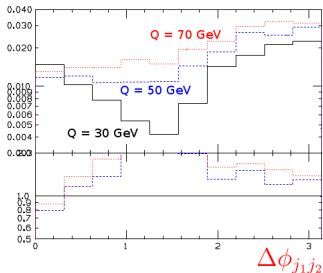


factor 2 difference between aMC@NLO and Sherpa/MINLO, smaller differences between MINLO, Sherpa

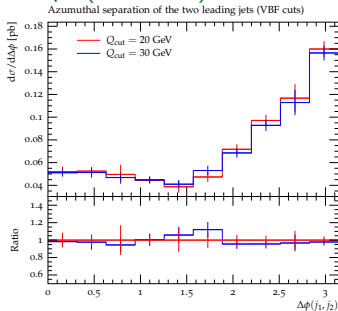
recall Sherpa is H+2@LO, aMC@NLO & MINLO are H+2@NLO

# Dependence on matching scale or sample choice

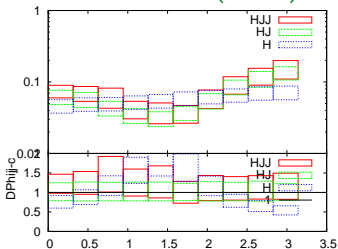
## aMC@NLO+FxFx (Frixione)



## Sherpa (Schönherr)



## POWHEG+MINLO (Nason)



# Differences easily summarised in cross-sections

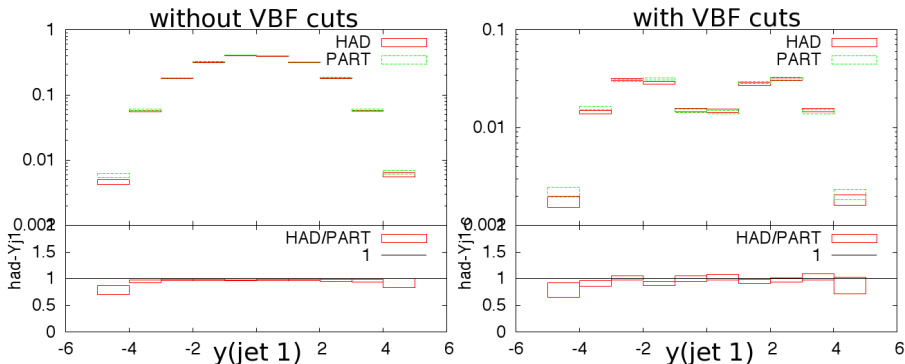
	$\sigma_{\text{tot}}$	$\sigma_{2\text{-jets}}$	$\sigma_{\text{VBF cuts}}$
aMC@NLO FxFx ( $m_Q = 30$ GeV)	13.9 pb	1.65 pb	0.125 pb
Sherpa ( $Q_{\text{cut}} = 20$ GeV)	15.2 pb	2.38 pb	0.225 pb
MINLO Hjj	17.8 pb	2.39 pb	0.234 pb
HEJ	—	2.20 pb	0.127 pb

The various differences need understanding

Study needs supplementing with pure NLO H+2 results (e.g. MCFM)  
Probably worth examining change of shower in aMC@NLO and MINLO

# Impact of UE — is it really 30%?

## Impact of UE and hadronisation in MINLO + Pythia



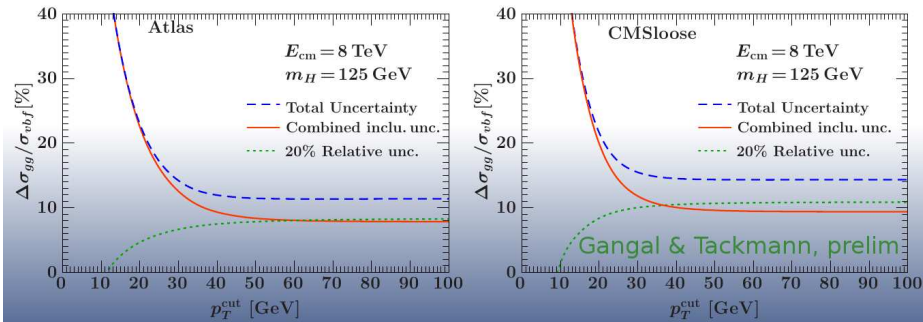
my quick & dirty study: Pythia, scaled to NNLO  $\sigma_{\text{tot}}$ , VBF cuts  $\rightarrow$  UE  $\lesssim$  10%

	partons, no UE	hadrons, no UE	hadrons + UE
Py 6 DW (virt. ord. shower)	0.259 pb	0.243 pb	0.259 pb
Py 6 P2011 ( $p_t$ ord. shower)	0.300 pb	0.292 pb	0.318 pb
Py 8 4C ( $p_t$ ord. shower)	0.320 pb	0.310 pb	0.330 pb

# Does a 3rd-jet veto help disentangle VBF and gluon-fusion?

Normal wisdom says use of a jet veto reduces gluon-fusion “background”.

But (at least in fixed order), it may increase uncertainty on how much gluon-fusion you have.



Preliminary conclusion shown by Gangal & Tackmann:

in fixed-order calculations, a 3rd (central?) jet veto does not help.

Consequence of ST procedure: uncertainty never lower than for inclusive selection

Related dijet resummations: Forshaw, Seymour & collaborators



Some analyses make use of Multi Variate Analyses (MVAs)  
How do we treat theory uncertainties in those cases?

To help make progress with this kind of question:

Can you identify what the MVA is doing?

E.g. show main kinematic distributions after MVA cuts (e.g.  $\Delta\phi_{\gamma\gamma,jj}$ ),  
so that it is clear which regions are being affected.

Can MVA be forbidden from going into poorly controlled regions?

[Bernlochner, Gangal, Gillberg & Tackmann]

Significant theory progress on 0-jet bin;  
Different groups converging in their understanding  
Ideally have statement of where we agree in YR3

First developments on the 1-jet bin

Gluon-fusion contamination of VBF is still an open subject,  
comparisons ongoing

**A big thanks to all the participants (and my co-conveners),  
who have contributed figures, numbers, slides, comments!**

# EXTRAS

## ATLAS

- ▶ 0 jet and 1 jet category based on Jets reconstructed with the anti- $k_t$  algorithm,  $R = 0.4$ . Jet  $p_T > 25(30)$  GeV for  $|\eta| < 2.5$  ( $2.5 < |\eta| < 4.5$ ).
- ▶ For 1-jet category, anti-b tagging applied.
- ▶ no 2-jet category any more

## CMS

- ▶ Jets reconstructed with the anti- $k_T$  algorithm,  $R = 0.5$ . Jet  $p_T > 30$  GeV,  $|\eta| < 4.7$
- ▶ 0-jet and 1-jet according to above
- ▶ 2-jets:  $\Delta\eta > 3.5$ ,  $m_{jj} > 500$  GeV, central-jet veto (CJV) of 30 GeV

ATLAS — 4 categories: VBF, boosted, VH, 1-jet

- ▶ for all, at least one jet with  $p_t > 40$  GeV
- 1 VBF:  $p_{t,jet2} > 25$  GeV,  $\Delta\eta_{jj} > 3$ ,  $m_{jj} > 400$  GeV, anti-b tag
- 2 boosted:  $p_{T,\tau\tau} > 100$  GeV (+ VBF sel veto)
- 3 VH:  $30 \text{ GeV} < m_{jj} < 160$  GeV,  $p_{t,jet2} > 25$  GeV,  $\Delta\eta_{jj} < 2$ , anti-b tag (+ boosted sel veto)
- 4 1-jet: veto of the other three,  $m_{\tau\tau j} > 225$  GeV

CMS — jets defined as  $p_T > 30$  GeV,  $|\eta| < 4.7$

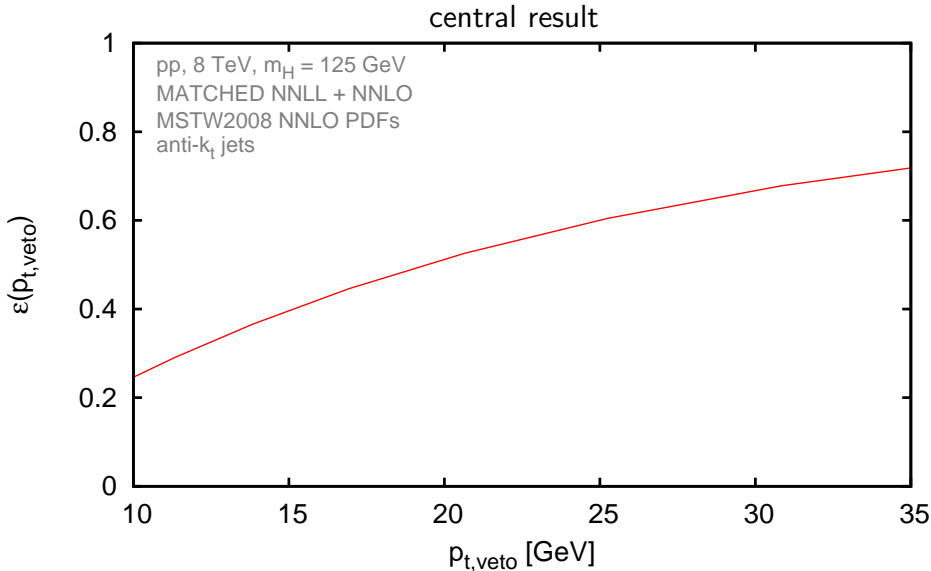
- ▶ leptonic 0 & 1-jet: anti-b tag for 1-jet; 0-jet used just for normalisation
- ▶ hadronic 1-jet: as above +  $p_{TH} > 140$  GeV
- ▶ leptonic 2-jet:  $\Delta\eta > 3.5$ ,  $m_{jj} > 500$  GeV, CJV (30 GeV)
- ▶ hadronic 2-jet:  $\Delta\eta > 2.5$ ,  $m_{jj} > 250$  GeV,  $p_{TH} > 110$  GeV

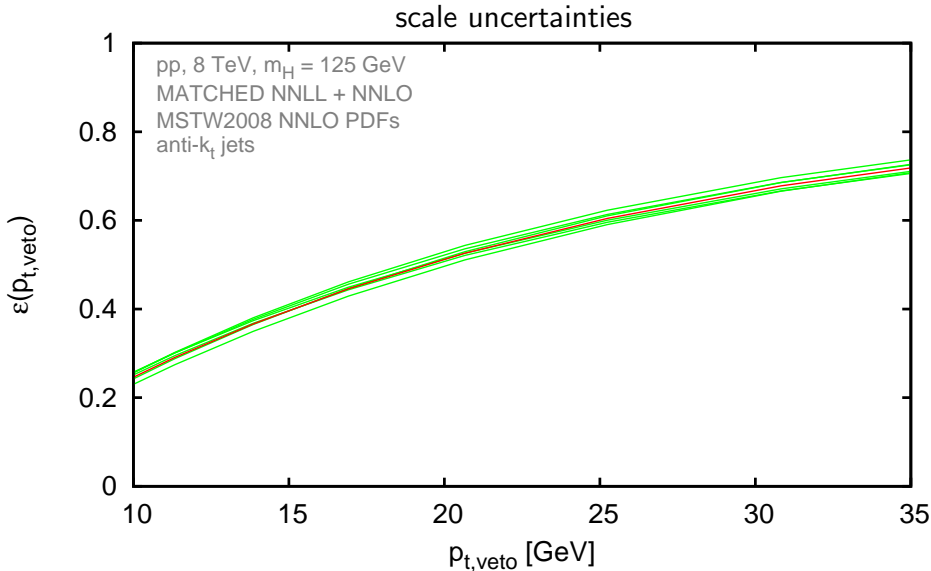
## ATLAS

- ▶ VBF: two jets,  $p_{t,\text{jet}} > 25 \text{ GeV}$ ,  $\Delta\eta > 2.8$ ,  $m_{jj} > 400 \text{ GeV}$ ,  $\Delta\phi_{2j,2\gamma} > 2.6$   
NB:  $\Delta\phi_{2j,2\gamma}$  cut a bit like a 3rd jet veto

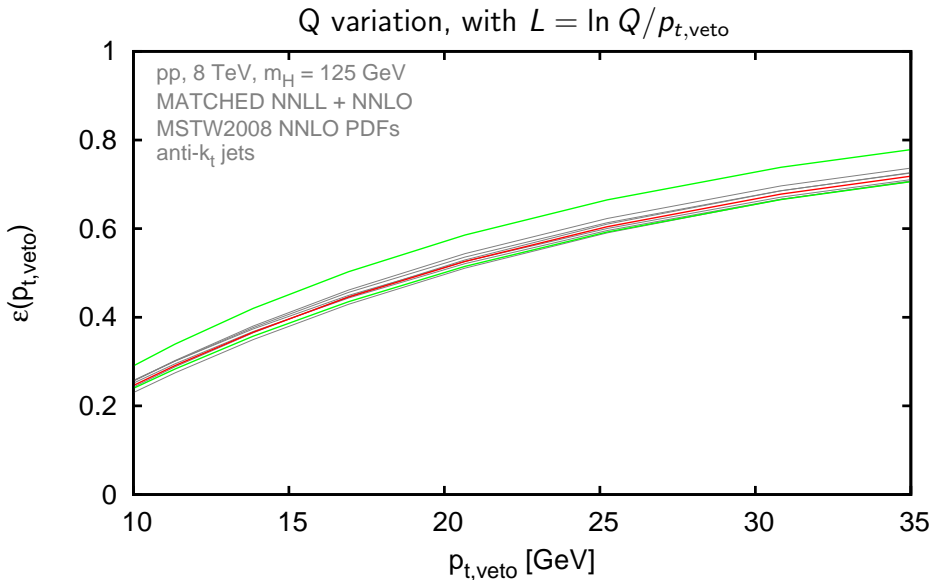
## CMS — 2 categories in 2-jet bin

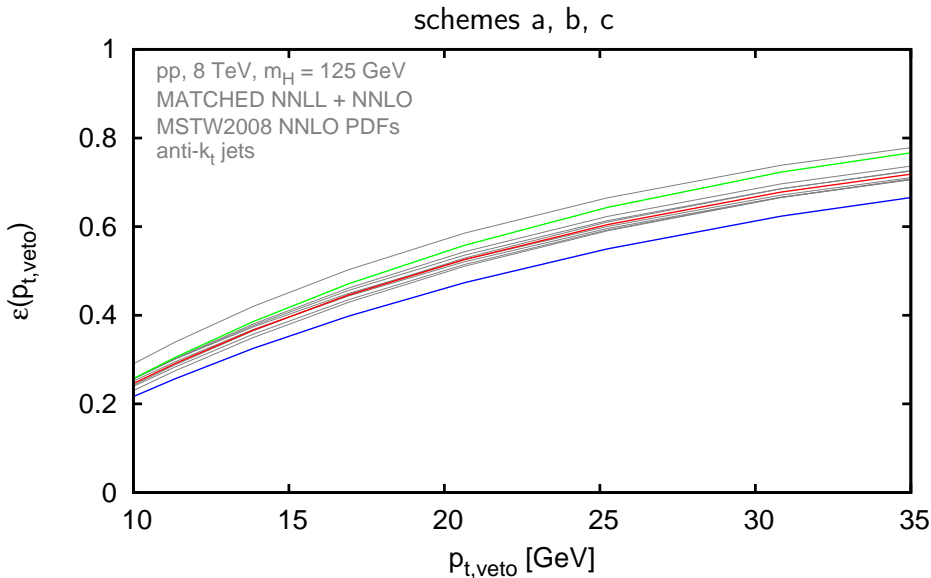
- ▶ tight:  $p_{t,\text{jet } 1,2} > 30 \text{ GeV}$ ,  $m_{jj} > 500 \text{ GeV}$ ,  $\Delta\eta > 3$
- ▶ loose: not tight +  $p_{t,\text{jet } 1} > 30 \text{ GeV}$ ,  $p_{t,\text{jet } 2} > 20 \text{ GeV}$ ,  $m_{jj} > 250 \text{ GeV}$ ,  $\Delta\eta > 3$
- ▶ for both:  $\Delta\phi_{2j,2\gamma} > 2.6$ , the difference between the average pseudorapidity of the two jets and the pseudorapidity of the diphoton system is required to be less than 2.5

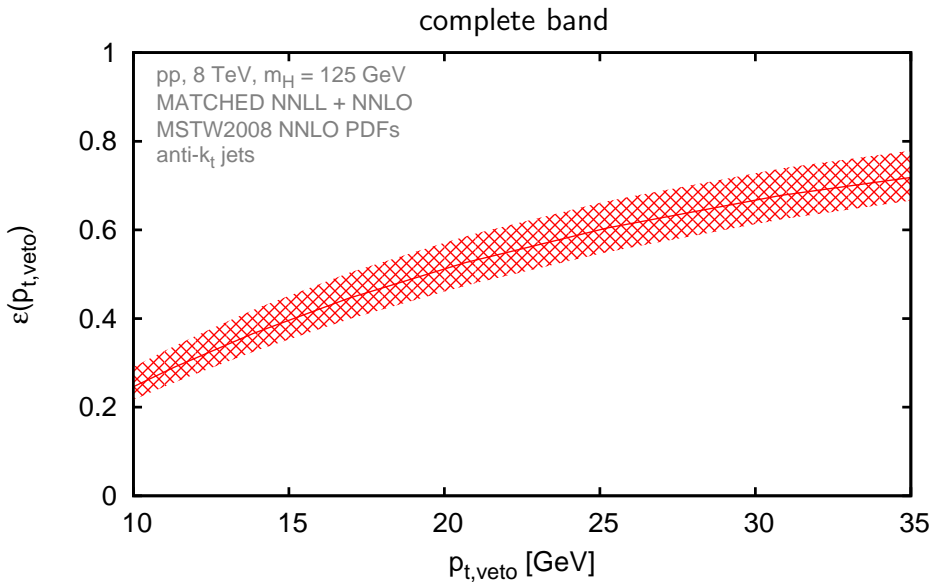












There are two widely-used definitions of “NLL”, “NNLL”, etc.:

[+ minor variants; no good naming convention]

▶ “minimal” :  $\Sigma = \sum_n \underbrace{\alpha_s^n L^{2n}}_{\text{LL}_\Sigma} + \underbrace{\alpha_s^n L^{2n-1}}_{\text{NLL}_\Sigma} + \underbrace{\alpha_s^n L^{2n-2}}_{\text{NNLL}_\Sigma} + \dots$

for  $L \sim 1/\sqrt{\alpha_s}$ ,  $\text{N}^p\text{LL}_\Sigma$  uncertainty is  $\mathcal{O}(\alpha_s^{(p+1)/2})$

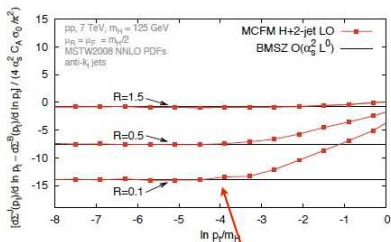
▶ “full”:  $\Sigma = \exp \left[ \sum_n \underbrace{\alpha_s^n L^{n+1}}_{\text{LL}} + \underbrace{\alpha_s^n L^n}_{\text{NLL}} + \underbrace{\alpha_s^n L^{n-1}}_{\text{NNLL}} + \dots \right]$

for  $L \sim 1/\alpha_s$ ,  $\text{N}^p\text{LL}$  uncertainty is  $\mathcal{O}(\alpha_s^p)$

As an example, “full” NNLL (+ NNLO)  $\sim$  “minimal”  $\text{N}^4\text{LL}_\Sigma$

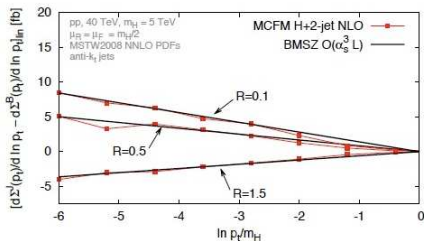
# Check against MCFM

[Campbell, Ellis, Williams '10]



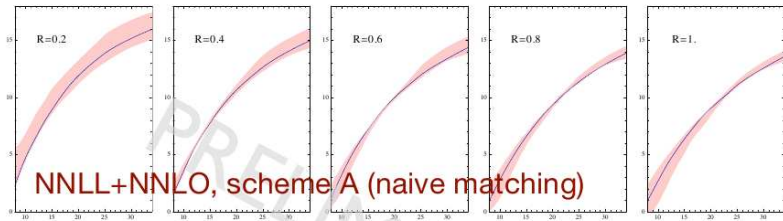
- Difference between log-distributions in  $p_{t,\text{Higgs}}$  and  $p_{t,\text{veto}}$  at order  $\mathcal{O}(\alpha_s^2)$  against MCFM's H+2j@LO

$$\Delta \left( \frac{d\Sigma_2(p_t)}{d \ln p_t} \right) \sim \alpha_s^2 L^0$$

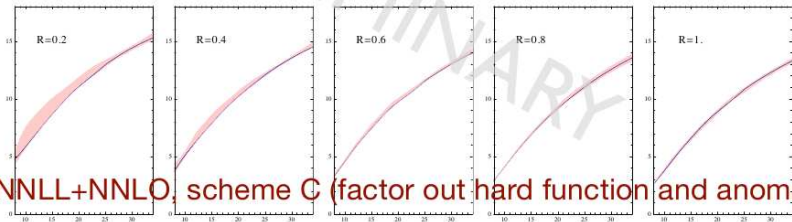


- Difference between log-distributions in  $p_{t,\text{Higgs}}$  and  $p_{t,\text{veto}}$  at order  $\mathcal{O}(\alpha_s^3)$  against MCFM's H+2j@NLO

$$\Delta \left( \frac{d\Sigma_3(p_t)}{d \ln p_t} \right) \sim \alpha_s^3 L^2 + \alpha_s^3 L + \alpha_s^3 L^0$$



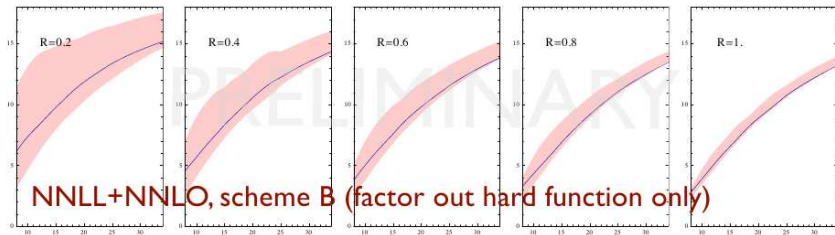
NNLL+NNLO, scheme A (naive matching)



NNLL+NNLO, scheme C (factor out hard function and anomaly)

- Small scale dependence in A, very small scale uncertainty in scheme C
- Cancellation of scale dependence between resummed result and matching correction.

Becher



- Large scale uncertainty at small  $R$ , in contrast to the other schemes.
- Given the differences among schemes, it is not straightforward to assign theoretical uncertainty at low  $R$

Becher

with VBF cuts:

$$\sigma = .225^{+0.074}_{-0.055}(\mu_{R/F})^{+0.010}_{-0.005}(\mu_Q)^{+0.003}_{-0.009}(Q_{\text{cut}})^{+0.000}_{-0.013}(N_{\text{max}}) \pm 0.004(\text{stats}) pb$$