

Modification of jet structure in nuclear collisions: theory overview (& pp perspective)

*Gavin P. Salam, CERN**

**on leave from CNRS and University of Oxford*



THE 27TH INTERNATIONAL CONFERENCE ON ULTRARELATIVISTIC NUCLEUS-NUCLEUS COLLISIONS
VENEZIA, ITALY 13-19 MAY 2018



August, 1982

Energy Loss of Energetic Partons in Quark-Gluon Plasma:
Possible Extinction of High p_T Jets in Hadron-Hadron Collisions.

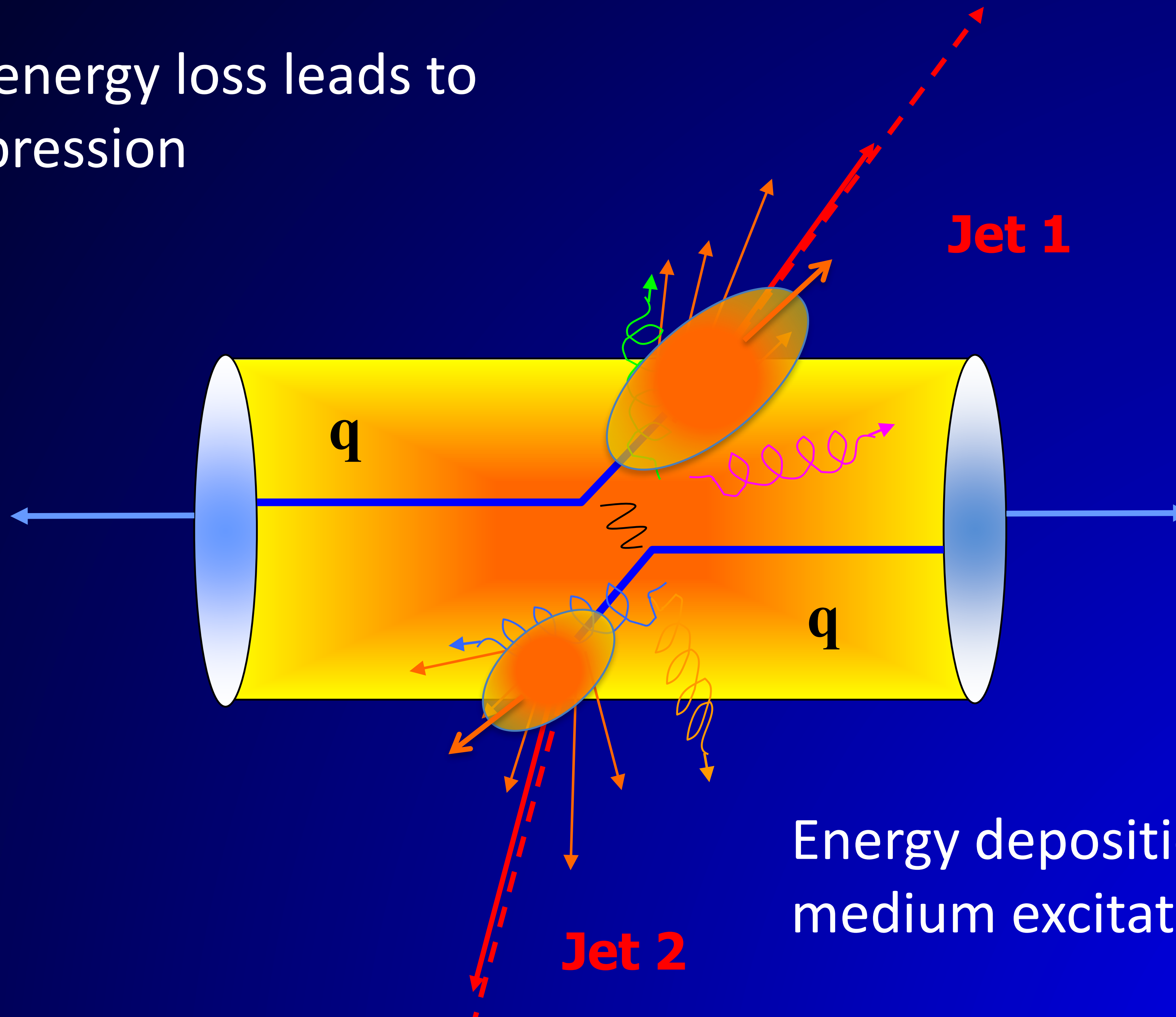
J. D. BJORKEN

Fermi National Accelerator Laboratory
P.O. Box 500, Batavia, Illinois 60510

Abstract

High energy quarks and gluons propagating through quark-gluon plasma suffer differential energy loss via elastic scattering from quanta in the plasma. [...]

Parton energy loss leads to
jet suppression

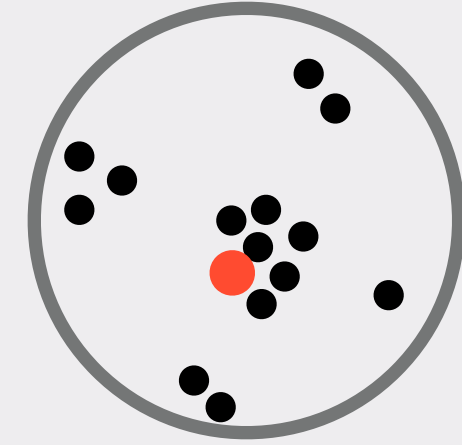


Energy deposition leads to
medium excitation

Jet structure observables

*fragmentation
function*

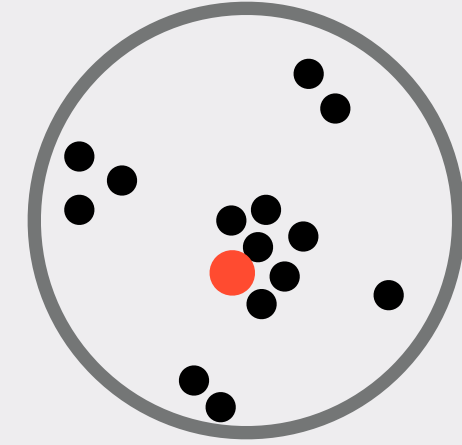
$$D(z) = \left\langle \sum_{i \in \text{jet}} \delta(z - p_{ti}/p_{t,\text{jet}}) \right\rangle_{\text{jets}}$$



Jet structure observables

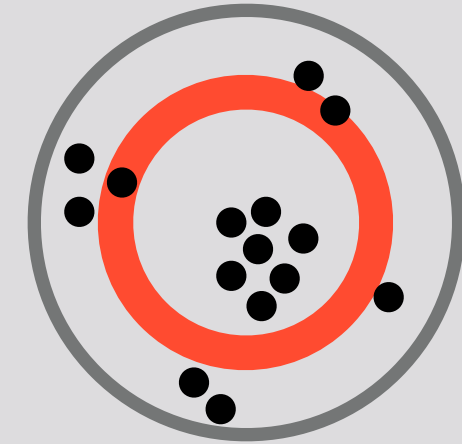
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*differential
jet shape*

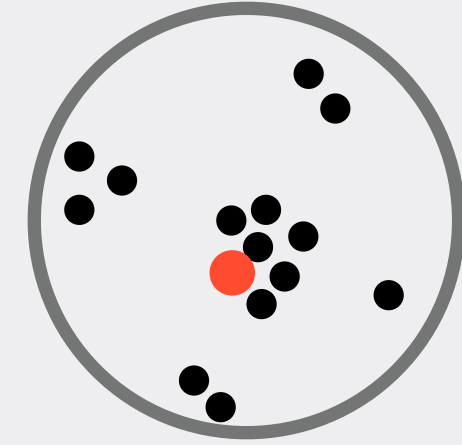
$$\rho(r) = \frac{1}{p_{\perp}^{\text{jet}}} \sum_{\substack{k \text{ with} \\ \Delta R_{kJ} \in [r, r + \delta r]}} p_{\perp}^{(k)},$$



Jet structure observables

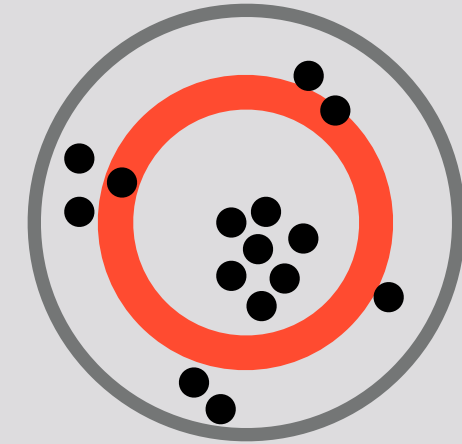
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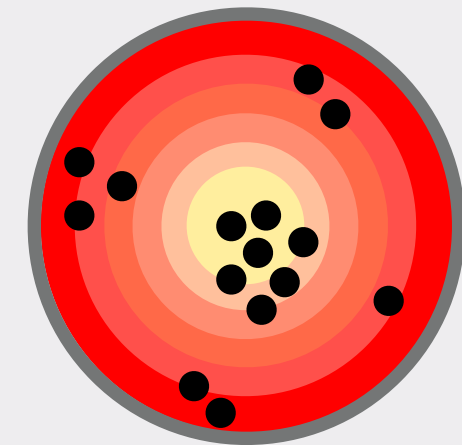
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$$\rho(r) = \frac{1}{p_{\perp}^{\text{jet}}} \sum_{\substack{k \text{ with} \\ \Delta R_{kJ} \in [r, r + \delta r]}} p_{\perp}^{(k)},$$



girth \equiv broadening

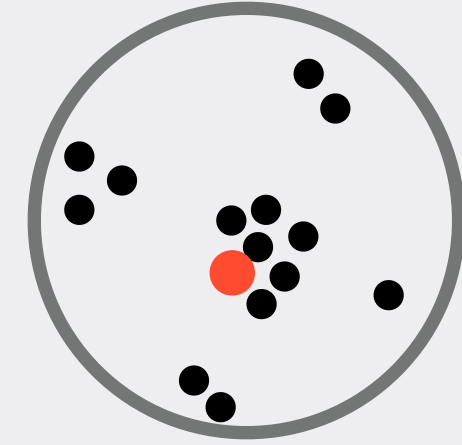
$$g = \frac{1}{p_{\perp}^{\text{jet}}} \sum_{k \in J} p_{\perp}^{(k)} \Delta R_{kJ},$$



Jet structure observables

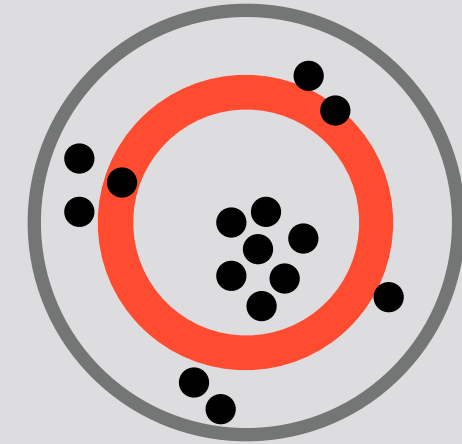
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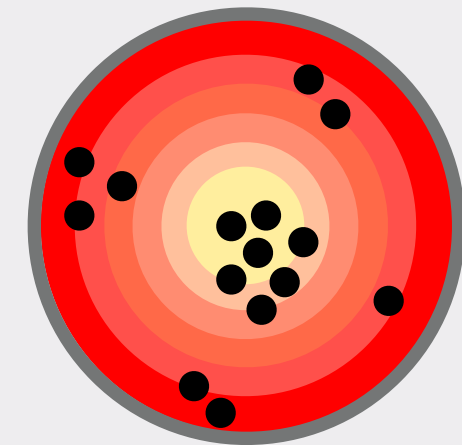
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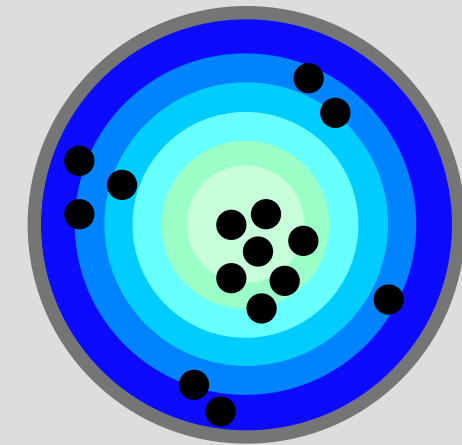
girth ≡ broadening

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*jet mass, groomed
& ungroomed*

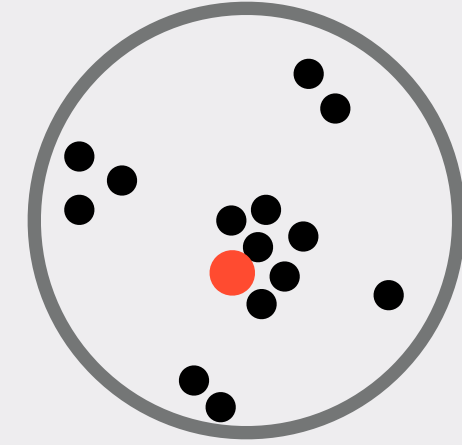
$$m^2 = \left(\sum_{i \in (\text{sub})\text{jet}} p_i^{\mu} \right)^2$$



Jet structure observables

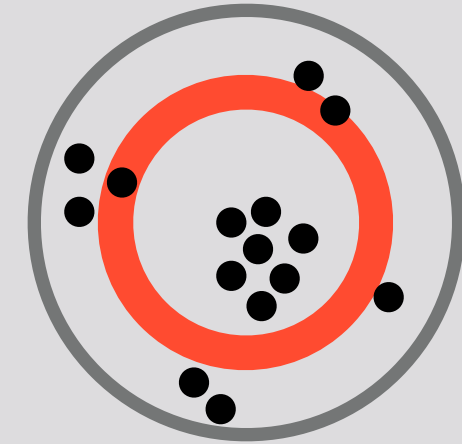
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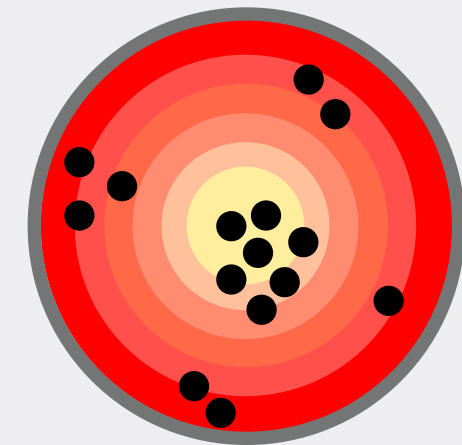
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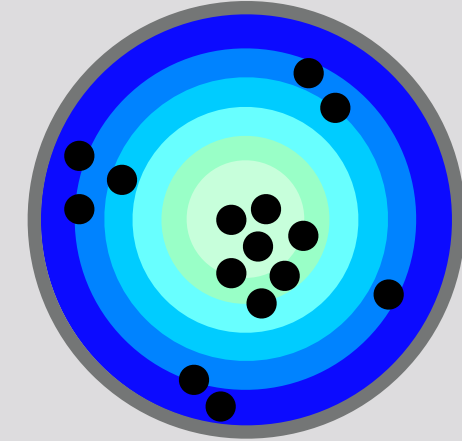
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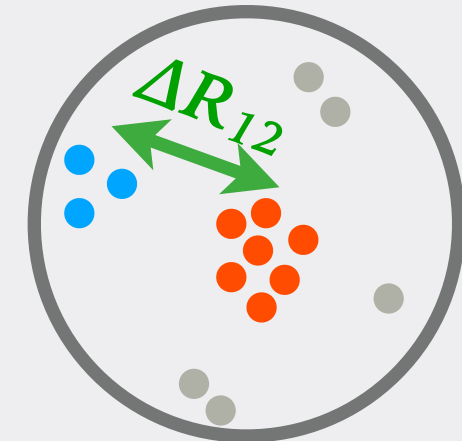
jet mass, groomed
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$z_g, \Delta R_{12}$

$$z_g = \frac{\min(p_{\perp,1}, p_{\perp,2})}{p_{\perp,1} + p_{\perp,2}} > z_{\text{cut}} \left(\frac{\Delta R_{1,2}}{R_J} \right)^{\beta}$$



two theoretical approaches

(semi)-ANALYTIC

- Gives insight into what physics is relevant where (energy loss, decoherence, etc.)
- Can inspire what to measure
- Cannot capture all dimensions of full experimental analysis

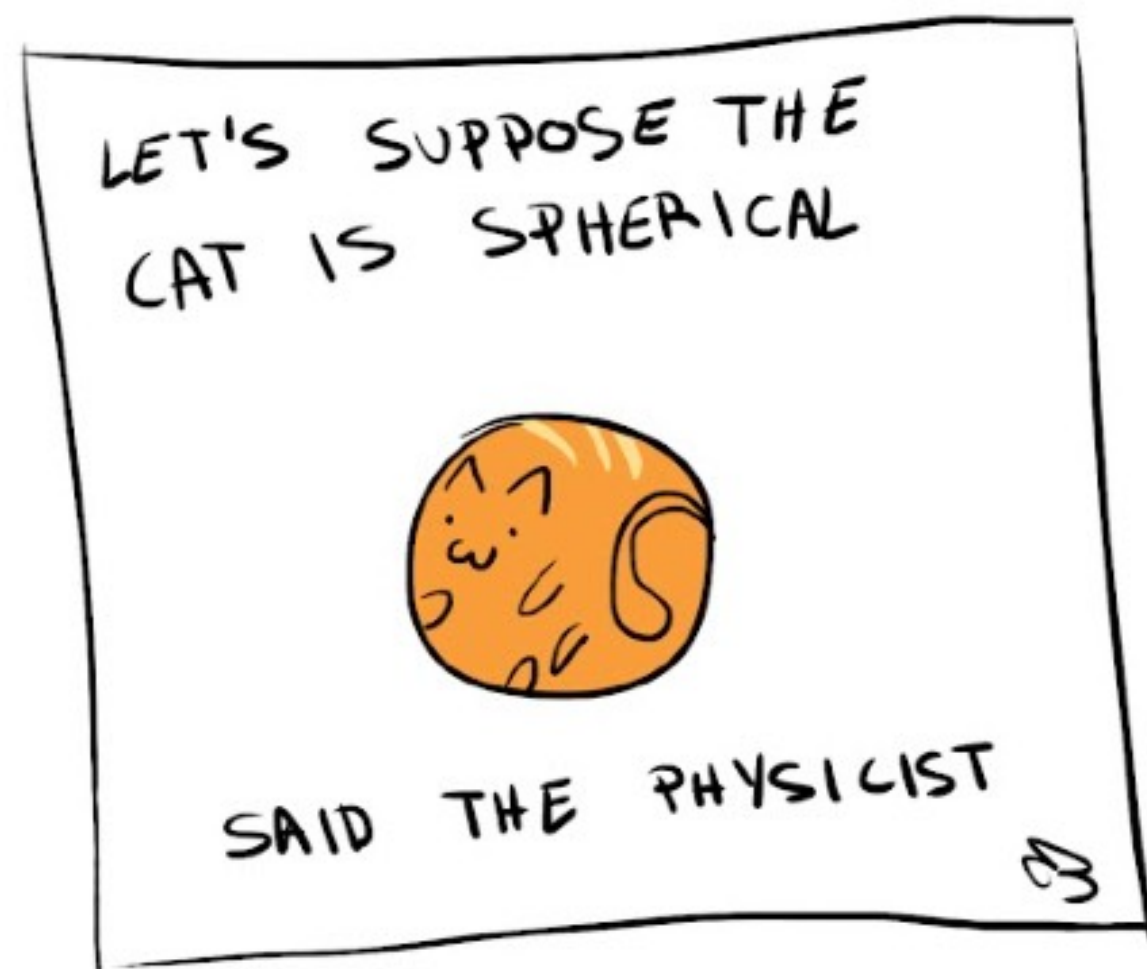
Monte Carlo Event Generator

- Gives ultimate realism (accuracy depends on what's inside)
- Can in principle include full medium embedding & subtraction (but that's often work in progress)
- Risks looking like a black box

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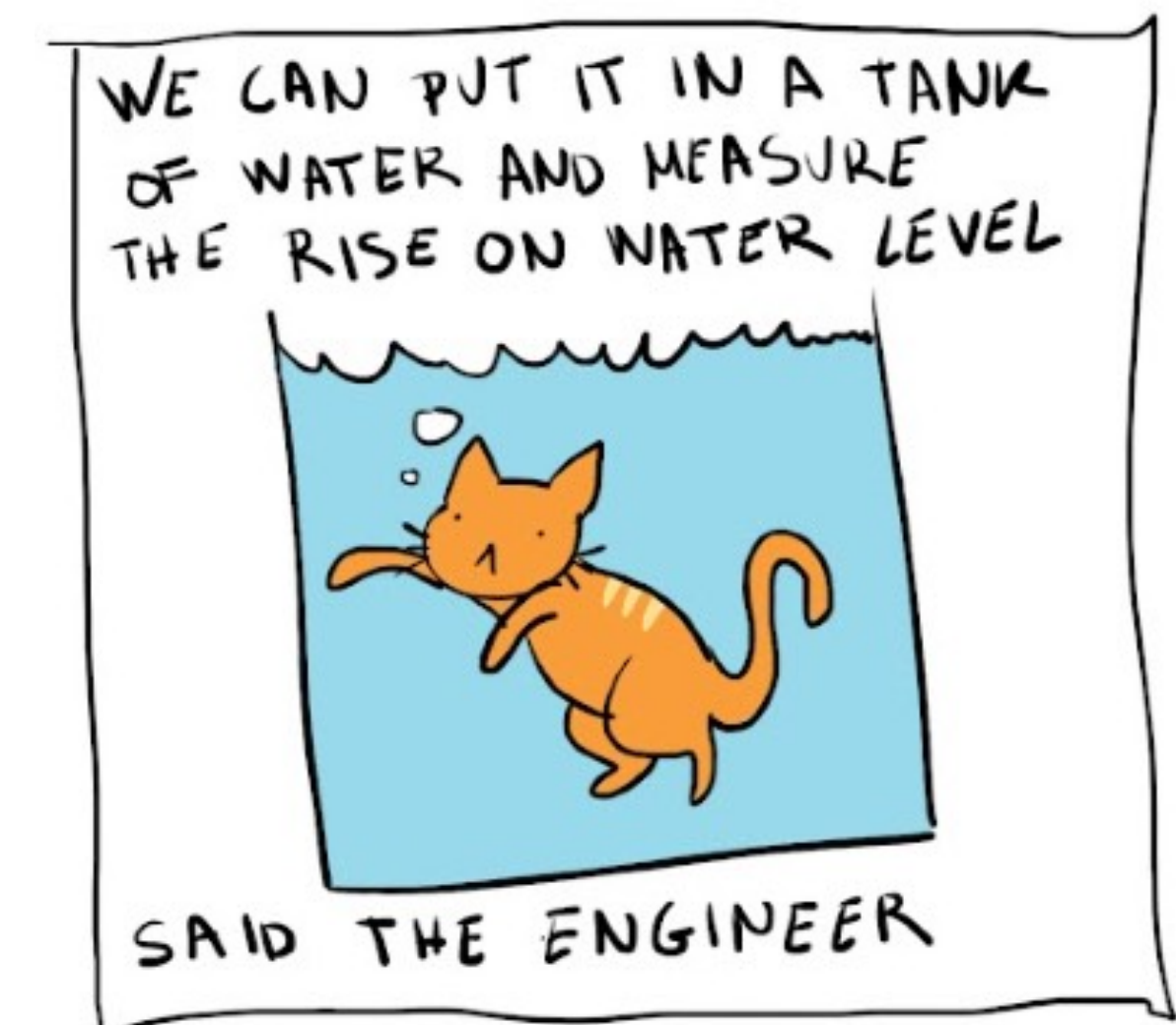


HOW TO CALCULATE THE VOLUME OF A CAT ?

[this morning's newsletter]

Monte Carlo Event Generator

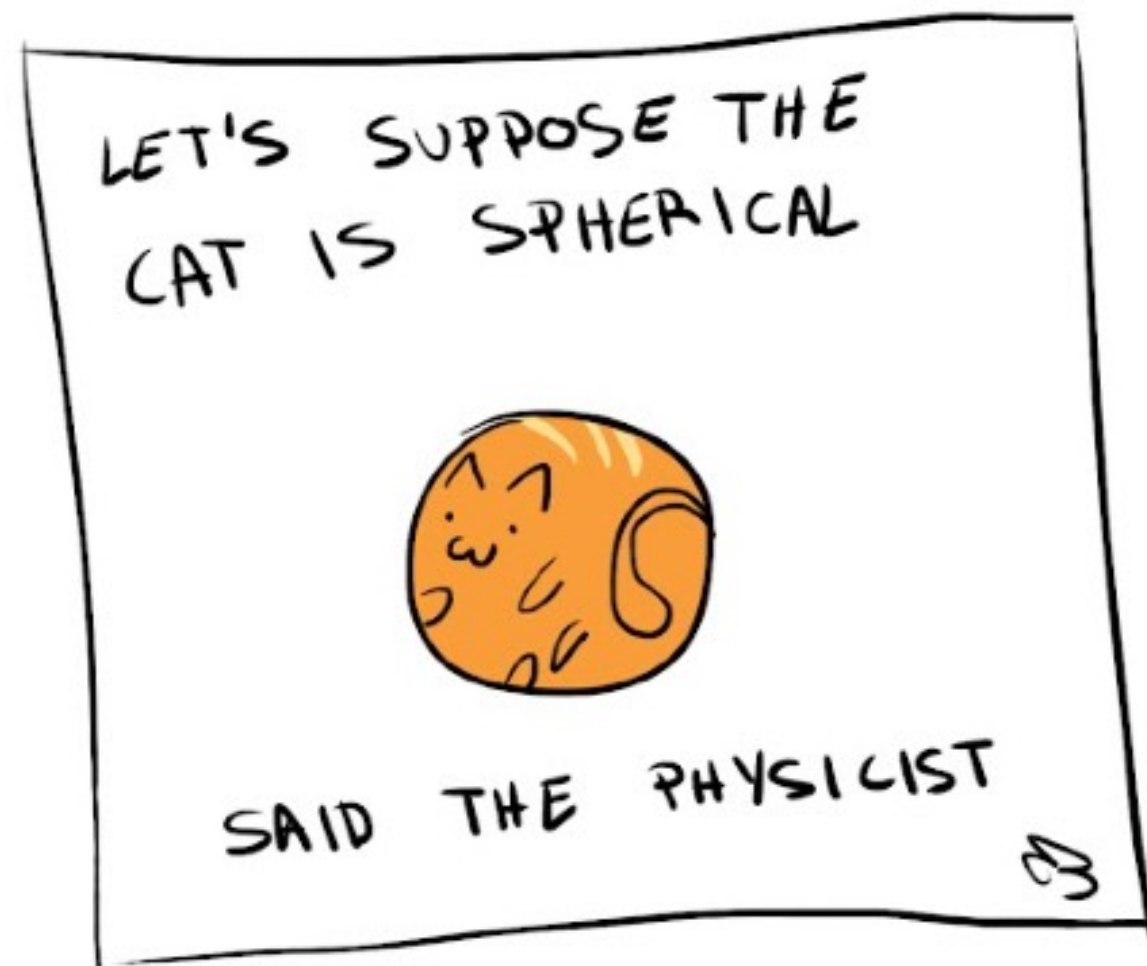
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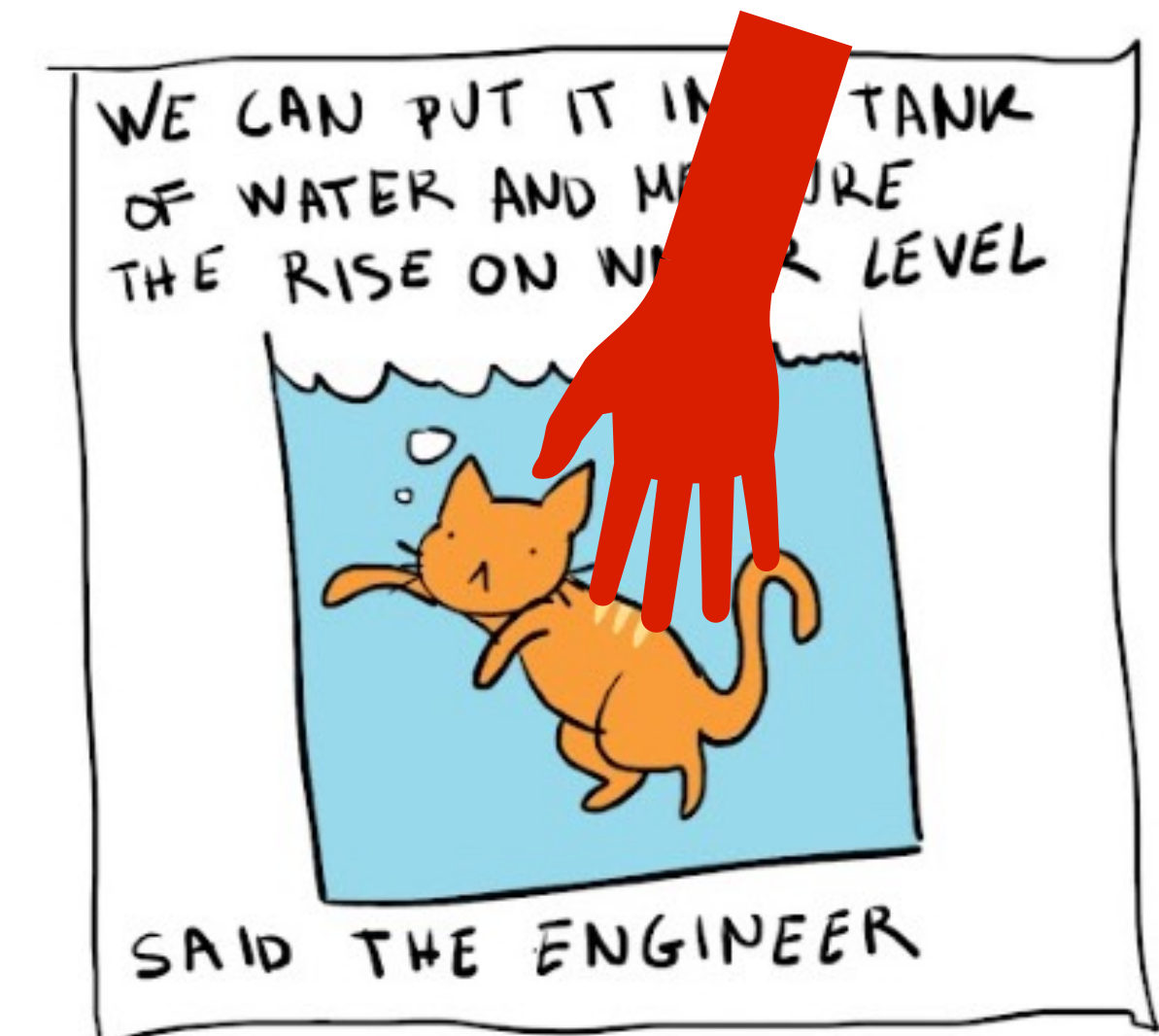


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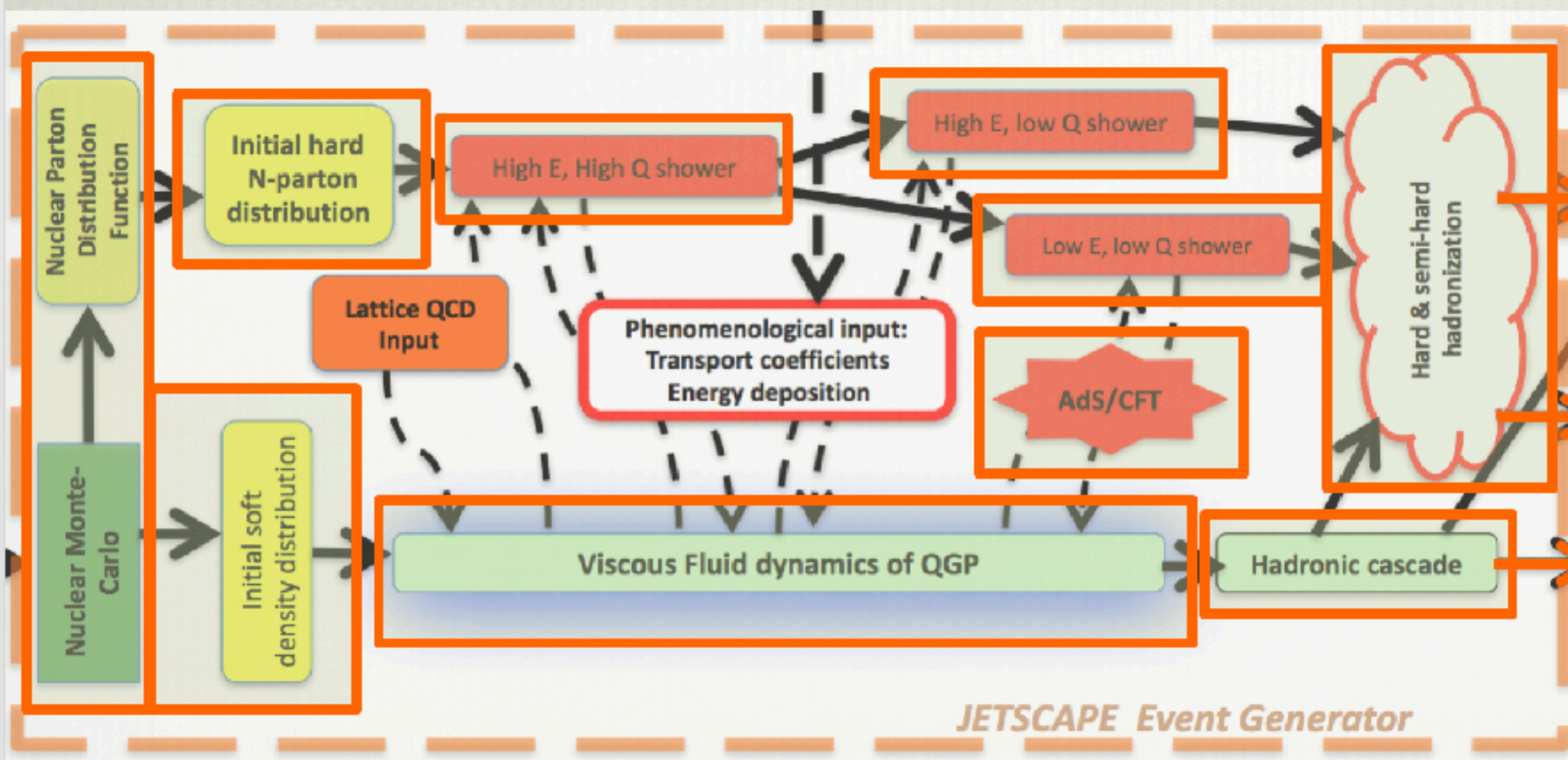
MONTE CARLOS EVENT GENERATORS

an MC selection of MC results

Jetscape: current status: pp baseline (// Kauder)

Program

- ❖ What's included in the event generator (as optional download)

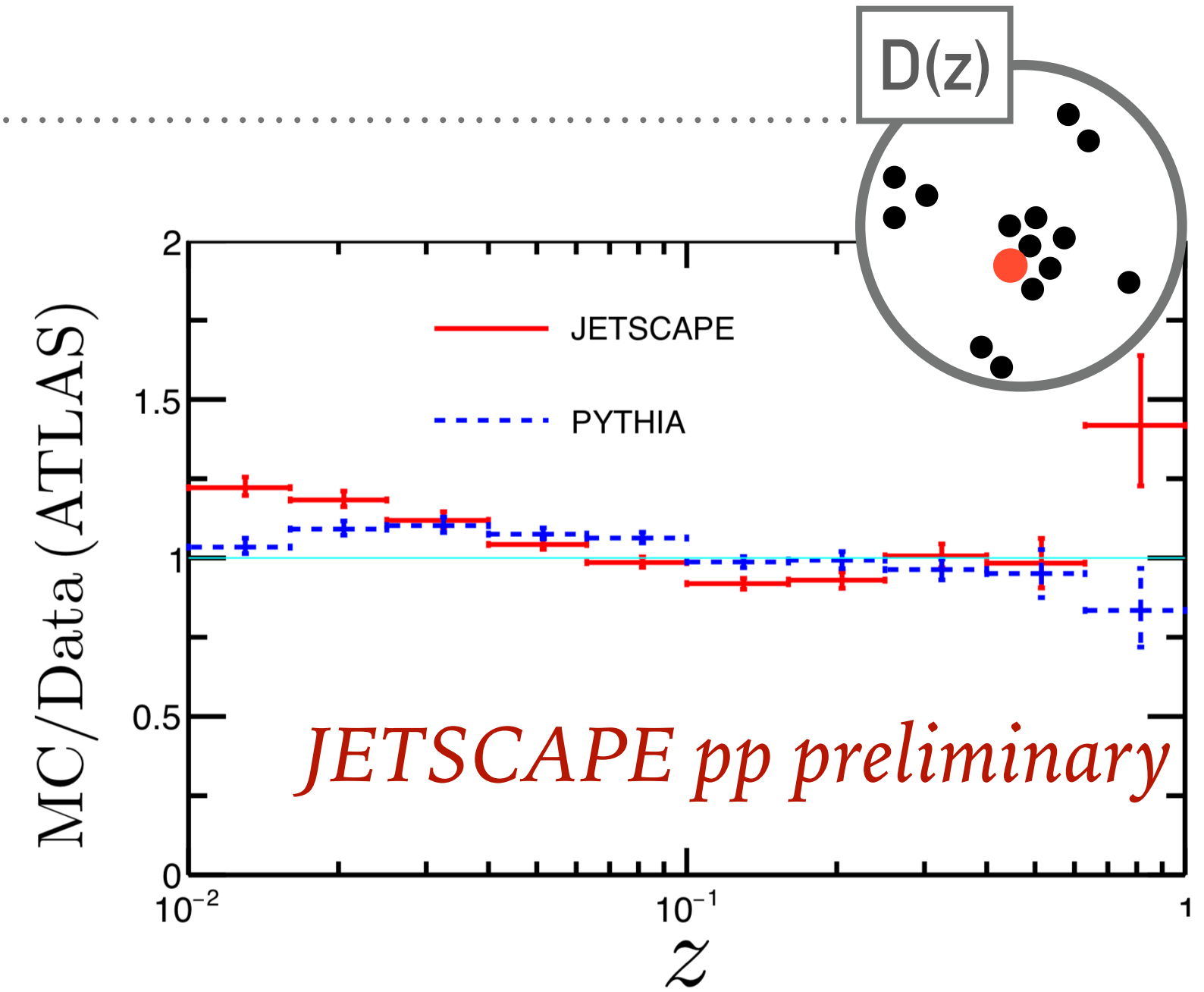


JETSCAPE Event Generator

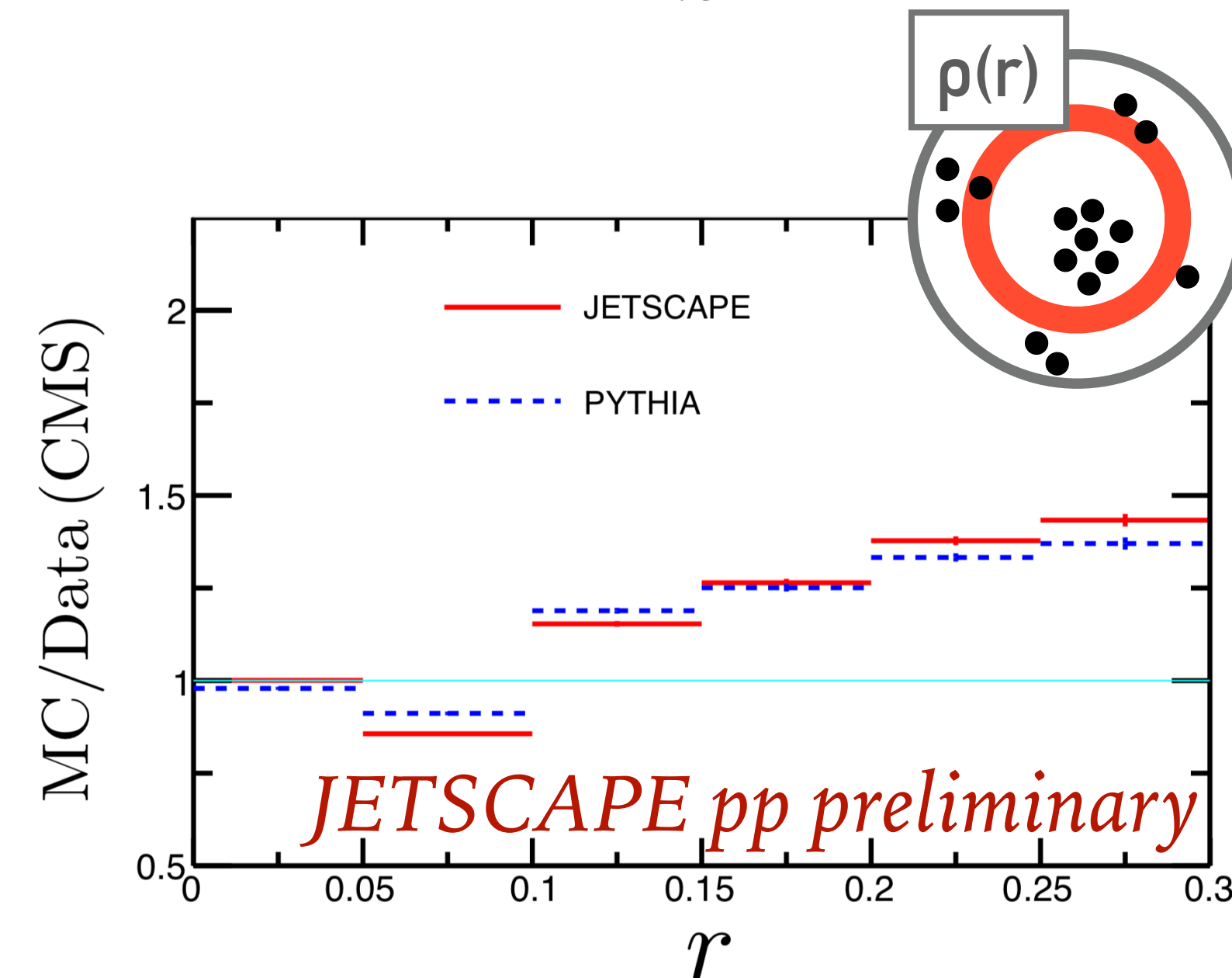
5/16/18

Kauder - JETSCAPE 1.0 - QM2018

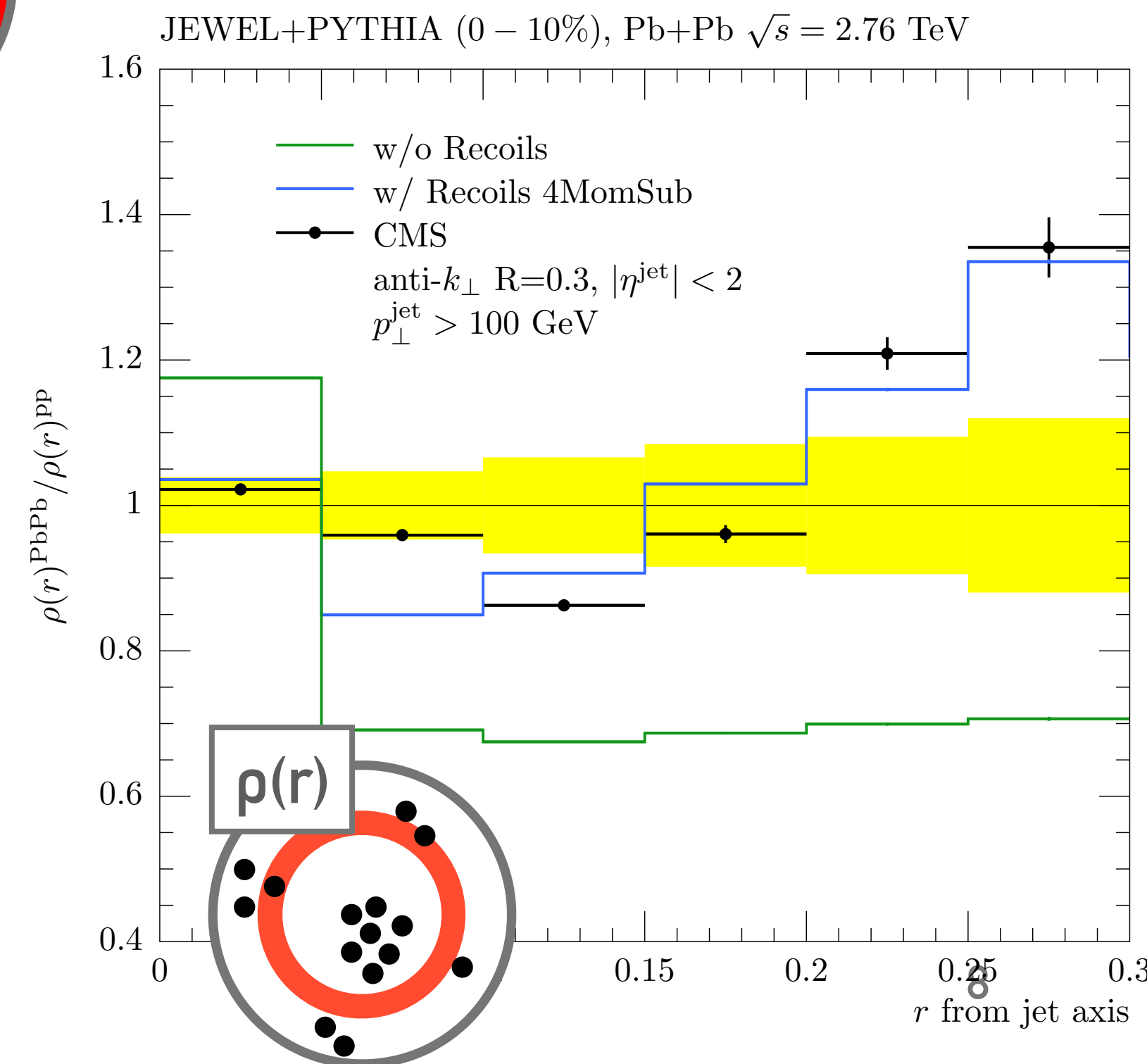
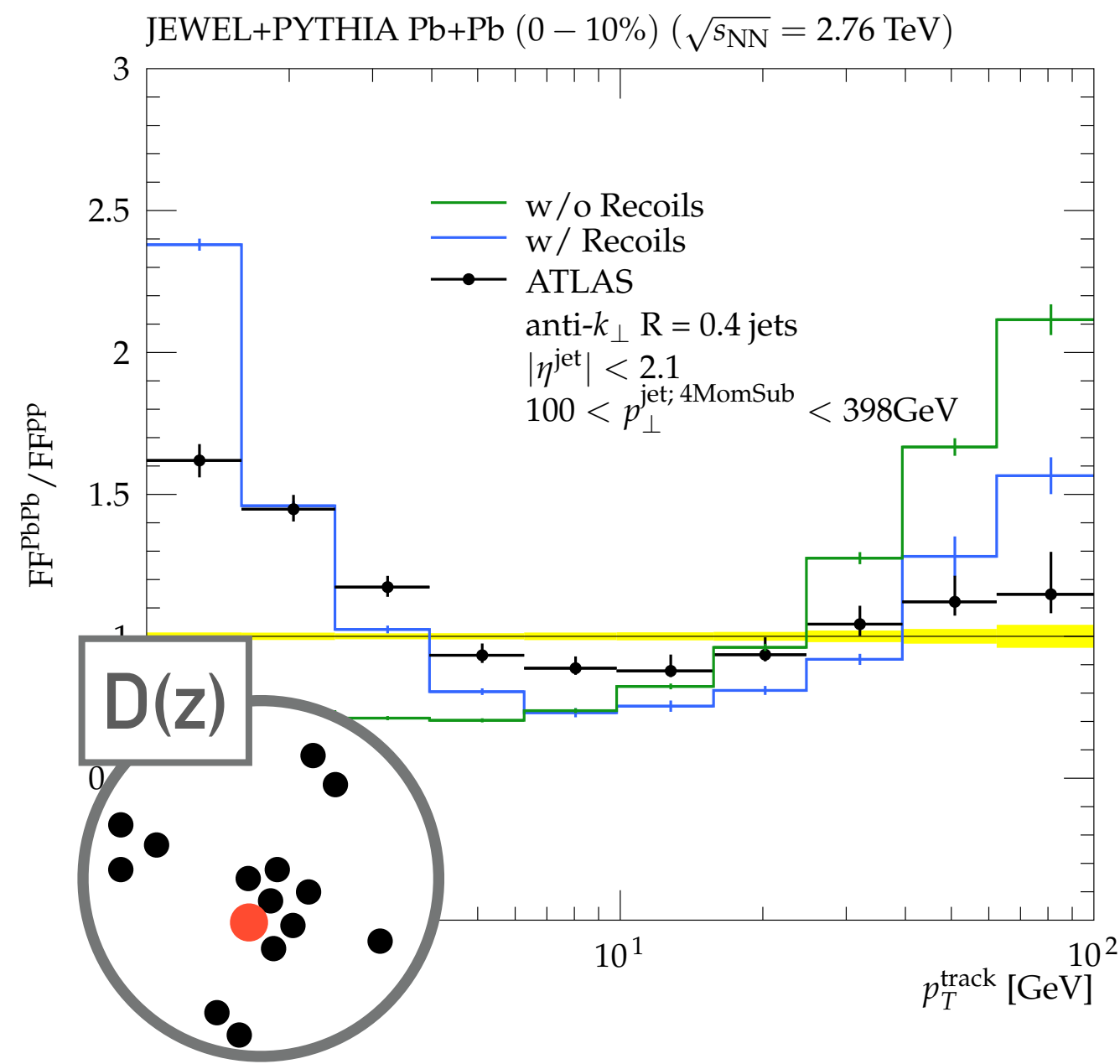
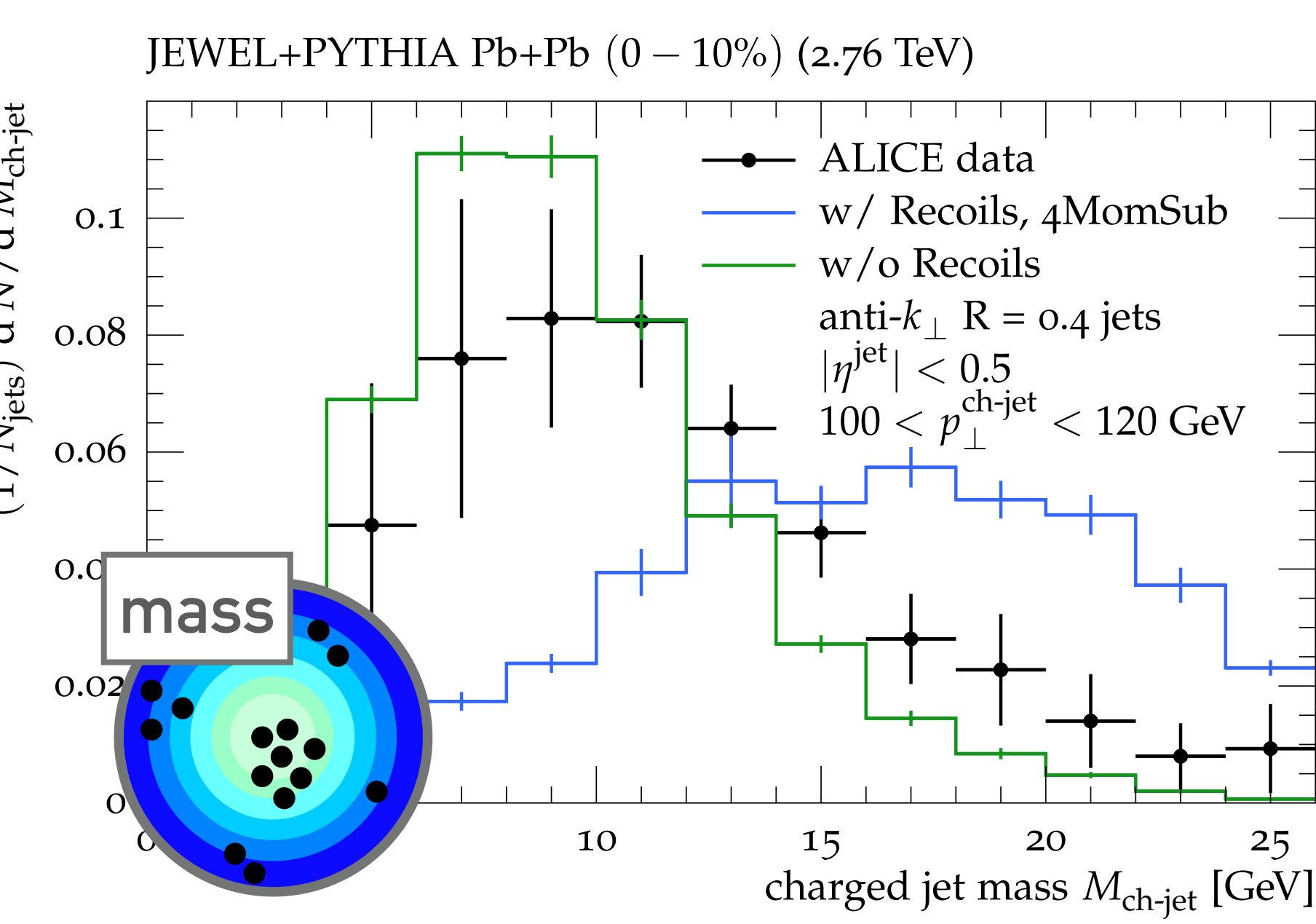
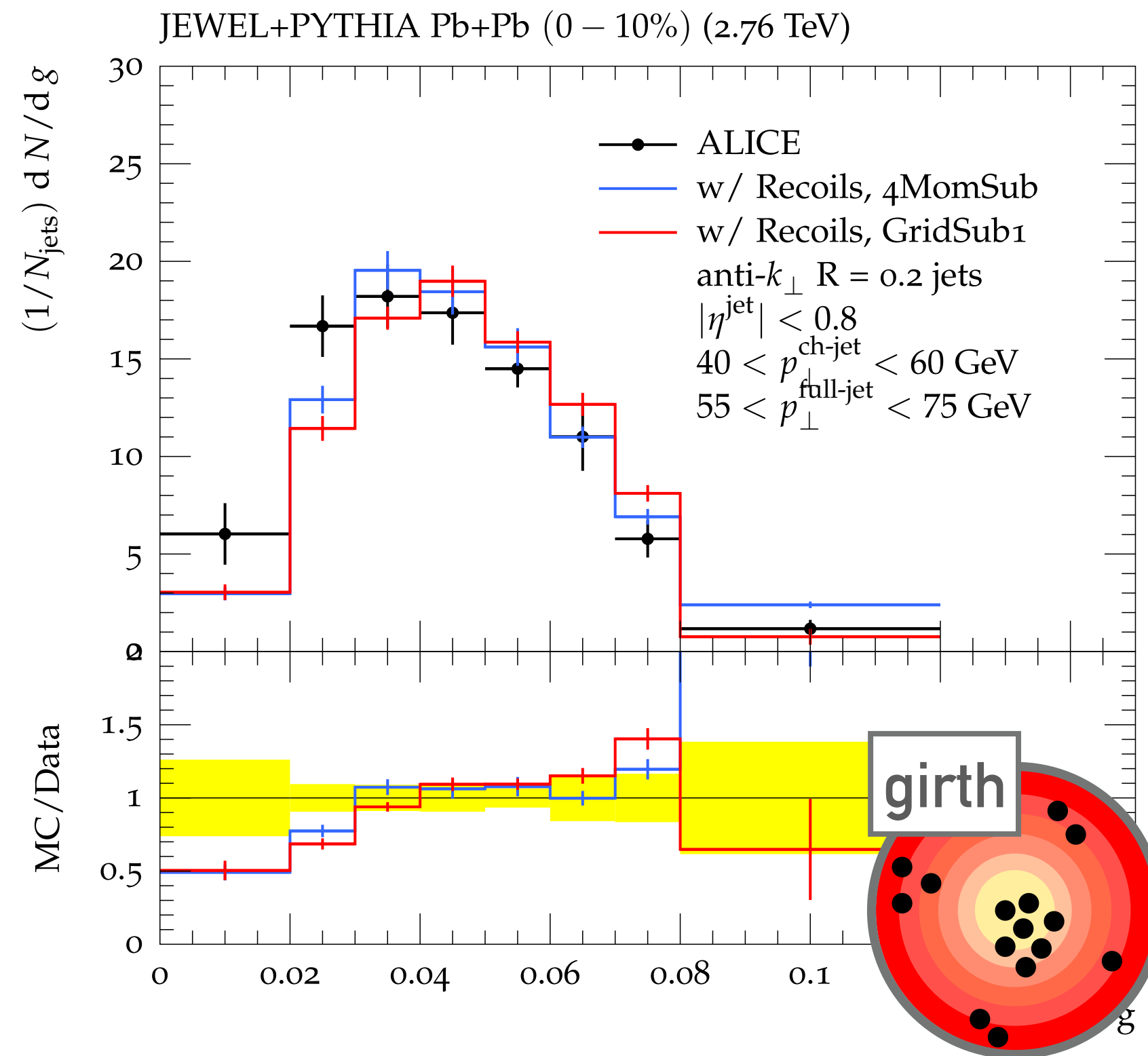
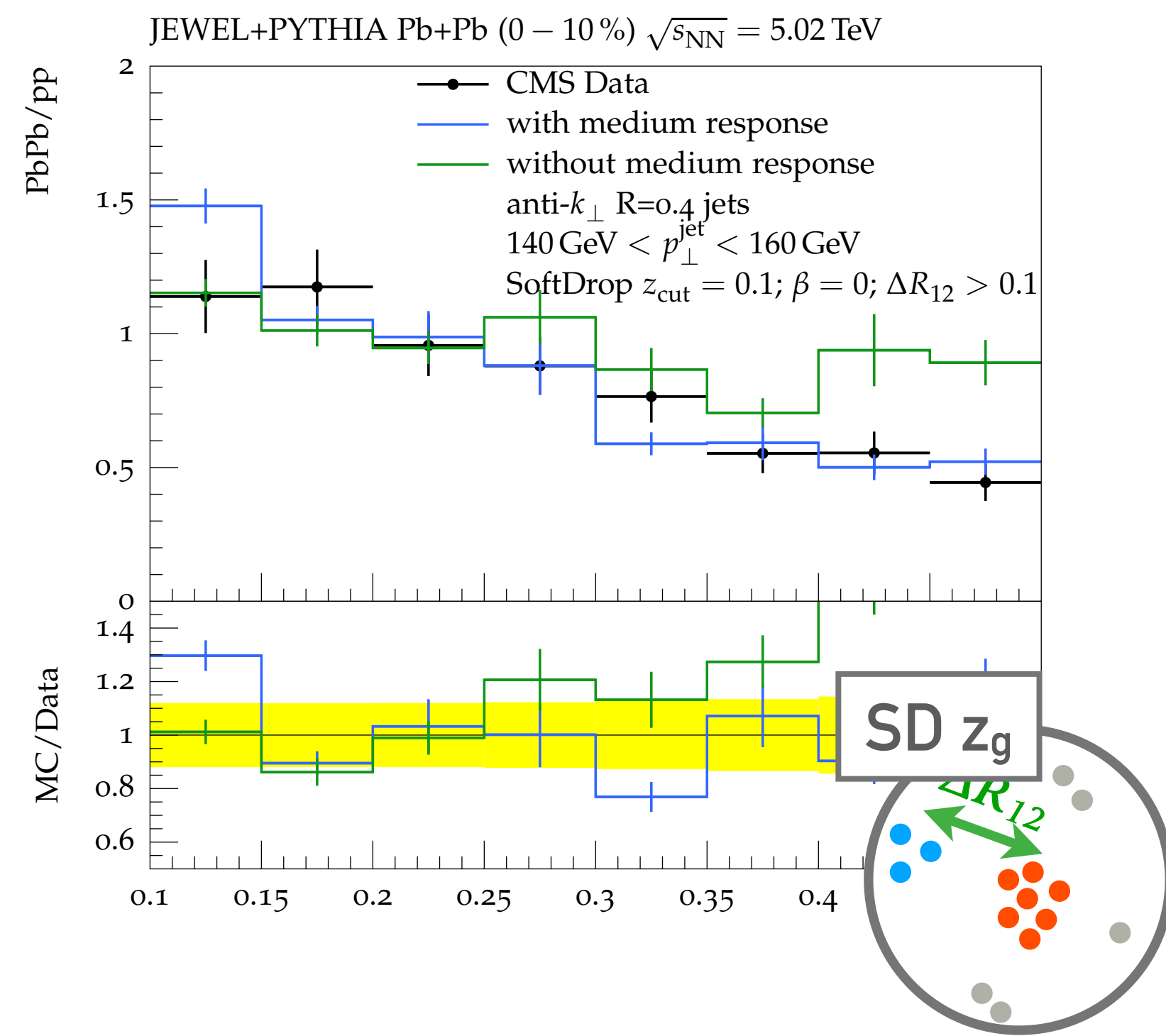
- ✓ Trento (2+1)
- ✓ Free Streaming
- ✓ MUSIC (2+1, 3+1), external reader, brick, Gubser,
- ✓ Pythia8, parton gun
- ✓ MATTER, Martini, AdS/CFT, LBT
- ✓ Cooper Frye
- ✓ Pythia8 string fragmentation
- ✓ Custom and HepMC output



JETSCAPE pp preliminary



JETSCAPE pp preliminary



JEWEL v. data

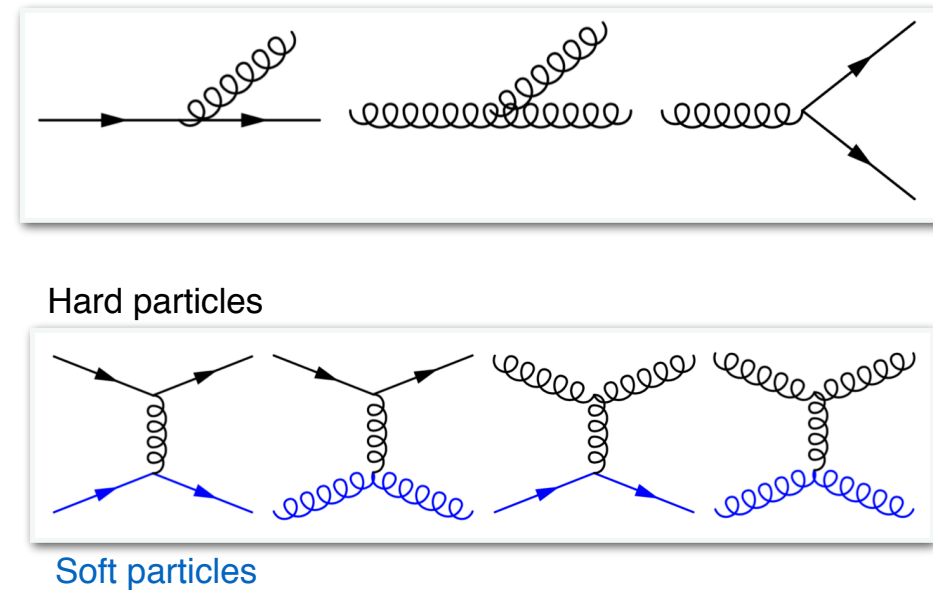
► [arXiv:1707.01539](https://arxiv.org/abs/1707.01539), by Milhano, Wiedemann and Zapp with medium response

Jet evolution in MARTINI

MARTINI¹

- ▶ Event generator for jet simulation in heavy ion collisions
- ▶ Compatible with event-by-event 3D hydrodynamic medium

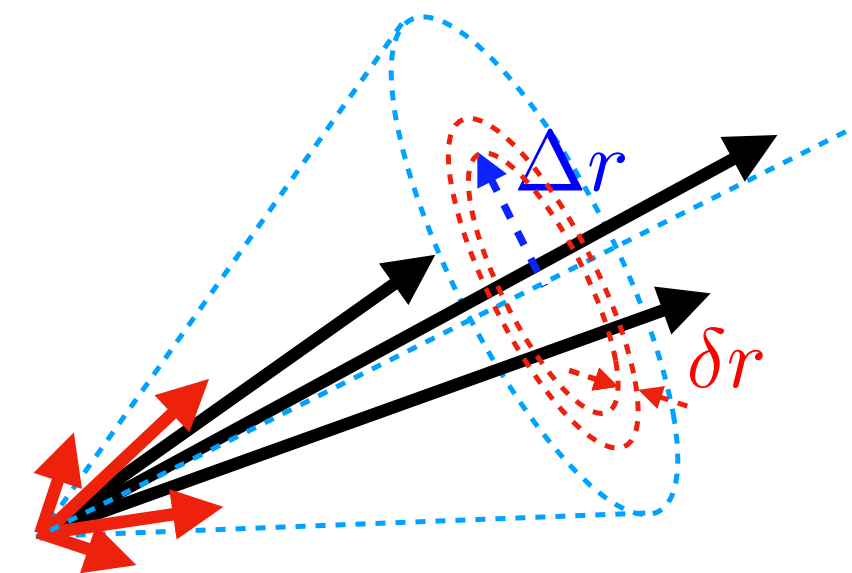
- **Radiation** : AMY formalism² (collinear)
 - ➔ Formation time of radiation³, $t_f \sim k/k_\perp^2$
 - ➔ Running coupling in splitting vertex⁴, $\alpha_s(Q)$
- **Elastic Scattering**⁵
 - ➔ 2-2 scattering causing space-like momentum transfer, q
 - ➔ Momentum broadening
- **Conversion**¹
 - ➔ quark-gluon, jet-photon, photon conversion



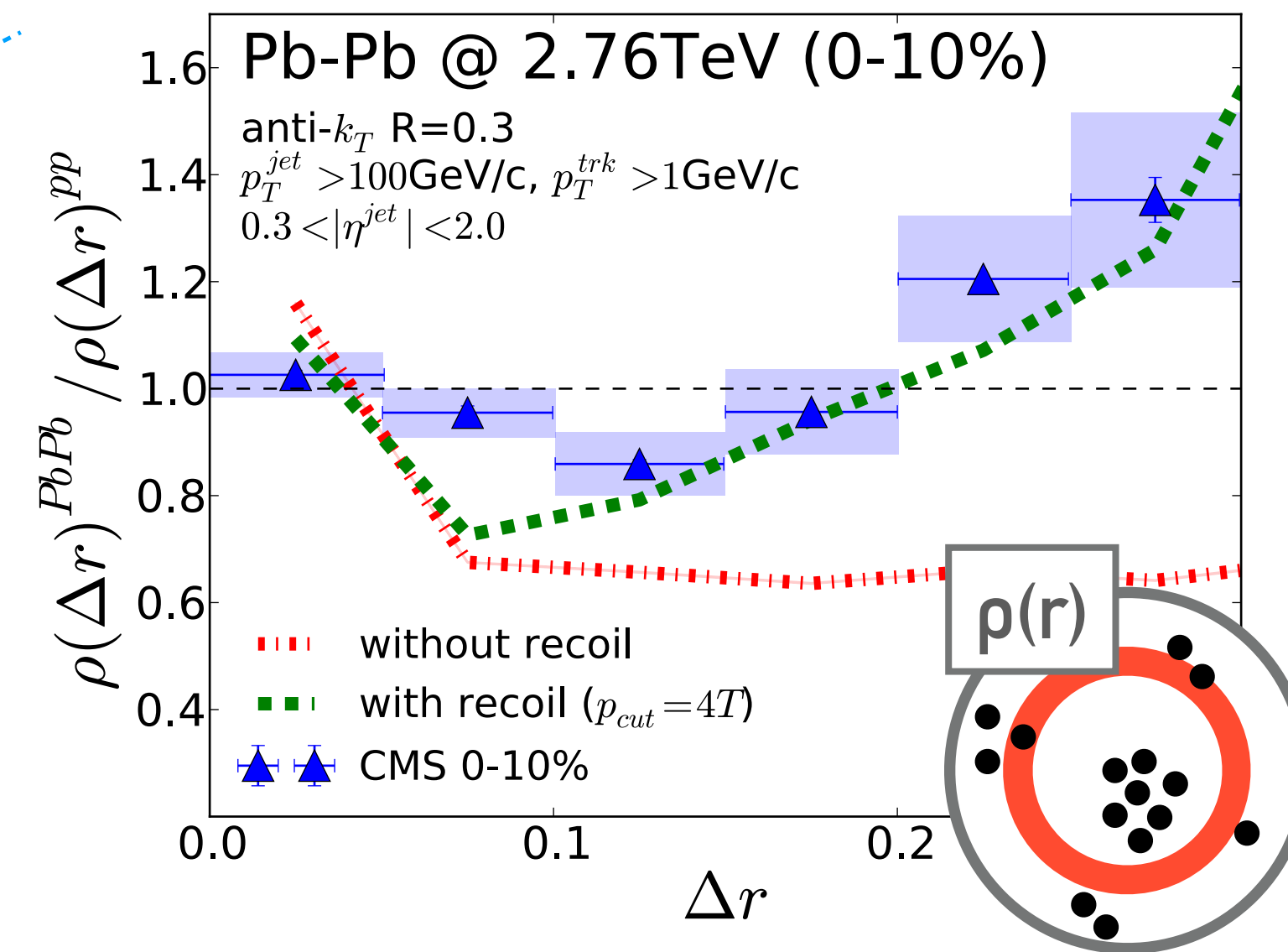
¹ B. Schenke, C. Gale, and S. Jeon, Phys. Rev. C **80**, 054913 (2009)
² P. Arnold, G. D. Moore, and L. G. Yaffe, JHEP 0206 (2002) 030
³ S. Caron-Huot and C. Gale, Phys. Rev. C **82**, 064902 (2010)
⁴ C. Young, B. Schenke, S. Jeon, and C. Gale, Nucl. Phys. A **910-911**, 494 (2013)
⁵ B. Schenke, C. Gale, and G.-Y. Qin, Phys. Rev. C **79**, 054908 (2009)

Jet shape with recoil

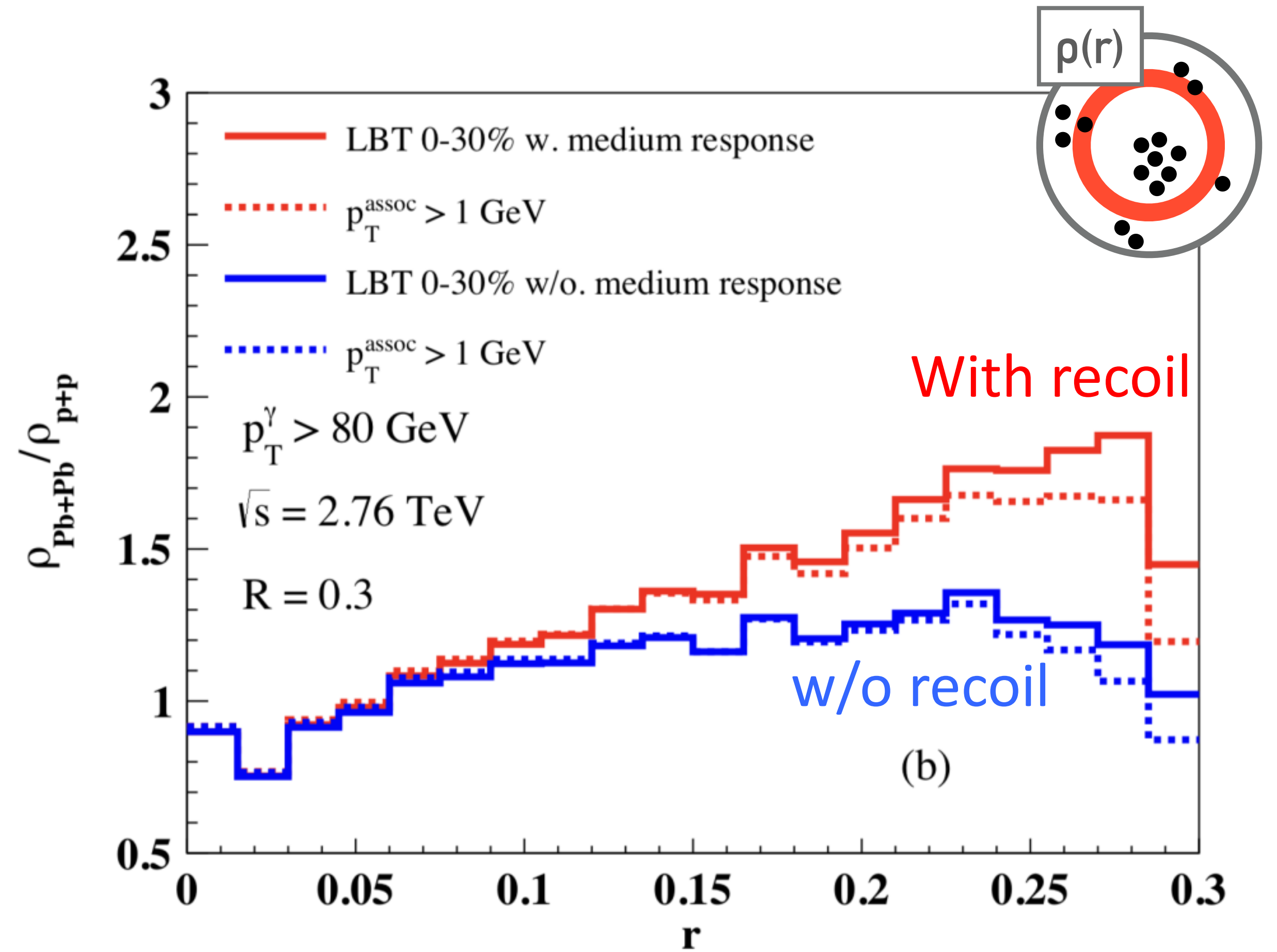
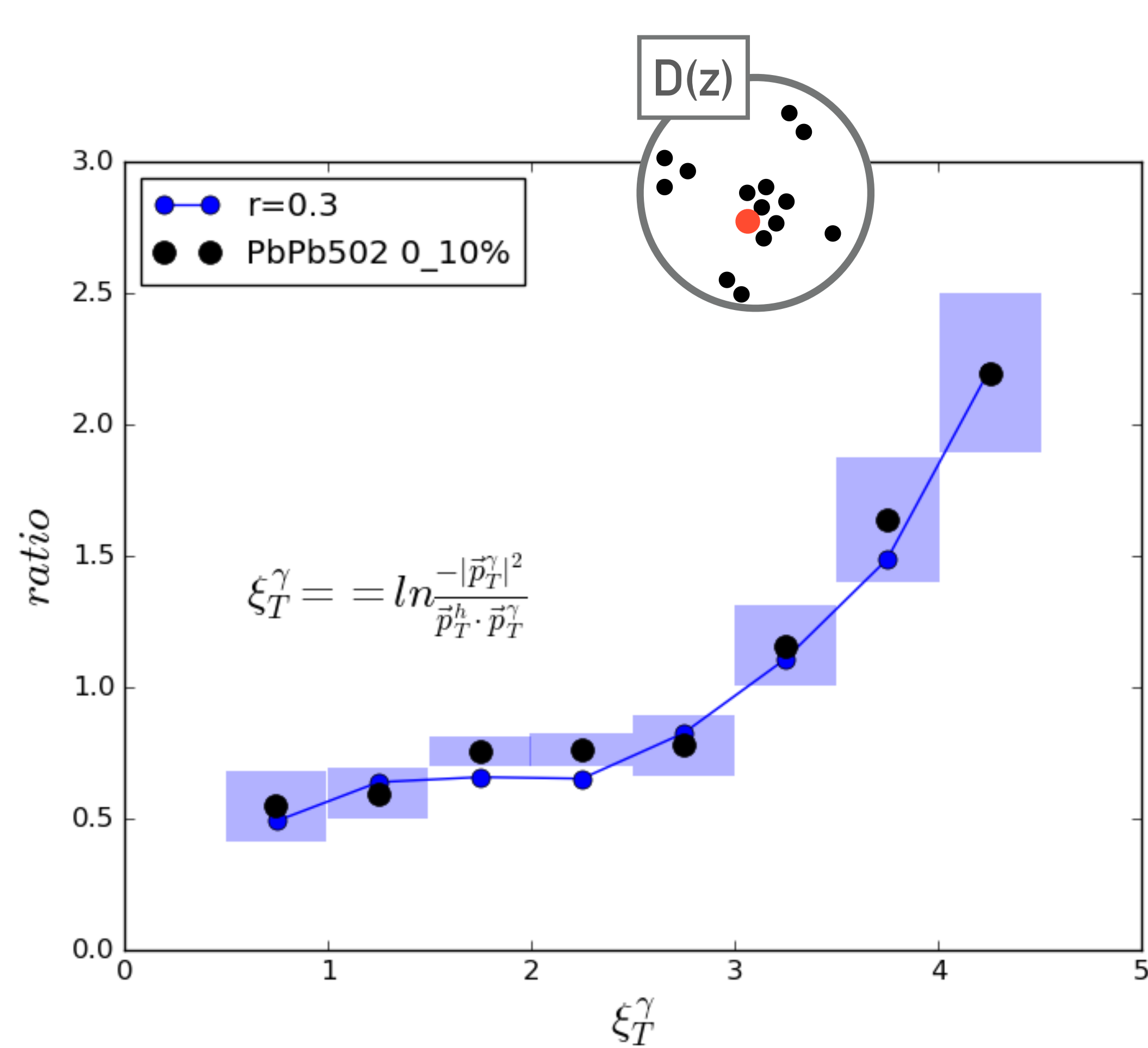
$$\rho(\Delta r) = \frac{1}{\delta r} \frac{1}{N^{jet}} \sum_{jet} \frac{\sum_{track \in [\Delta r - \delta r/2, \Delta r + \delta r/2]} p_T^{track}}{p_T^{jet}}$$



- The ratio shows flat without recoil.
- Recoil yields a significant contribution to the jet shape at large angles.



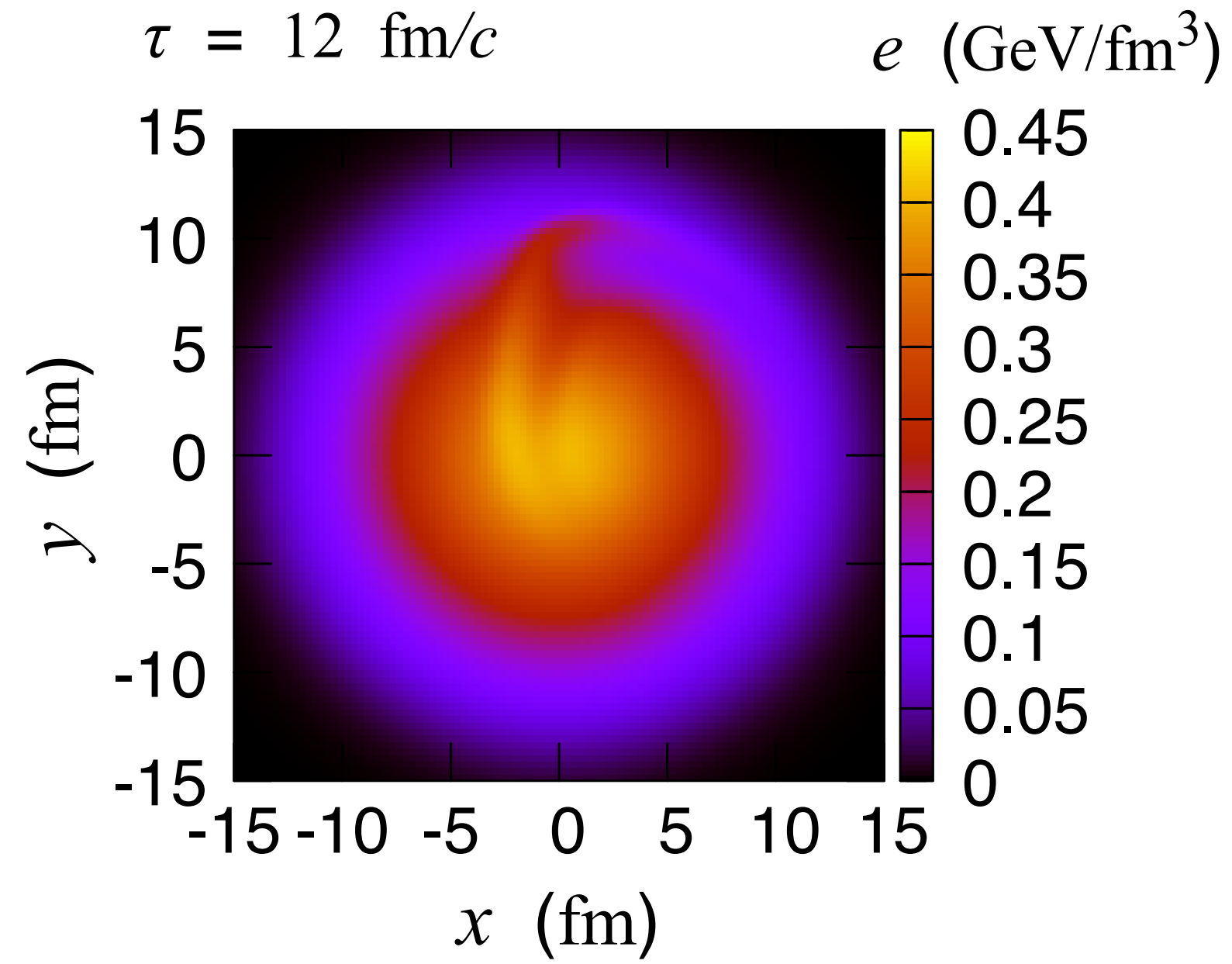
LINEAR BOLTZMANN TRANSPORT



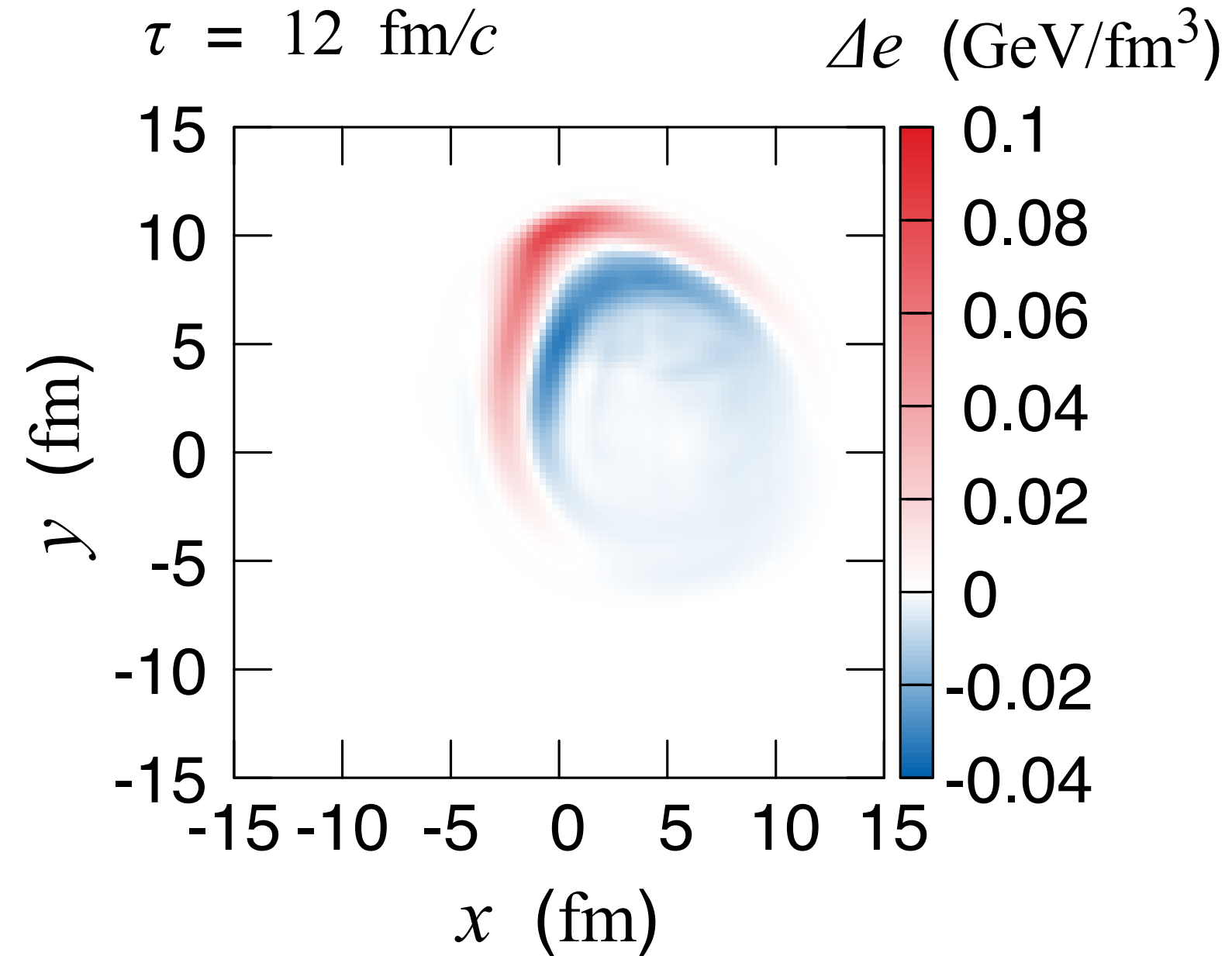
Xin-Nian Wang's // talk

Luo, Cao, He & XNW, arXiv:1803.06785
 Poster: JET 18 T Luo

(a-3)

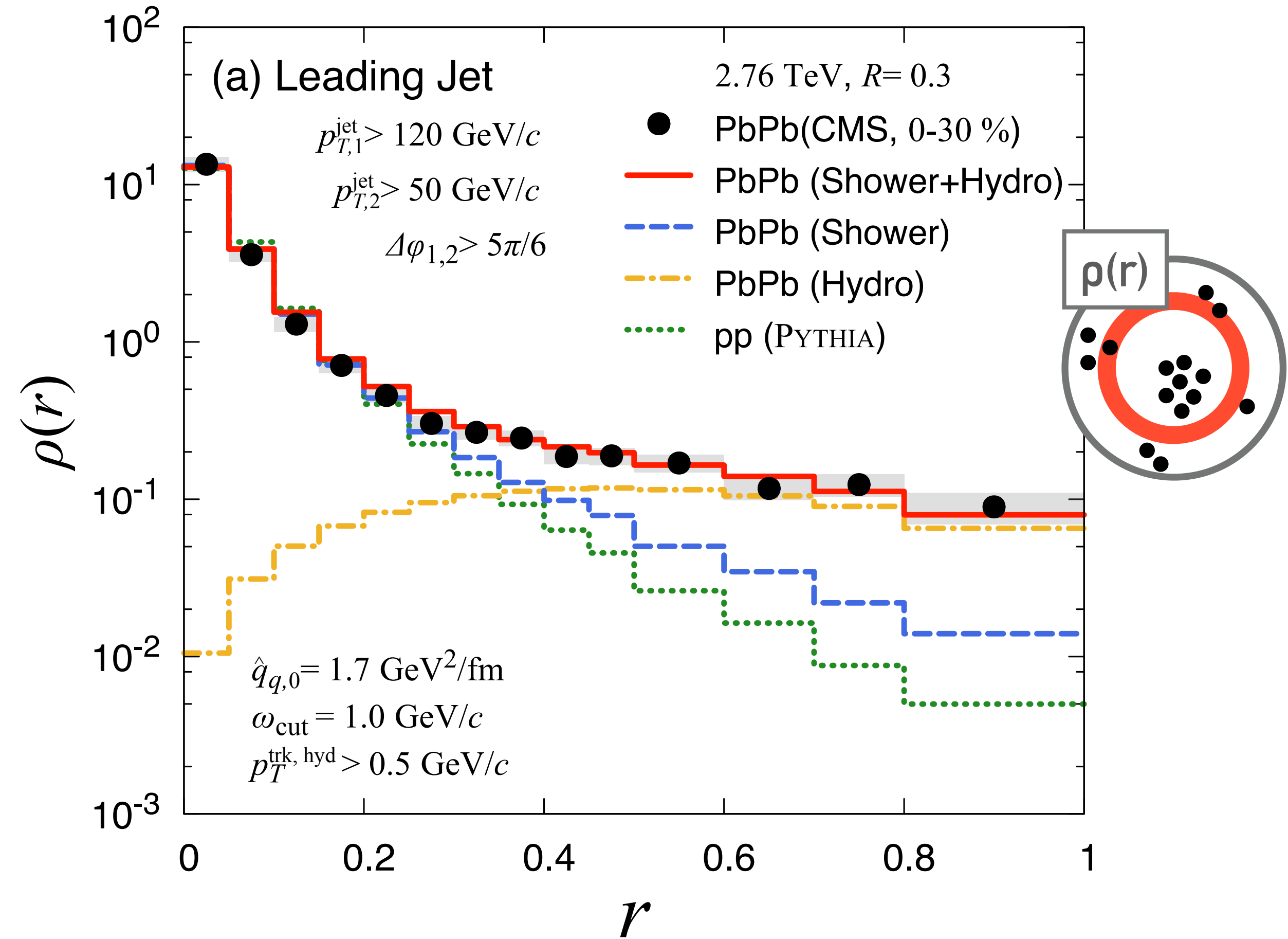


(b-3)



medium mach-cones

► Tachibana, Chang & Qin,
1701.07951, 12fm/c



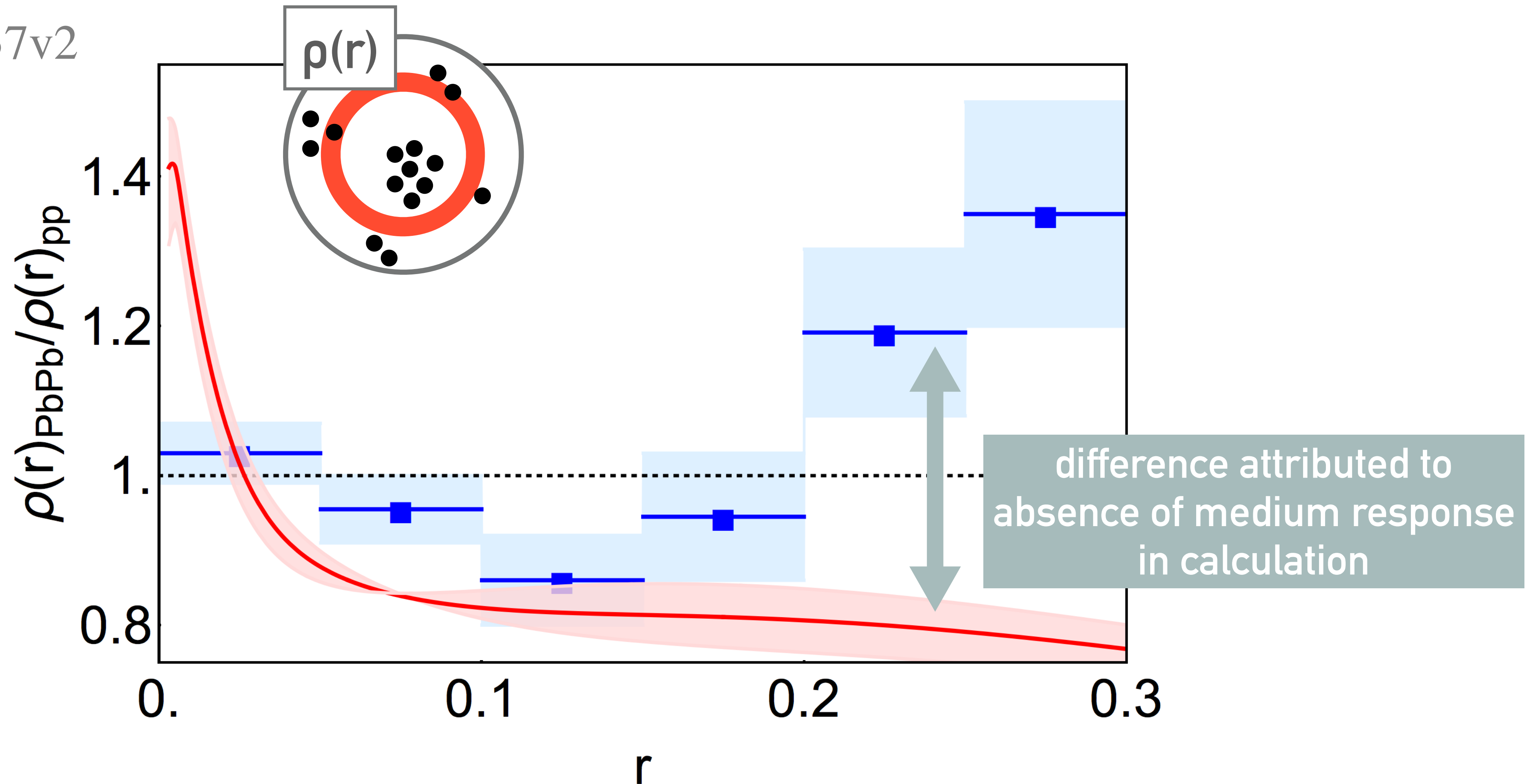
(semi)–ANALYTICAL

still an MC selection

holographic jets in strongly coupled plasma

Jasmine Brewer,^a Krishna Rajagopal,^a Andrey Sadofyev,^{a,b} Wilke van der Schee^{a,c}

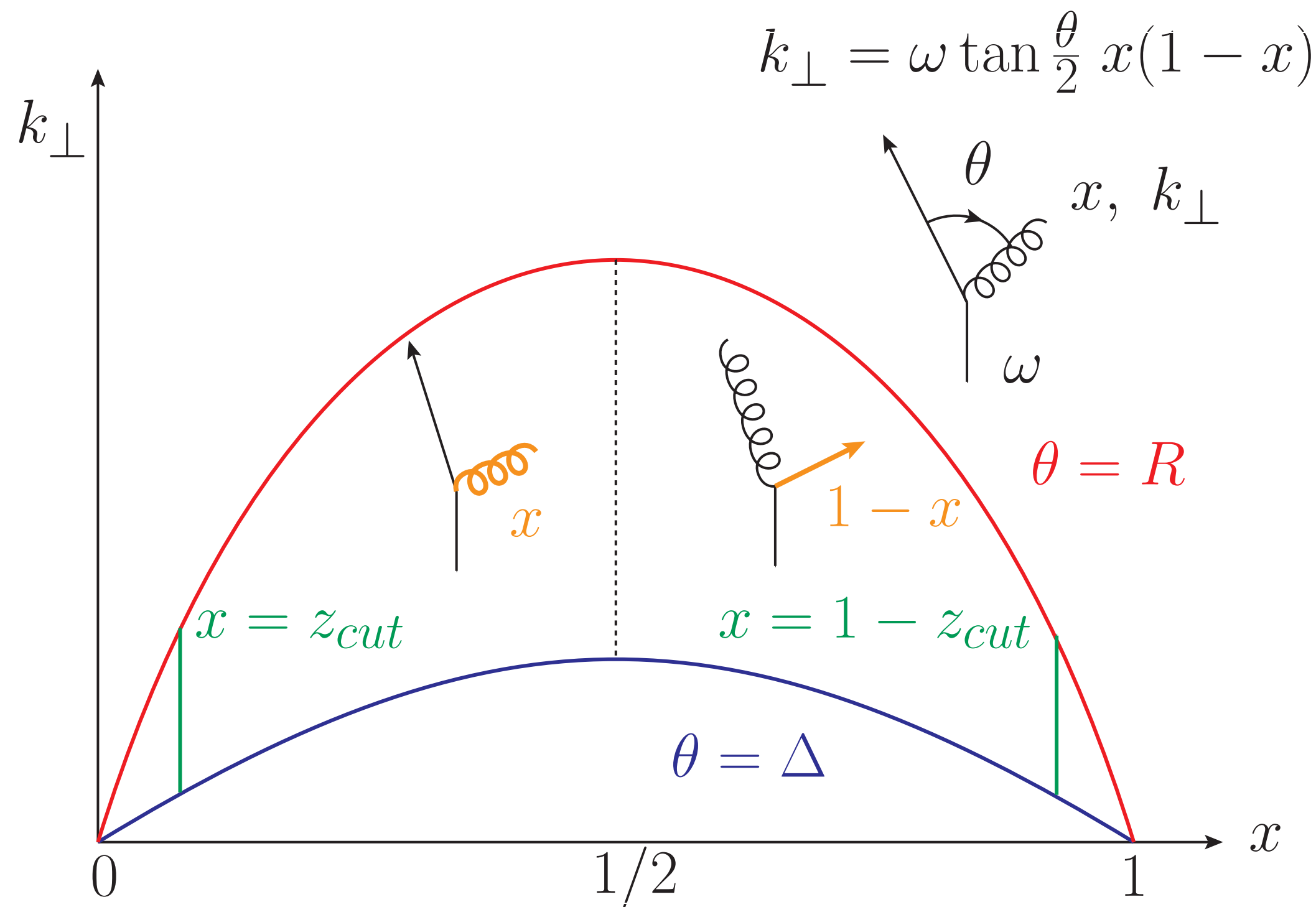
arXiv:1710.03237v2



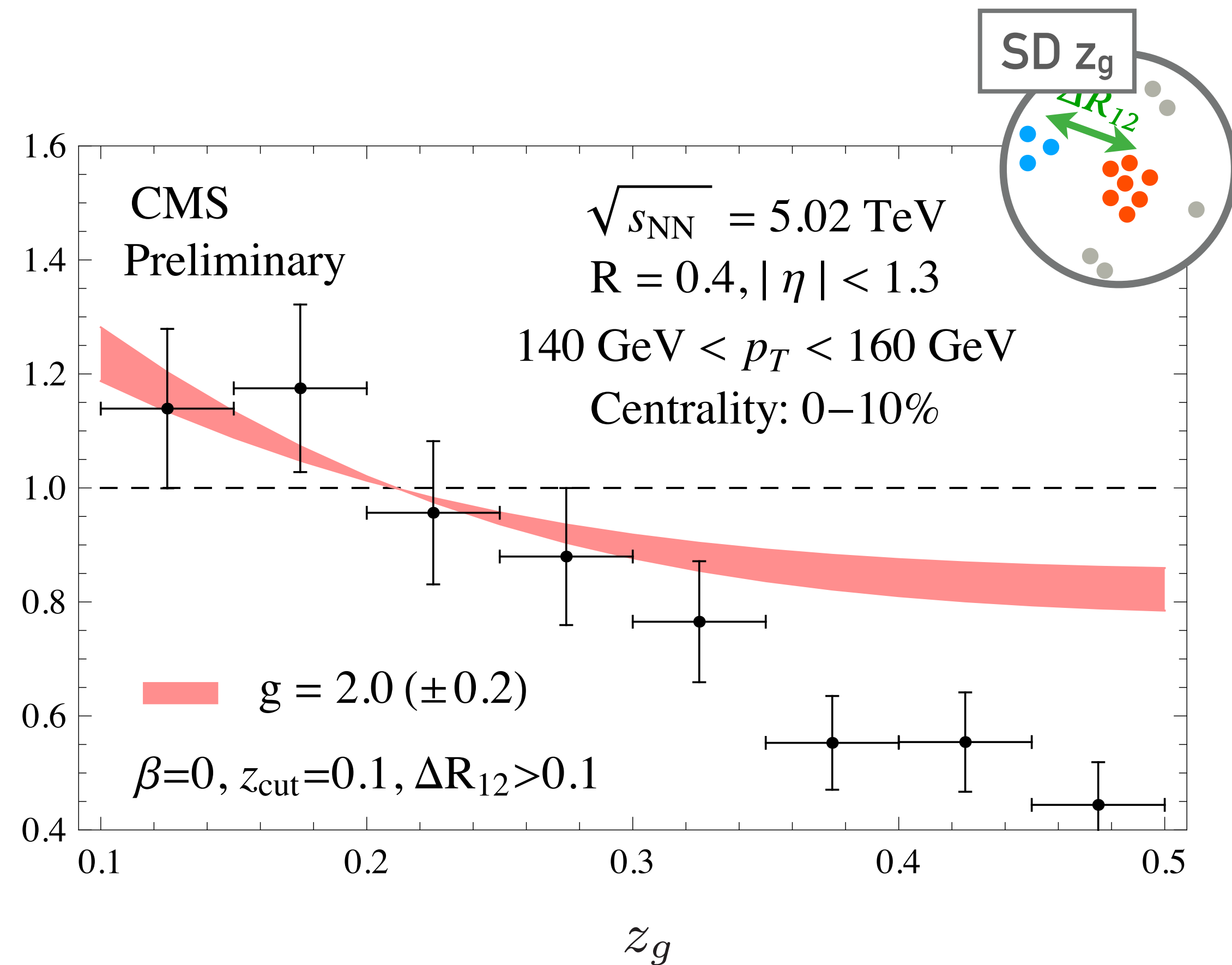
SCET with Glauber gluons

Yang-Ting Chien^{a,b} and Ivan Vitev^a

arXiv:1608.07283v1



$$\frac{p(z_g)^{PbPb}}{p(z_g)^{pp}}$$



vacuum-like fragmentation in a dense medium

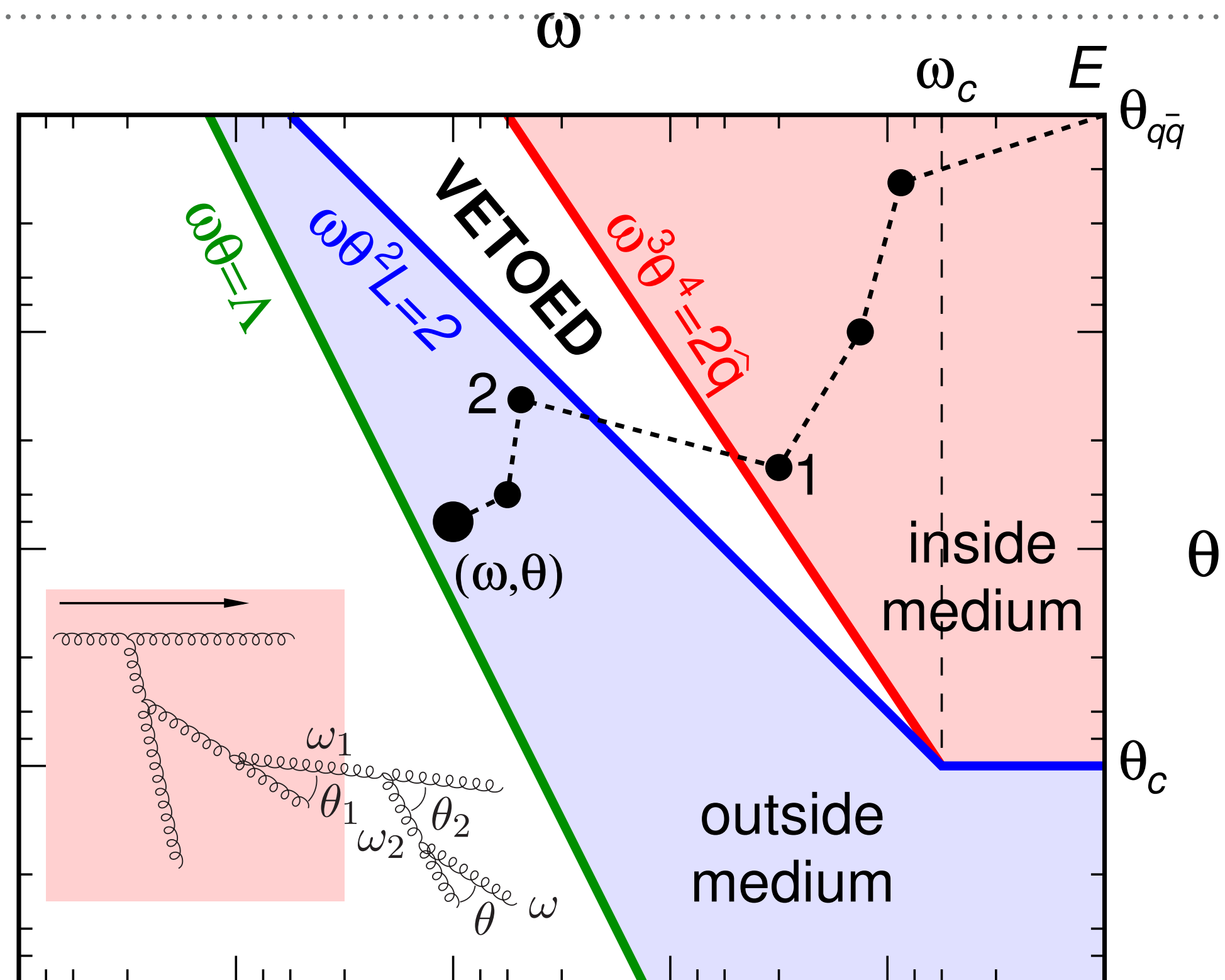


FIG. 1. Schematic representation of the phase-space available for VLEs, including an example of a cascade with “1” the last emission inside the medium and “2” the first emission outside.

vacuum-like fragmentation in a dense medium

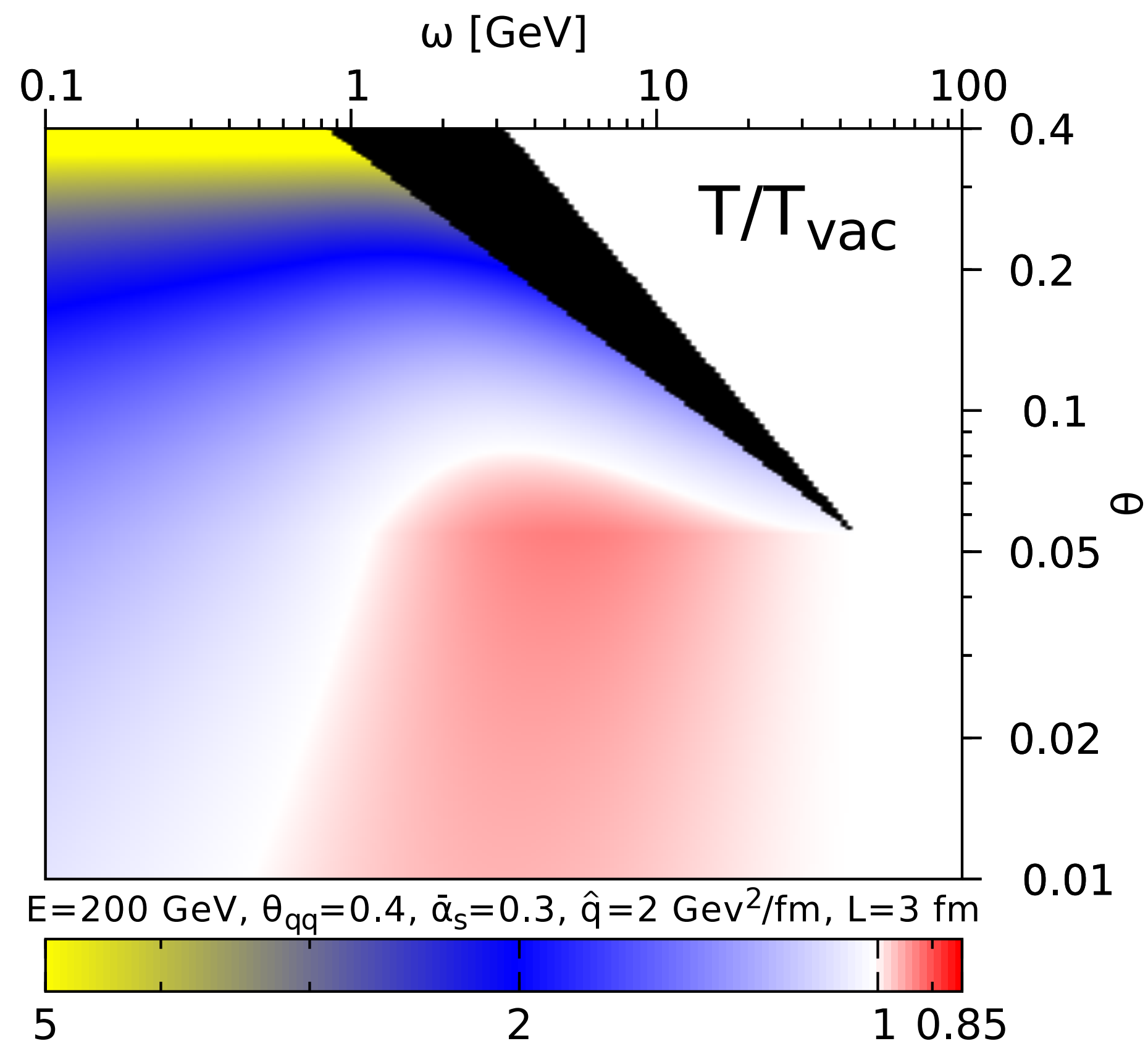


FIG. 2. The ratio $T(\omega, \theta^2)/T_{\text{vac}}(\omega, \theta^2)$ between the two-dimensional gluon distributions in the medium and respectively the vacuum, both computed to DLA and for the values of the free parameters E , $\theta_{q\bar{q}}$, $\bar{\alpha}_s$, \hat{q} and L shown in the figure.

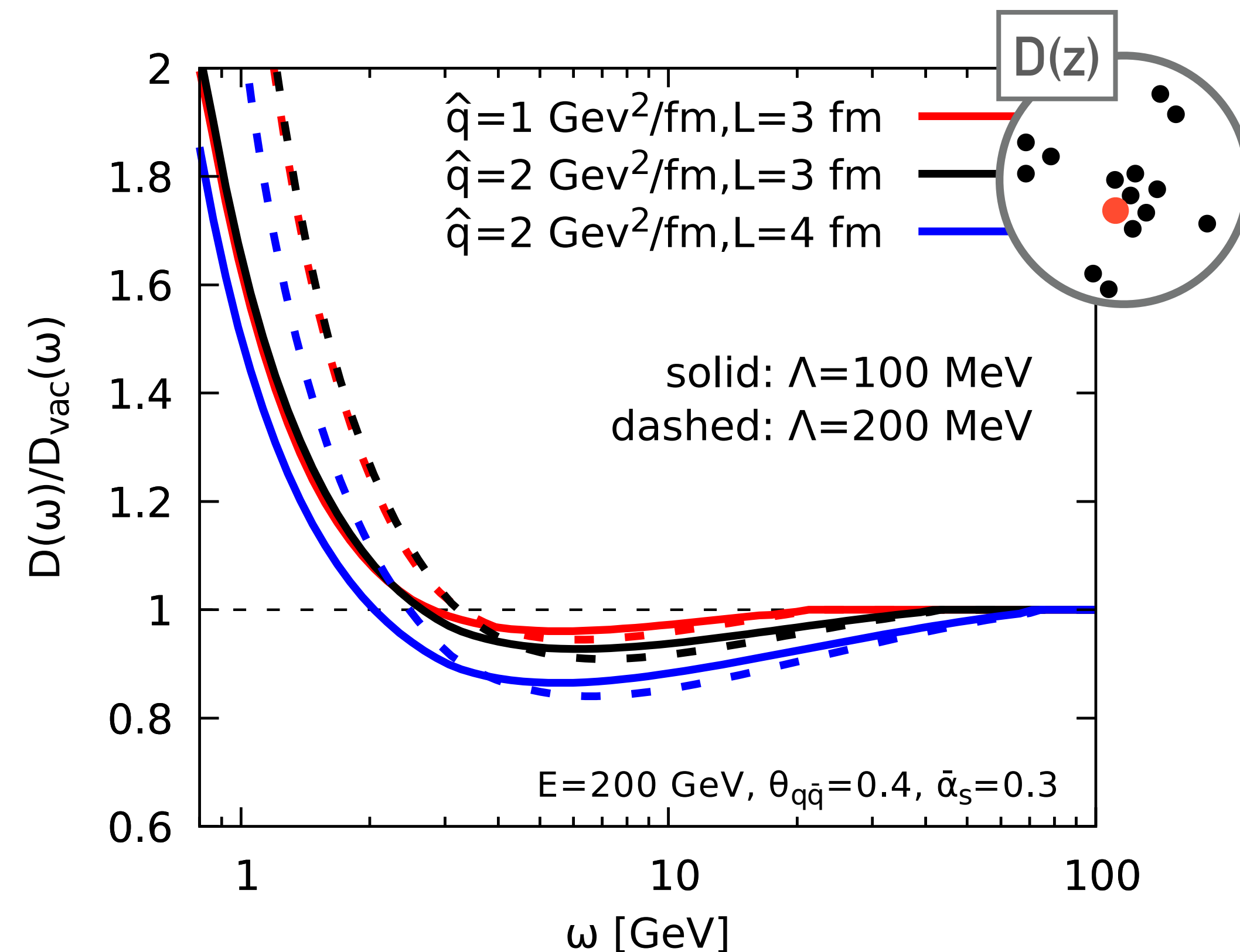
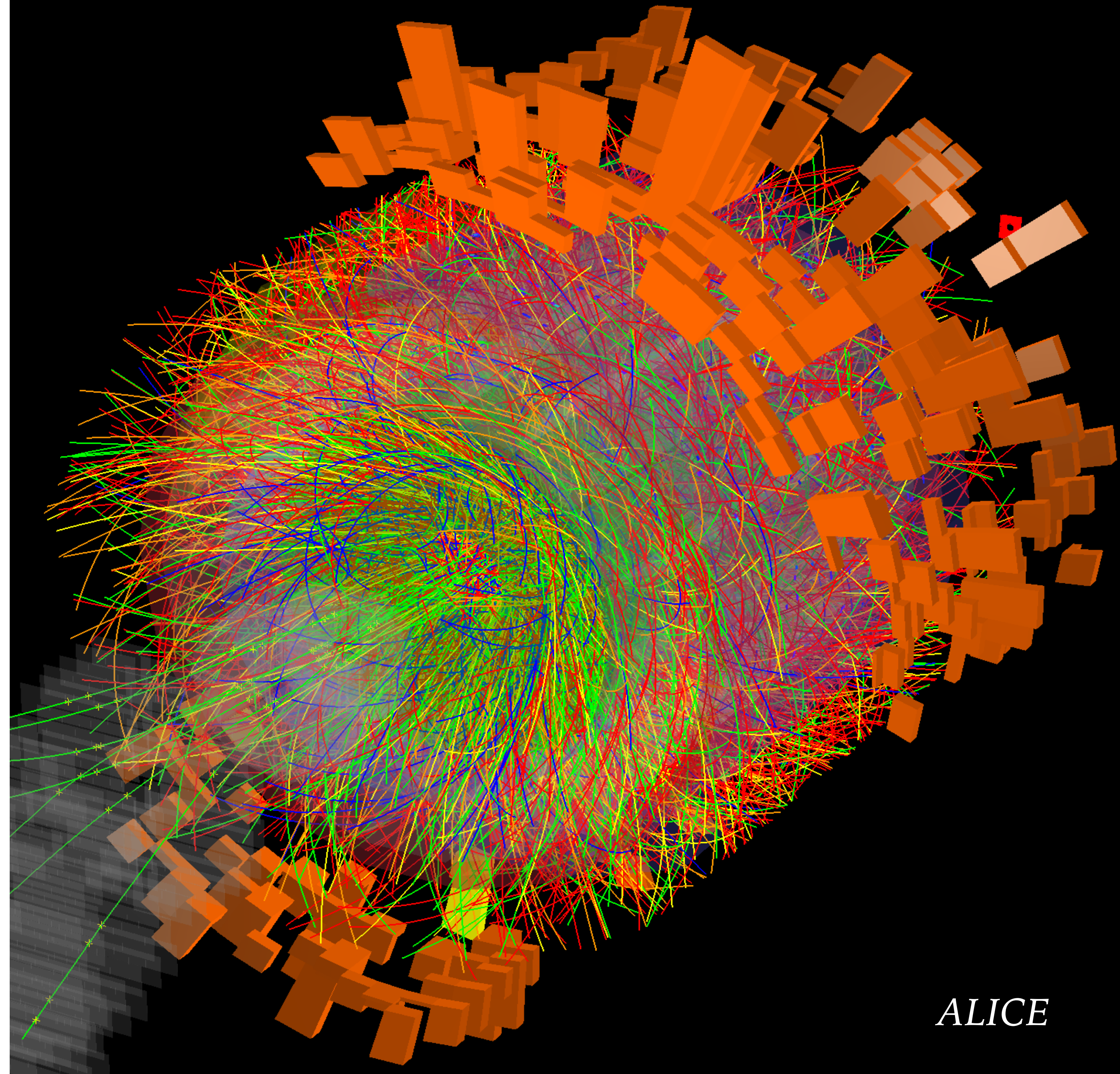


FIG. 3. The ratio $D(\omega)/D_{\text{vac}}(\omega)$ between the fragmentation functions in the medium and respectively the vacuum, for different choices for the medium parameters \hat{q} and L and the hadronisation scale Λ (and fixed values for E , $\theta_{q\bar{q}}$, and $\bar{\alpha}_s$).

OBSERVABLES

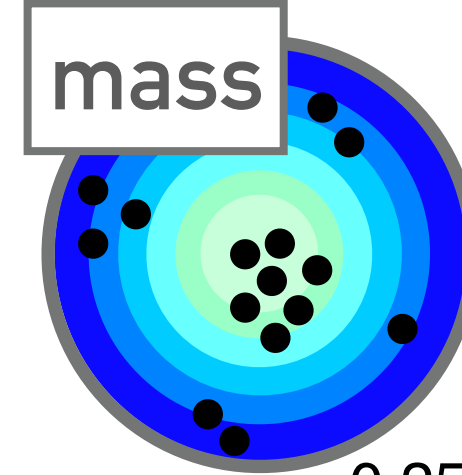
What is observable?

- Jets are always in the medium
(100-200 GeV/unit area)
- Measurements done after background subtraction
- Subtraction procedure is **essential part of observable definition**
- **Conclusions only solid if they're independent of subtraction procedure**
- Subtraction procedure should be taken into account in comparisons with MCs and other theory predictions

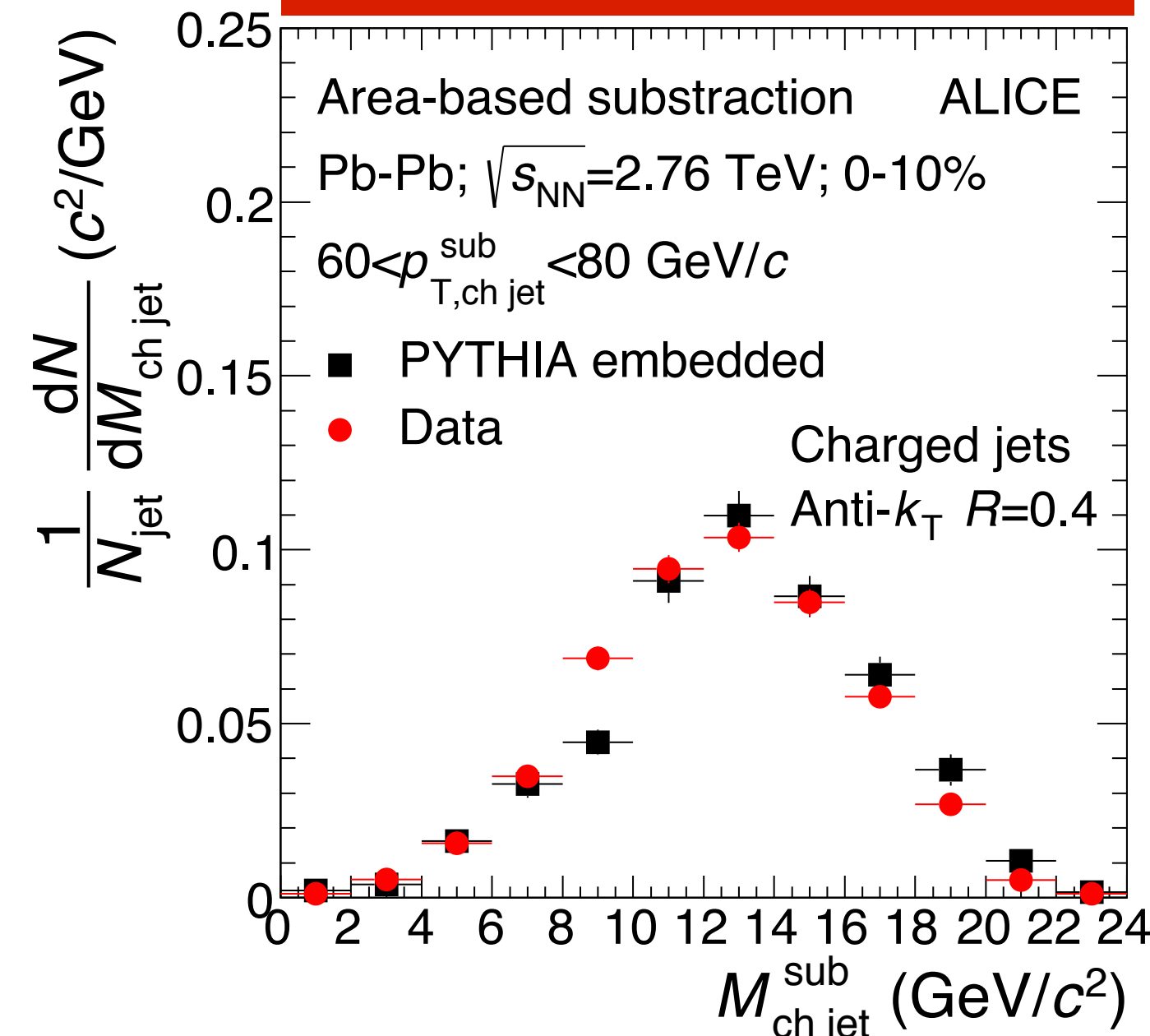


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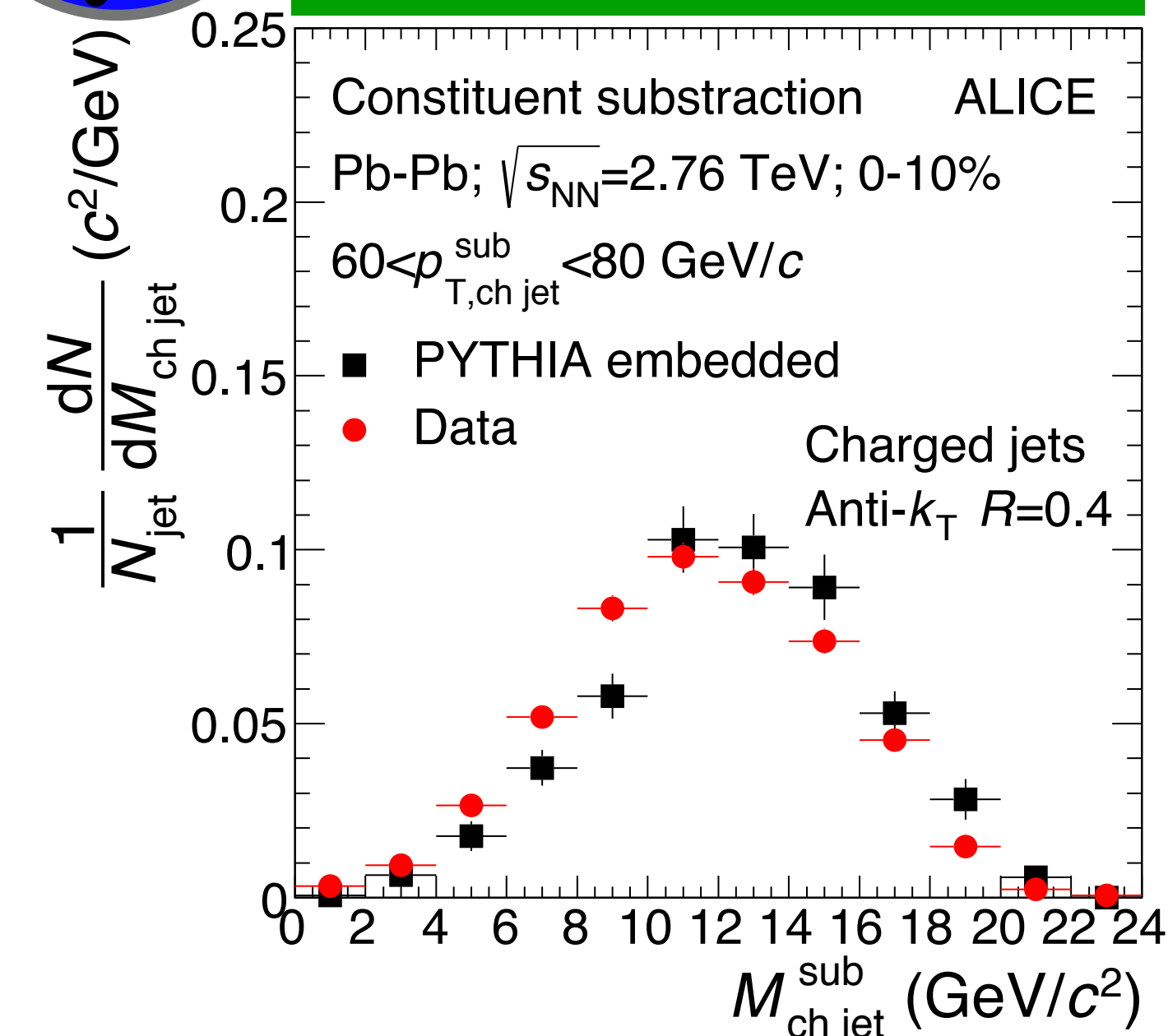
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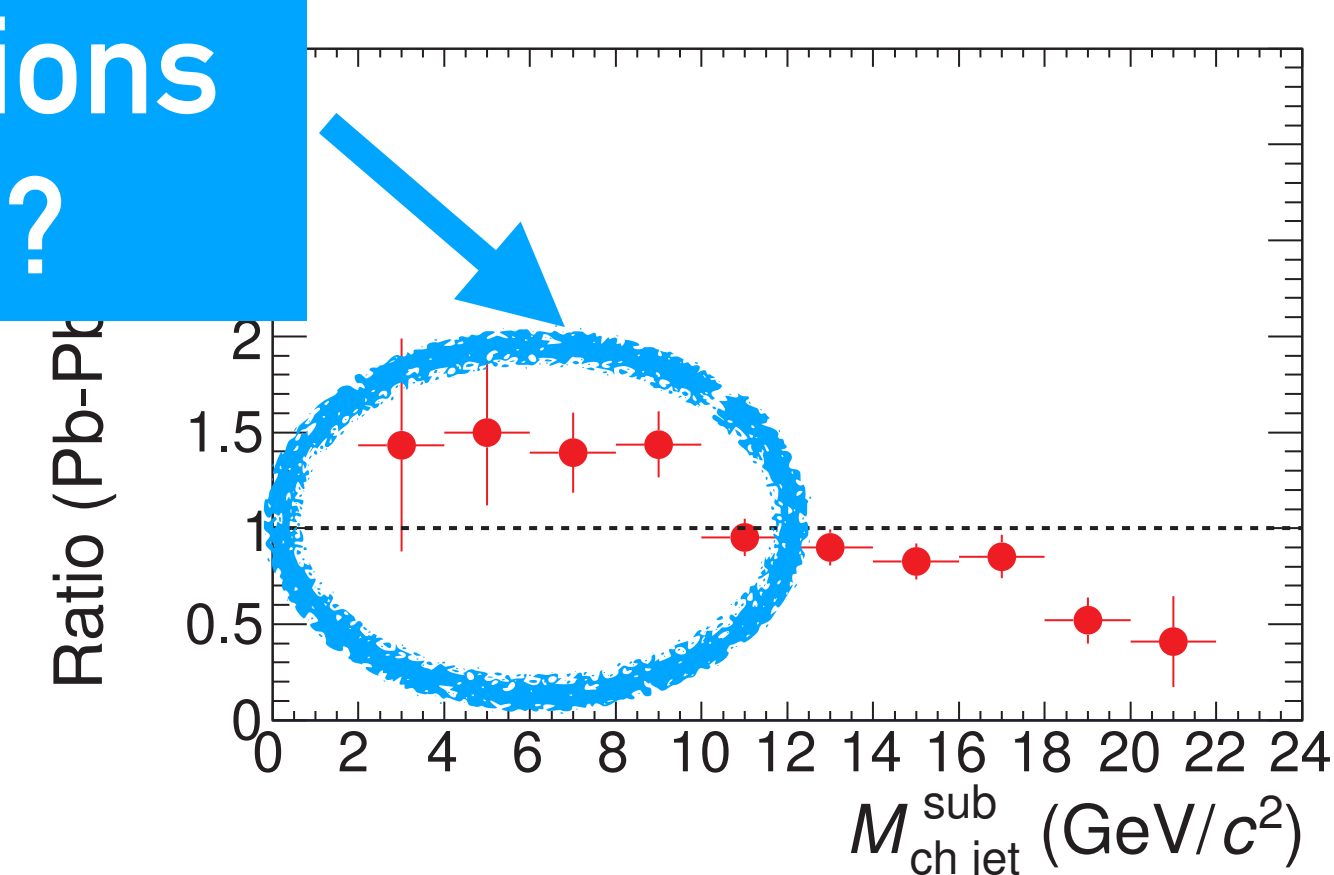
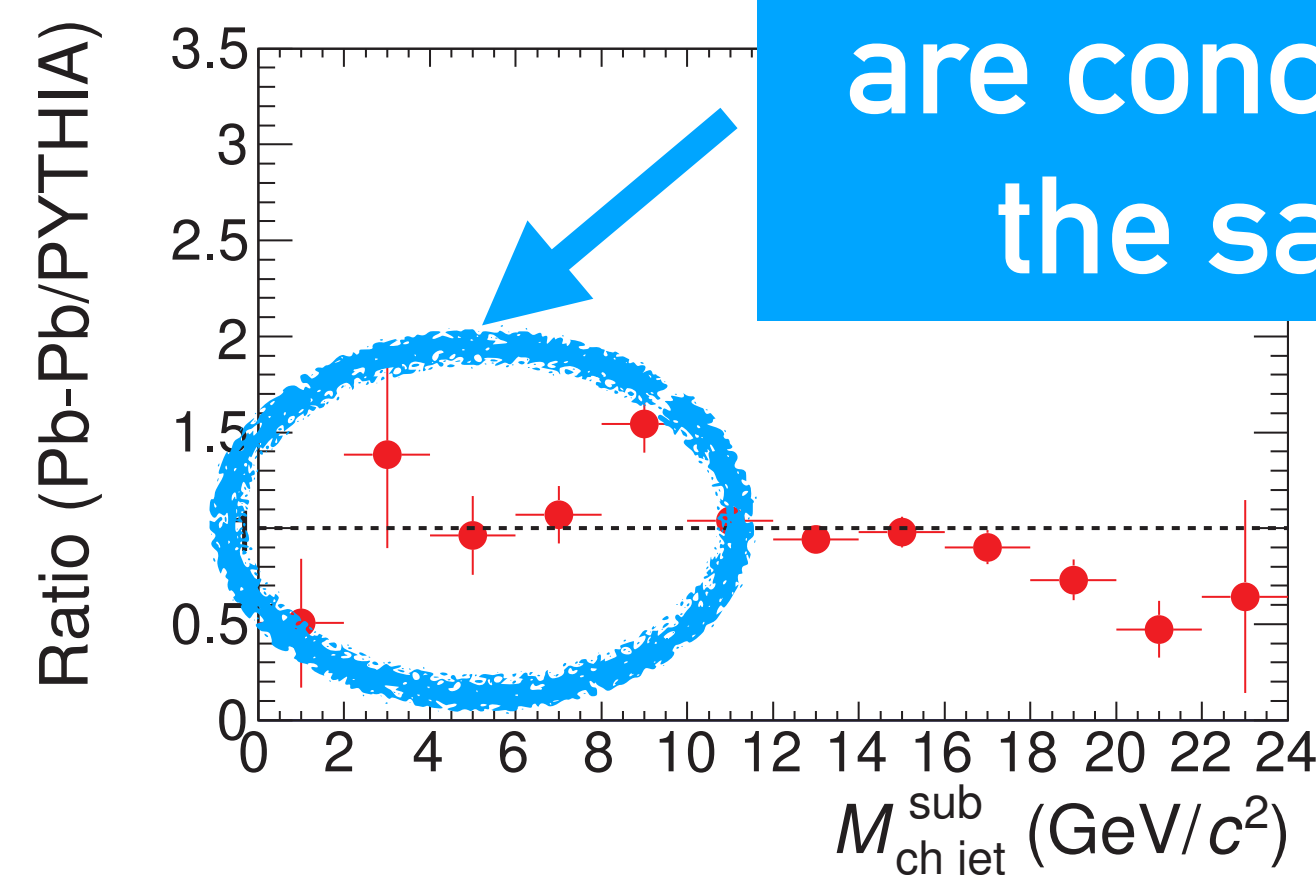
area subtraction



constituent subtraction

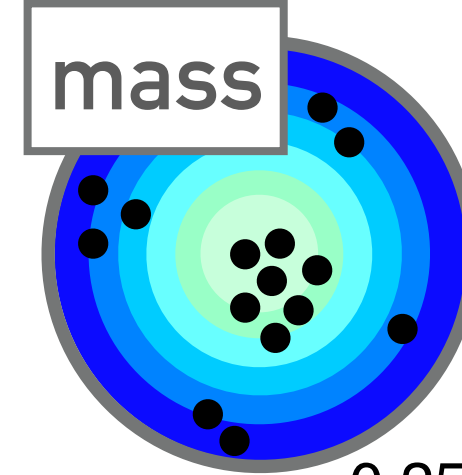


are conclusions the same?



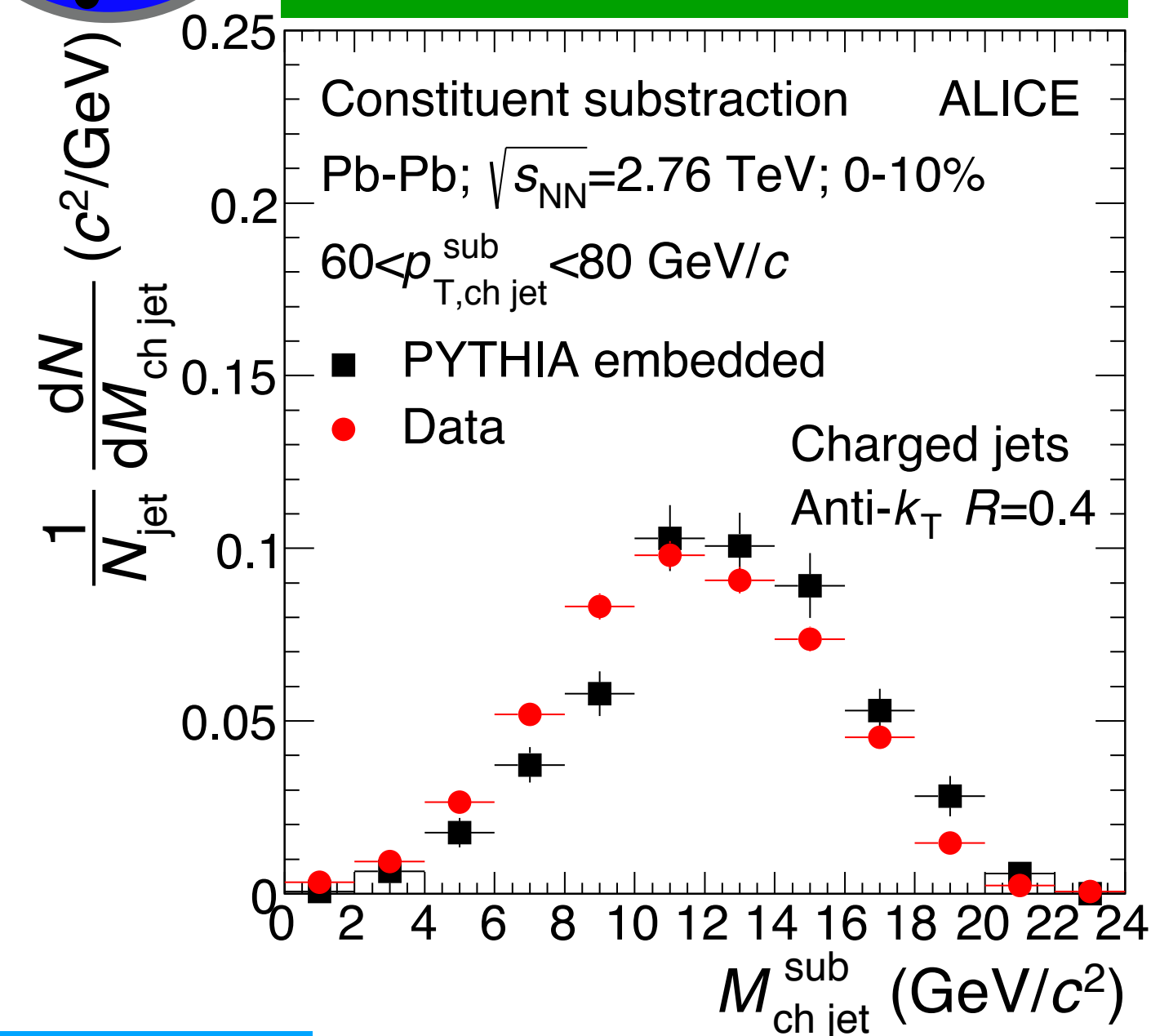
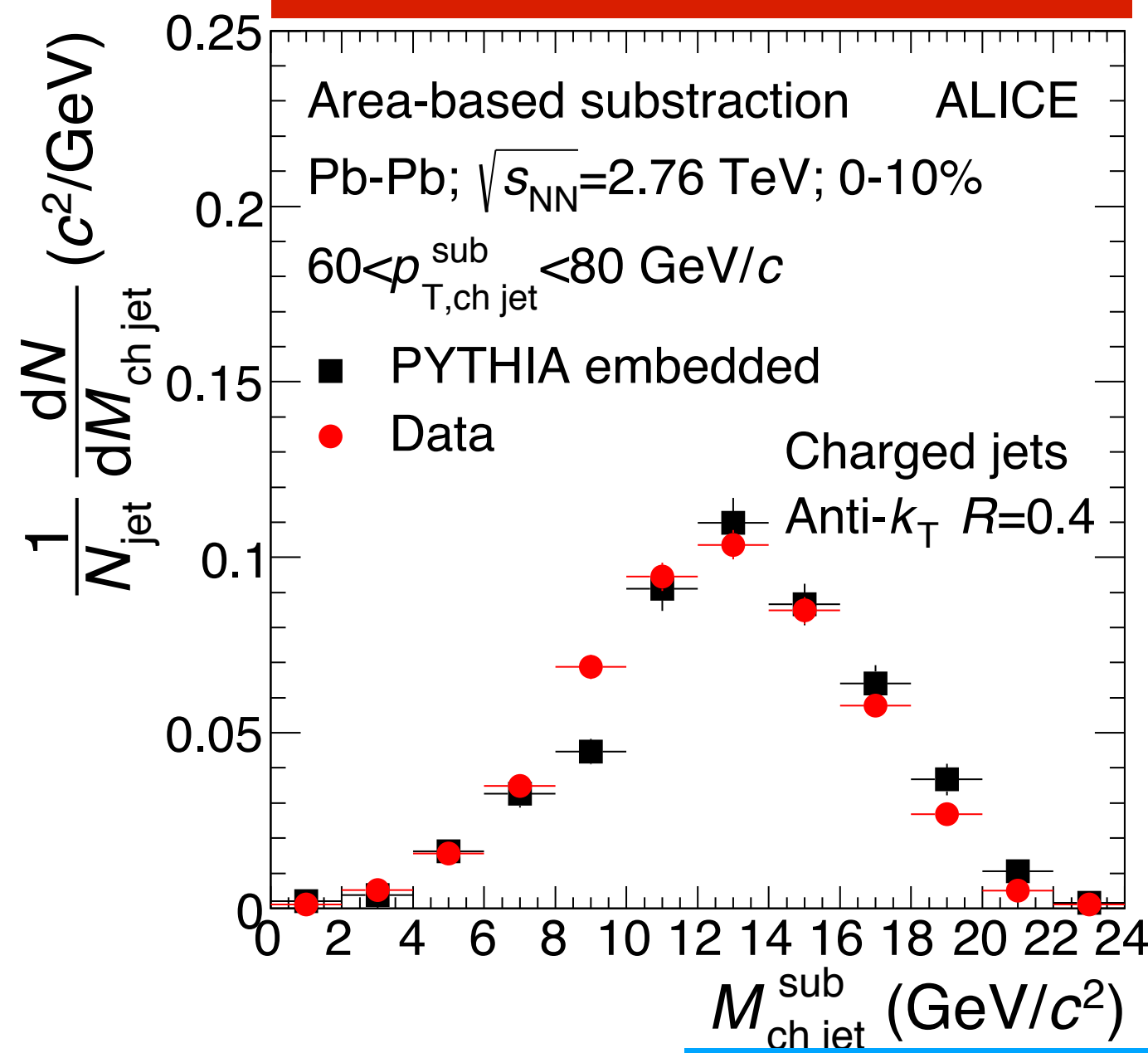
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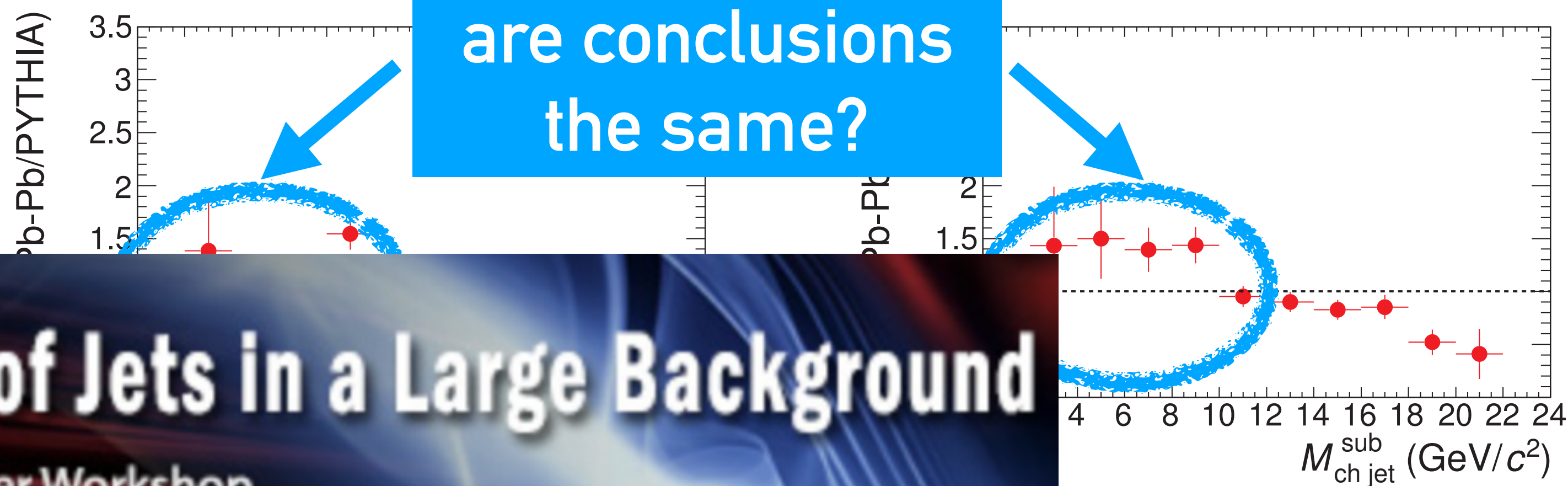


area subtraction

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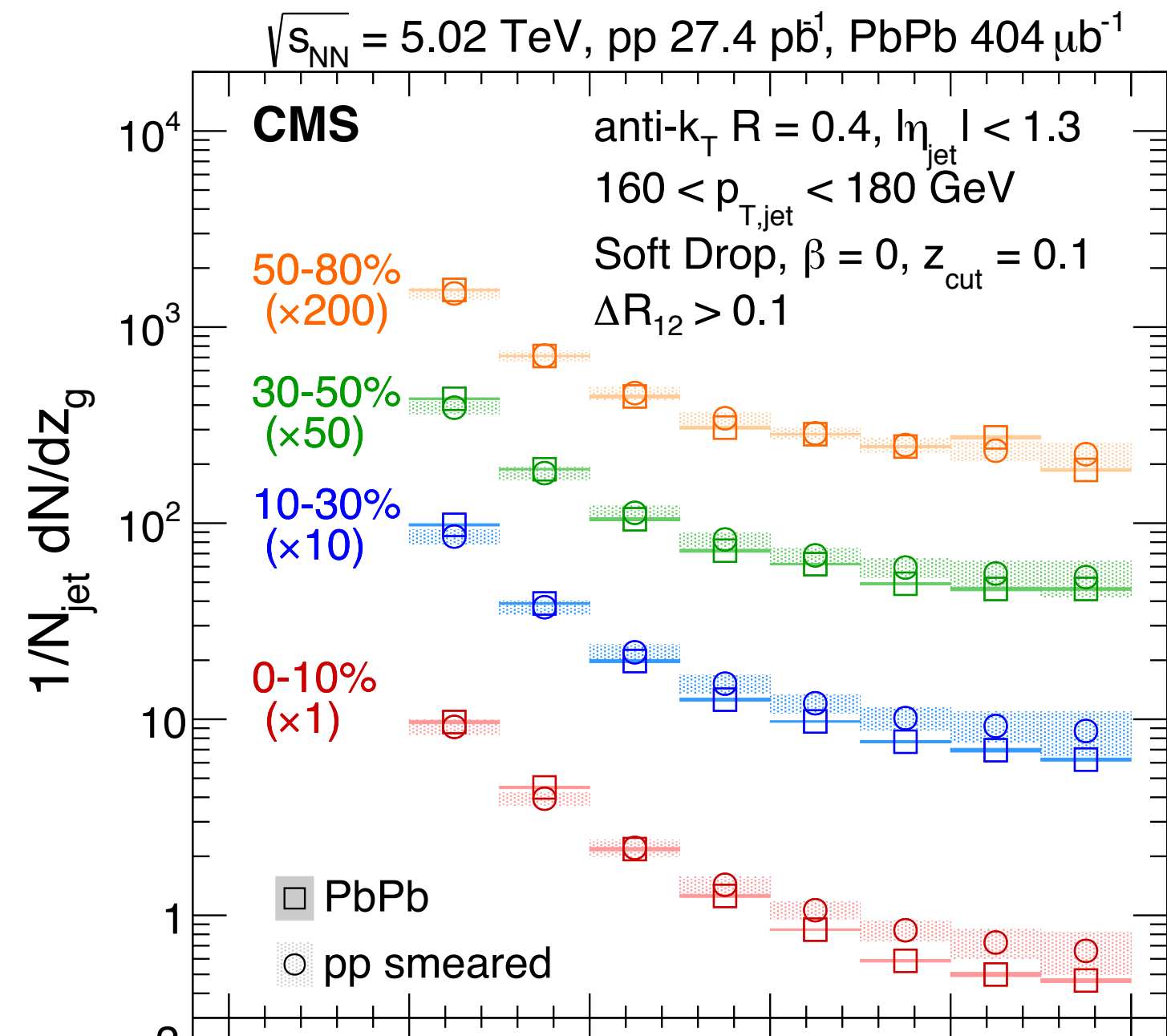


The Definition of Jets in a Large Background
 RIKEN BNL Research Center Workshop
 June 25-27, 2018 at Brookhaven National Laboratory

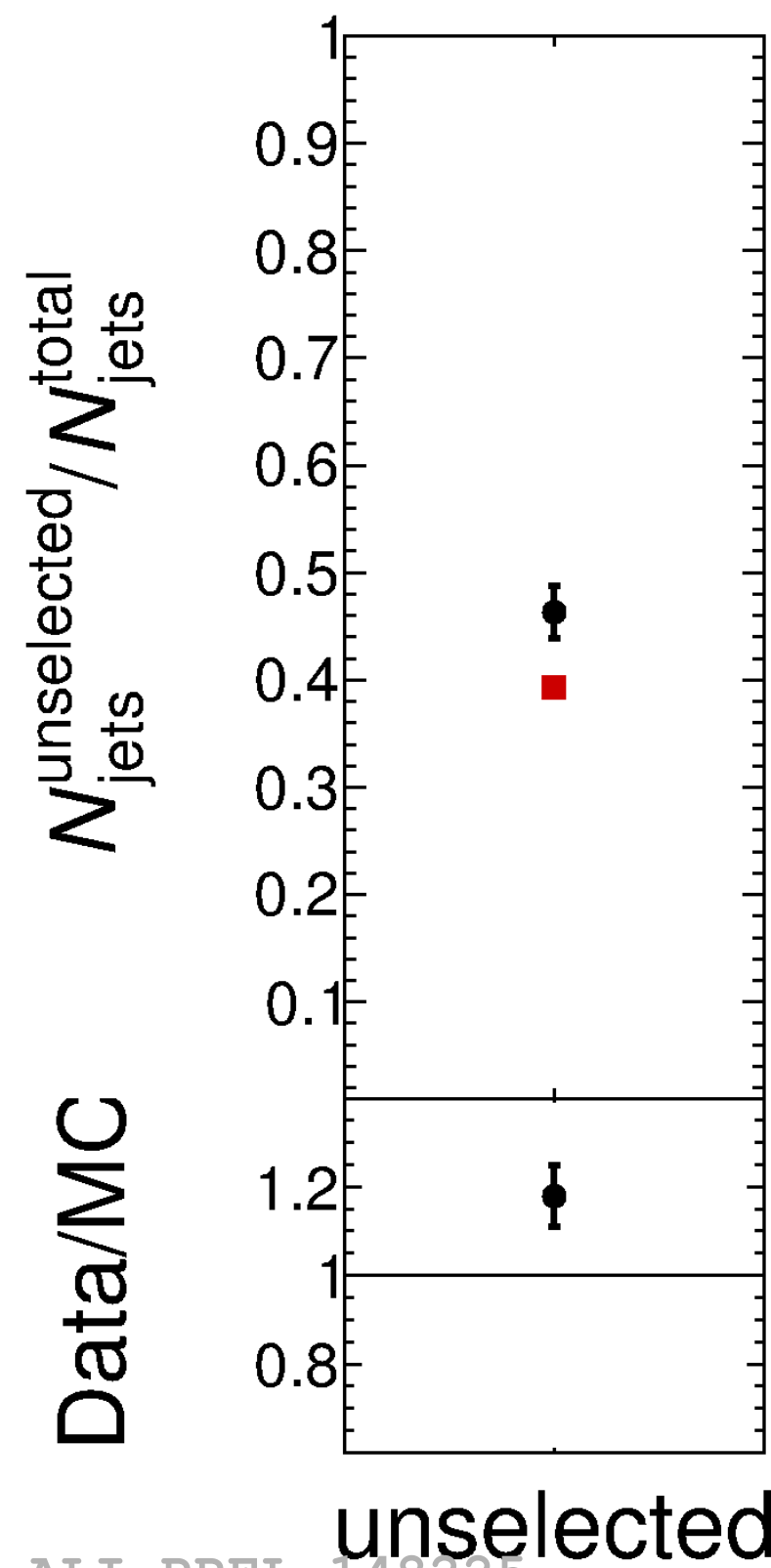
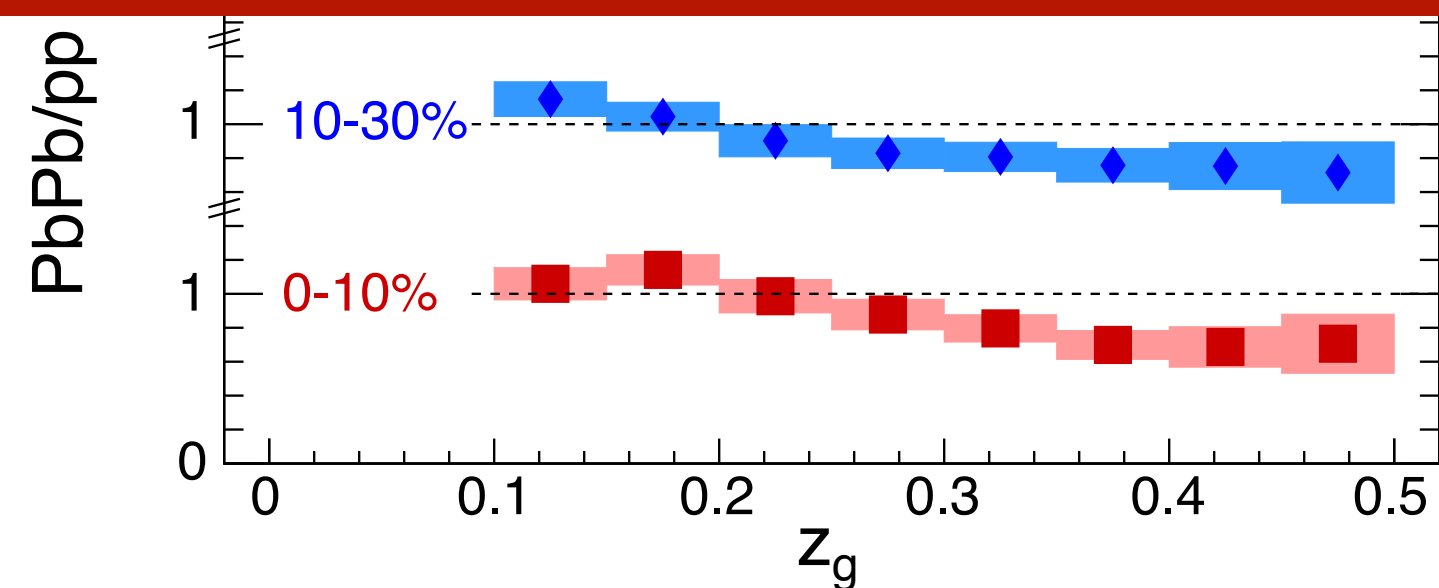
Soft-Drop normalisation



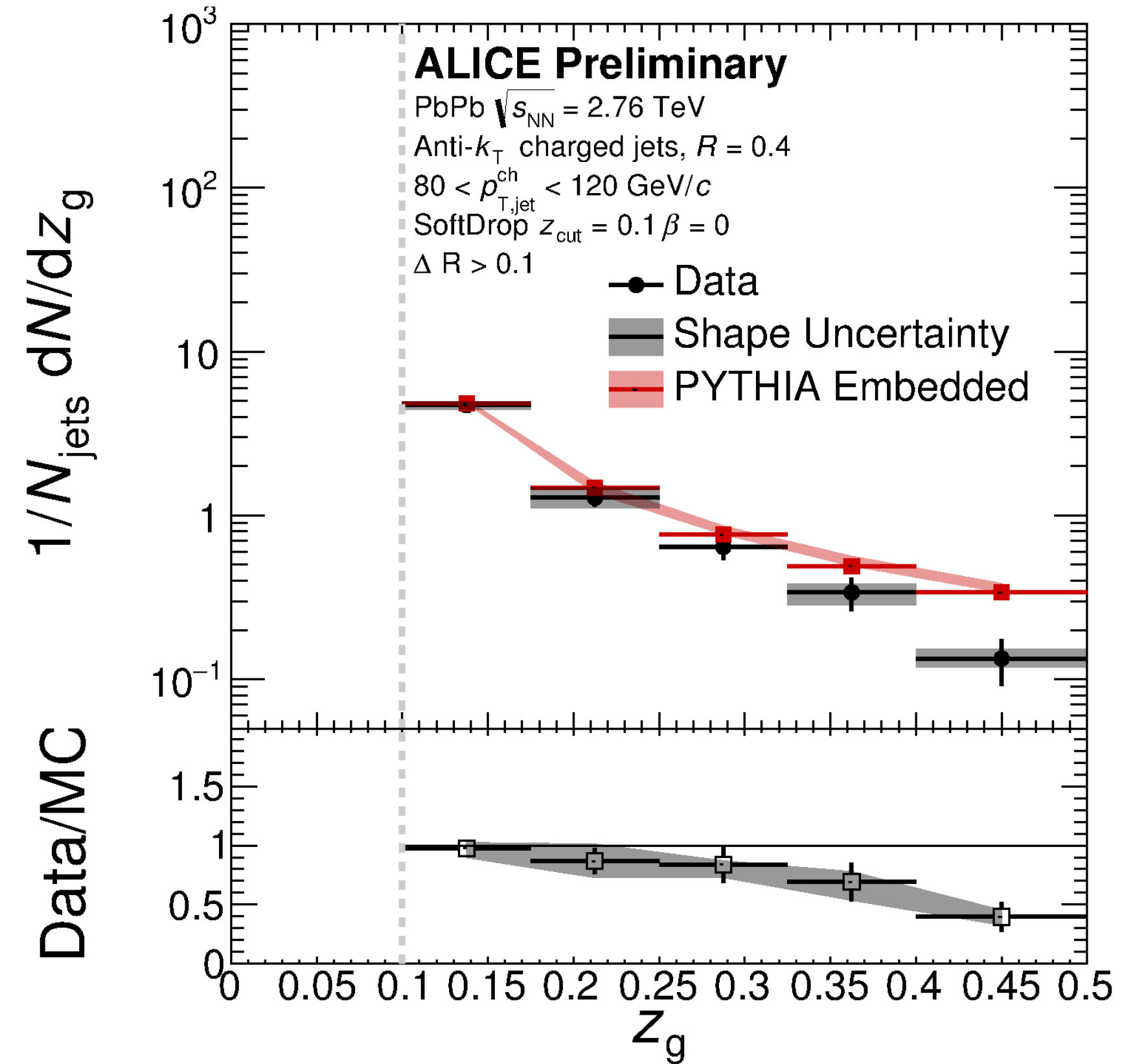
Normalised to number of jets in p_T bin: contains full info



Normalised to number of soft-dropped jets: some info lost



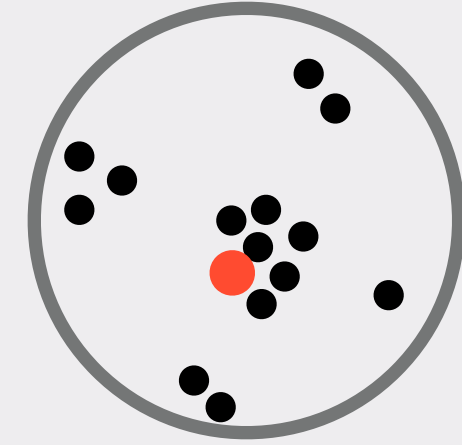
ALI-PREL-148225



Jet structure observables

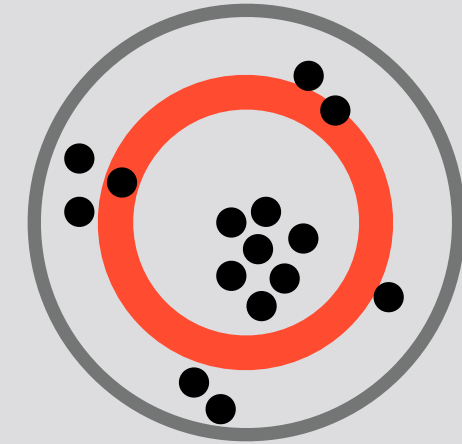
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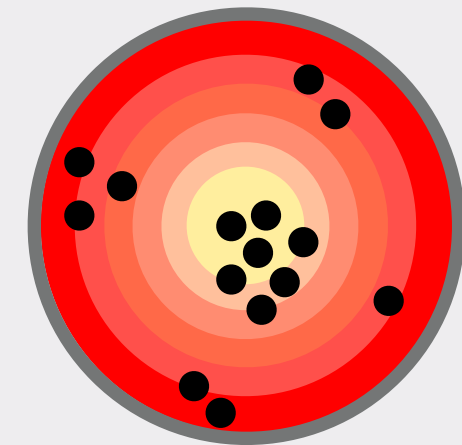
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jet shape

$$\rho(r) = \frac{1}{p_{\perp}^{\text{jet}}} \sum_{k \text{ with } \Delta R_{kJ} \in [r, r+\delta r]} p_{\perp}^{(k)},$$



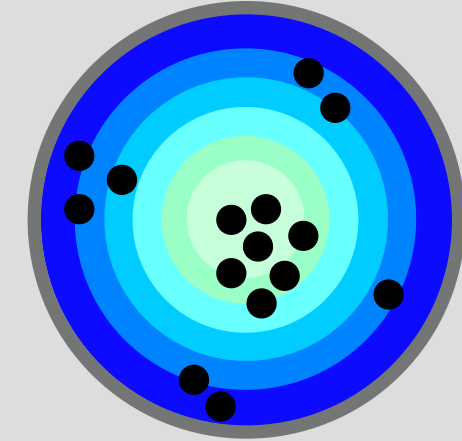
girth \equiv broadening

$$g = \frac{1}{\sum_{k \in \text{jet}} p_{\perp}^{(k)}},$$



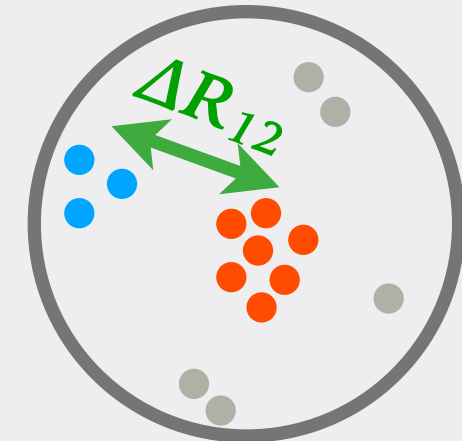
jet mass

$$m^2 = \left(\sum_{i \in (\text{sub})\text{jet}} p_i^{\mu} \right)^2$$



$z_g, \Delta R_{12}$

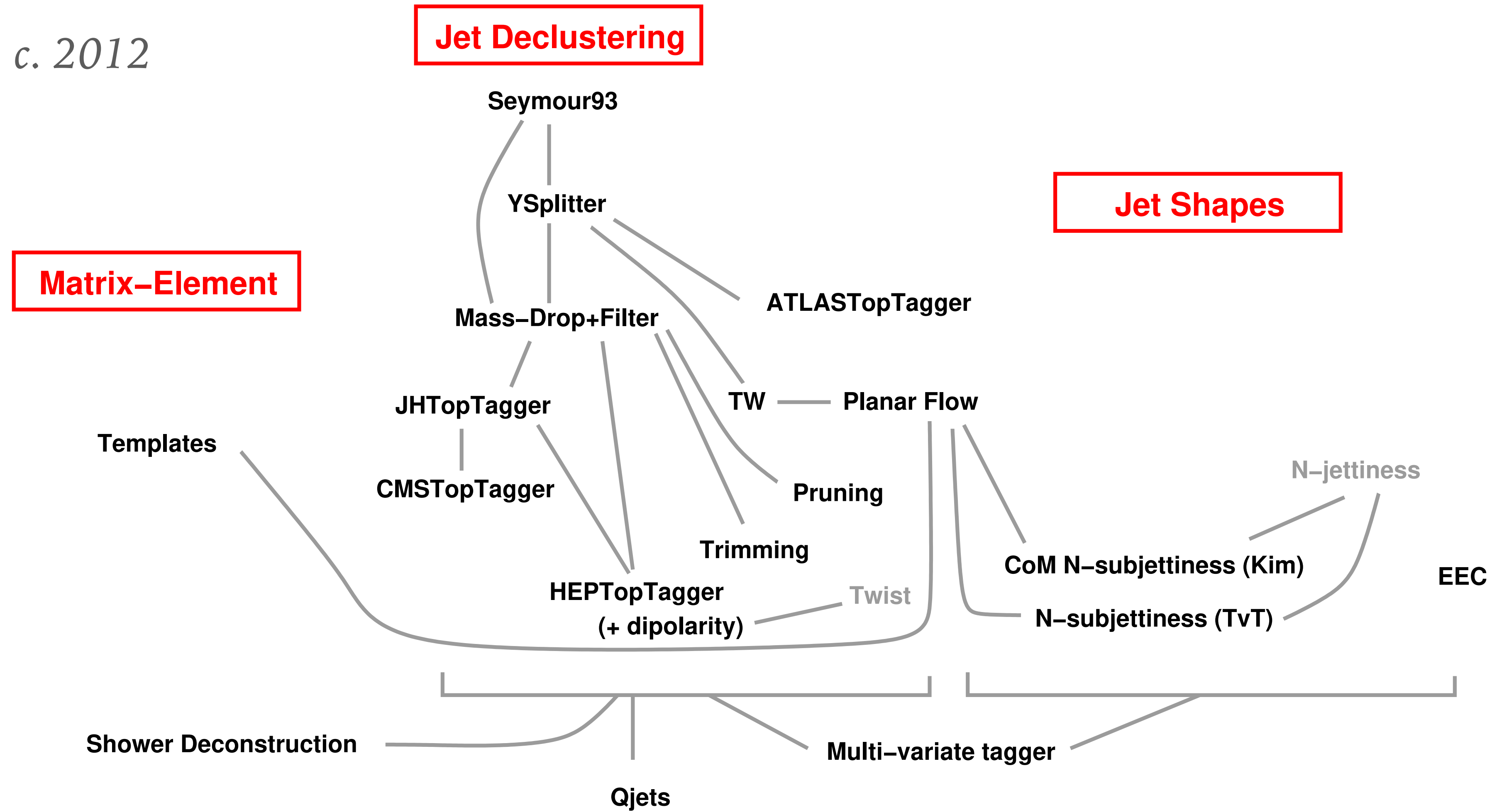
$$z_g = \frac{\min(p_{\perp,1}, p_{\perp,2})}{p_{\perp,1} + p_{\perp,2}} > z_{\text{cut}} \left(\frac{\Delta R_{1,2}}{R_J} \right)^{\beta}$$



Is this a sufficiently informative set of observables?

pp jet substructure field is full of activity

c. 2012



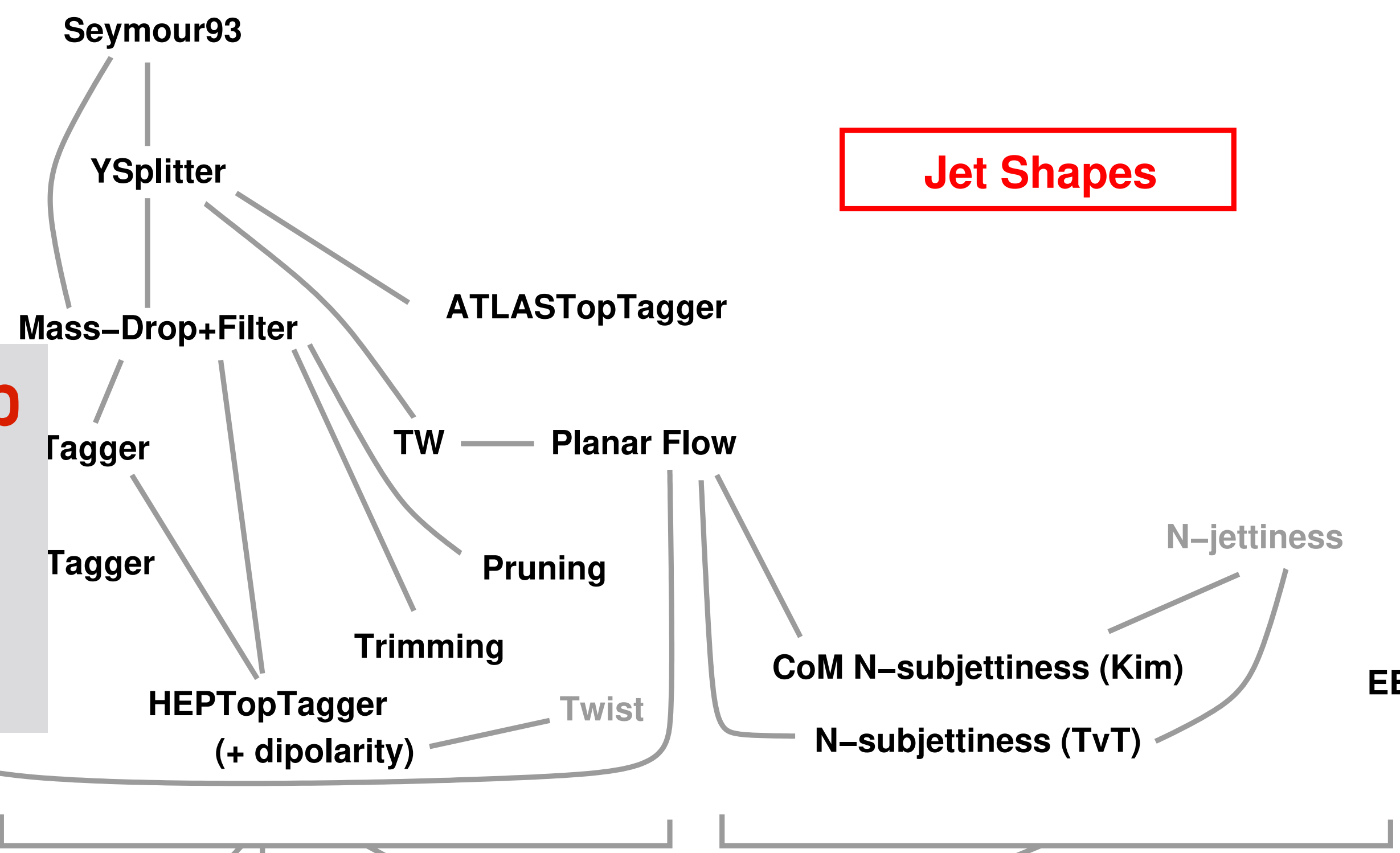
pp jet substructure field is full of activity

c. 2018

Jet Declustering

Matrix-Element

modified mass drop
soft drop
iterated soft drop
recursive soft drop



Jet Shapes

Degree	Connected Multigraphs
$d = 0$	
$d = 1$	
$d = 2$	
$d = 3$	
$d = 4$	
$d = 5$	

$C_n, D_n, v e_n(\beta), M_n, N_n, U_n, EFPs$

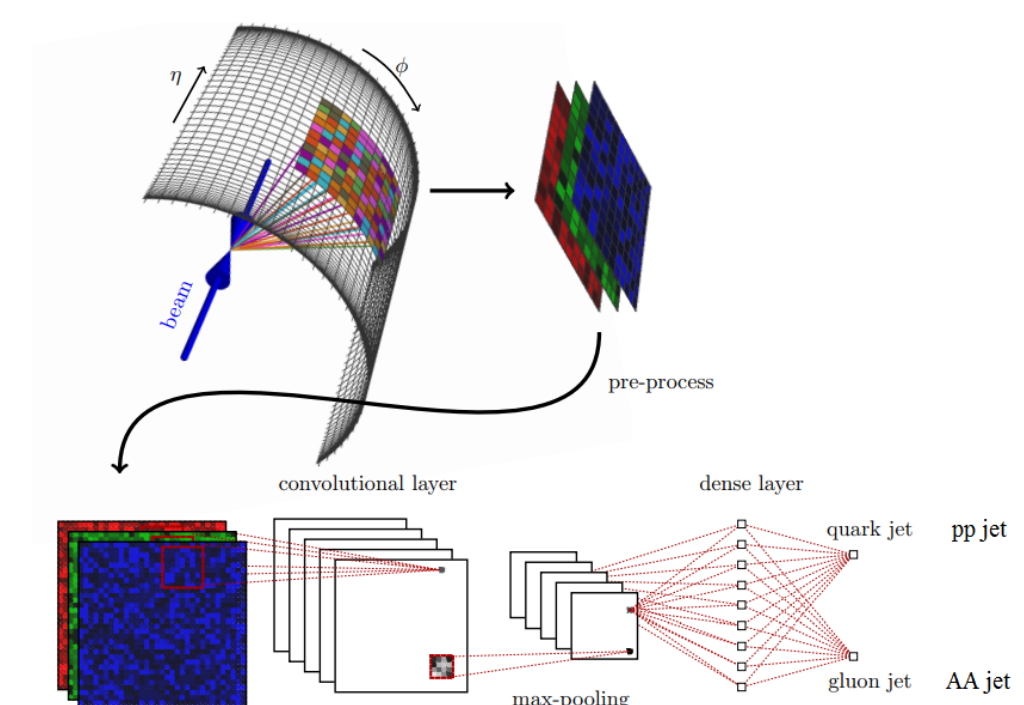
Shower Deconstruction

Qjets

Multi-variate tagger

classification without labels
weak supervision

machine learning
DNN, CNN,
RNN, LSTM, etc



etc.

recurrent theme in calculations: 2d phasespace plots

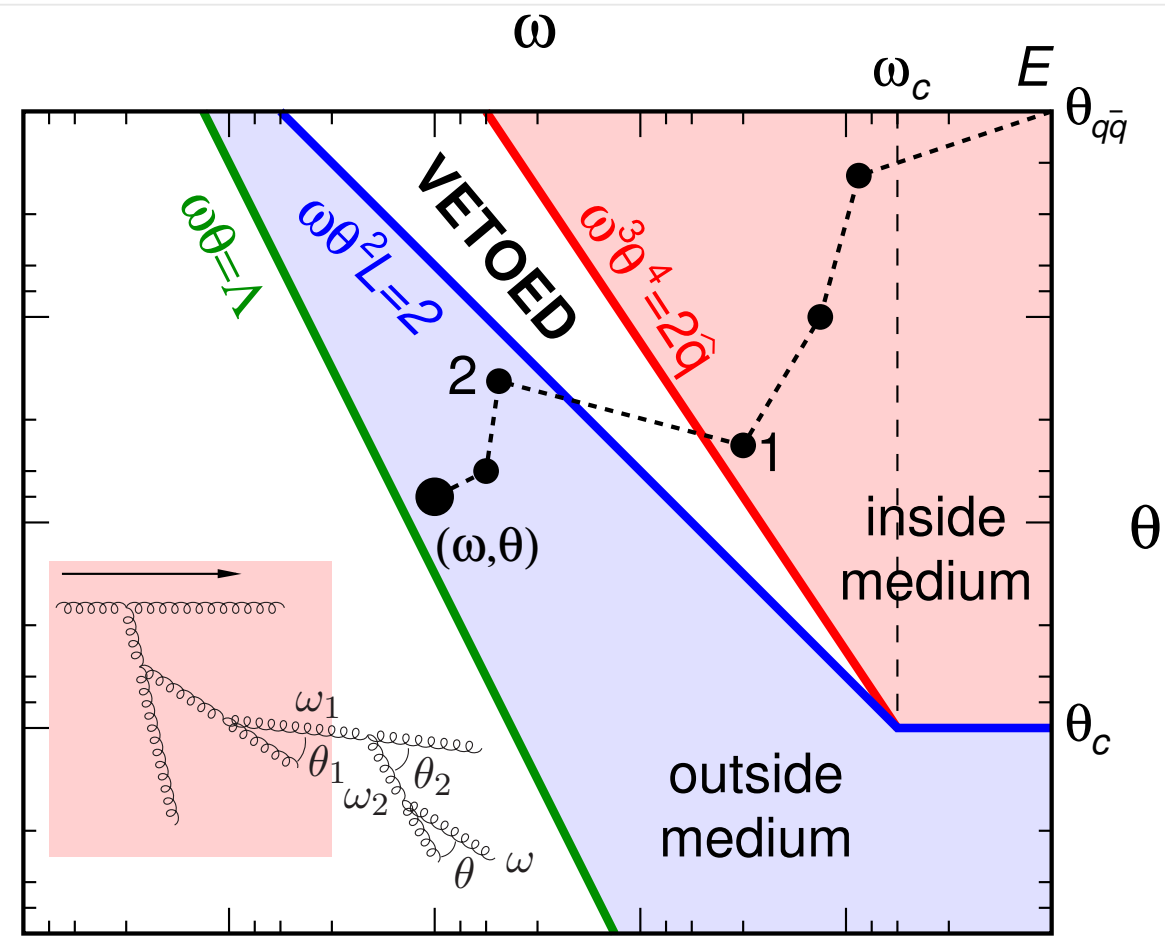
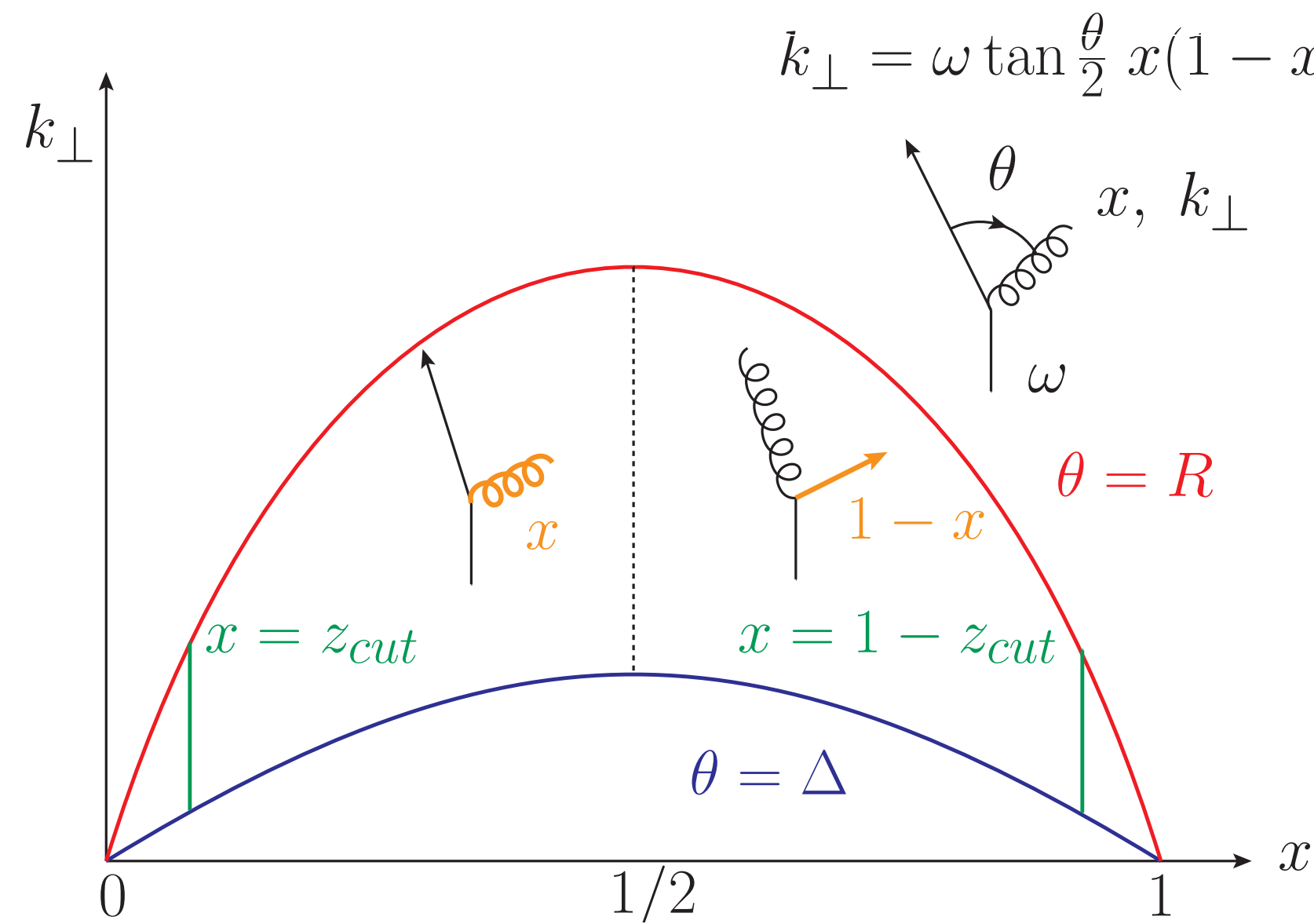
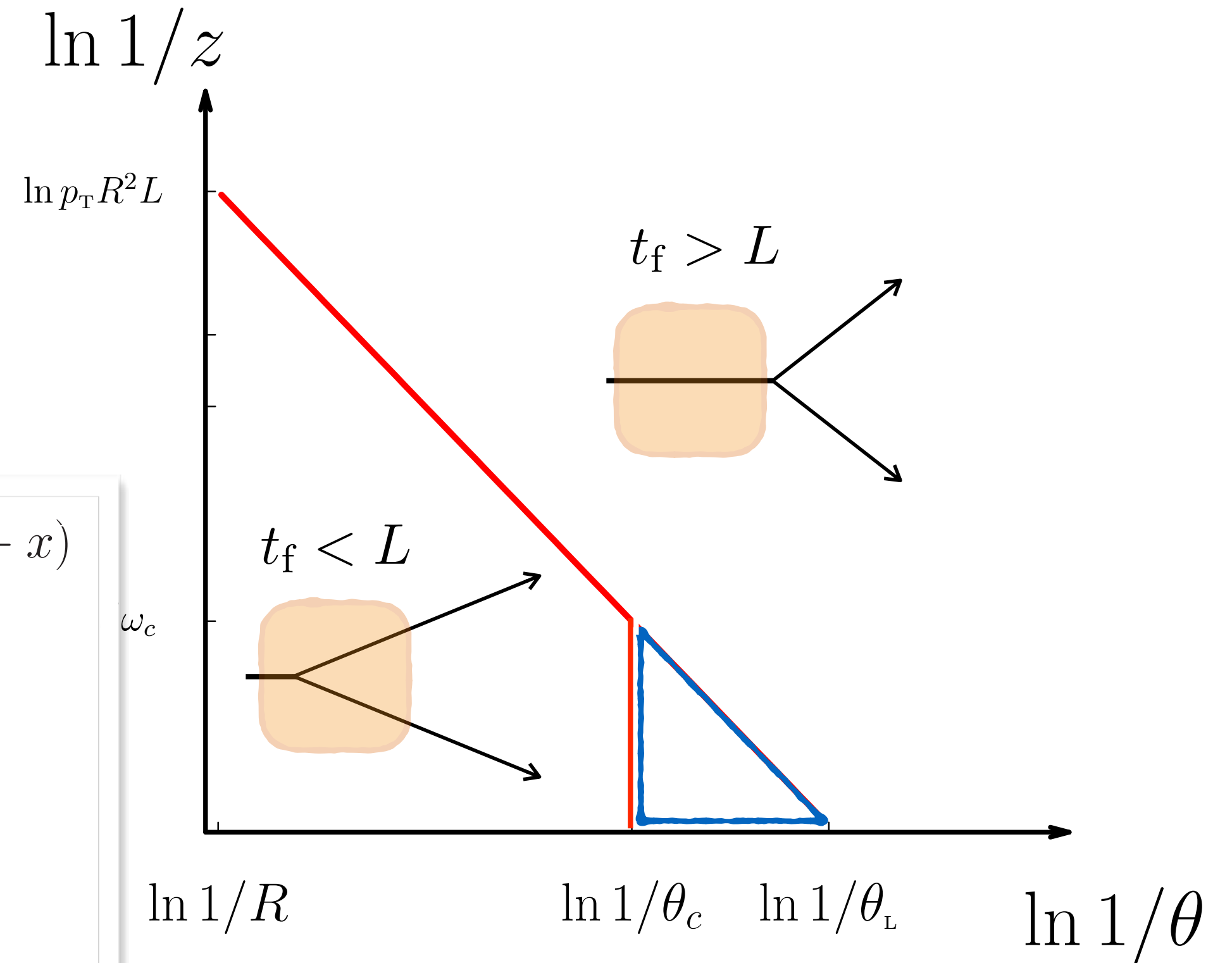


FIG. 1. Schematic representation of the phase-space available for VLEs, including an example of a cascade with “1” the last emission inside the medium and “2” the first emission outside

*P. Caucal, E. Iancu,
A.H. Mueller, G. Soyez*



Yang-Ting Chien^{a,b} and Ivan Vitev^a



Tywoniuk (// talk) w. Mehtar-Tani

recurrent theme in calculations: 2d phasespace plots

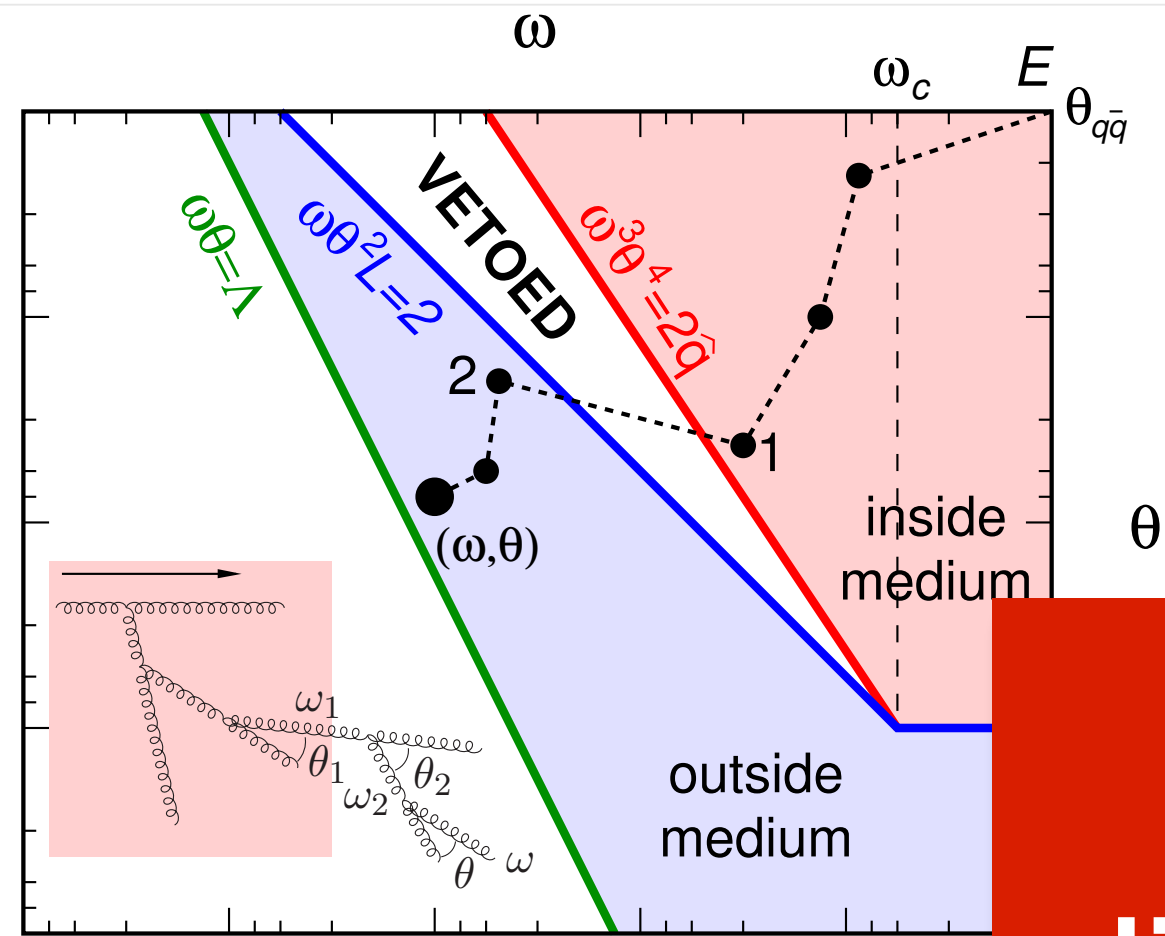
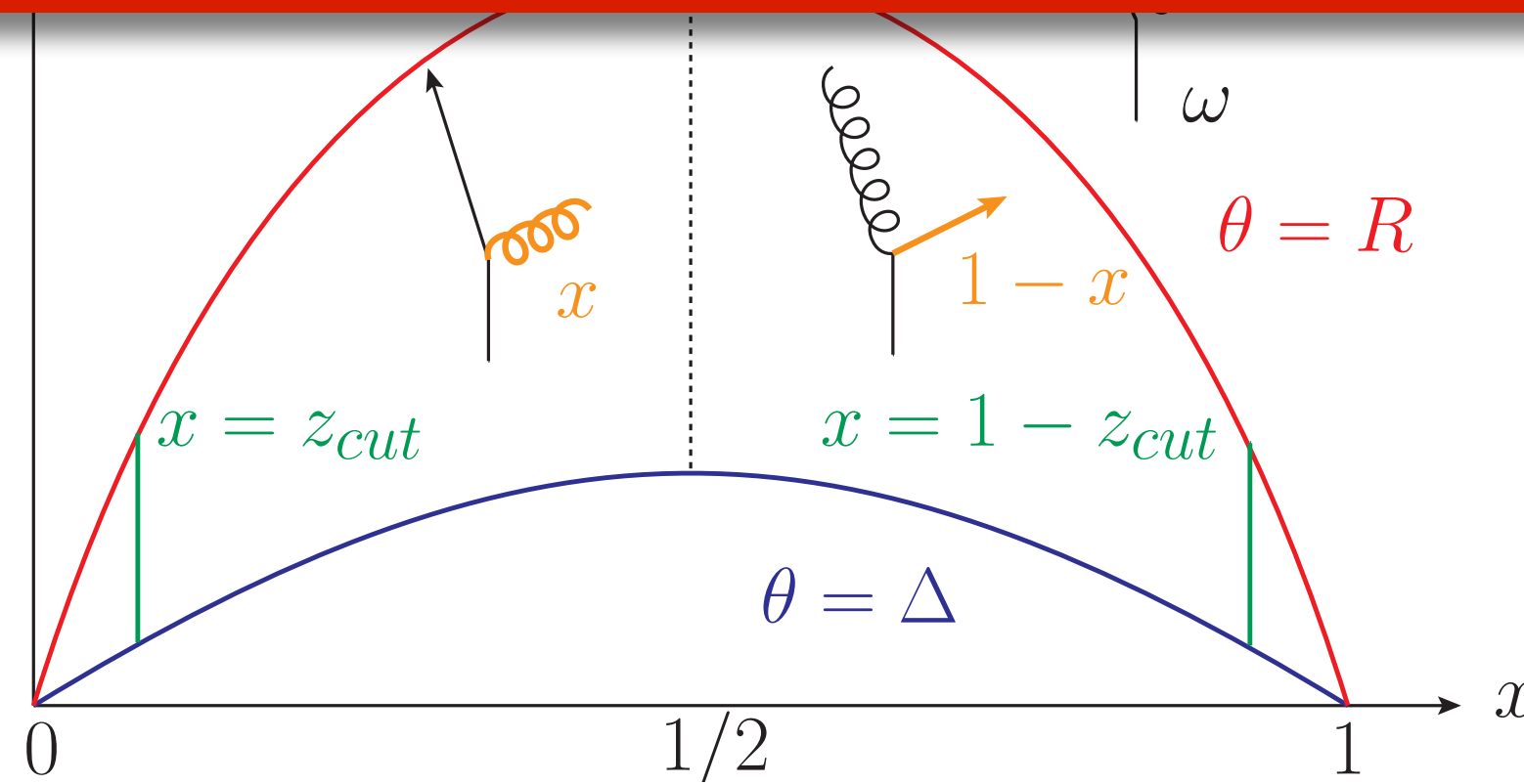


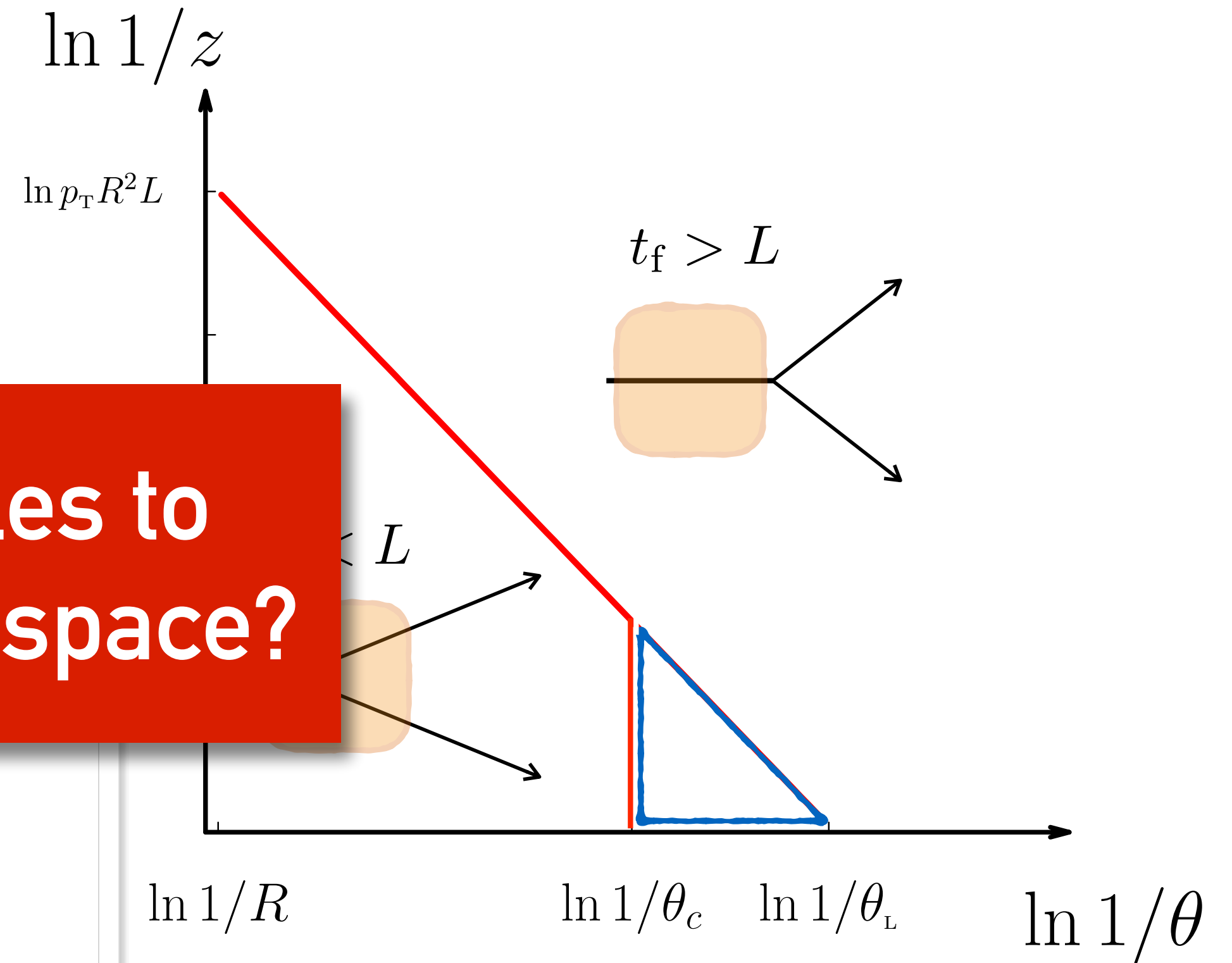
FIG. 1. Schematic representation of the phase-space for VLEs, including an example of a cascade with emission inside the medium and “2” the first emission

*P. Caucal, E. Iancu,
A.H. Mueller, G. Soyez*

Can we design observables to directly probe the 2d phasespace?



Yang-Ting Chien^{a,b} and Ivan Vitev^a



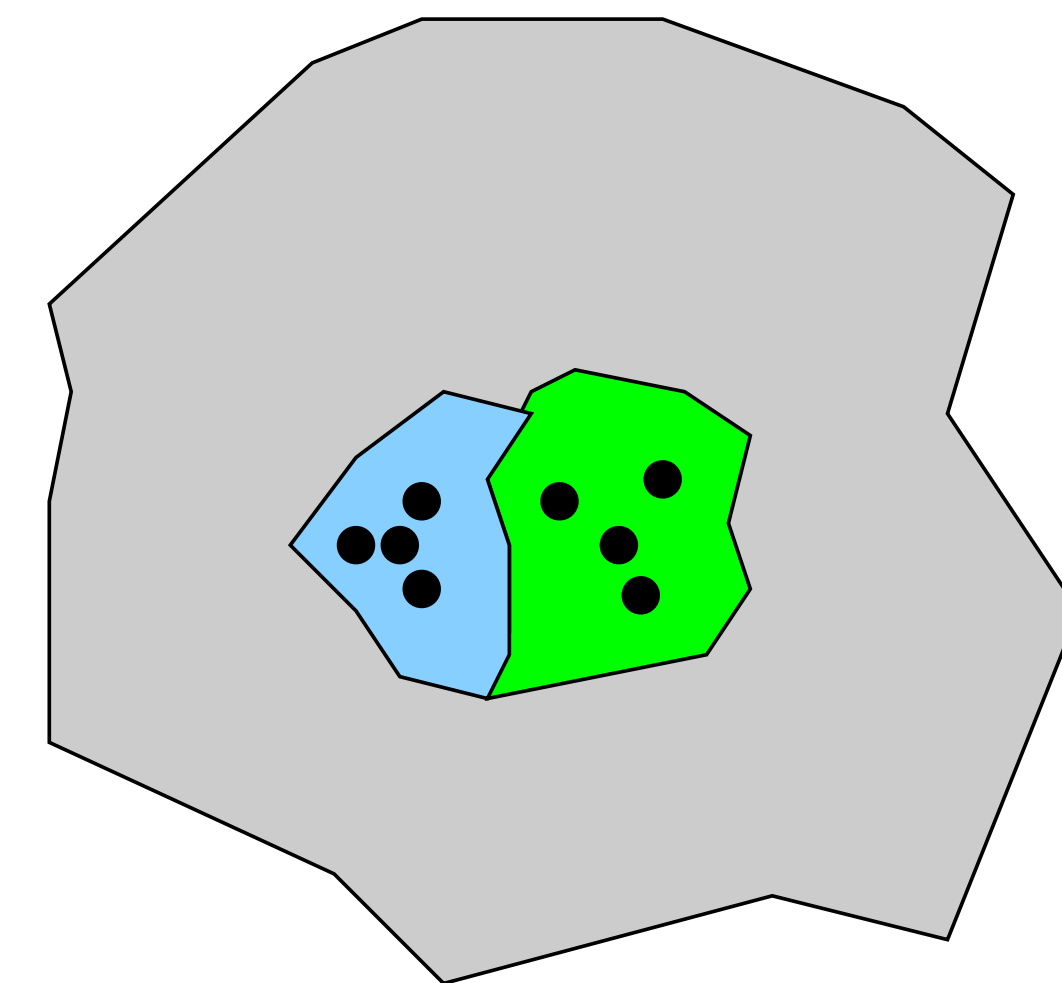
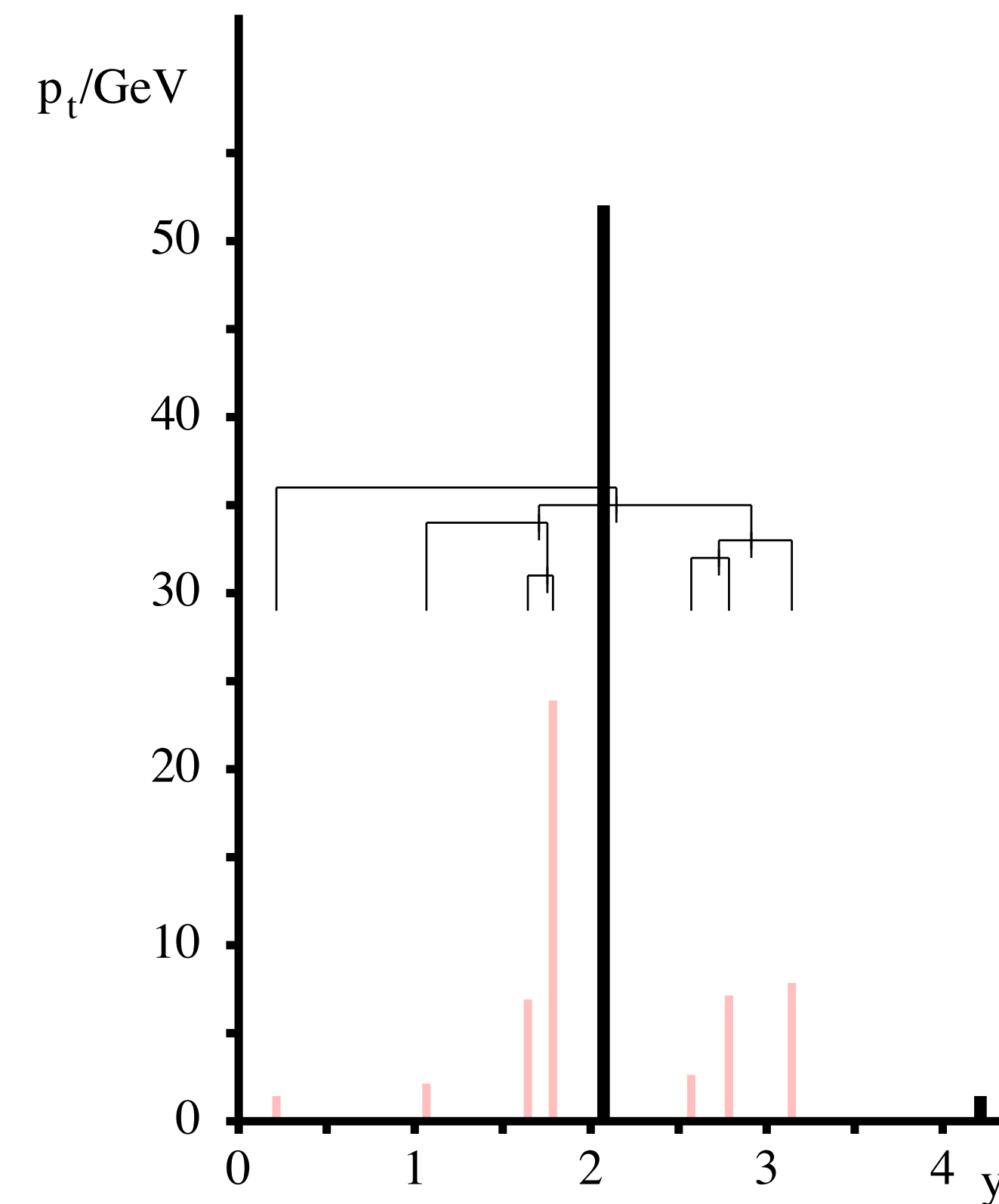
Tywoniuk (// talk) w. Mehtar-Tani

A sequence of jet substructure tools taggers

- 1993: k_t declustering for boosted W's: [Seymour]
- 2002: Y-Splitter (k_t declustering with a cut) [Butterworth, Cox, Forshaw]
- 2008: Mass-Drop Tagger (C/A declustering with a k_t/m cut) [Butterworth, Davison, Rubin, GPS]
- 2013: Soft Drop, $\beta=0$ [Dasgupta, Fregoso, Marzani, GPS]
- 2014: Soft Drop, $\beta \neq 0$ [Larkoski, Marzani, Soyez, Thaler]

1. Undo last clustering of C/A jet into subjects 1, 2
2. Stop if $z = \frac{\min(p_{t1}, p_{t2})}{p_{t1} + p_{t2}} \left(\frac{\Delta R_{12}}{R} \right)^\beta > z_{\text{cut}}$
3. Else discard softer branch, repeat step 1 with harder branch

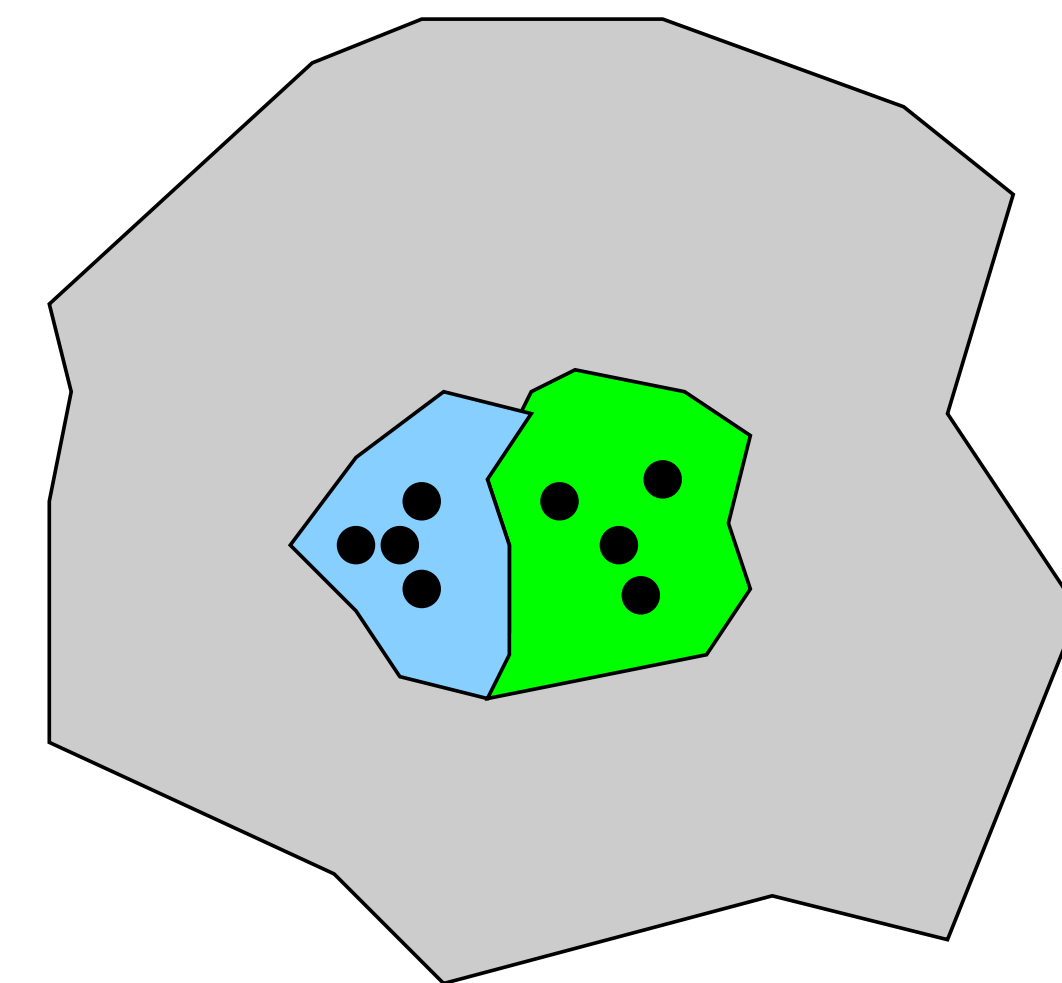
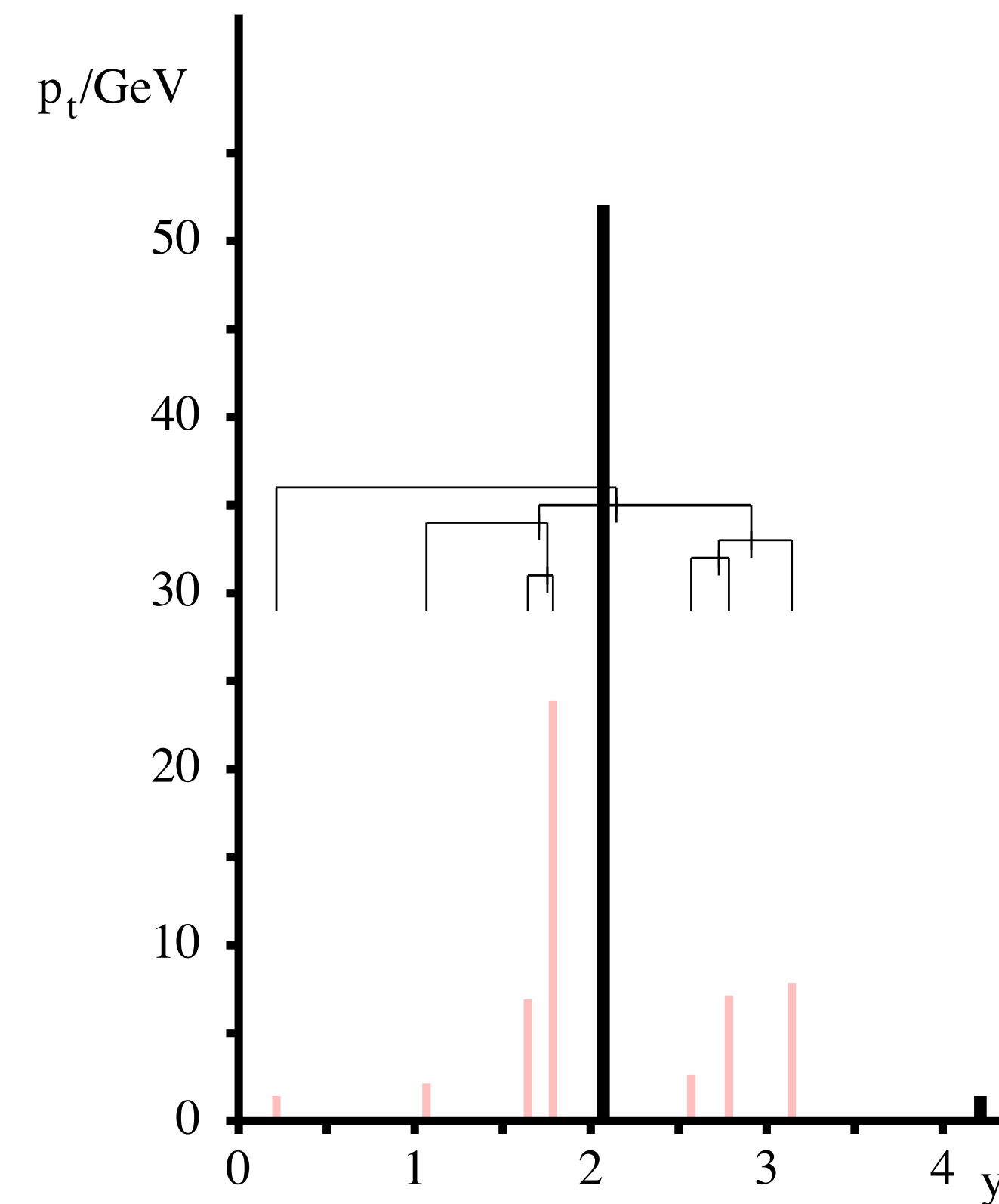
Cambridge/Aachen

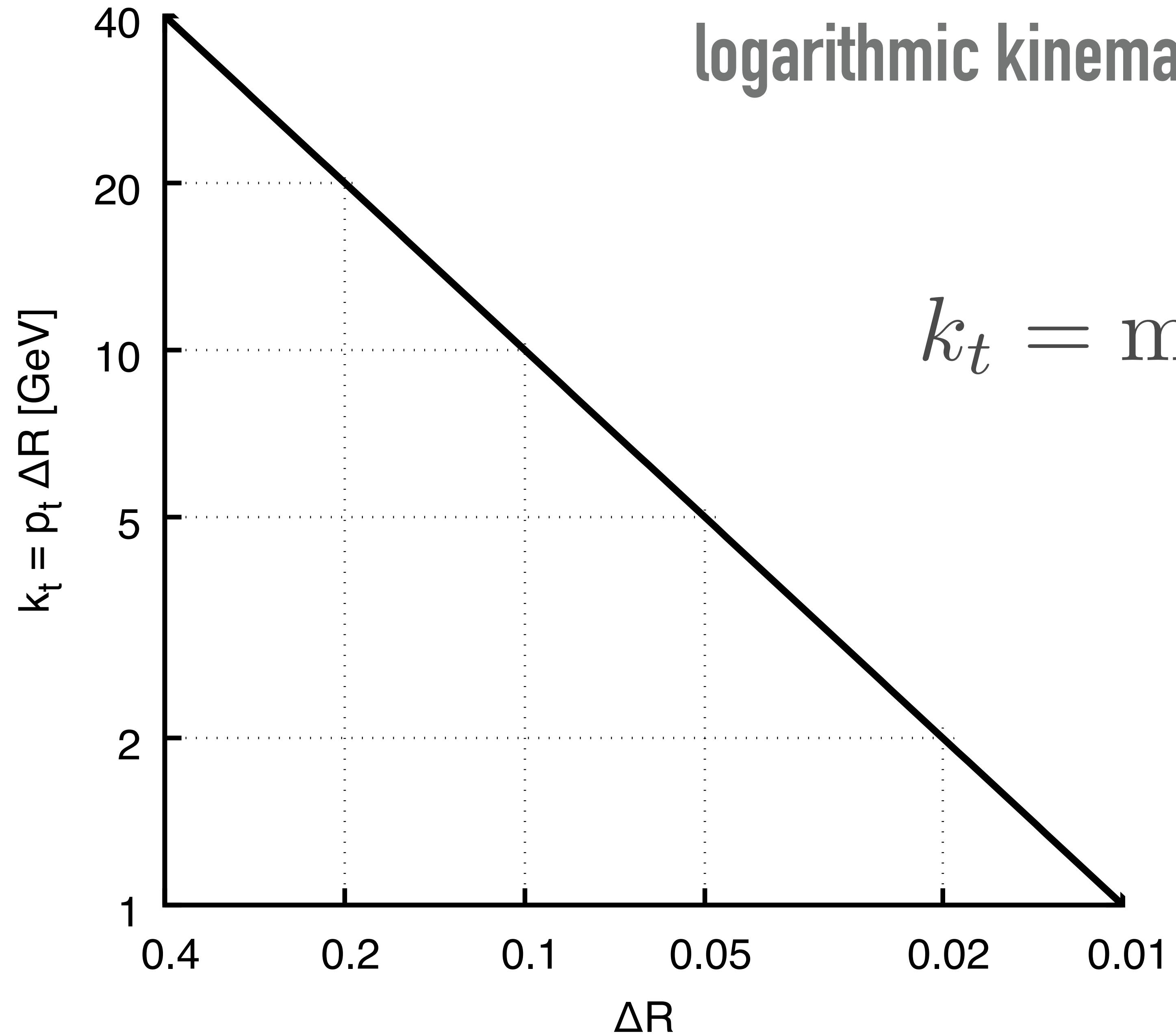


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- 2014: Soft Drop, $\beta\neq 0$ [Larkoski, Marzani, Soyez, Thaler]
- 2017: Iterated Soft Drop [Frye, Larkoski, Thaler, Zhou]
count number of iterations until you reach 1 particle
- 2018: ?

Cambridge/Aachen





logarithmic kinematic plane whose two variables are

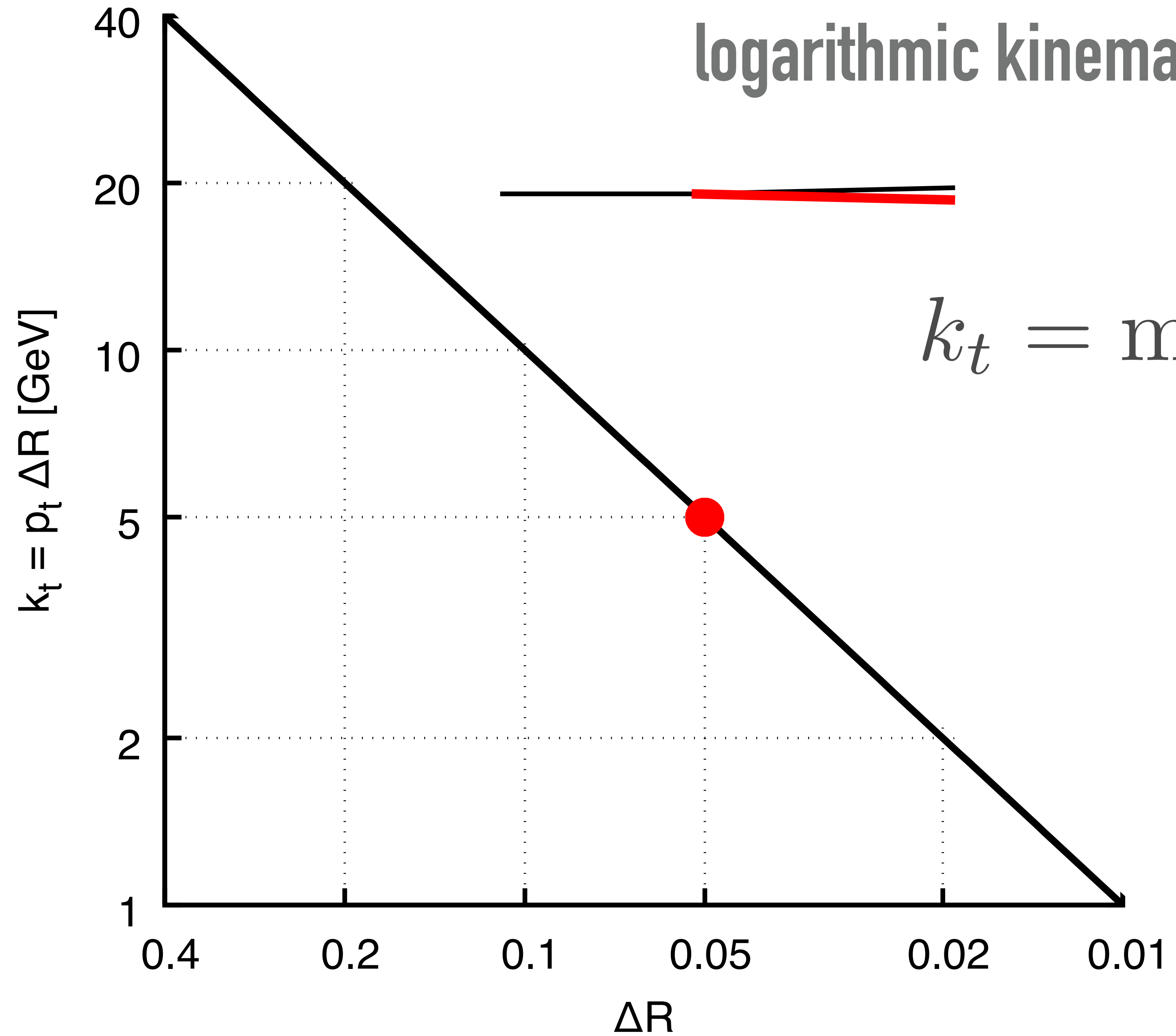
$$\Delta R_{ij}$$

$$k_t = \min(p_{ti}, p_{tj}) \Delta R_{ij}$$

Introduced for understanding Parton Shower Monte Carlos by
B. Andersson, G. Gustafson L. Lonnblad and Pettersson 1989

The Lund Plane

jet with $R = 0.4$, $p_t = 200$ GeV



logarithmic kinematic plane whose two variables are

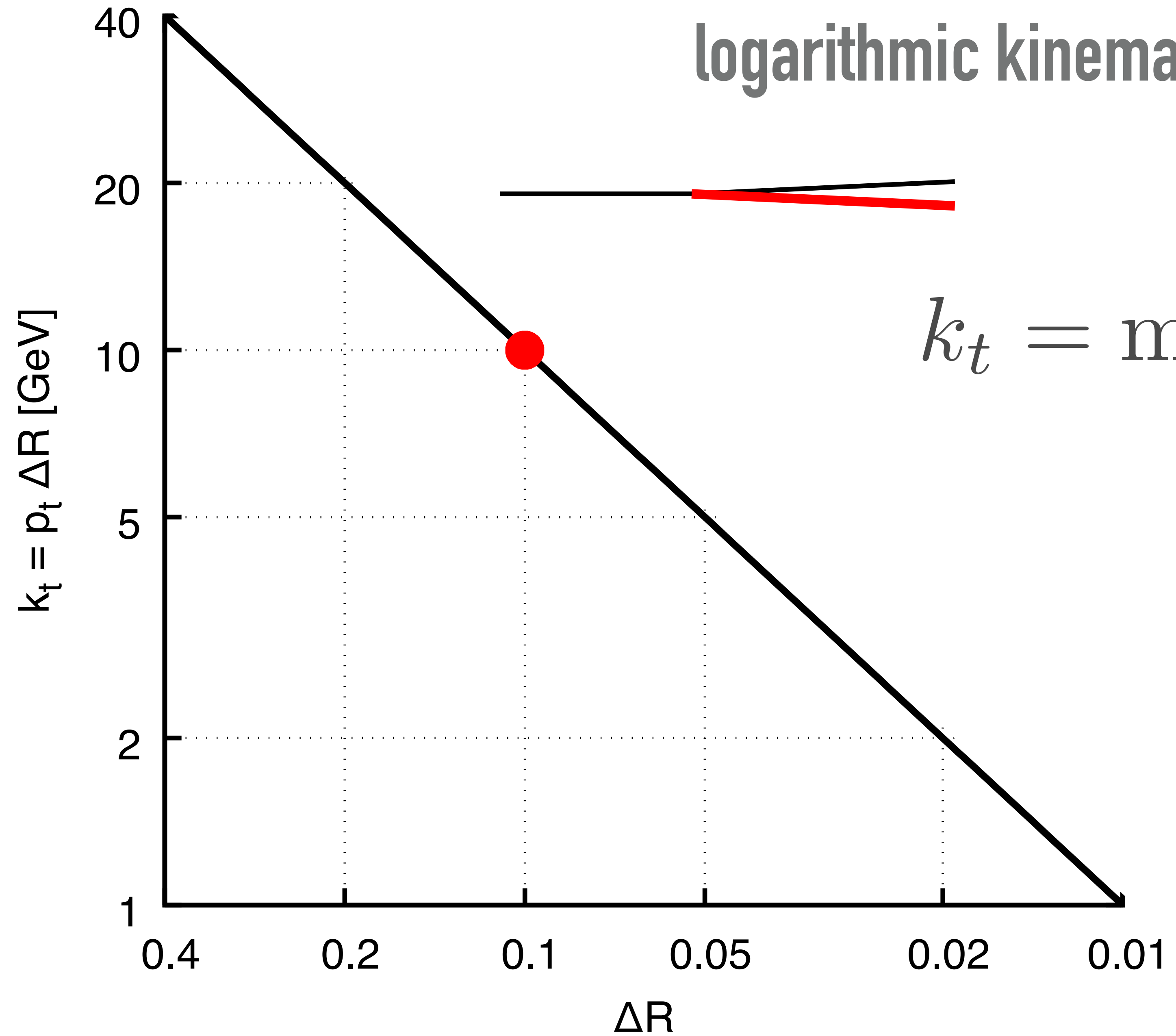
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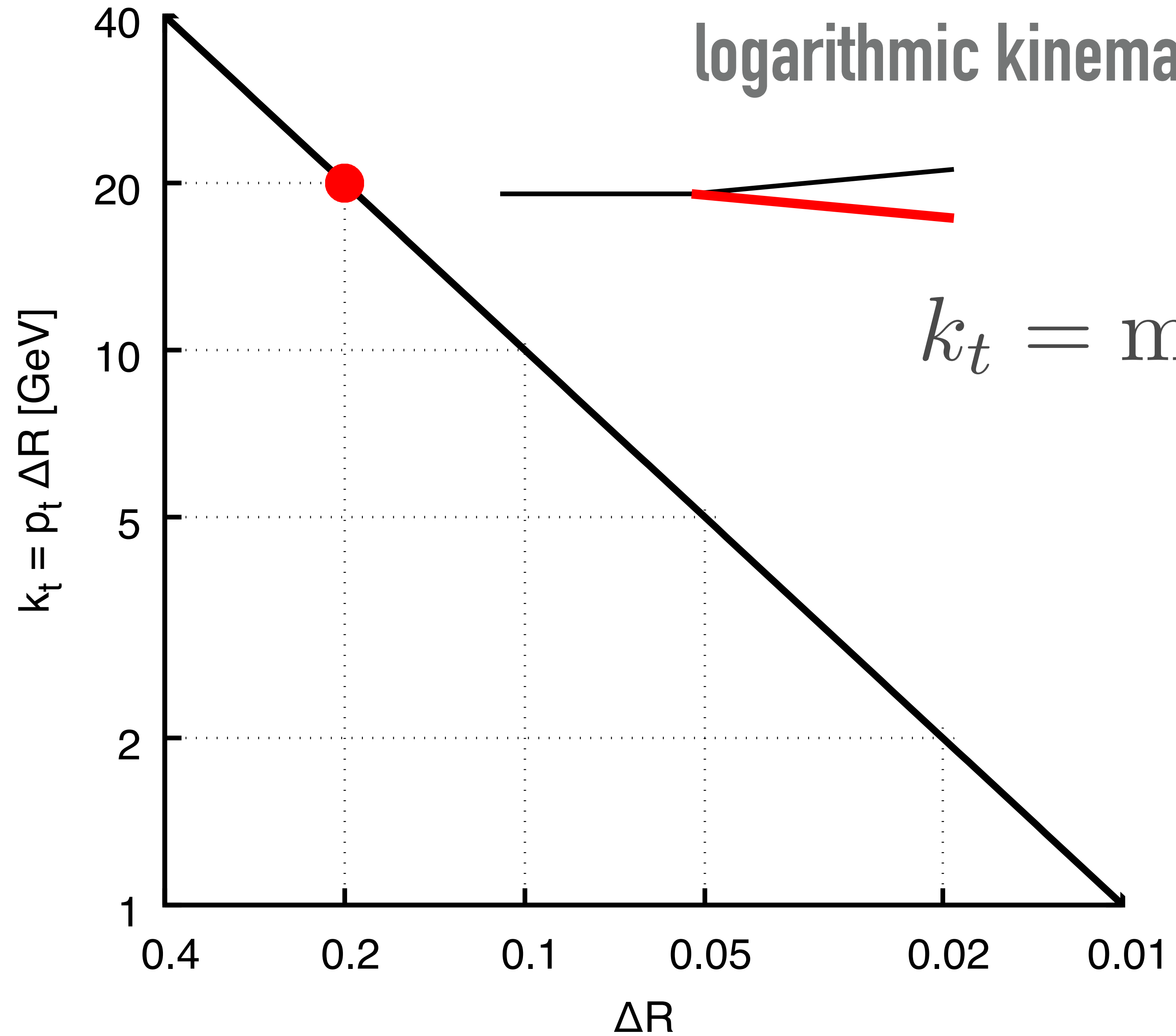
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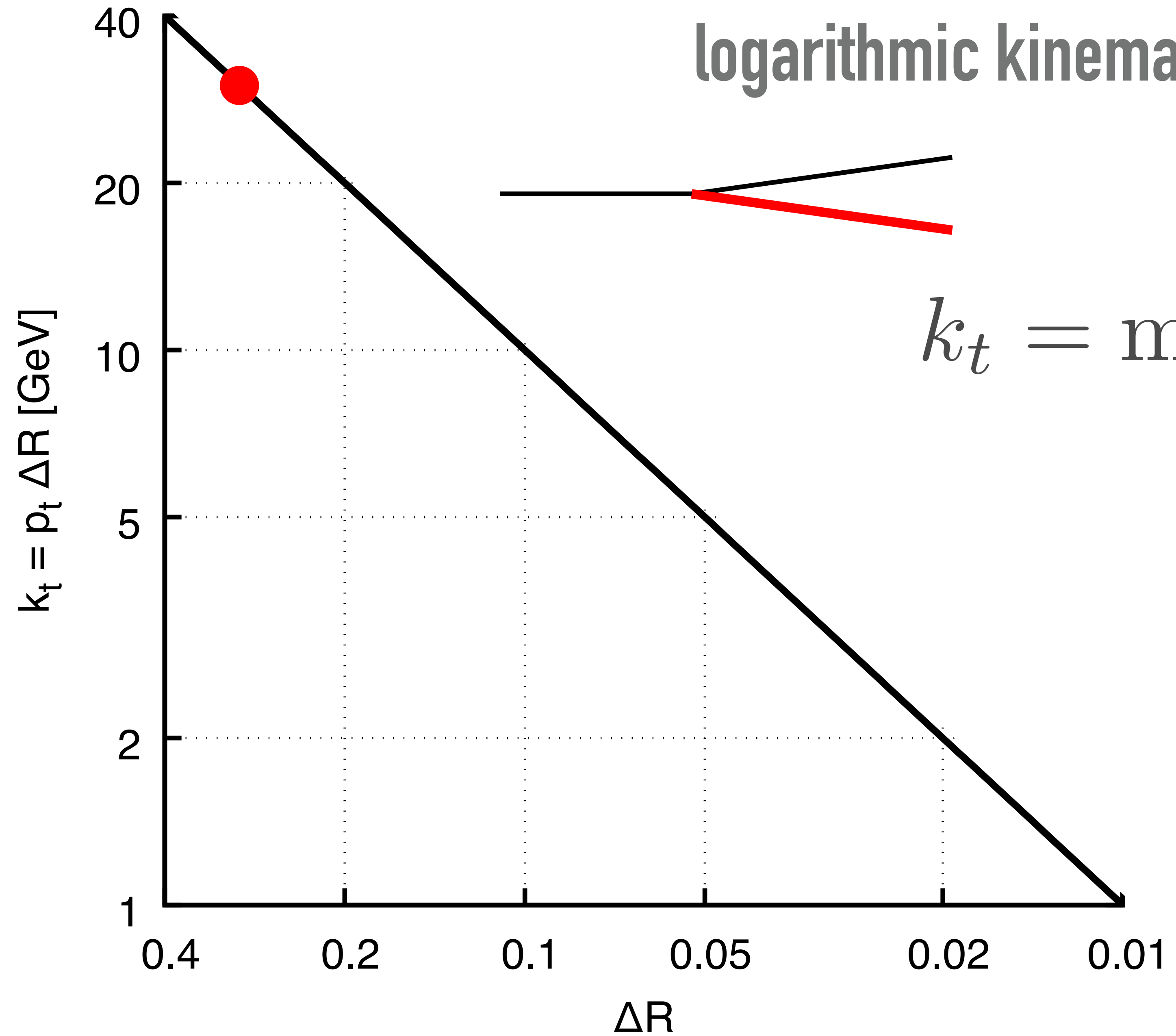
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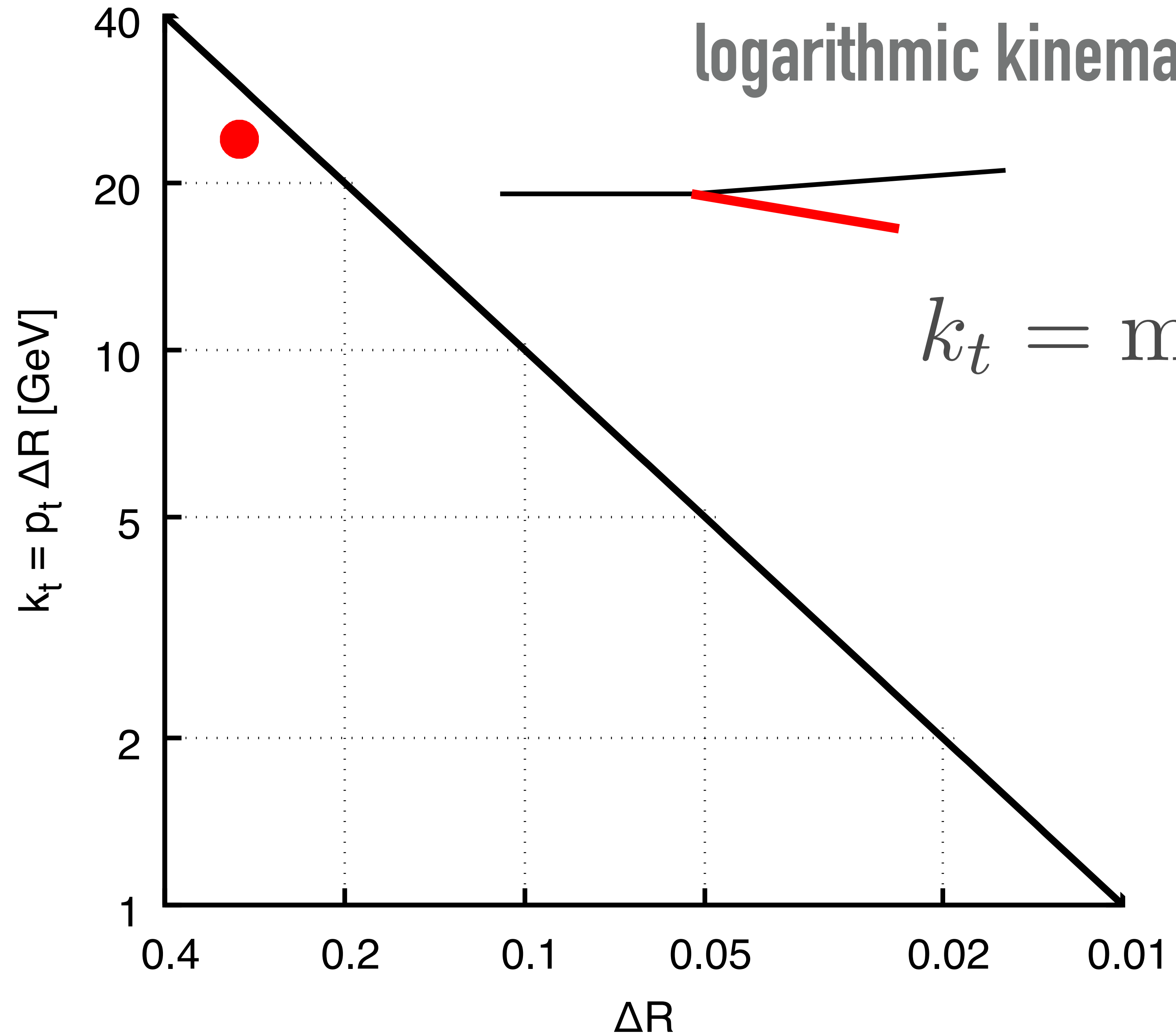
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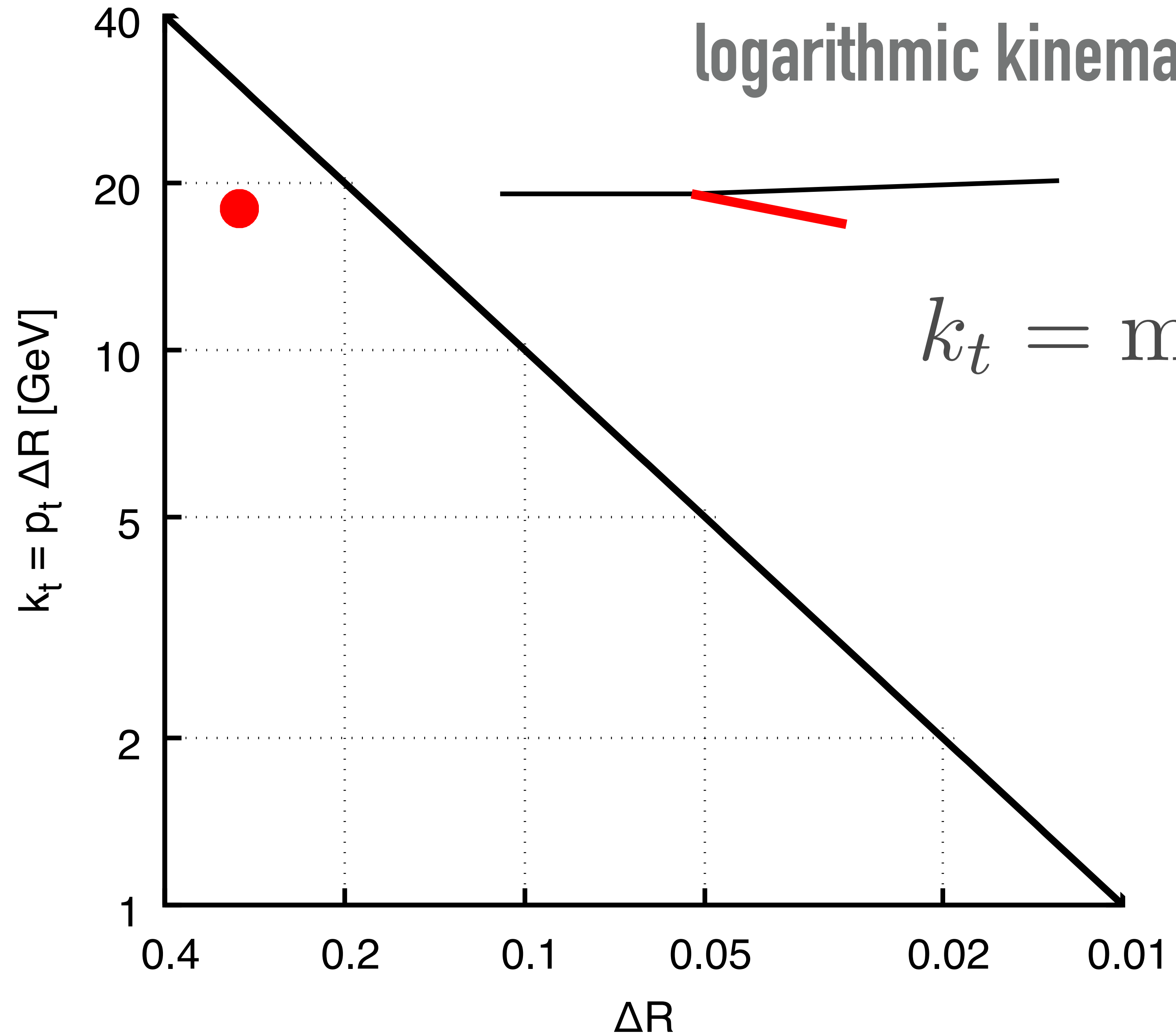
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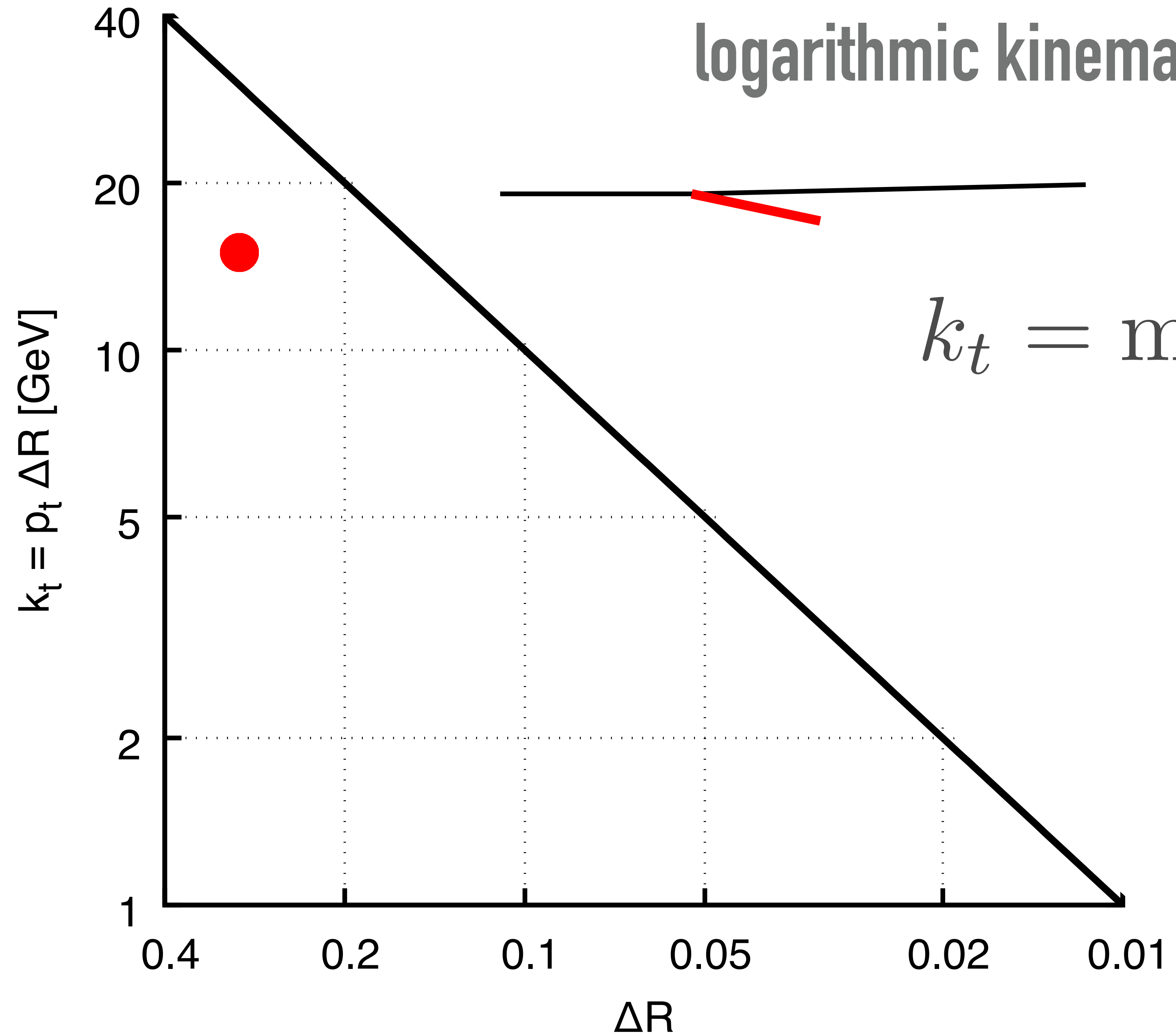
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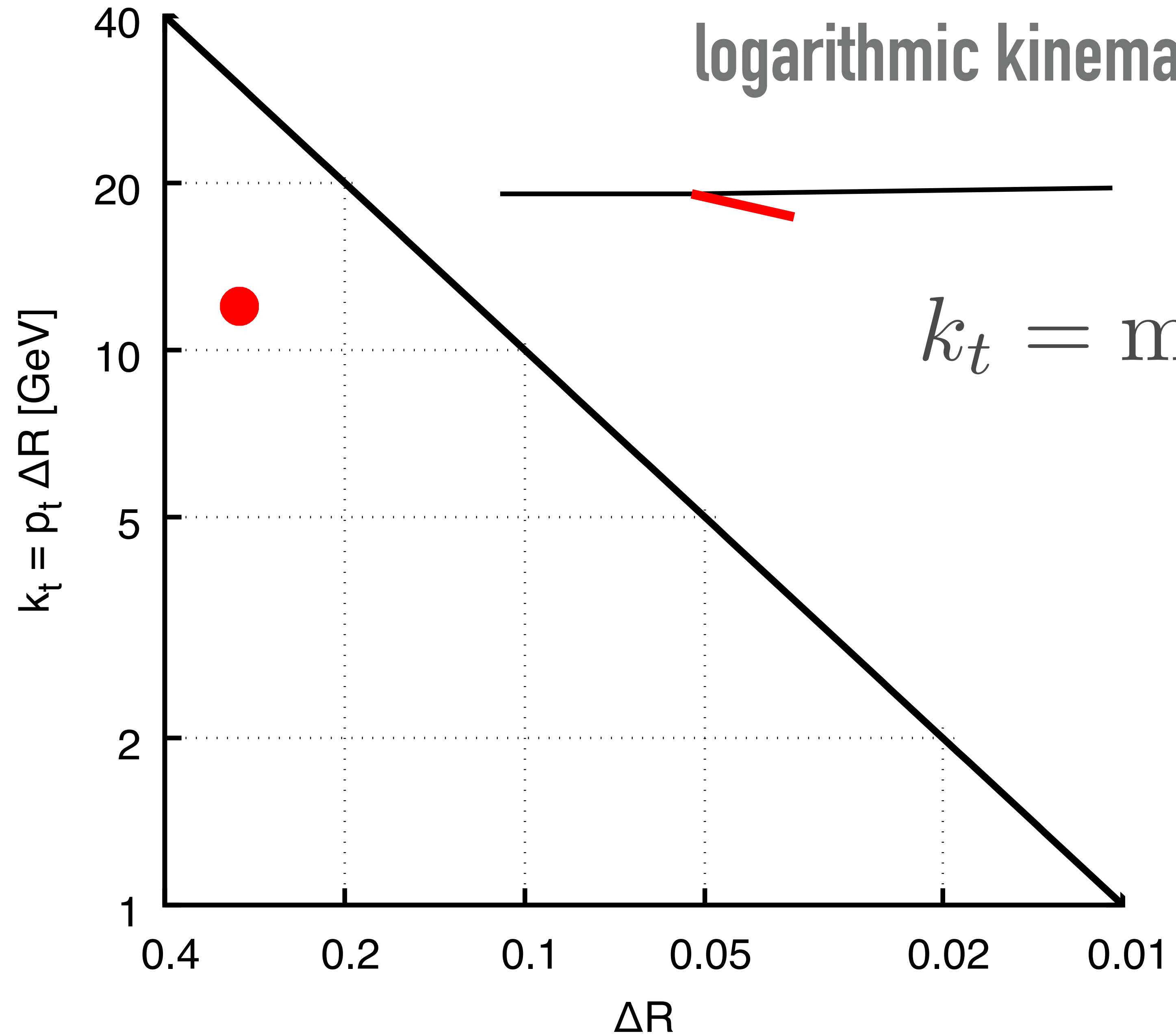
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The Lund Plane



logarithmic kinematic plane whose two variables are

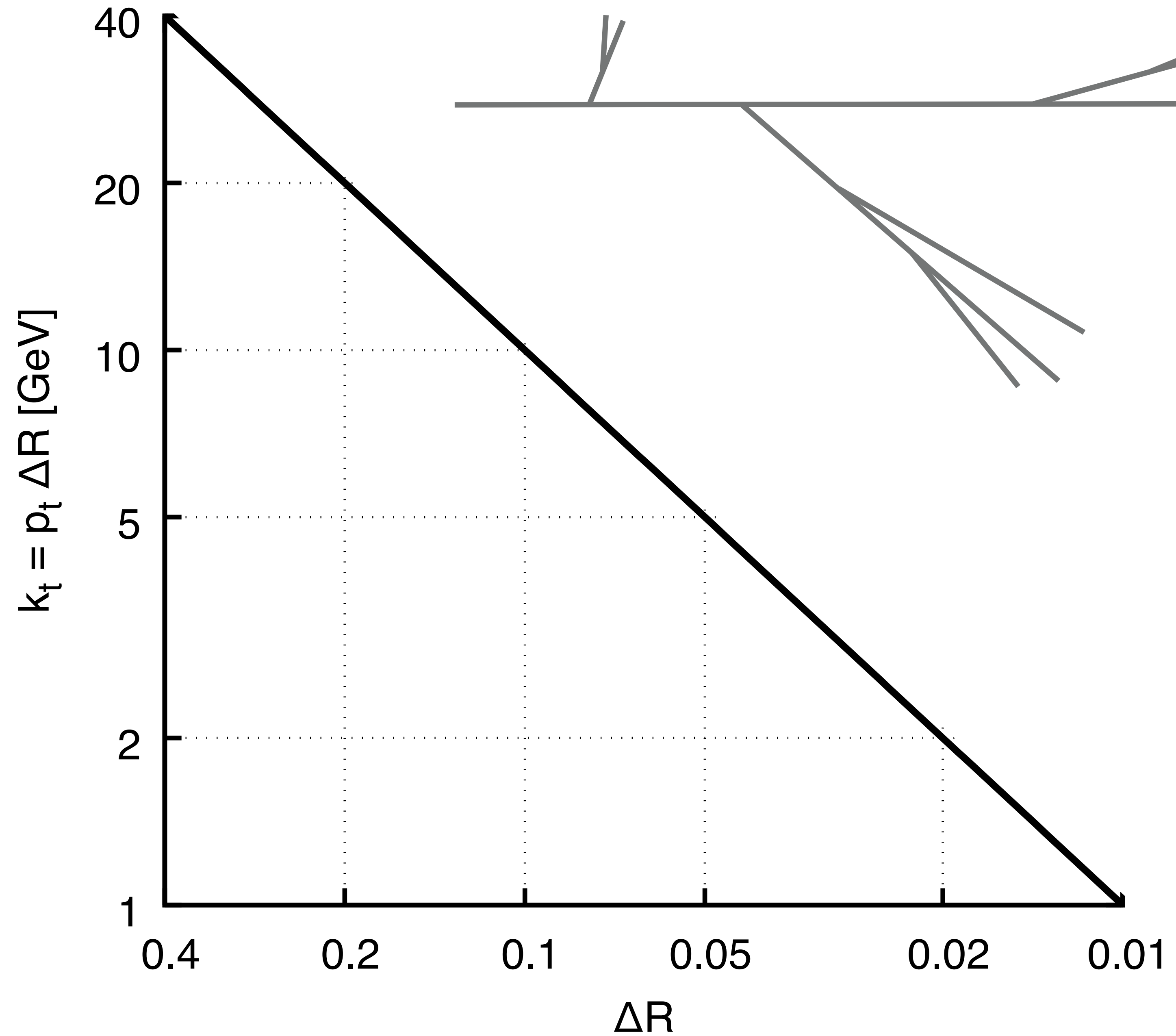
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The Lund Plane

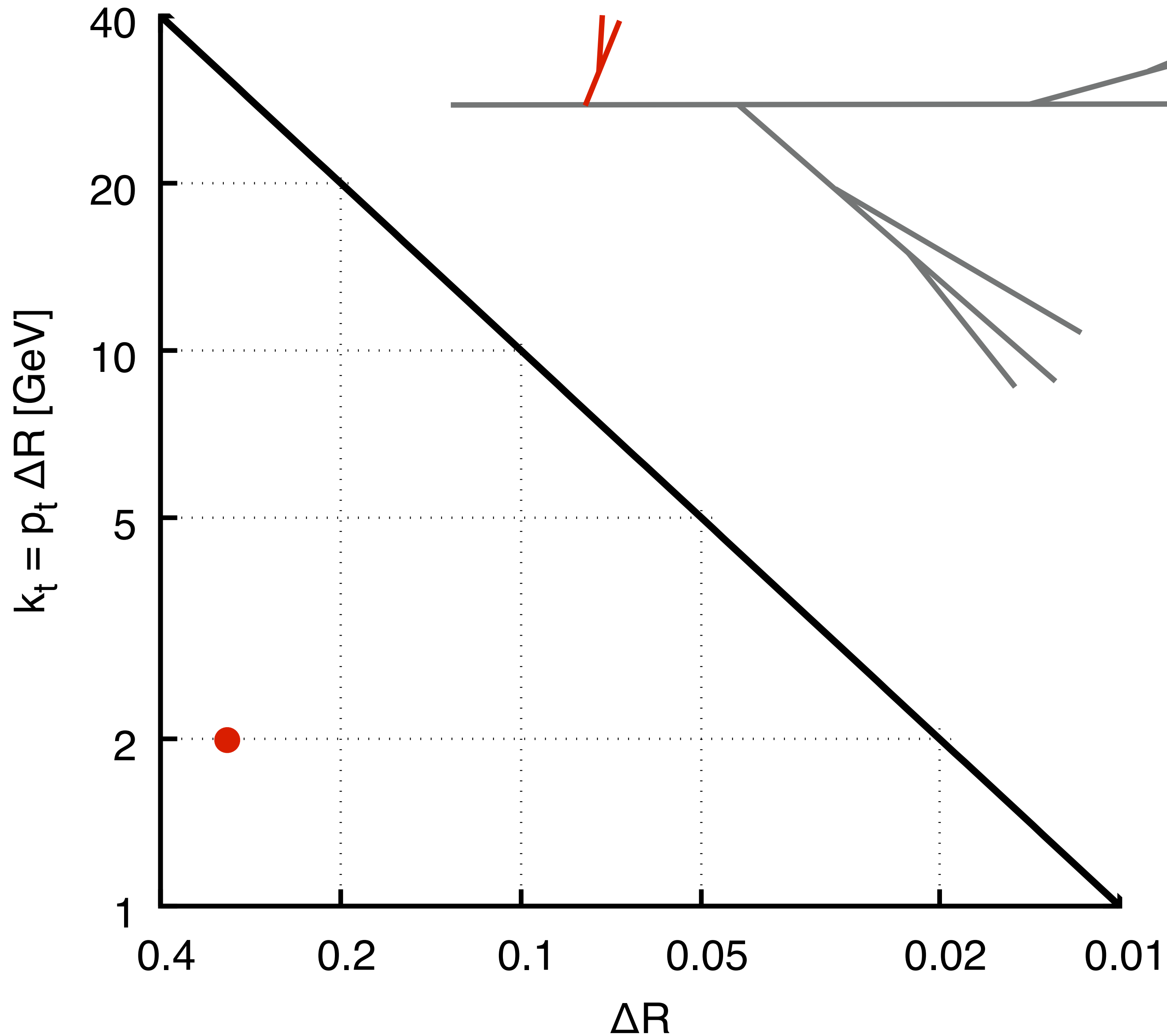
jet with $R = 0.4$, $p_t = 200$ GeV



**decluster a C/A jet:
at each step record $\Delta R, k_t$
as a point in the Lund plane
repeatedly follow harder branch**

5th heavy-ion workshop @ CERN
+ Dreyer, Soyez & GPS, in progress (for pp applications)

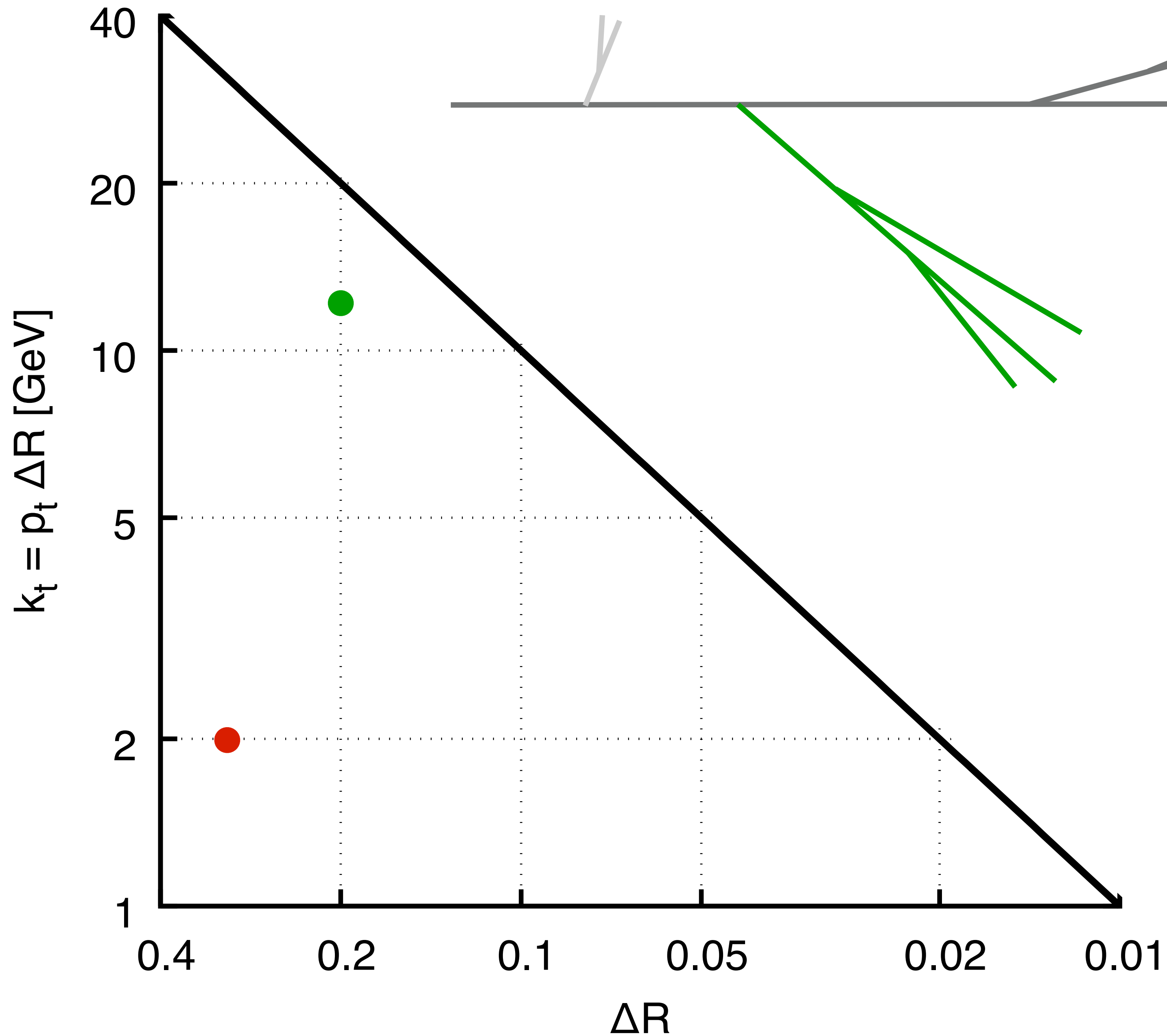
constructing the Lund plane



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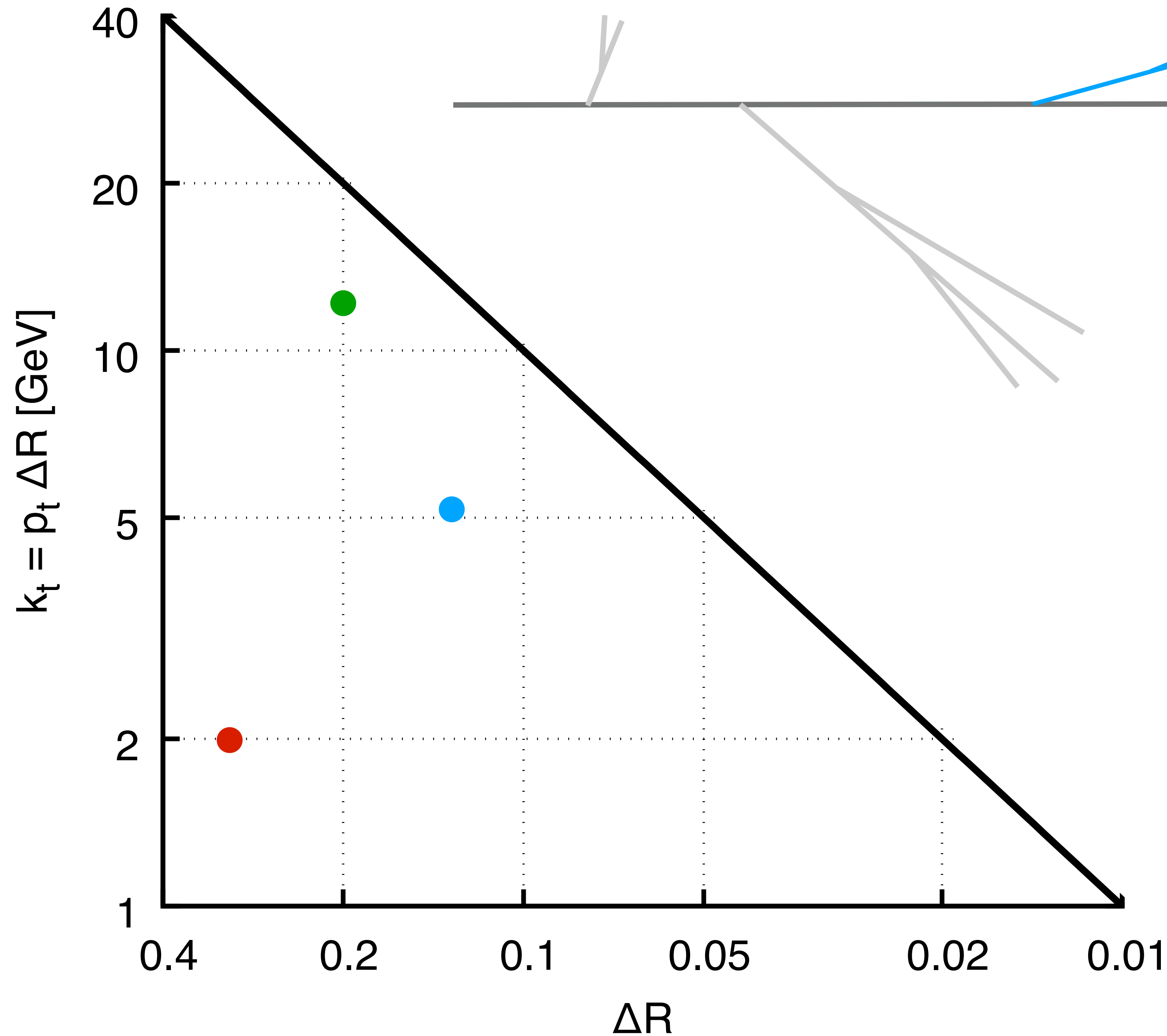
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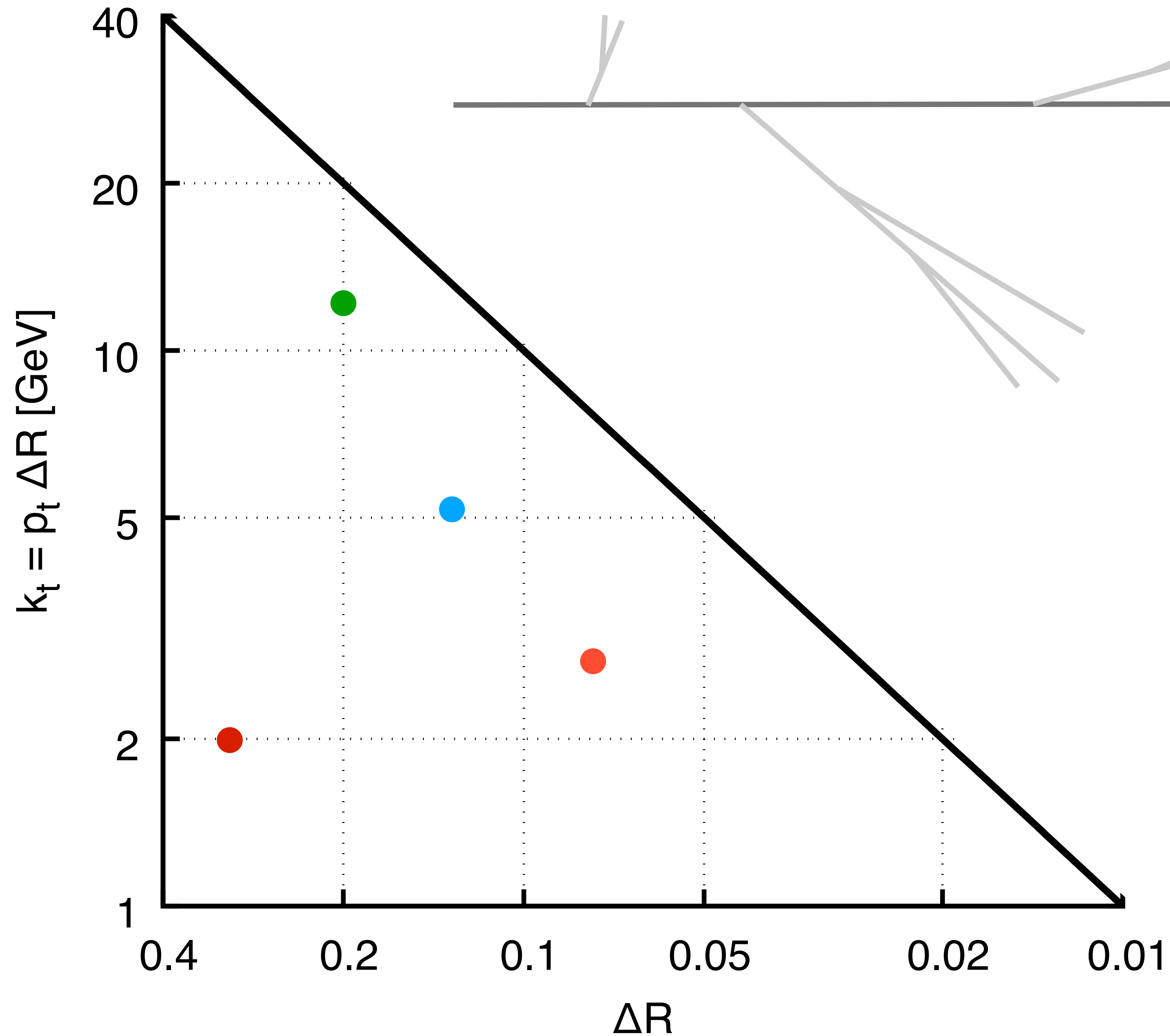
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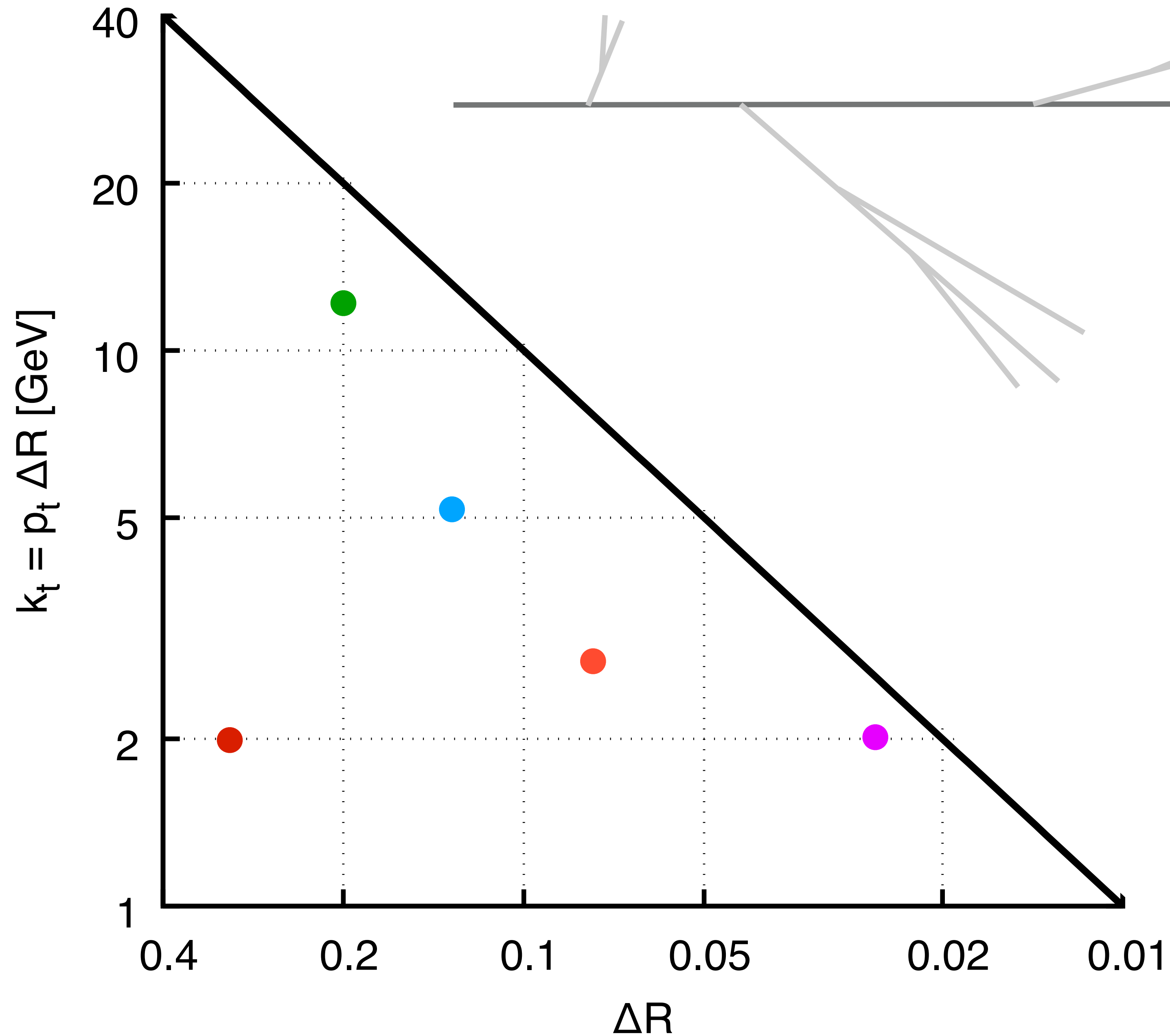
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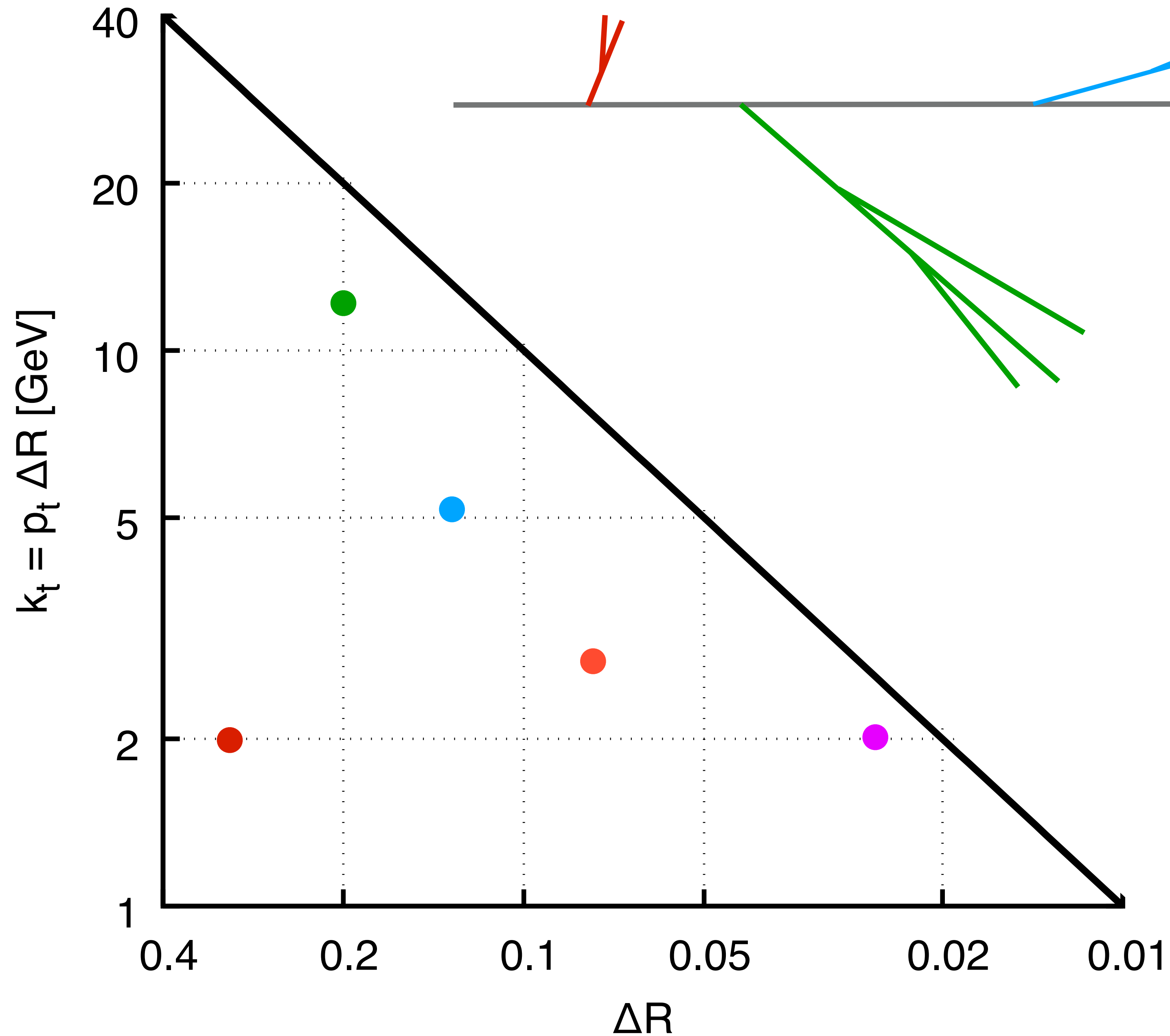
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constructing the Lund plane

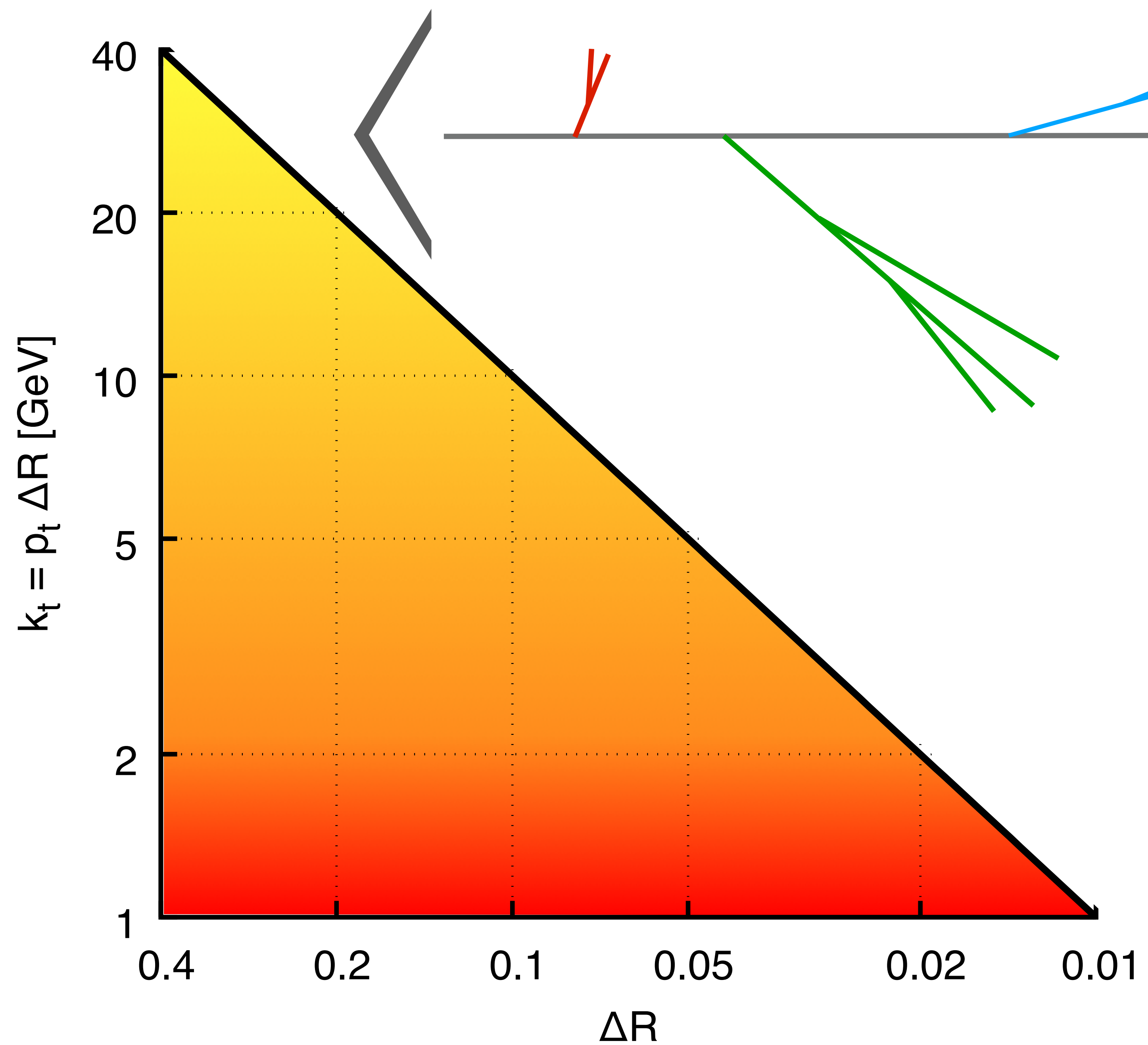


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constructing the Lund plane

jet with $R = 0.4$, $p_t = 200$ GeV

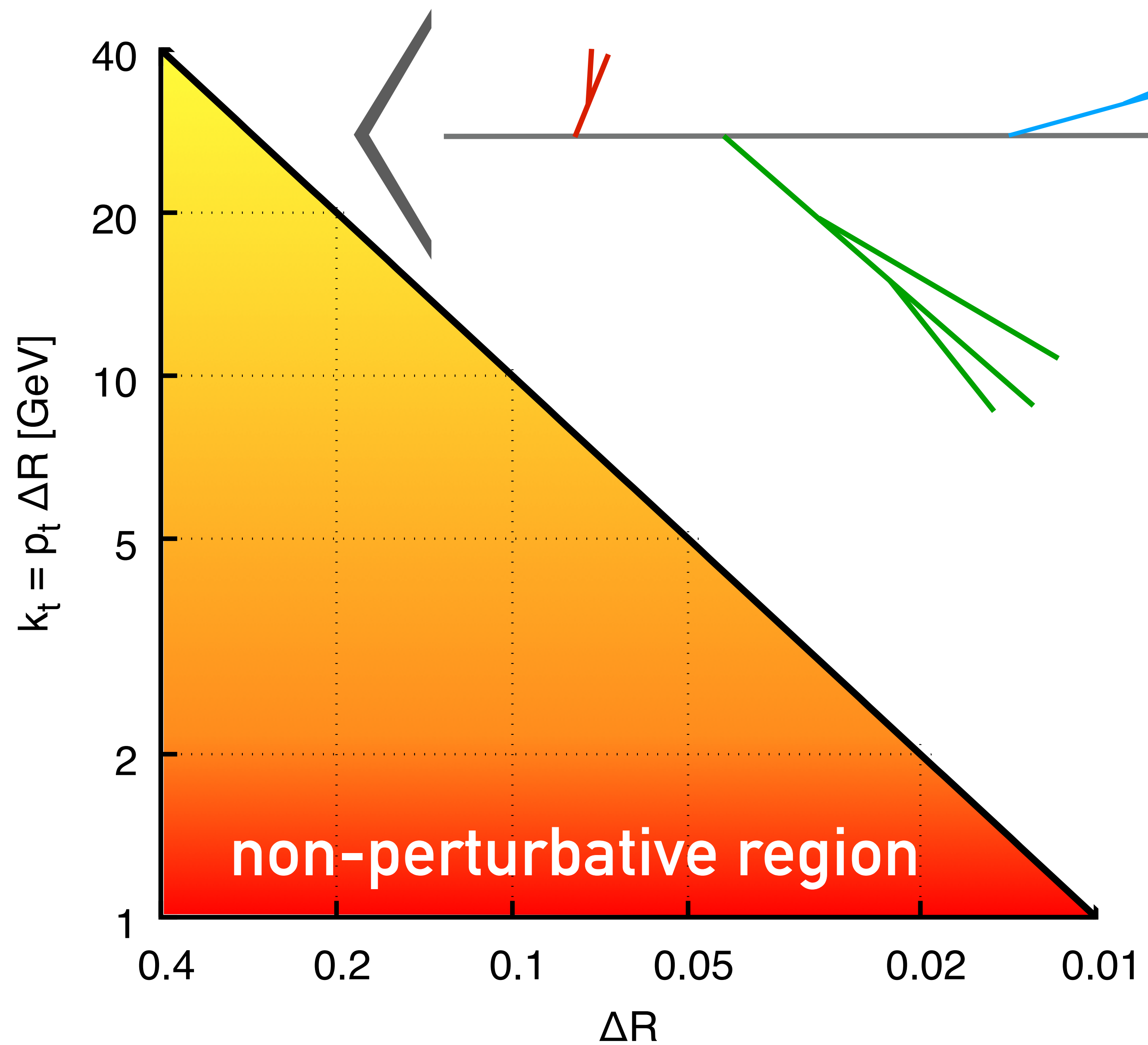


average over many jets:
Lund plane density

5th heavy-ion workshop @ CERN
+ Dreyer, Soyez & GPS, in progress (for pp applications)

constructing the Lund plane

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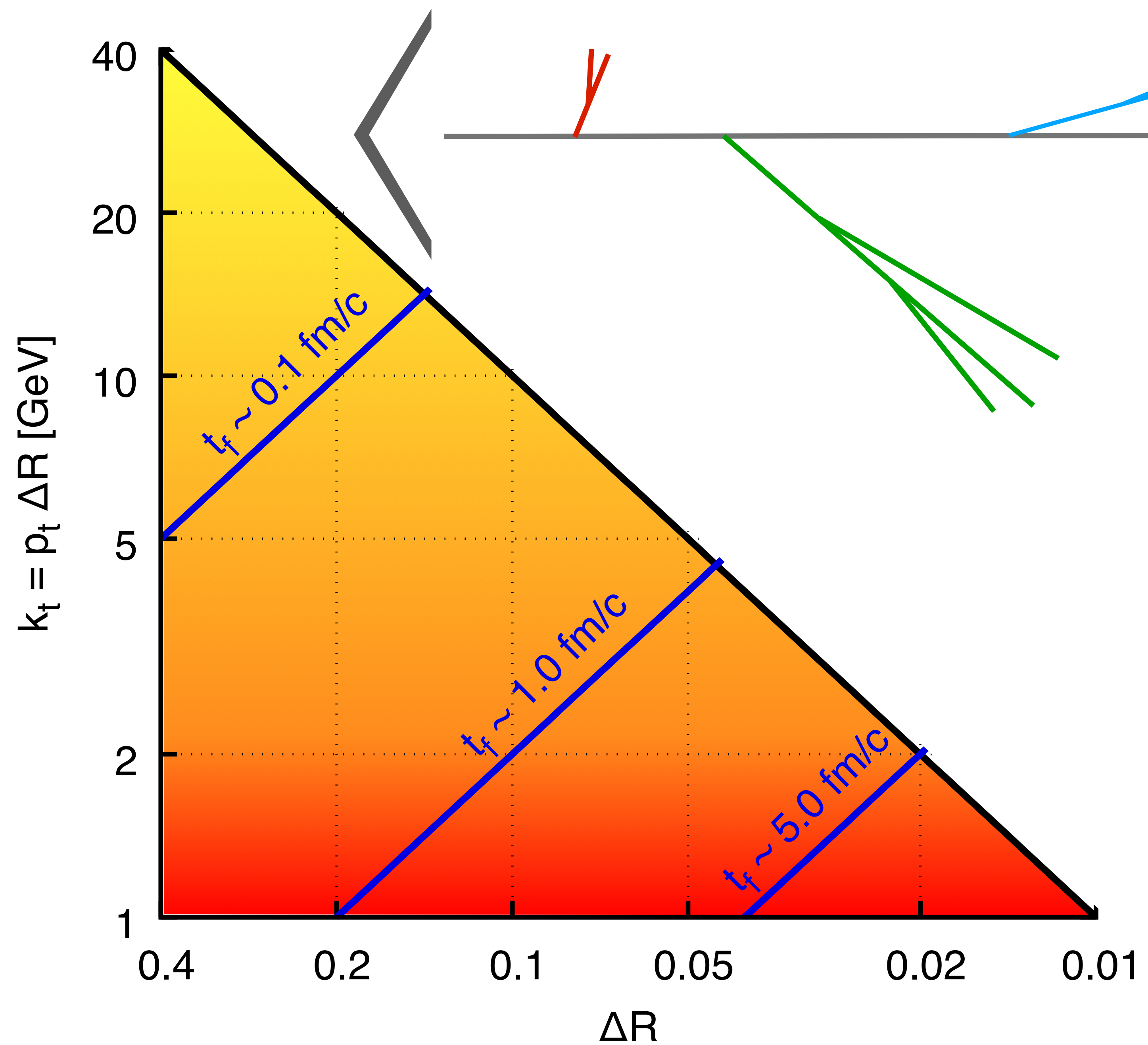


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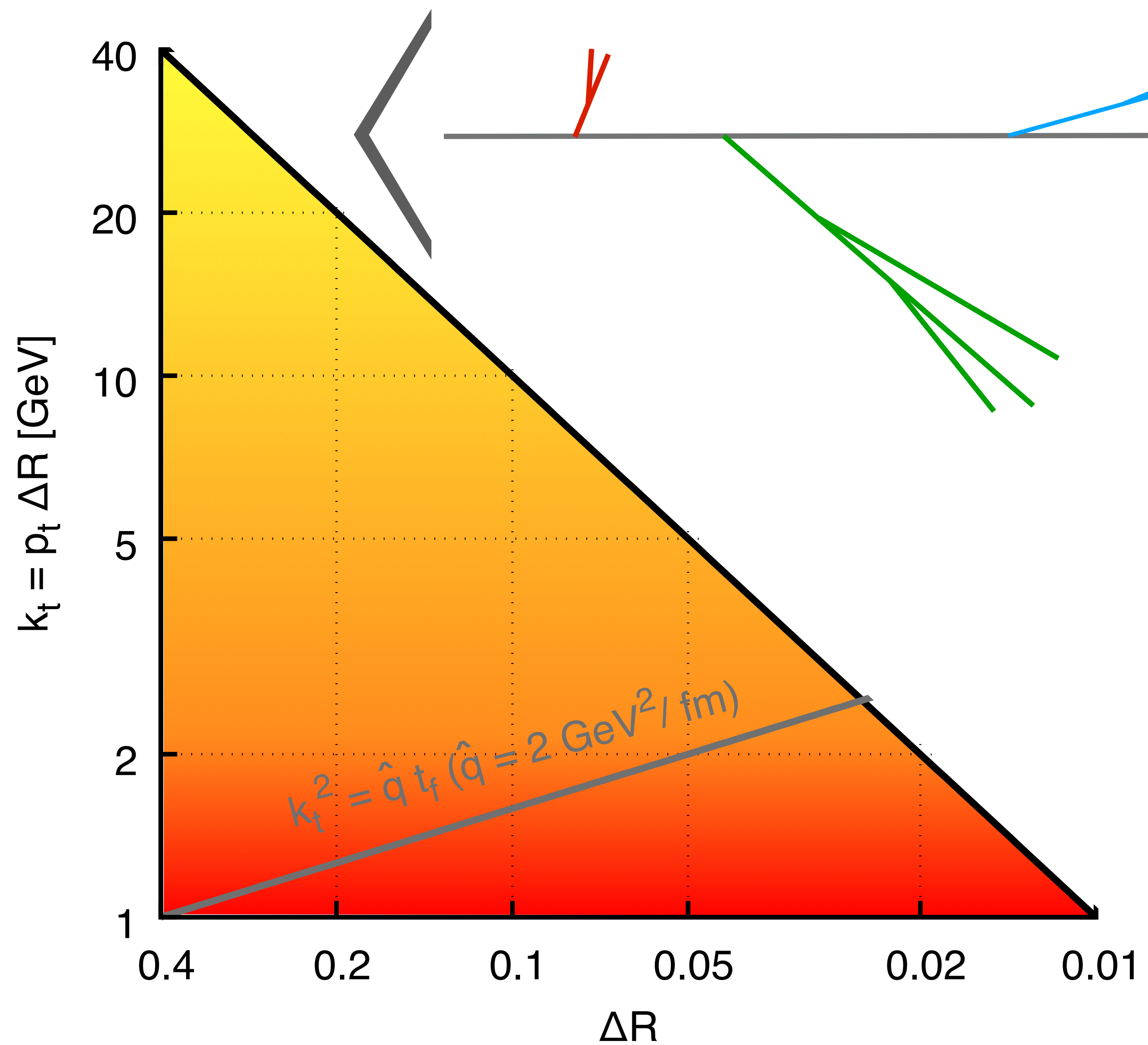


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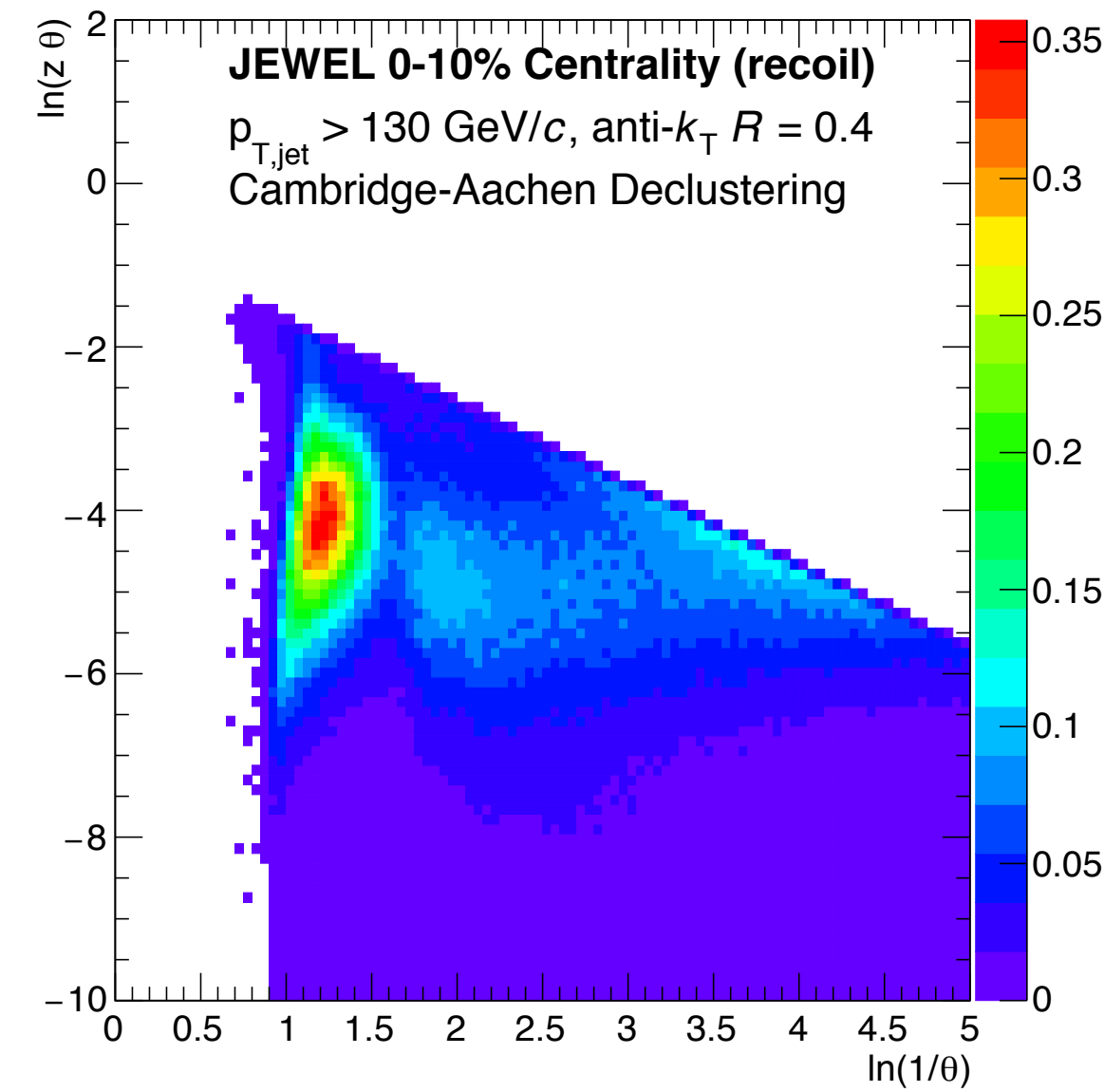
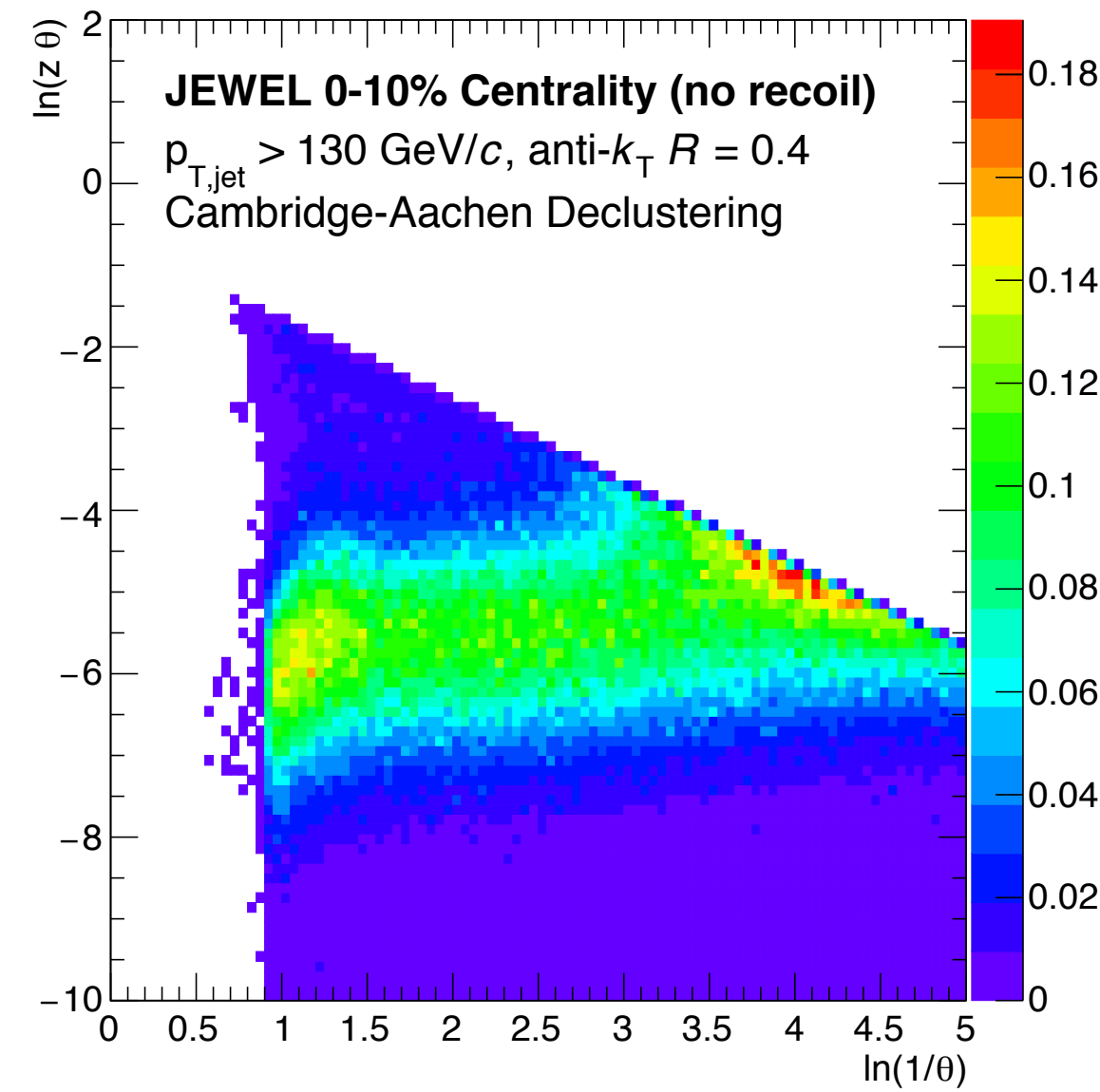
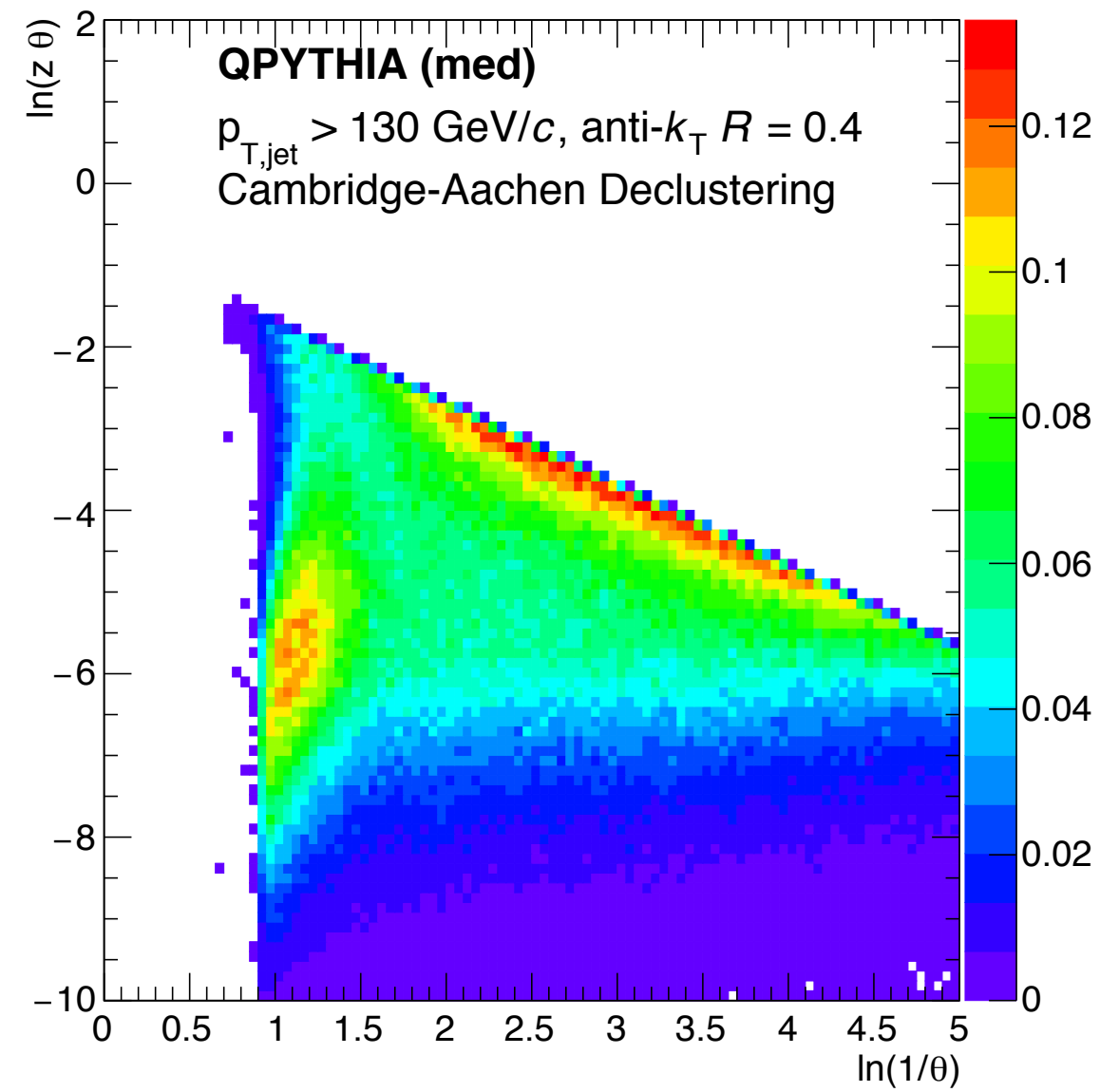


average over many jets:
Lund plane density

5th heavy-ion workshop @ CERN
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constructing the Lund plane

Lund planes from draft 5th heavy-ion workshop proceedings



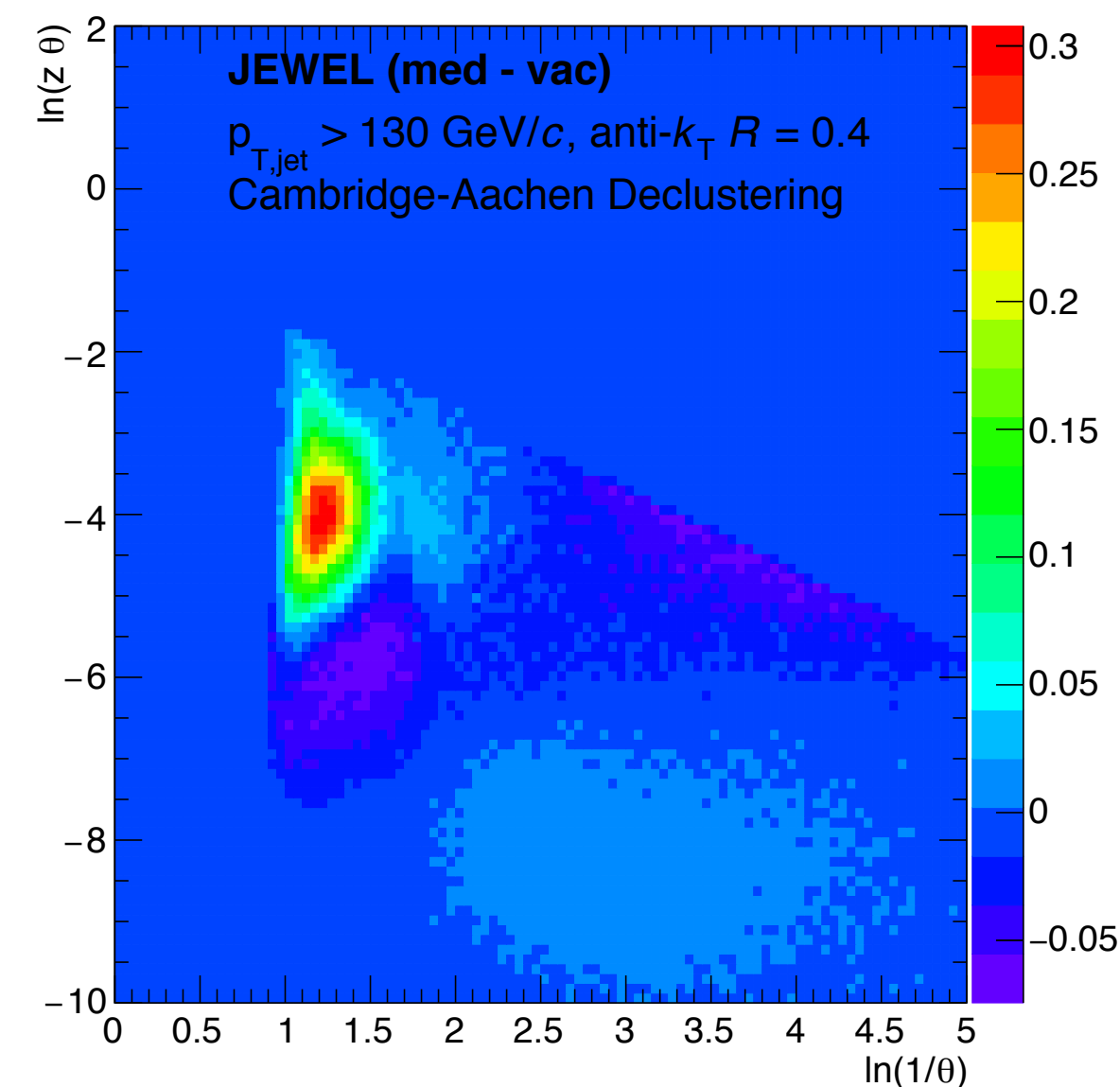
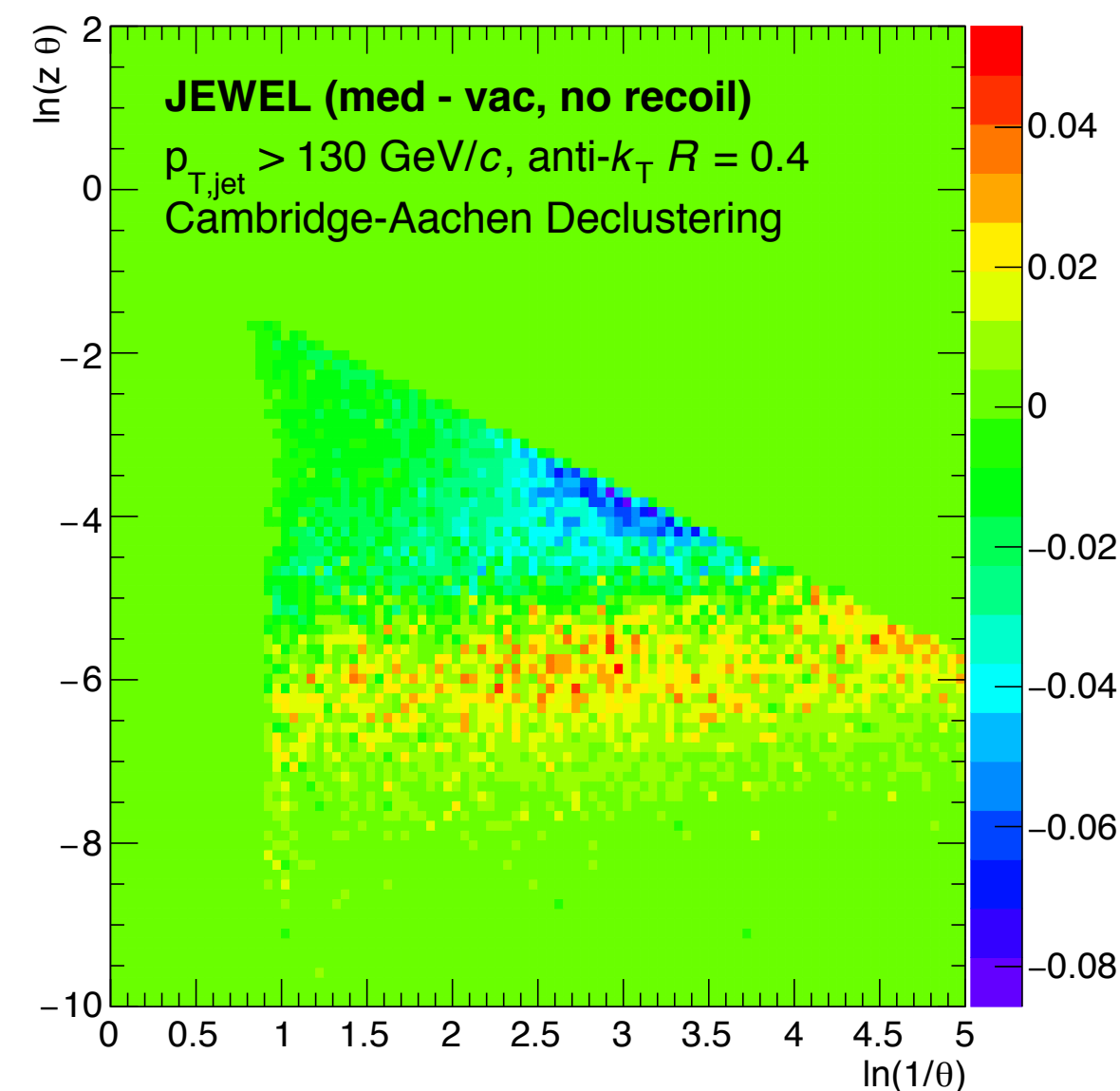
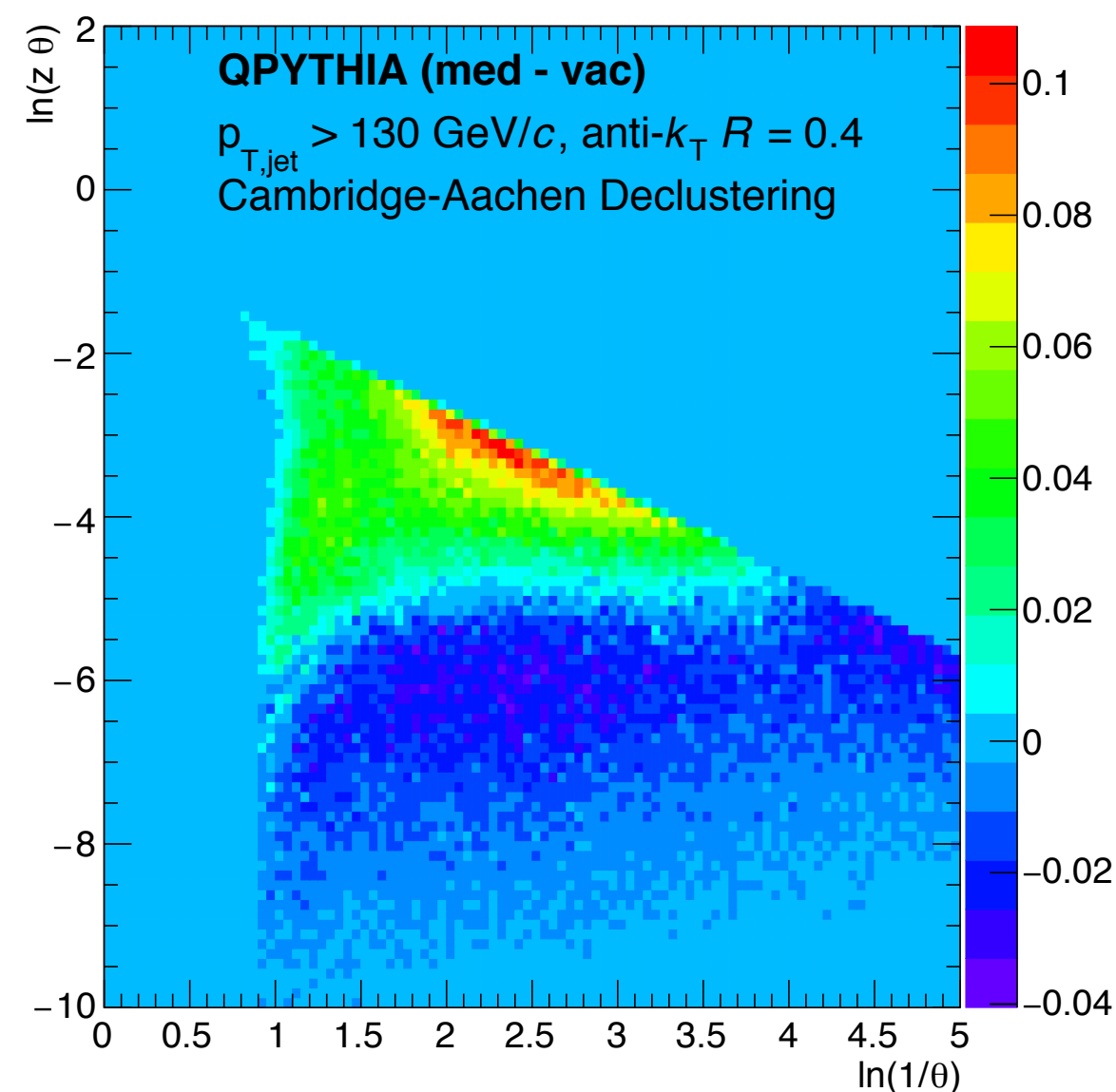
see also

[arXiv.org > hep-ph > arXiv:1803.03589](https://arxiv.org/abs/1803.03589)

High Energy Physics - Phenomenology

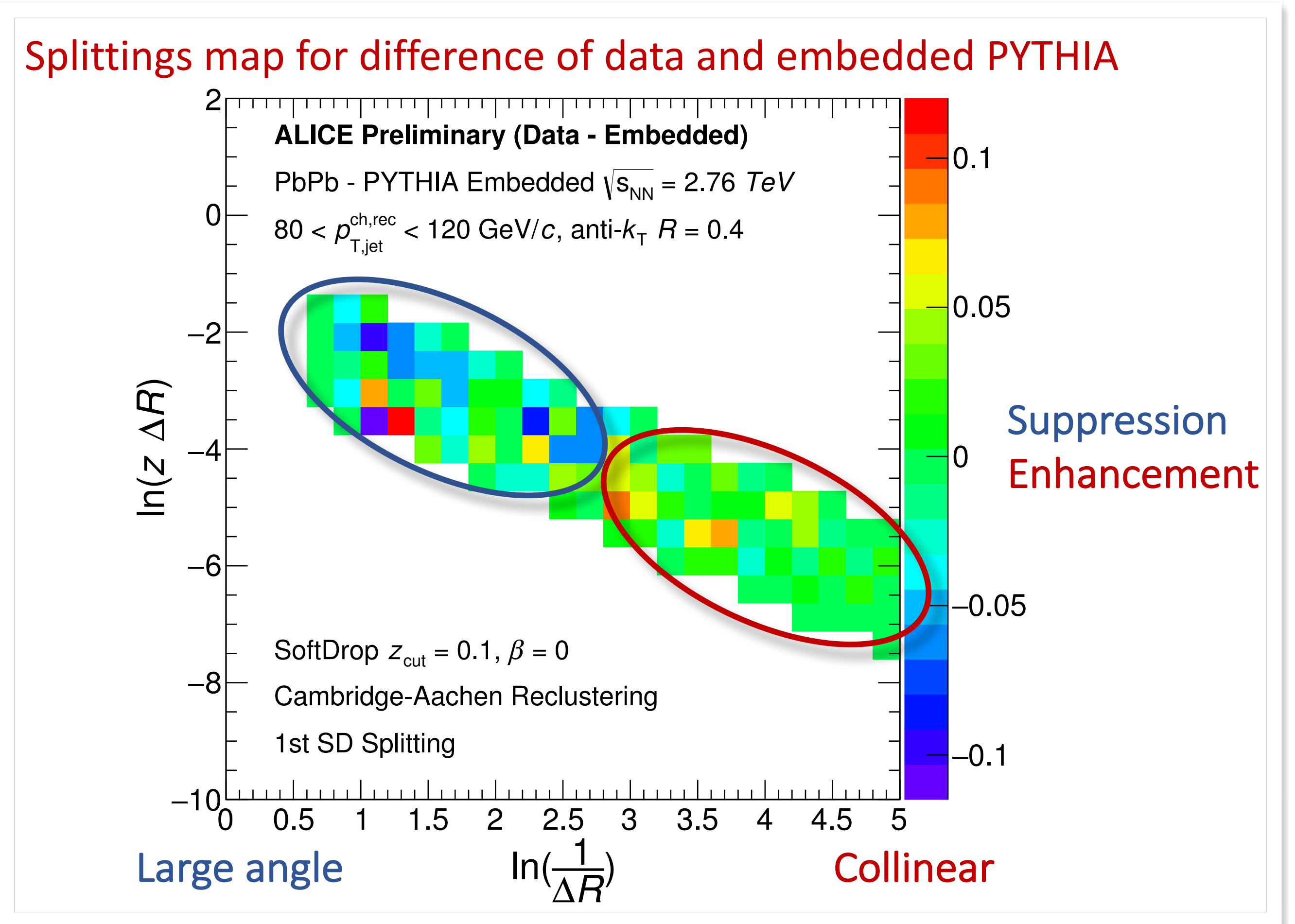
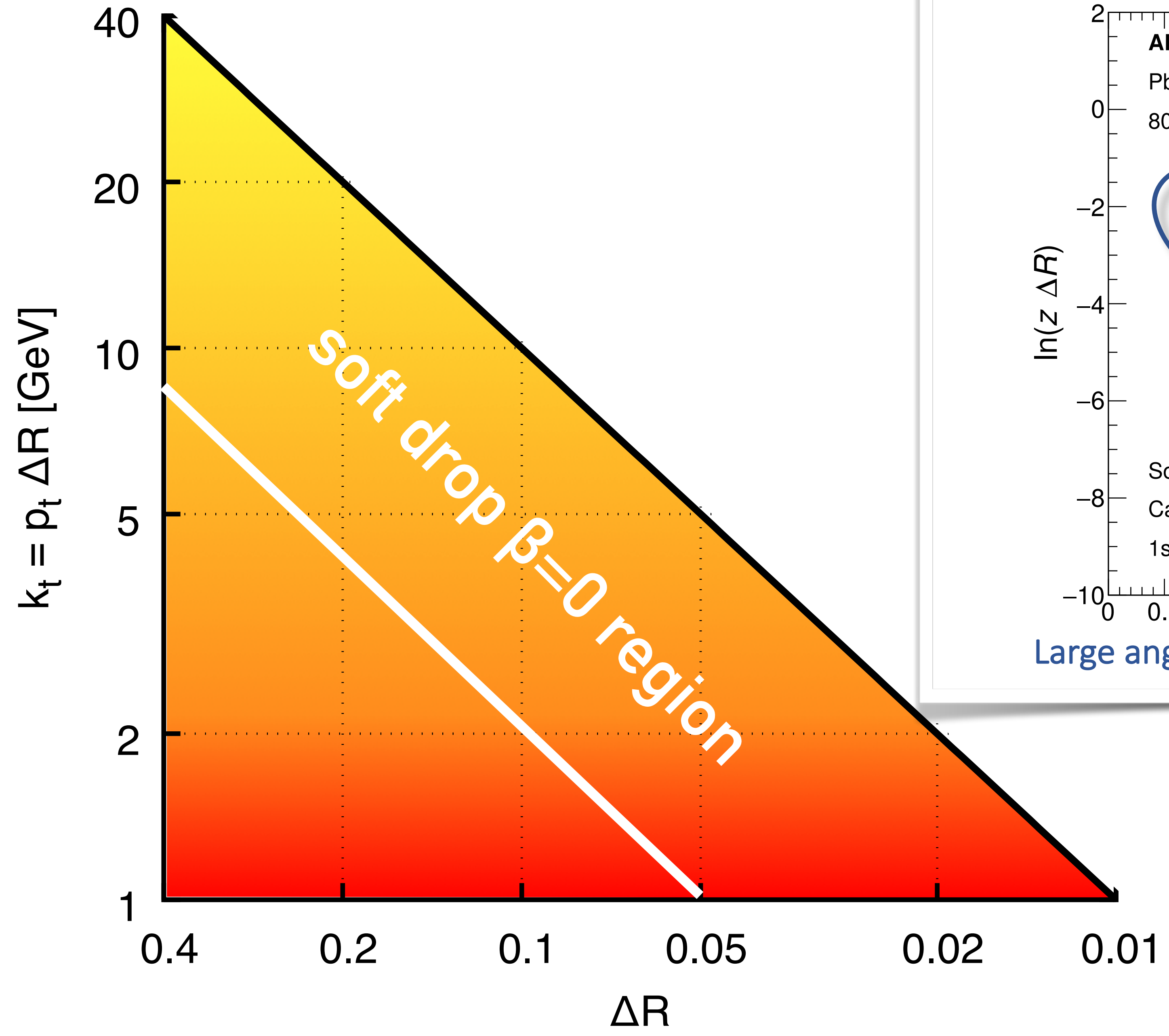
Probing heavy ion collisions using quark and gluon jet substructure

Yang-Ting Chien, Raghav Kunnawalkam Elayavalli



+ *Harry Andrews*
ALICE // talk

jet with $R = 0.4$, $p_t = 200 \text{ GeV}$



OUTLOOK

OUTLOOK

- jet substructure → many handles for investigating physics of passage of fragmenting partons through a jet
- Many substructure observables naturally derive from a single “Lund plane” density, which gives direct access to the kinematic regions being discussed in theory calculations

What did I not have time for?

- Machine learning — in pp “searches” world this is becoming a workhorse for substructure; what can be done in heavy-ions?
- Beyond $R=0.4$ — cf. CMS high- p_t results
- Heavy-flavour within jets

BACKUP

Jet algorithms

1. Identify pair of particles i, j with smallest d_{ij}
2. If their $d_{ij} <$ smallest d_{iB} , recombine them into a new (pseudo)particle
3. Else particle with smallest d_{iB} becomes a jet and is removed from the list of particles
4. Repeat until no particles left

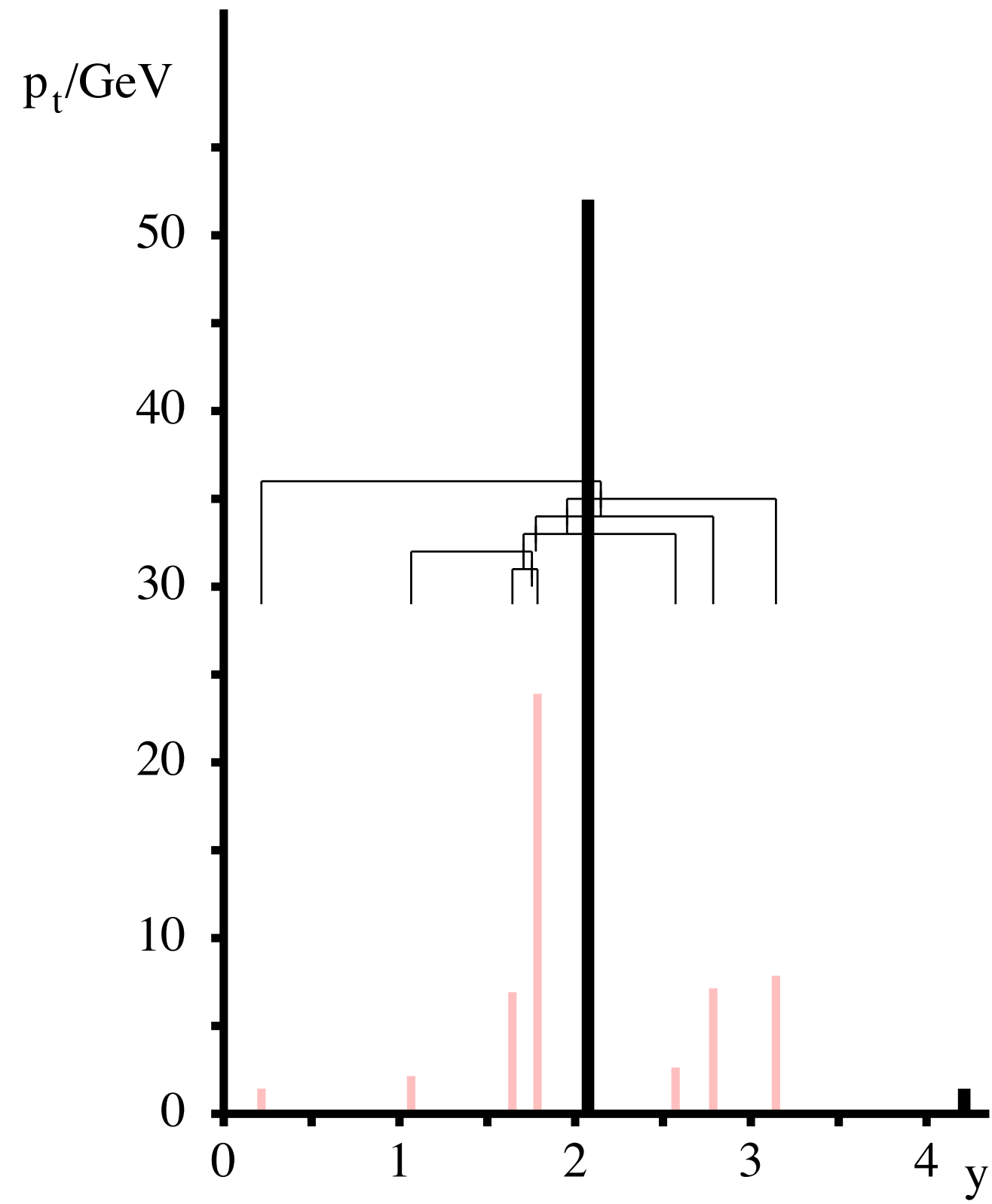
$$d_{ij} = \min(p_{ti}^{2p}, p_{tj}^{2p}) \Delta R_{ij}^2 / R^2$$

$$d_{iB} = p_{ti}^{2p} .$$

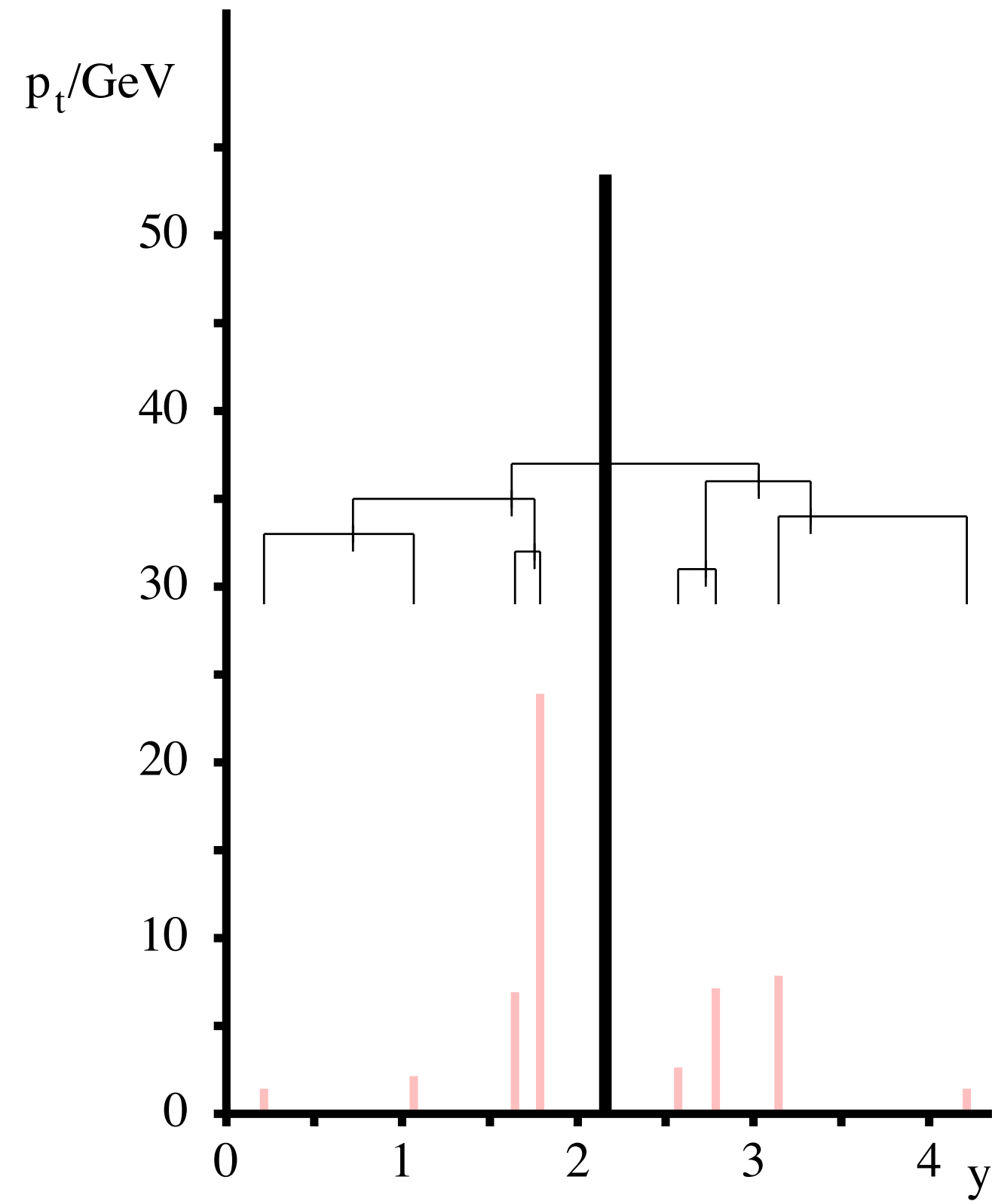
algorithm	p
k_t	1
Cambridge -Aachen	0
anti- k_t	-1

Jet algorithms

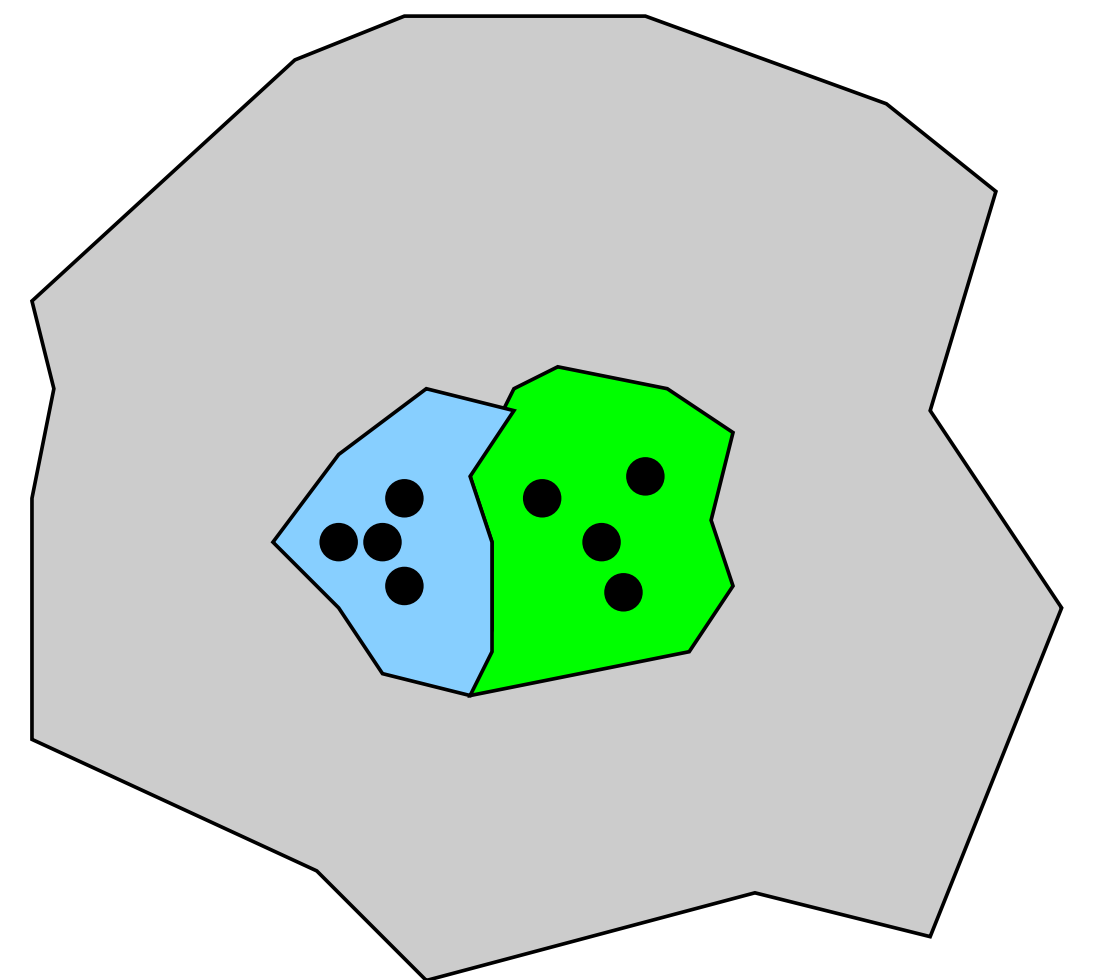
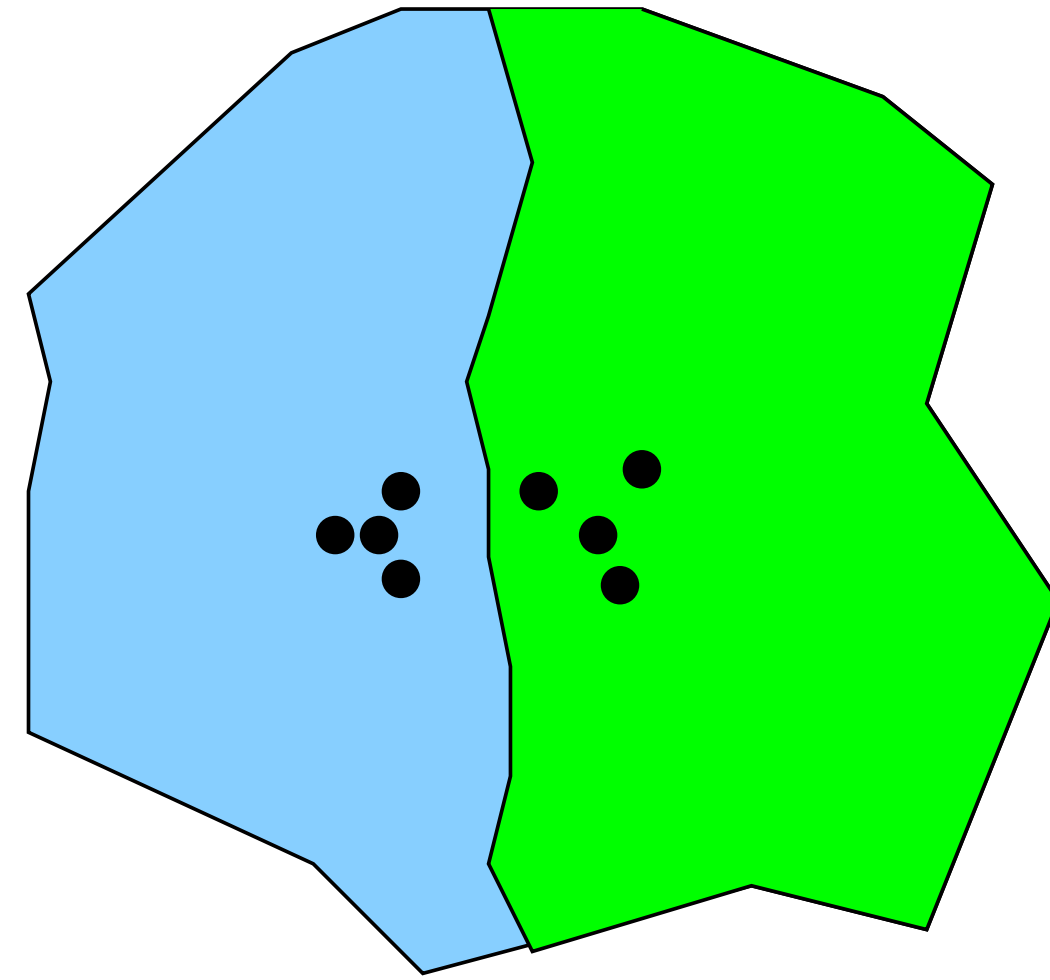
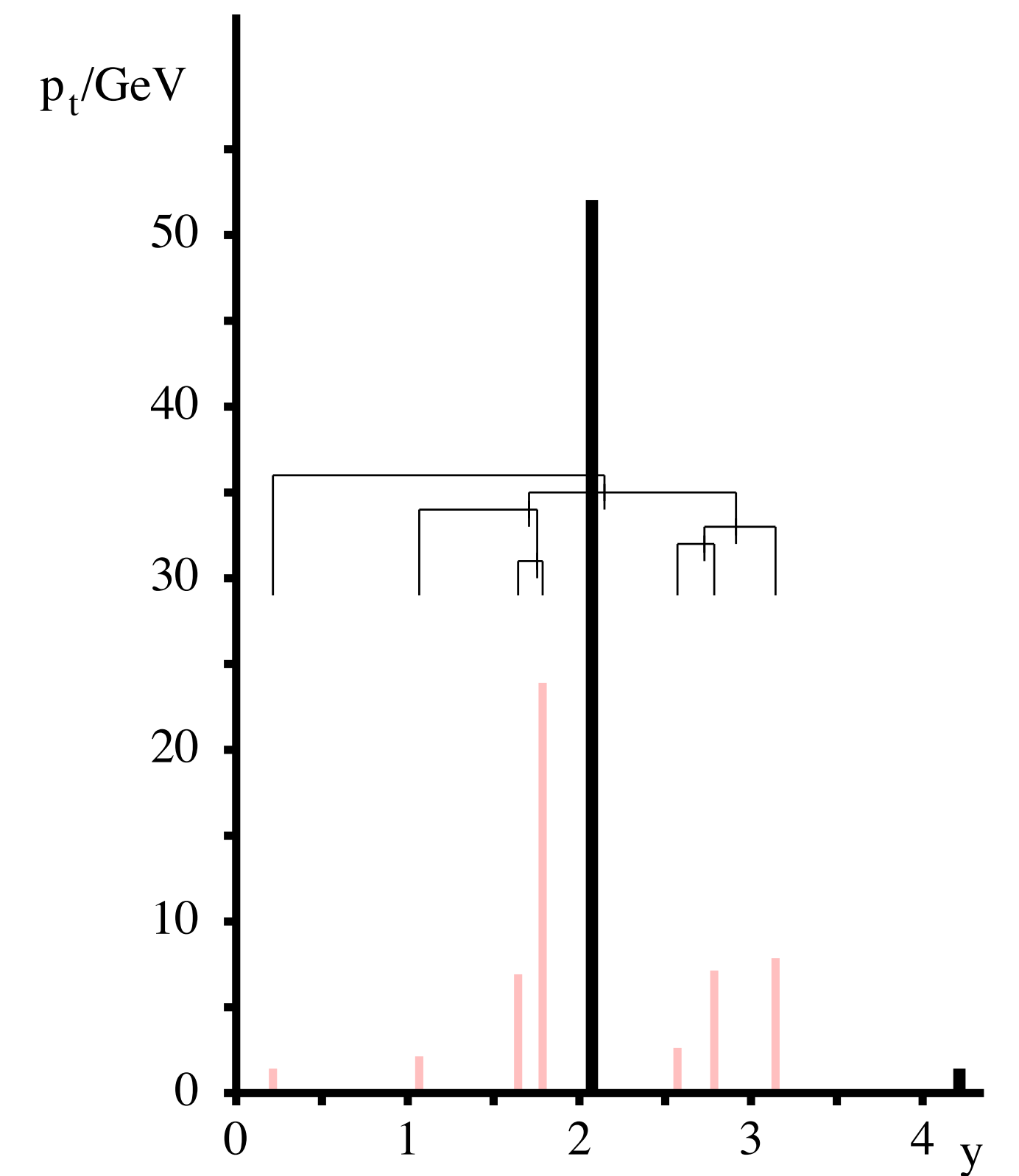
anti- k_t algorithm



k_t algorithm

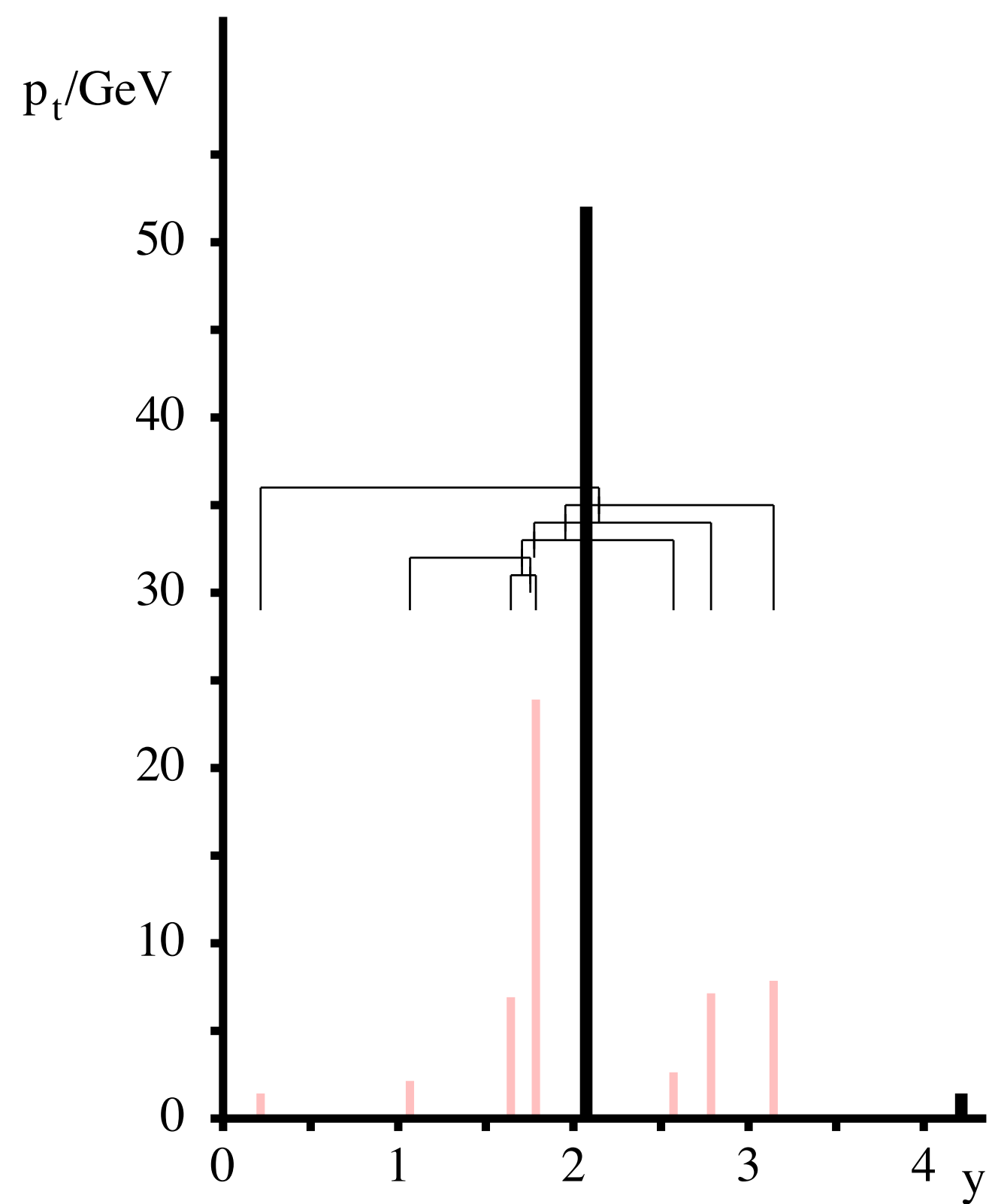


Cambridge/Aachen

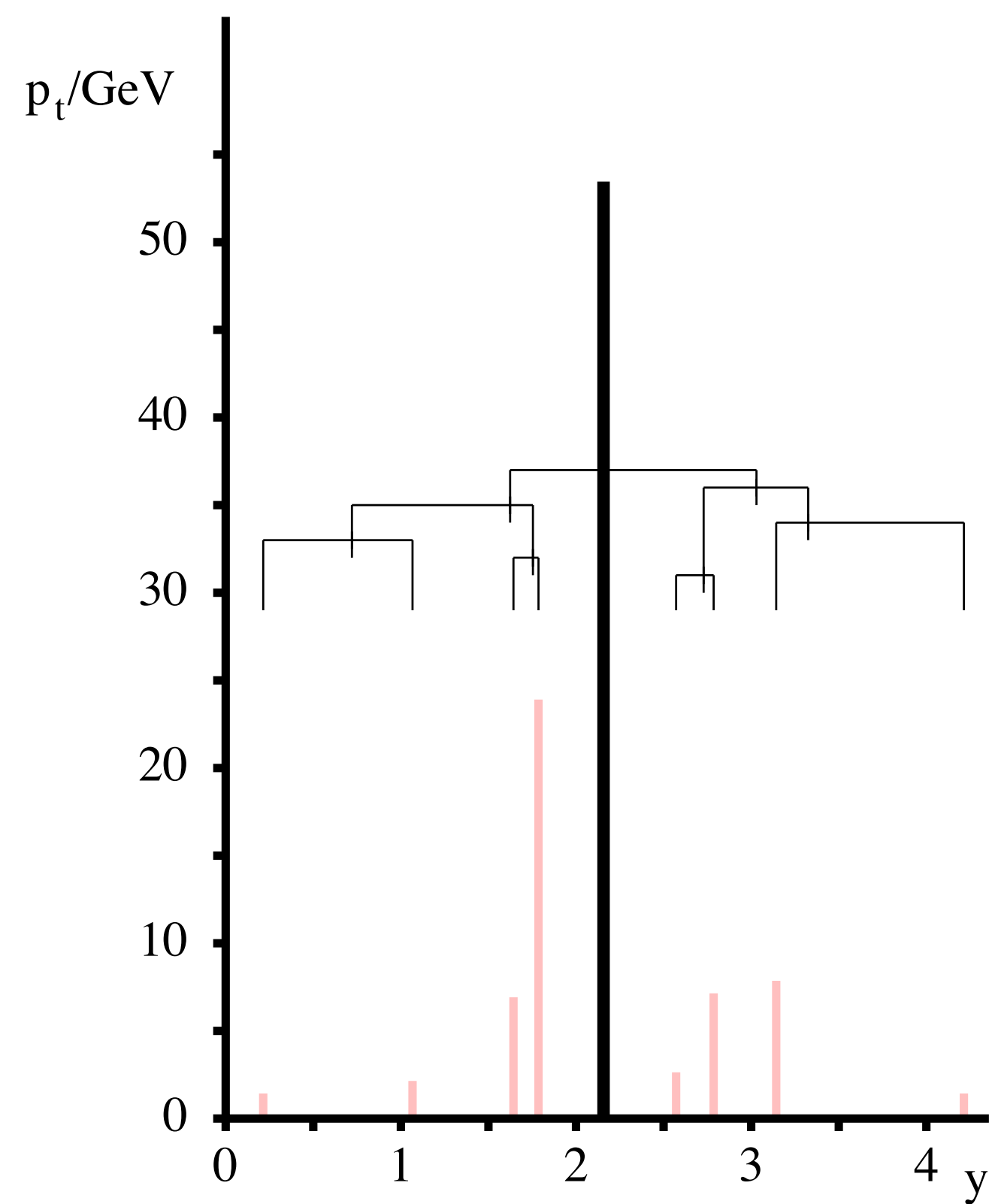


Jet algorithms

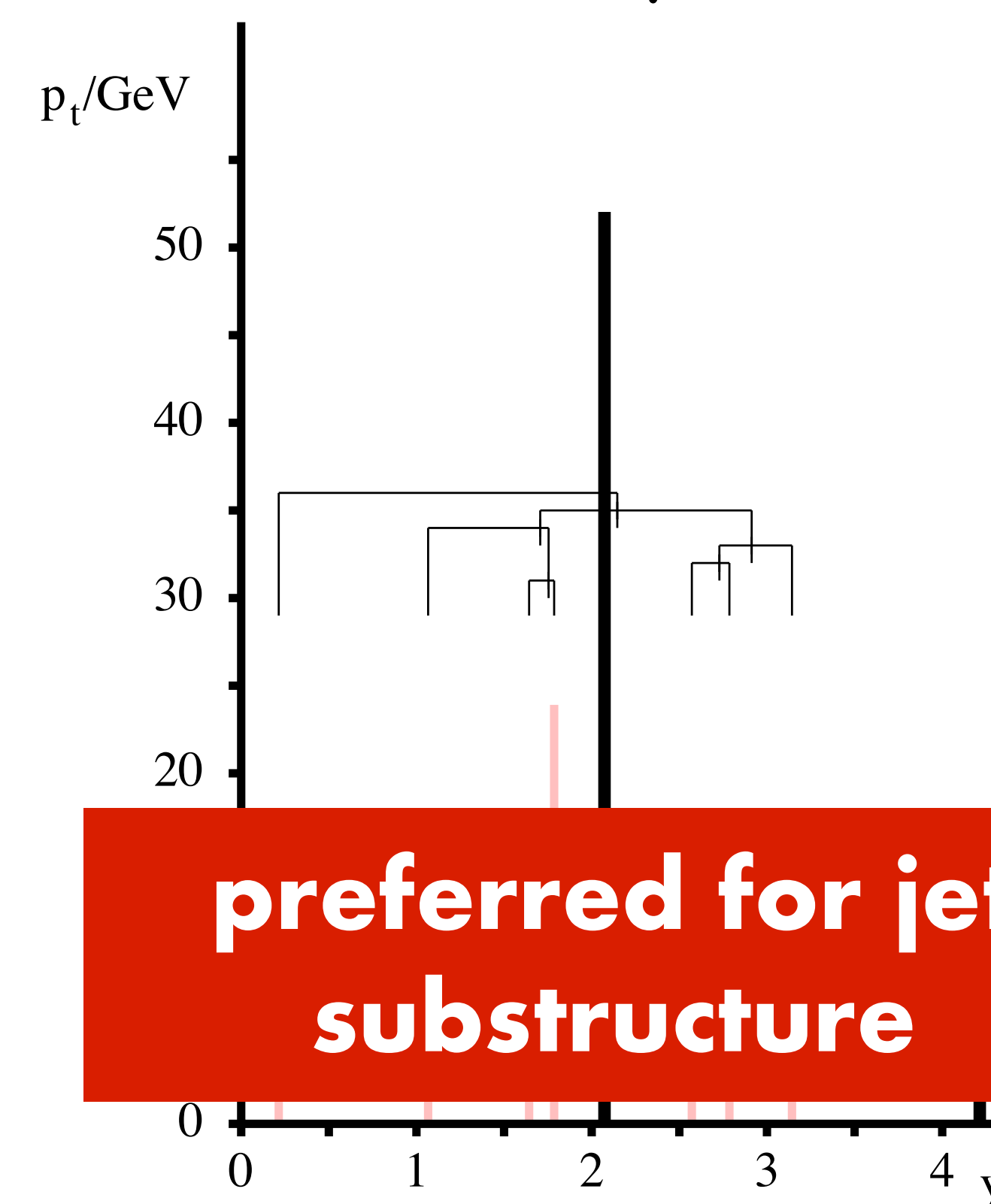
anti- k_t algorithm



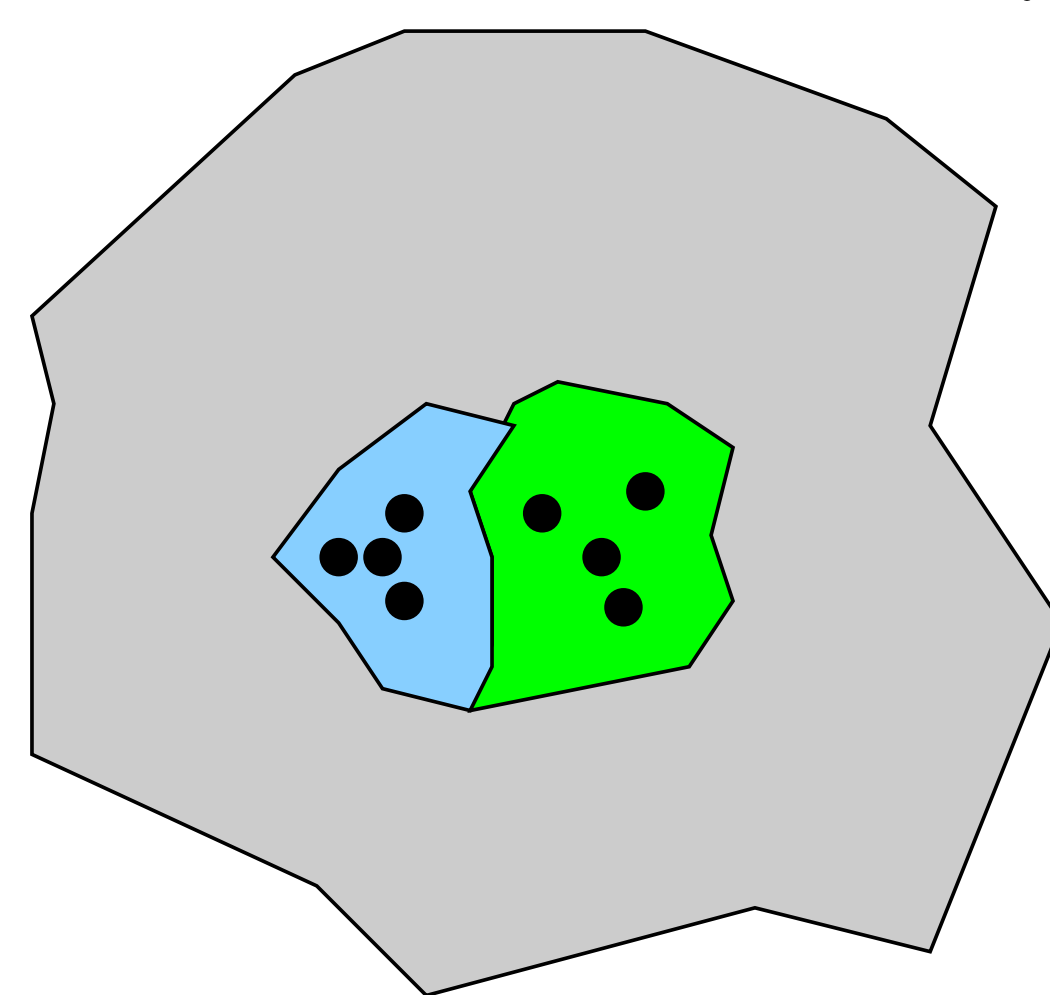
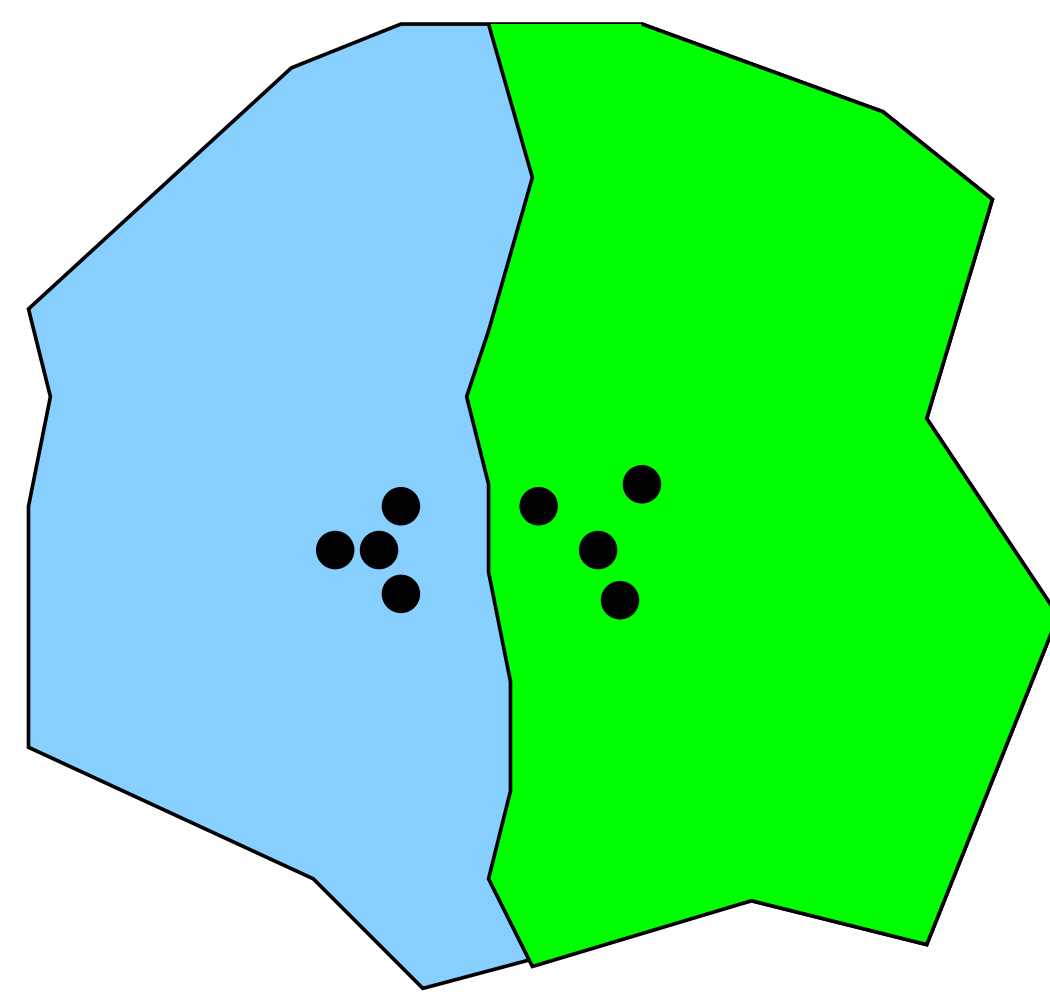
k_t algorithm



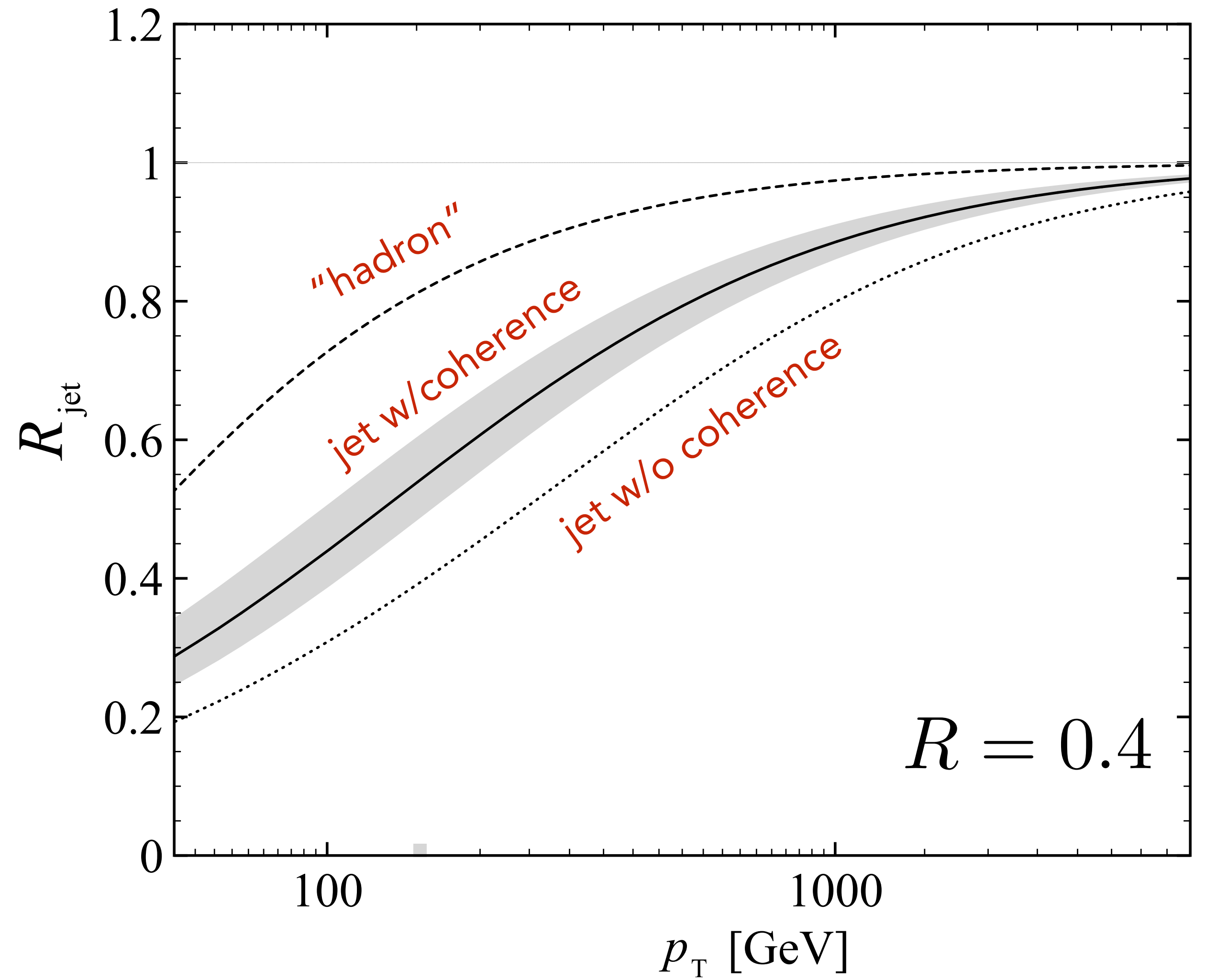
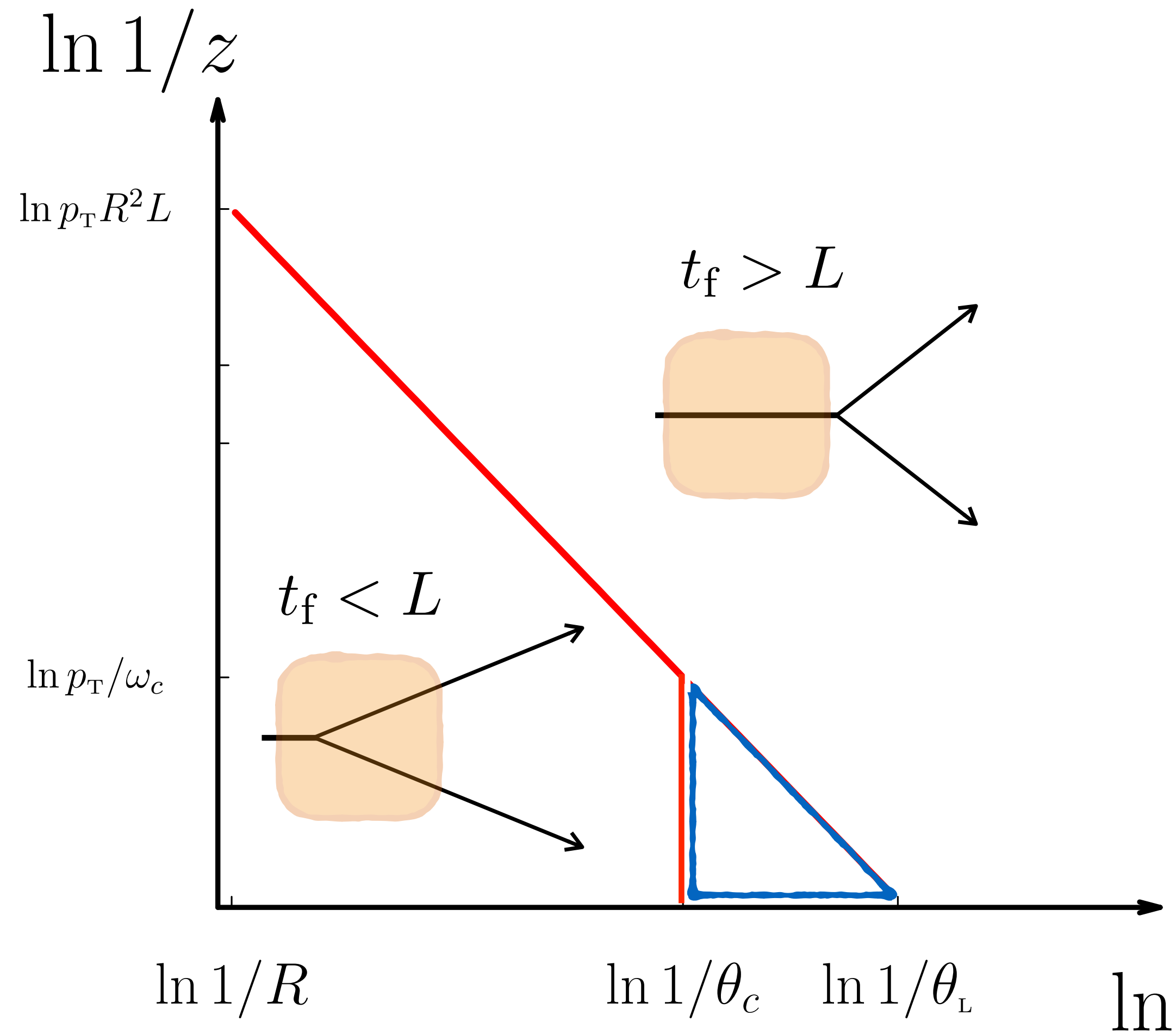
Cambridge/Aachen

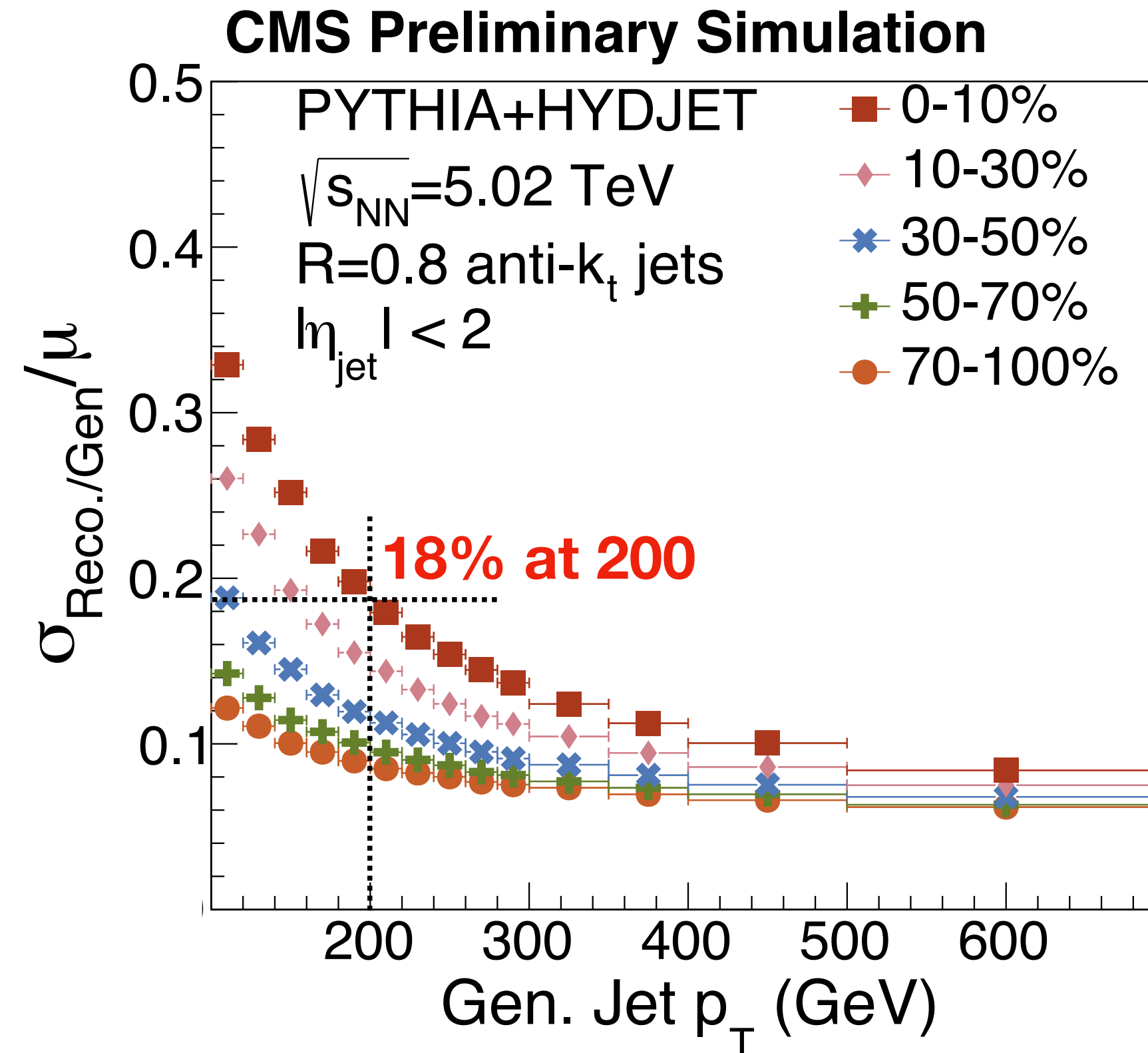


preferred for jet substructure



Tywoniuk (// talk) w. Mehtar-Tani

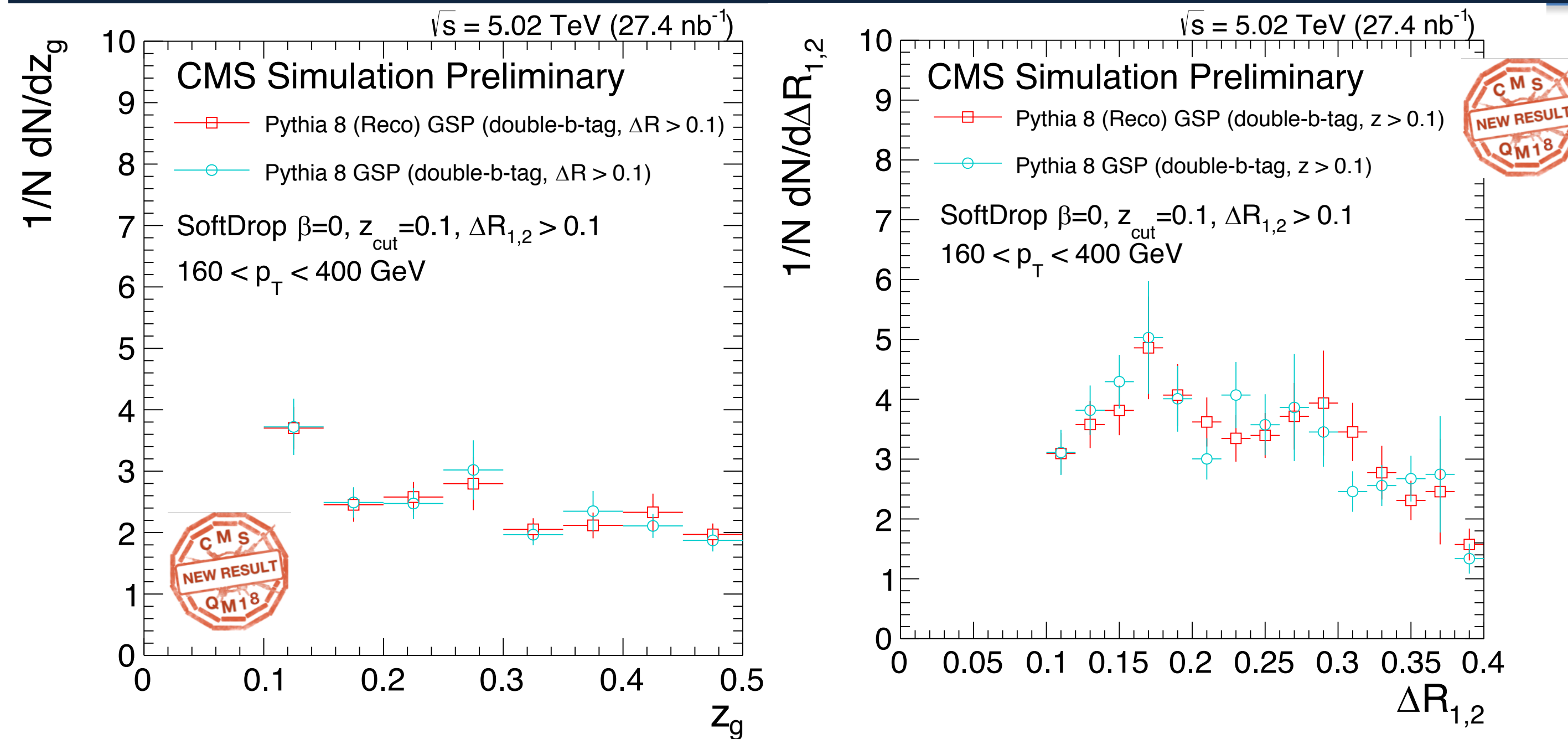




- An alternative view of how to handle UE subtraction in jets is presented
 - Instead of exploring tight cone R at low- p_T , consider large R at high- p_T
- Jet reconstruction is updated for forward- η and to account for flow modulations
 - **Perform Jet Nuclear Modification Factor Radius Scan up to $R=1$ for $p_T > 200$**
 - Extend CMS jet substructure measurements to large cone size

CMS subjet flavour tagging

Subjet Splitting Results



- Wide-angle gluon-splitting jets ($\Delta R_{1,2} \sim 0.2$) have a balanced subjet splitting distribution
 - Important to note that **this is a small subset** of total GSP jet contribution
 - B-tagging + reconstruction methodology confirmed by Pythia8 simulation

CMS-DPN-2018

zg modifications

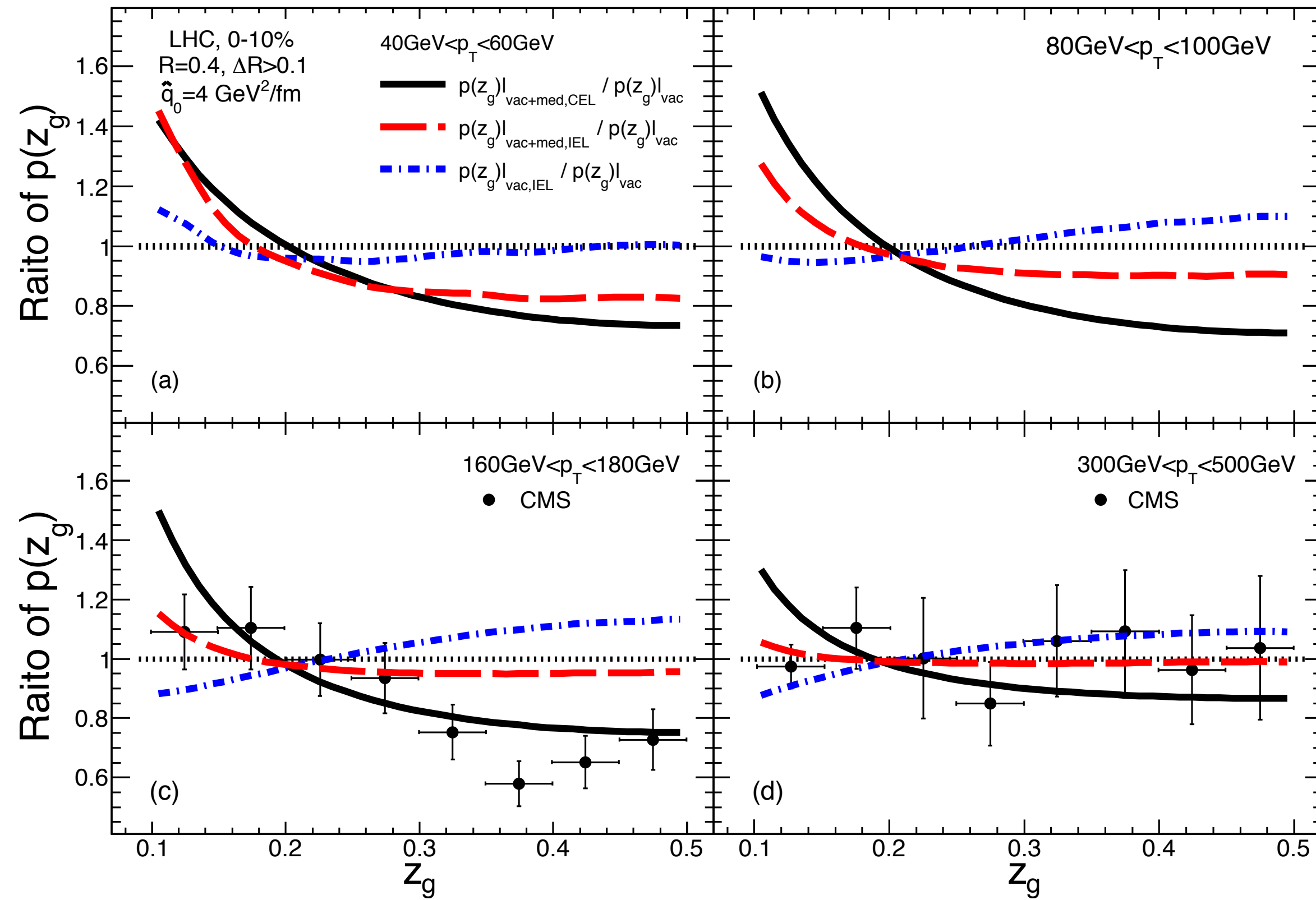


FIG. 12. (Color online) Modification of the groomed jet z_g distributions at the LHC for three different scenarios: solid for medium-modified splitting with coherent energy loss (CEL) of subjets, dashed for medium-modified splitting with independent energy loss (IEL) of subjets, and dash-dotted for vacuum splitting with IEL of subjets.

Probing medium-induced jet splitting and energy loss in heavy-ion collisions

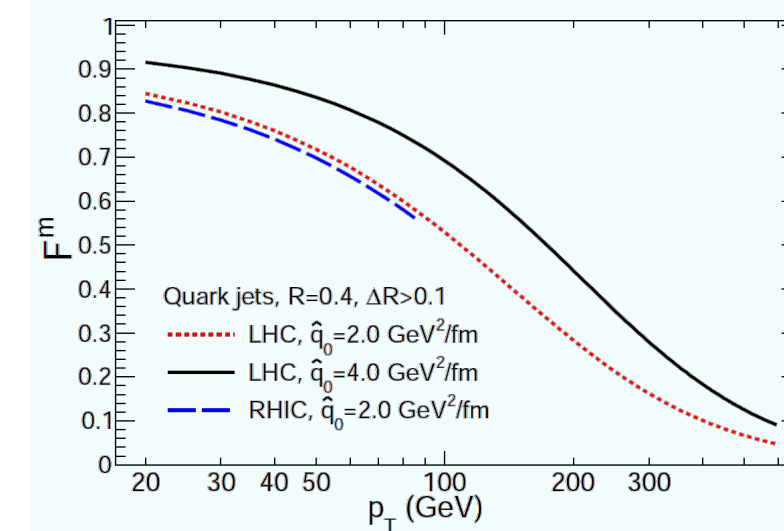
Ning-Bo Chang,^{1,2} Shanshan Cao,³ and Guang-You Qin²

arXiv:1707.03767v2

Origin of Non-monotonic jet energy dependence

Weight

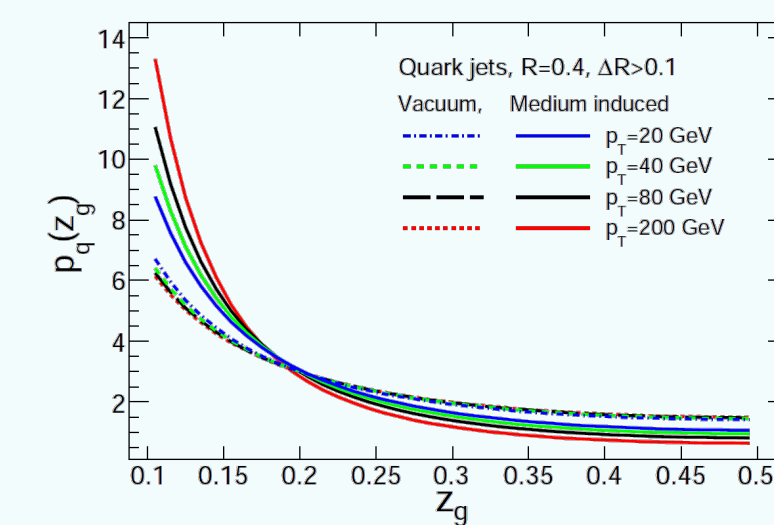
$$F_i^m = \frac{\int_{z_{\text{cut}}}^{1/2} dx \int_{k_{\Delta}^2}^{k_R^2} dk_{\perp}^2 \bar{P}_i^{\text{med}}(x, k_{\perp}^2)}{\int_{z_{\text{cut}}}^{1/2} dx \int_{k_{\Delta}^2}^{k_R^2} dk_{\perp}^2 [\bar{P}_i^{\text{vac}}(x, k_{\perp}^2) + \bar{P}_i^{\text{med}}(x, k_{\perp}^2)]}$$



p_T decreases,
more $p^{\text{med}}(x)$ vs. $p^{\text{vac}}(x)$.
Explain p_T dep. of CMS

x behavior

$$\int_{k_{\Delta}^2}^{k_R^2} dk_{\perp}^2 \bar{P}_i^{\text{med}}(x, k_{\perp}^2) \rightarrow \begin{cases} \frac{1}{x}, & \text{small } E; \\ \frac{1}{x^3}, & \text{large } E. \end{cases}$$



p_T decreases,
 $p^{\text{med}}(x)$ closer to $p^{\text{vac}}(x)$.
Explain p_T dep. of STAR

pt dist & quark fraction

► ATLAS-CONF-2017-074

